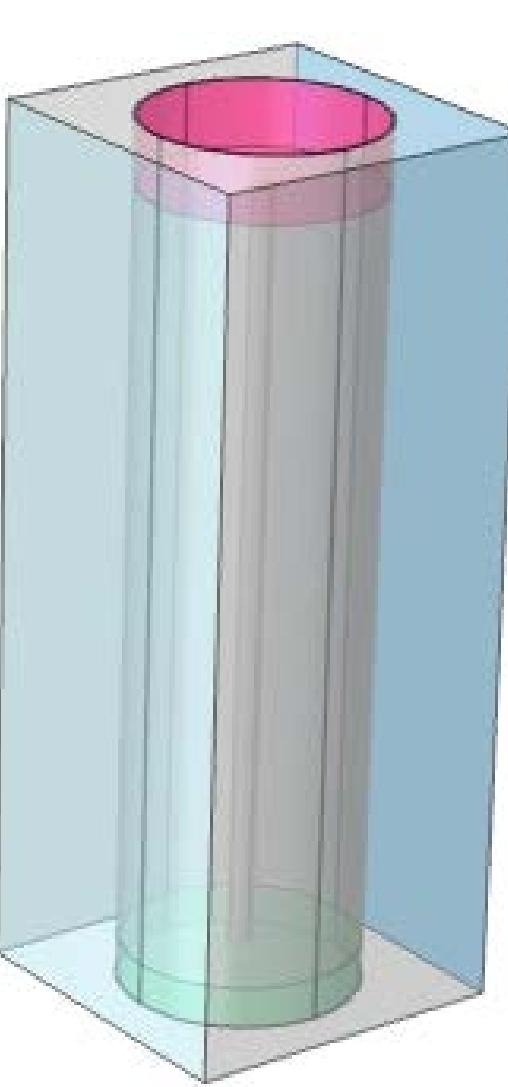


- Immersion cooling, where the cooling fluid flows in **direct contact** with the Li-ion cell, provides **superior temperature control** compared to other battery thermal management systems (BTMSs).
- Numerical models must **fully couple** the **electrochemical** and **thermo-fluid physics** solvers for **accurate design and evaluation**.
- However, this is **computationally expensive** and may not be feasible, for large BTMSs.
- Our work focuses on developing a **computationally-efficient approach** to couple the electrochemical and thermo-fluid physics to study immersion cooling-based BTMSs.

Introduction

Fully coupled thermo-fluid-electrochemical simulations of a single 18650 cylindrical cell take ~1 to 4 days for a mass flow rate of 0.01 kg/s and 3C discharge rate. Computational time depends on whether the fluid properties depend on temperature.



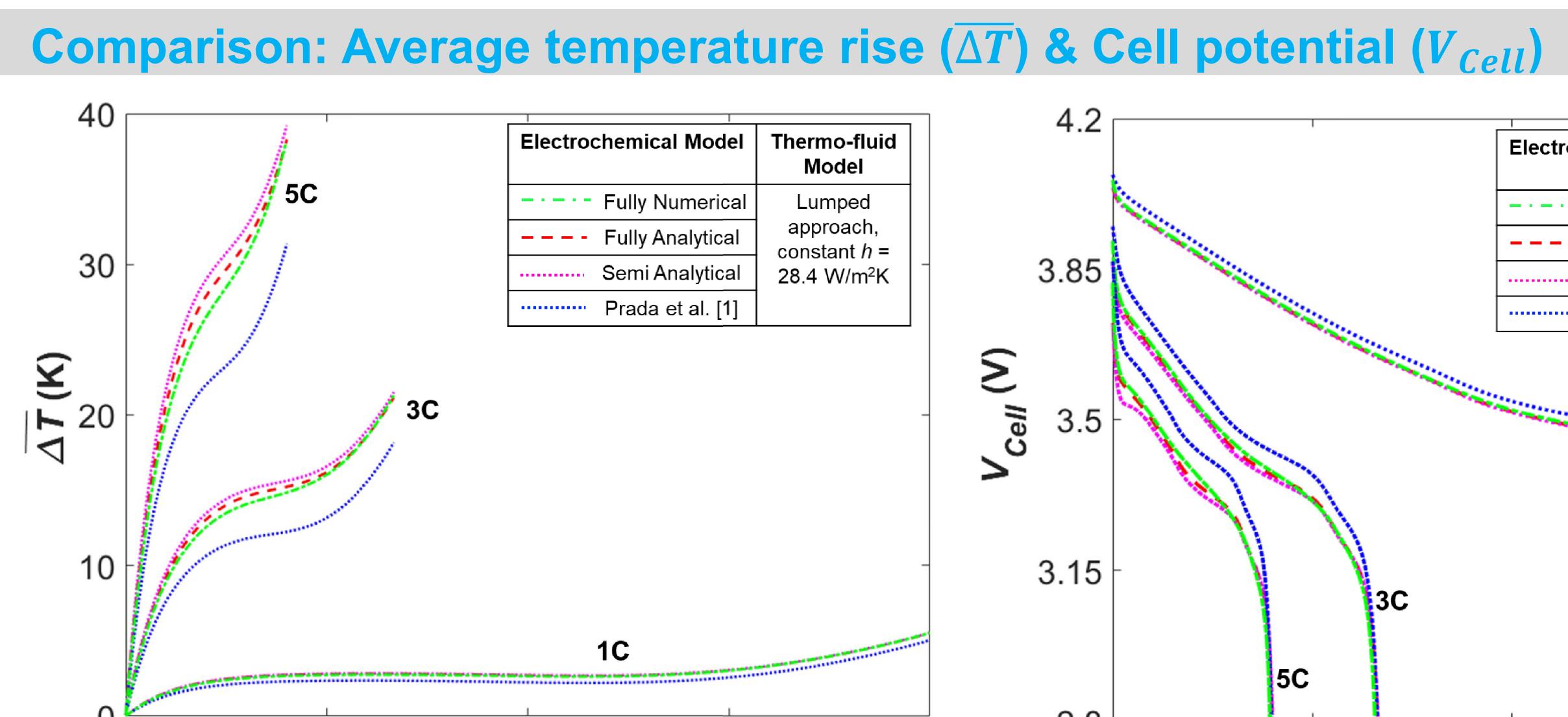
Computational time for real systems with many cells becomes computationally infeasible

P2D Electrochemical model:
4 partial differential eqns. & 1 algebraic equation

| Governing Equations | Electrochemical Model Types | | |
|---------------------|-----------------------------|-----------------|------------------|
| | Fully Numerical | Semi Analytical | Fully Analytical |
| Charge-Electrode | Numerical | Analytical | Analytical |
| Charge-Electrolyte | Numerical | Analytical | Analytical |
| Species-Electrode | Numerical | Analytical | Analytical |
| Species-Electrolyte | Numerical | Numerical | Analytical |

Thermo-fluid model:
Lumped model using heat transfer coefficient (h) to account cooling behavior

Modeling Framework



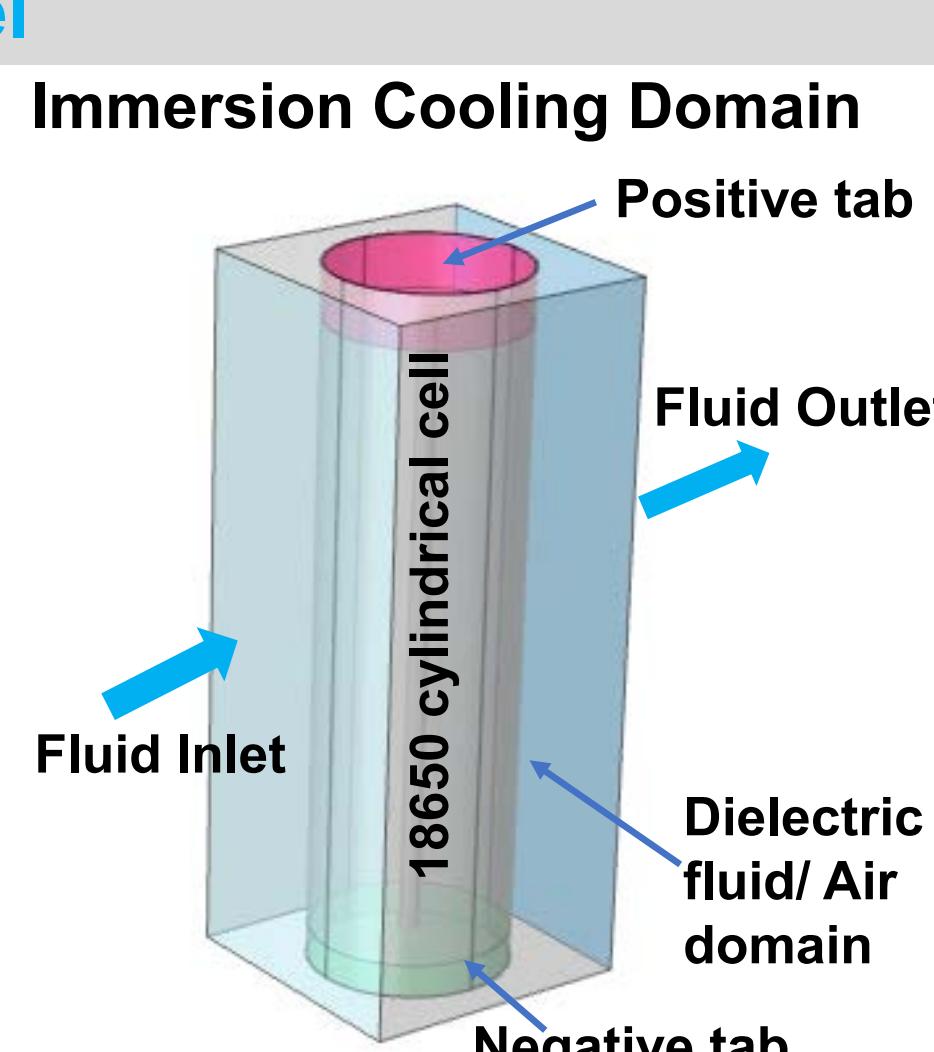
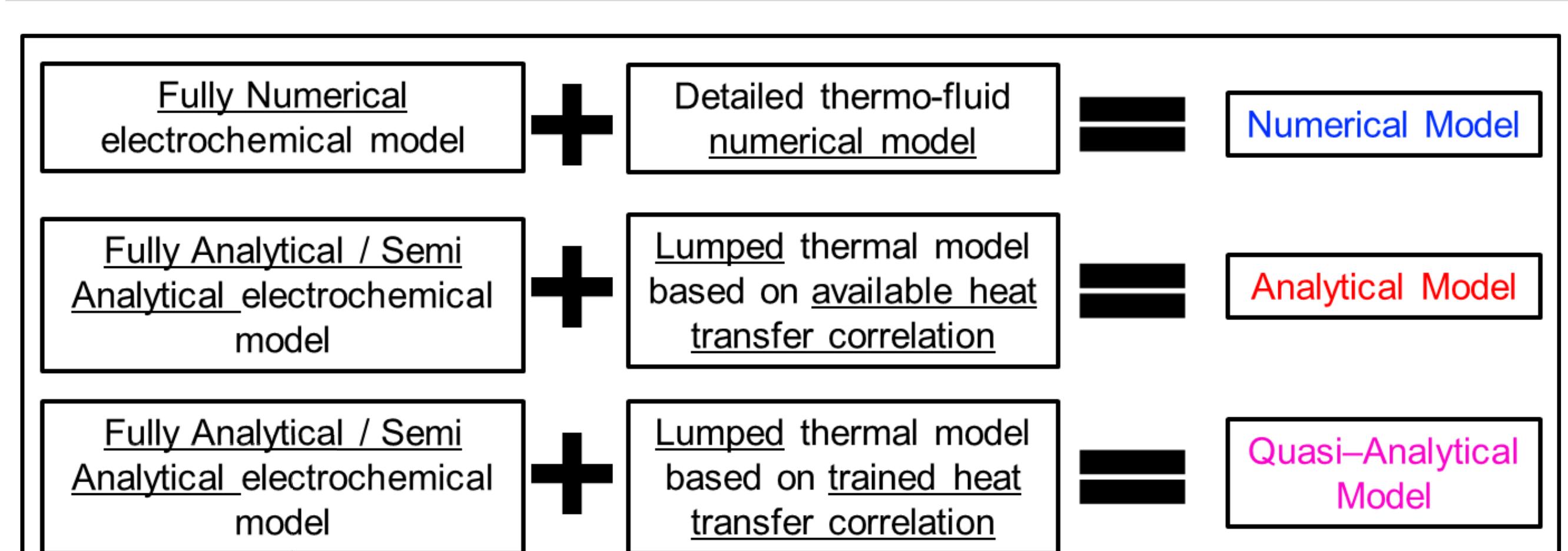
- All models have been implemented in MATLAB.
- Both submodules (electrochemical & thermo-fluid) are solved recursively marching ahead in time.
- Fully numerical is used as reference to judge accuracy.

| Fully Coupled Model | Characteristics | Computational cost* @ 3C | Accuracy** @ 3C (Mean error, %) | | Validity |
|-----------------------|--------------------|--|---------------------------------|---------------|---|
| | | | V_{cell} | ΔT | |
| Electrochemical Model | Thermo-fluid Model | Lumped approach, constant $h = 28.4 \text{ W/m}^2\text{K}$ | ~1200 s | 0 (Reference) | All discharge rates |
| | | | ~0.1 s | 0.3 2.9 | Up to 5C discharge rate with few exceptions |
| | | | ~18 s | 0.5 5.5 | All discharge rates |
| | | | ~141 s | 1.6 16 | All discharge rates |

*System: Processor - Intel(R)Xeon(R)@3.0GHz & RAM-16GB. **For same set of parameters and properties.

Model Implementation for Immersion Cooling

Types of Fully-Coupled Immersion Cooling Model

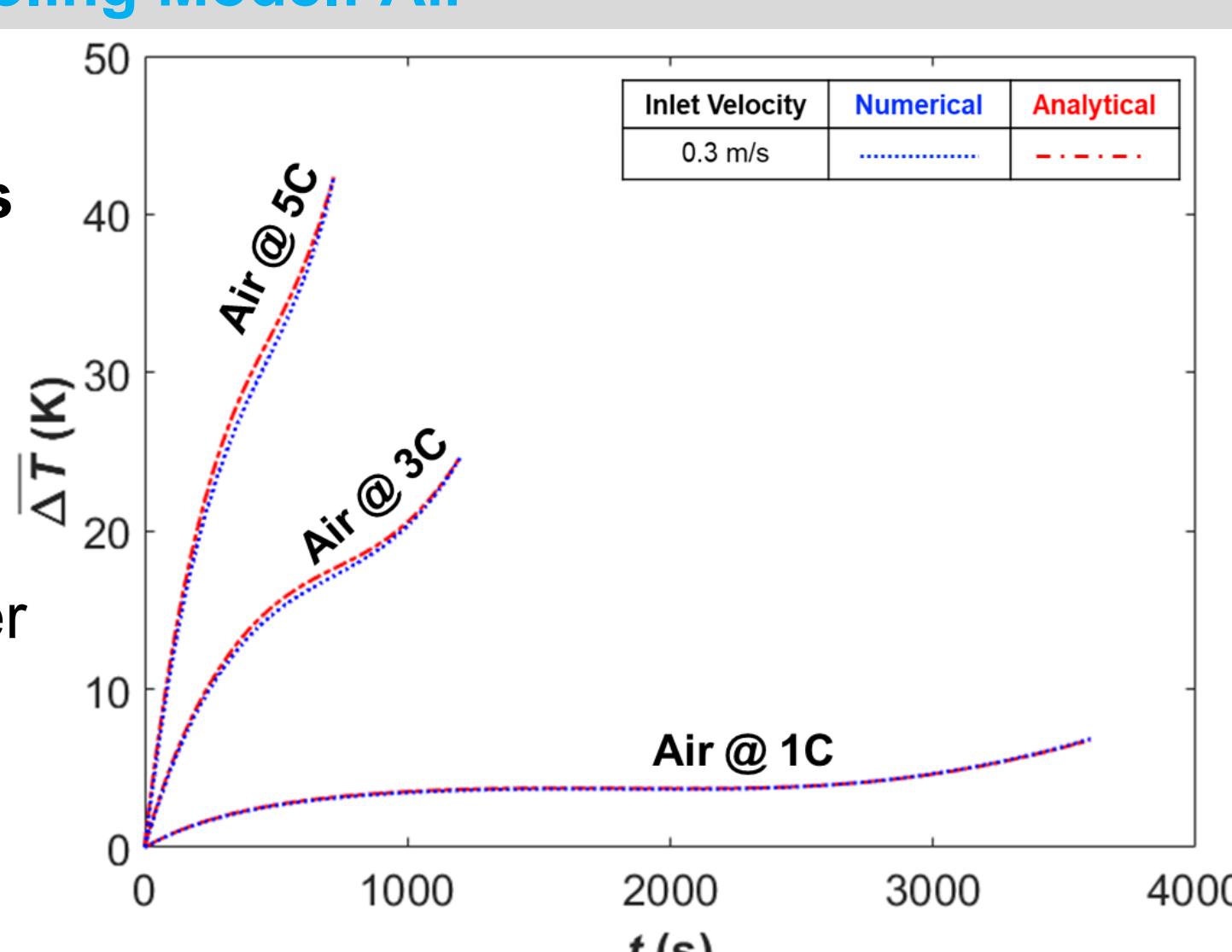


Analytical Model of Immersion Cooling Model: Air

- Usually **heat transfer correlations** have been developed to predict heat transfer as **function of dimensionless numbers** like Reynolds number (Re), Prandtl number (Pr).
- For the **cylinder in the duct cross flow**, heat transfer correlation from literature [2]:

$$h = (\lambda/D)0.655Re^{0.471}Pr^{(1/3)}(1 + \sqrt{D/W})$$

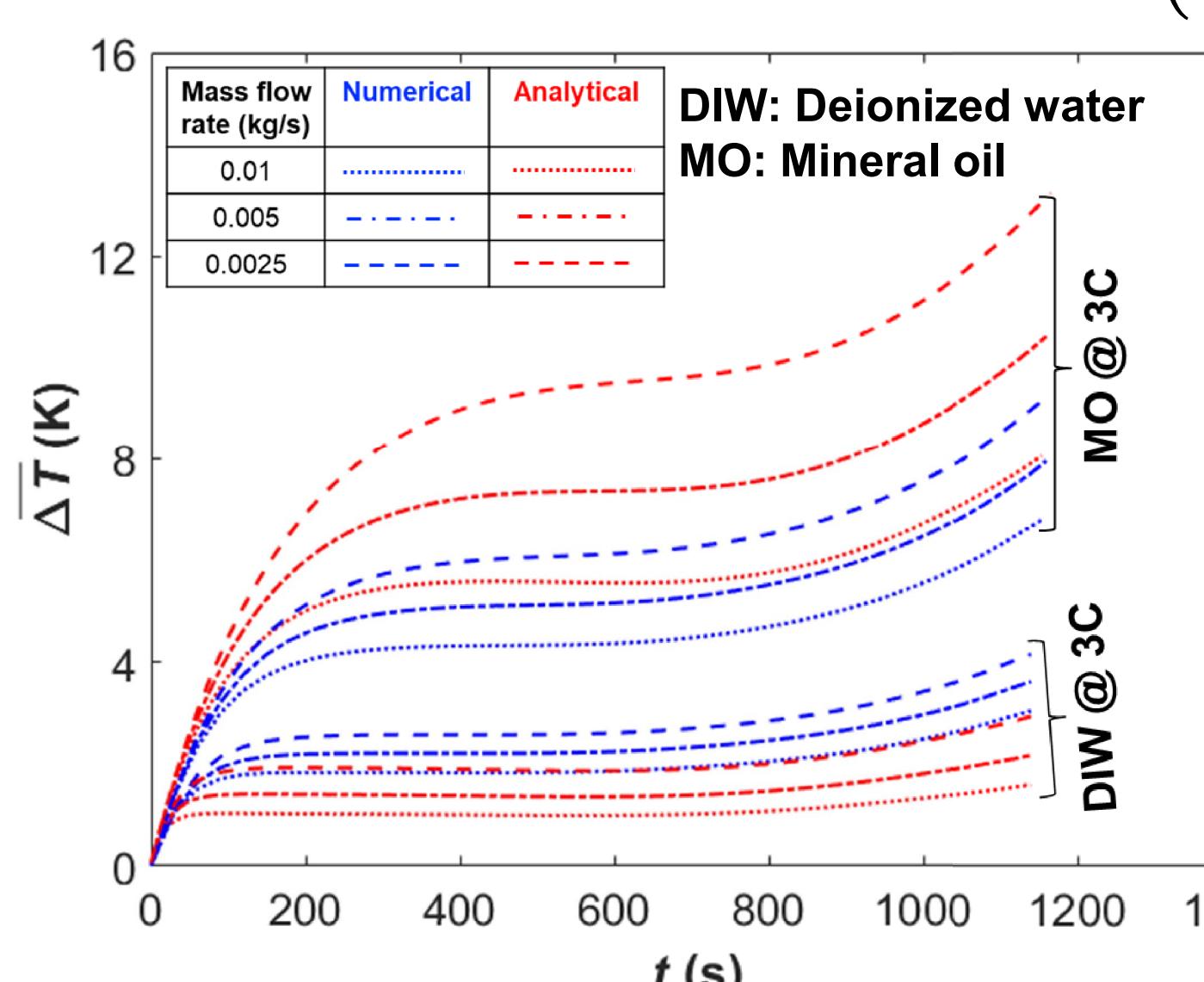
- Above correlation **accounts geometry affects** using diameter (D) and width of the duct (W).
- For this configuration, analytical model predicts ΔT in **agreement with numerical model**.



Results and Discussion

Analytical Model of Immersion Cooling Model: Dielectric Fluid

$$h = (\lambda/D)0.655Re^{0.471}Pr^{(1/3)}(1 + \sqrt{D/W})$$



Pro: Predicts right trend and order of magnitude of ΔT .

Con: Exact magnitude of ΔT differs significantly except for air (for this configuration).

Primary reasons that analytical model does not predict exact magnitudes of ΔT :

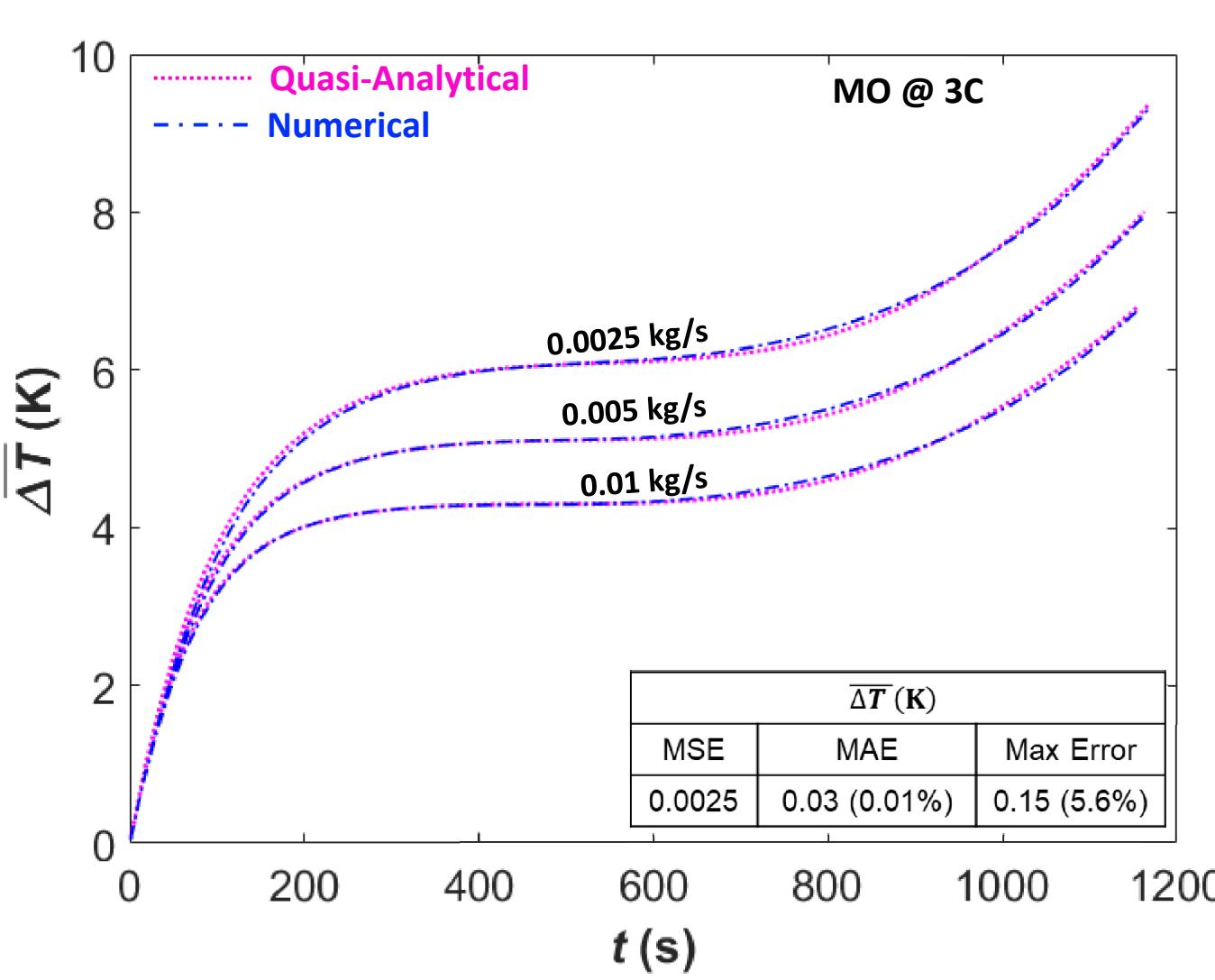
1. Heat transfer correlations are usually developed for **steady state condition**.
2. Geometry used for correlations are **different** from the **actual configurations**.
3. Valid for **standard boundary condition**: Constant temperature or heat flux.

Quasi-Analytical Immersion Cooling Model: Dielectric Fluid

Trained heat transfer correlations,

$$h = (\lambda/D) \mathbf{a} Re^{\mathbf{b}} Pr^{\mathbf{c}} (1 + \sqrt{D/W}) (1 + e^{-F_0/d}), \mathbf{h} = f(\mathbf{a}, \mathbf{b}, \mathbf{c}, \mathbf{d})$$

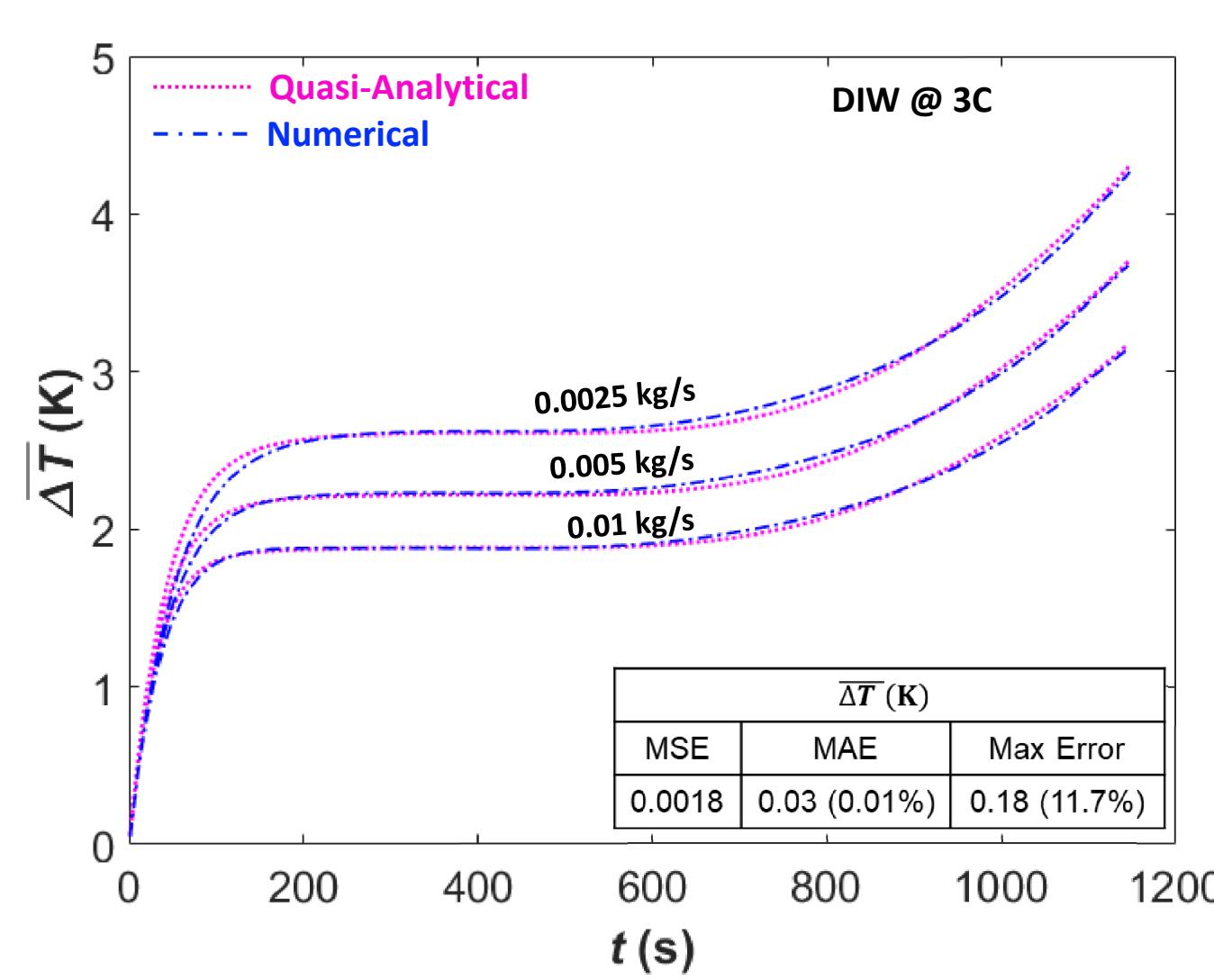
Above proposed heat transfer correlations can be trained with either **numerical** or **experimental** data sets.



MSE: Mean squared error
MEA: Mean absolute error

Fitted values of power law coefficients for two fluids:

MO
 $a = 0.55 \quad c = 1/3$
 $b = 0.26 \quad d = 5.62$



DIW
 $a = 0.51 \quad c = 1/3$
 $b = 0.28 \quad d = 11.10$

There is a significant difference in the transient term 'd' between the two fluids.

- Predictions are very **accurate** and **computationally efficient**.
- Requires only **two mass flow rates** for each fluid at a **given discharge rate** to train h correlations.

Conclusion

- Proposed models including the numerical data-driven learning provide an **efficient trade-off** between **computation cost** and **accuracy**.
- The developed model can be easily upscaled for large BTMS, therefore will **accelerate the design and analysis** of immersion cooling systems.
- Approach will be handy in **real-time applications** such as **dynamic immersion cooling** where parameters are tuned based on operating conditions.

References

1. E. Prada et al., "Simplified Electrochemical and Thermal Model of LiFePO₄-Graphite Li-Ion Batteries for Fast Charge Applications," Journal of The Electrochemical Society, vol. 159, no. 9, pp. A1508-A1519, 2012
2. R. J. Pederson and E. M. Sparrow, "Heat Transfer From a Cylinder in Crossflow Situated in a Turbulent Pipe Flow," Journal of Heat Transfer, vol. 99, pp. 425-432, 1977

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