

Effects of Temperature on the Histotripsy Intrinsic Threshold for Cavitation

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Abstract—Histotripsy is an ultrasound ablation method that depends on the initiation of a dense cavitation bubble cloud to fractionate soft tissue. Previous work has demonstrated that a cavitation cloud can be formed by a single acoustic pulse with one high-amplitude negative cycle, when the negative pressure amplitude exceeds a threshold intrinsic to the medium. The intrinsic thresholds in soft tissues and tissue phantoms that are water based are similar to the intrinsic threshold of water over an experimentally verified frequency range of 0.3–3 MHz. Previous work studying the histotripsy intrinsic threshold has been limited to experiments performed at room temperature (~ 20 °C). In this study, we investigate the effects of temperature on the histotripsy intrinsic threshold in water, which is essential to accurately predict the intrinsic thresholds expected over the full range of *in vivo* therapeutic temperatures. Based on previous work studying the histotripsy intrinsic threshold and classical nucleation theory, we hypothesize that the intrinsic threshold will decrease with increasing temperature. To test this hypothesis, the intrinsic threshold in water was investigated both experimentally and theoretically. The probability of generating cavitation bubbles was measured by applying a single pulse with one high-amplitude negative cycle at 1 MHz to distilled degassed water at temperatures ranging from 10 °C to 90 °C. Cavitation was detected and characterized by passive cavitation detection and high-speed photography, from which the probability of cavitation was measured versus pressure amplitude. The results

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indicate that the intrinsic threshold (the negative pressure at which the cavitation probability = 0.5) significantly decreases with increasing temperature, showing a nearly linear decreasing trend from 29.8 ± 0.4 MPa at 10 °C to 14.9 ± 1.4 MPa at 90 °C. Overall, the results of this study support our hypothesis that the intrinsic threshold is highly dependent on the temperature of the medium, which may allow for better predictions of cavitation generation at body temperature *in vivo* and at the elevated temperatures commonly seen in high-intensity focused ultrasound regimes.

Index Terms—Cavitation, histotripsy, intrinsic threshold, temperature.

I. INTRODUCTION

HISTOTRIPSY is a noninvasive tissue ablation method that controllably fractionates soft tissue through cavitation generated by high-pressure (> 10 MPa) short-duration (< 20 μ s) ultrasound pulses at low duty cycles ($< 1\%$) [1]–[3]. Histotripsy depends on the initiation and maintenance of a dense cavitation bubble cloud to produce mechanical tissue fractionation [3], [4]. With a sufficiently high pressure and dose, histotripsy can completely fractionate soft tissues into an acellular liquid homogenate [5]–[7]. Histotripsy is currently being studied for many clinical applications where noninvasive tissue removal is desired including benign prostatic hyperplasia [8], kidney stones [9], deep vein thrombosis [10], congenital heart disease [11], [12], and cancer [13], [14].

Dense histotripsy bubble clouds can be generated by two mechanisms, termed shock scattering histotripsy and intrinsic threshold histotripsy. In shock scattering histotripsy, a multicycle histotripsy pulse at a high pressure (~ 3 –20 cycles, $p_- = 10$ –28 MPa) is used to form a dense bubble cloud through shock scattering from single or sparse initial bubbles expanded during the initial cycles of the pulse [15], [16]. In intrinsic threshold histotripsy, a single pulse with a single dominant negative pressure phase at a very high pressure (≤ 2 cycles, $p_- = 24$ –30 MPa) is used to form a dense bubble cloud directly from the negative pressure of the incident wave [17]–[20]. Using these short pulses, cavitation initiation depends on the amplitude and duration of the applied negative pressure as well as the properties of the media. When the pressure exceeds a distinct threshold intrinsic to the medium, without the contributions from shock scattering, it results in a dense bubble cloud matching the portion of the focal region above the intrinsic threshold [17]–[20]. In shock scattering histotripsy, the intrinsic threshold for generating a dense bubble cloud is reached by pressure release scattering of very high

peak positive shock fronts, resulting in a dense bubble cloud. This shock scattering bubble cloud grows in layers toward the transducer with each reflected shock front that exceeds the intrinsic threshold.

In intrinsic threshold histotripsy, a dense bubble cloud can be predictably and reliably generated when the peak negative pressure p_- is raised above the intrinsic threshold of a given media. Maxwell *et al.* [18] measured an intrinsic threshold of $\sim 26\text{--}30$ MPa for soft tissues and tissue phantoms that are water based using a 1.1-MHz histotripsy transducer, while the threshold for tissue composed primarily of lipids was significantly lower (15.4 MPa for adipose tissue). The intrinsic threshold measured for water-based soft tissues and tissue phantoms closely matched the intrinsic threshold of water, suggesting that cavitation nucleation occurs in the water inside these tissues. This hypothesis was further supported by recent work demonstrating that the intrinsic threshold of various water-based soft tissues and tissue phantoms was independent of tissue stiffness and closely matched the intrinsic threshold of water at ultrasound frequencies ranging from 345 kHz to 3 MHz [19].

Previous work has suggested that the histotripsy intrinsic threshold relies on cavitation nuclei that are intrinsic to the media, and is not dependent on the gas content of the media and does not require the presence of impurities or stable bubbles inside the media [18], [19]. The term intrinsic is used to imply that the nuclei appear to be associated with the properties of the medium itself rather than impurities. This hypothesis is supported by previous studies from several groups using different sample processing methods, which have measured approximately the same threshold for inertial cavitation associated with these nuclei in the range of 24–33 MPa in distilled water [18], [19], [21]–[24]. These negative pressure thresholds are significantly higher than the pressure required to generate cavitation using long-duration pulses, high pulse repetition frequency (PRF), or constant exposures, as these approaches likely rely on nuclei that are not intrinsic to the media [25]–[30]. Although such nuclei can also produce cavitation during single-pulse single-cycle measurements, the short duration and small focal volume of this high-pressure pulse makes the cavitation at low pressure amplitudes highly improbable unless nuclei are artificially introduced, since the concentration of such impurities is sufficiently dilute [18], [24], [27], [31].

Although previous work studying histotripsy has provided significant insight into the process of generating cavitation using the intrinsic threshold method, these studies have been limited to experiments performed at room temperature (~ 20 °C). Understanding the effects of temperature on the intrinsic threshold is essential to the development of histotripsy therapy approaches using the intrinsic threshold method, including the prediction of the intrinsic threshold at body temperatures *in vivo*. In addition, understanding the effects of temperature on the intrinsic threshold may provide insight into the effects of temperature on cavitation generation in high-intensity focused ultrasound (HIFU) and boiling histotripsy regimes, where the tissue temperature is elevated by long ultrasound pulses for therapeutic purposes.

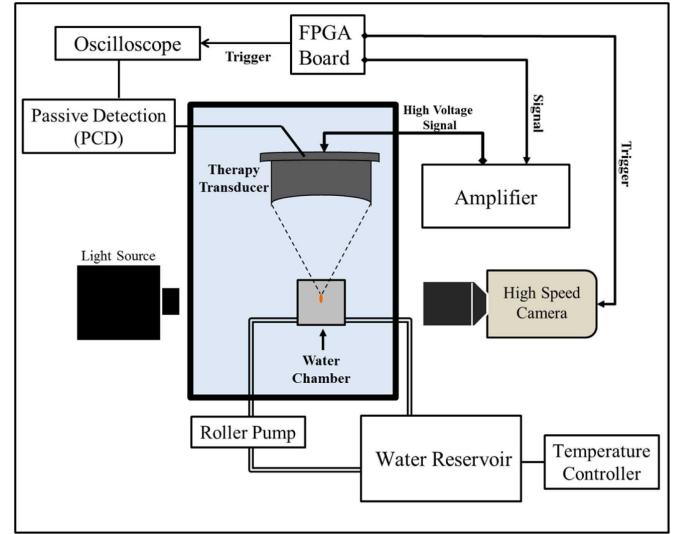


Fig. 1. Experimental setup. Histotripsy pulses were applied to the inside of distilled degassed water heated to 10 °C, 20 °C, 40 °C, 60 °C, 80 °C, and 90 °C. Heated water was circulated into a 150-mL custom-built cavitation chamber using a roller pump, and the temperature inside the chamber was monitored using a type T hypodermic needle thermocouple. Cavitation was monitored using high-speed optical imaging and PCD using one of the therapy transducer elements.

To test the hypothesis that the intrinsic threshold decreases at higher temperatures, the probability of generating cavitation was measured for 1-MHz pulses applied to distilled degassed water heated to temperatures ranging from 10 °C to 90 °C. Two numerical models were used to theoretically investigate the effects of temperature on the histotripsy intrinsic threshold and bubble dynamics. First, classical nucleation theory (CNT) was used to simulate the effects of temperature on the cavitation threshold at the focus inside the medium. Next, a single-bubble numerical model was used to investigate the effects of temperature on the bubble dynamics of single nuclei at the focus, and the results of both simulations were compared with the experimental results.

II. METHODS

A. Experimental Setup

The effects of temperature on the histotripsy intrinsic threshold p_{HIT} were investigated by exposing 1-MHz ultrasound pulses to distilled degassed water heated to 10 °C, 20 °C, 40 °C, 60 °C, 80 °C, and 90 °C. Table I shows the viscosity, surface tension, and speed of sound of water as a function of temperature as measured in [32]–[34]. Water was degassed to 15% O₂ prior to experiments in order to minimize any stable gas bubbles in the sample. Gas saturation was measured using an O₂ meter (DO200; YSI, Yellow Springs, OH, USA) for each sample prior to testing to ensure consistency throughout all experiments. Water was heated inside a constant temperature water bath, consisting of a slow cooker (Crock-Pot, SCCPVL610-S, Manchester, U.K.) connected to a sous-vide temperature controller (Dorkfood, DSV, Pensacola, Florida, USA). A roller pump (Masterflex, Cole-Parmer, Vernon Hills, IL, USA) was used to circulate heated water into a cavitation chamber (Fig. 1). Water was circulated

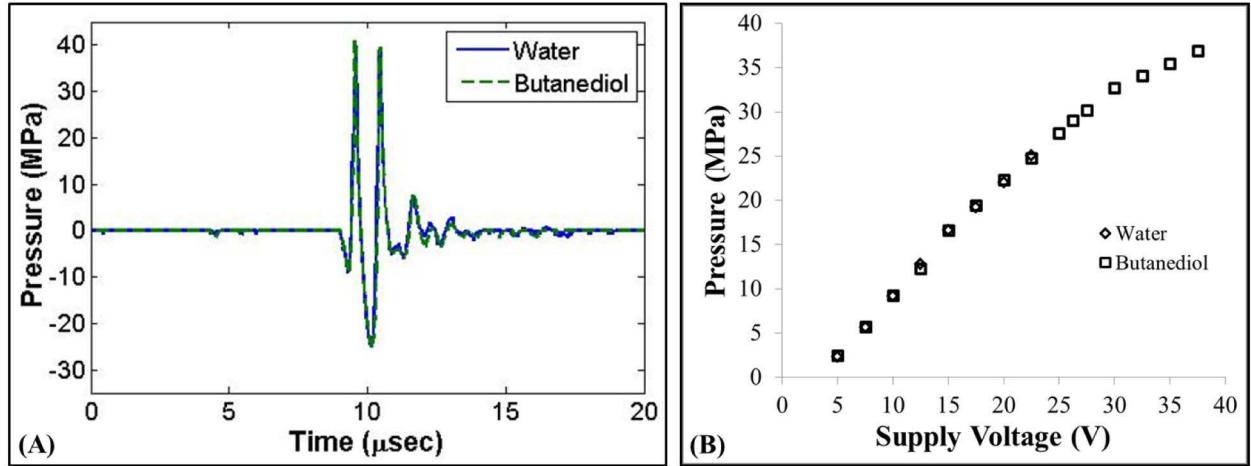


Fig. 2. Pressure calibration. (A) Example acoustic waveforms produced by the 1-MHz histotripsy transducer measured by the FOPH in water and 1,3-butanediol. (B) Peak negative pressure versus transducer voltage showed close agreement for the two measurement techniques.

TABLE I

VISCOSITY, SURFACE TENSION, AND SOUND SPEED VALUES OF WATER AS A FUNCTION OF TEMPERATURE FROM [32]–[34]

Temperature (°C)	Viscosity (mPa-s)	Surface Tension (mN-m)	Sound Speed (m/s)
0.1	1.79	75.64	1403
10	1.31	74.23	1447
20	1.00	72.75	1482
30	0.80	71.20	1509
40	0.65	69.60	1529
50	0.55	67.94	1543
60	0.47	66.24	1551
70	0.40	64.47	1555
80	0.35	62.67	1554
90	0.31	60.82	1550
100	0.28	58.91	1543

into the cavitation chamber between experiments at a typical volumetric flow rate between 5 and 10 mL/s. No water was circulated into the chamber during experiments. The 150-mL cavitation chamber, which has been described in detail in [18], was used to allow sonication of the sample and simultaneous visualization of the region of interest. The chamber components were made from polytetrafluoroethylene, glass, and 316 stainless steel to operate over a wide temperature range. Two glass windows were inserted into the walls of the chamber to facilitate high-speed photography of the cavitation activity. Acoustic windows in the front and back, made from 12-μm-thick low-density polyethylene membranes, were added to contain water in the chamber and allow ultrasound propagation into the sample. Fluid inlet and outlet ports were integrated into the top and bottom of the chamber for circulation. The temperatures inside the water tank, slow cooker, and cavitation chamber were monitored using three type T hypodermic needle thermocouples (Physitemp Instruments Inc., Clifton, NJ, USA). For experiments, the temperature inside the cavitation chamber was maintained within ± 1 °C of the reported value, as measured outside the acoustic focus by a thermocouple inserted at the outlet port of chamber.

B. Ultrasound Pulse Generation

Ultrasound pulses were generated by an 18-element 1-MHz histotripsy transducer. The transducer has an effective 9.8 cm (lateral) \times 8 cm (elevational) aperture and a 7-cm focal distance. The focal beam volume (−6 dB) of the transducer was measured to be 6.5 mm (axial) \times 1.3 mm (lateral) \times 1.5 mm (elevational) using a calibrated fiber-optic probe hydrophone (FOPH) built in-house [35]. To measure the intrinsic threshold in each sample, short pulses (<2 cycles) with a single dominant negative pressure phase were applied to the sample (Fig. 2). To generate a short pulse, a custom high-voltage pulser developed in-house was used to drive the transducers. The pulser was connected to a field-programmable gate array development board (Altera DE1 Terasic Technology, Dover, DE, USA) specifically programmed for histotripsy therapy pulsing. This setup allowed the transducers to output short pulses consisting of less than two cycles.

The acoustic output pressure at the focus of the transducer was measured by the FOPH at 20 °C in degassed water (15% O₂) for pressures up to a peak negative pressure of ~25 MPa. At higher pressure levels, the acoustic output could not be measured in water due to cavitation at the fiber tip. Therefore, the acoustic pressure was also measured in 1,3-butanediol, which has previously been shown to have a higher threshold for cavitation [18]. This method has been used in [18], showing good agreement between the acoustic pressure measurements in water and butanediol. Butanediol has a density and a sound speed ($\rho = 1005$ kg/m³, $c = 1505$ m/s) very similar to those of water ($\rho = 998$ kg/m³, $c = 1484$ m/s), minimizing acoustic reflection at the interface between the two. The fiber probe was positioned in a small container of butanediol, and the probe tip was positioned 5 mm from the water–butanediol interface to ensure the attenuation in butanediol did not alter the measurement significantly. Fig. 2 shows a comparison of the acoustic output measured in water at butanediol, with results demonstrating close agreement for the two measurement techniques. Note that, for all experiments, the reported pressure levels were the values

measured at 20 °C, as the changes in the focal pressure due to differences in water temperature were expected to be small (<5%) based on theoretical calculations using a ray tracing simulation modified from [36].

For threshold experiments, histotripsy pulses were applied at a PRF of 0.5 Hz. The PRF was kept low to minimize the possibility that cavitation from one pulse would change the probability of cavitation on a subsequent pulse. In [18], it was demonstrated that for PRFs > 1 Hz, cavitation during a pulse increased the likelihood of cavitation on a following pulse, but this effect was not observed for PRFs below 1 Hz, since the residual nuclei from the ultrasound pulse dissolve within ~1 s after the pulse. At each pressure level tested, 100 pulses were applied to the sample for each set of experiments. For 90 °C samples, pulses were applied in four subsets of 25 pulses in order to ensure the temperature was maintained within the ± 1 °C criteria.

C. Cavitation Detection Using Optical Imaging

High-speed optical imaging was used as a method to detect cavitation (Fig. 1). A high-speed, 1-megapixel charge-coupled device camera (Phantom V210, Vision Research, Wayne, NJ, USA) was aligned with the transducer focus through the optical window of the chamber. The camera was backlit by a continuous white-light source. The camera was focused using a macrobellows lens (Tominon 1:4.5, $F = 105$ mm; Kyocera, Kyoto, Japan), giving the captured images a resolution of approximately 4.8 μm per pixel and a field of view of 6.2 mm \times 3.8 mm. The camera was triggered to record one image for each applied pulse at a time point approximately corresponding to the maximum bubble expansion, which was determined prior to experiments by changing the delay time on the camera to reconstruct representative radius versus time curves of the bubbles and identify the time corresponding to maximum bubble expansion. The camera exposure time was 2 μs for all images. After acquisition, shadowgraph images were converted from grayscale to binary by an intensity threshold determined by the background intensity using image processing software (MATLAB; the Mathworks, Natick, MA, USA). Bubbles were indicated as any black regions >5 pixels. By this criterion, the minimum resolvable bubble radius was 12 μm . The number of frames that contained cavitation bubbles was recorded, and the fraction of total frames (out of 100) for which any cavitation was detected was determined as the cavitation probability.

D. Passive Cavitation Detection

In addition to high-speed imaging, an acoustic method was also used to identify cavitation in the focal zone, following a previously established method [18], [19], [37]. Since relying on an image of the bubbles taken at a single time point is a limitation, the passive cavitation detection (PCD) method allowed cavitation to be monitored over a much longer time period following the passage of the pulse. For each experiment, one of the transducer's therapy elements was also used to receive acoustic emission signals for PCD to detect the presence of cavitation in the focal region (Fig. 1). The surface area of

the element used for PCD was 350 mm². The PCD signal was connected to an oscilloscope (LT372; Lecroy, Chestnut Ridge, NY, USA) with the time window selected to record the backscattering of the therapy pulse from cavitation bubbles [18], [19], [24], [38]. To determine whether cavitation occurred during a pulse, the signal generated by backscattering of the incident pulse from the focus was analyzed following the method used in [18]. The backscattered pressure amplitude was received by the PCD at the time point corresponding to two times the time of flight for the focal length of the transducer. The integrated frequency power spectrum (S_{PCD}) of the backscatter signal was used as a measure of whether cavitation occurred, following a previously described method [18]. The largest component of the backscatter was near the center frequency (1 MHz), so the power spectrum of the backscatter signal around this frequency (0.5–2.5 MHz) was used as a measure of cavitation presence. This method allowed a quantitative definition of whether a signal was above the threshold for cavitation, based on a comparison with baseline signals measured at low pressure amplitudes where cavitation did not occur [18].

E. Intrinsic Threshold Calculation and Comparison

The probability of observing cavitation P_{cav} followed a sigmoid function, given by:

$$P(p_-) = \frac{1}{2} + \text{erf} \left(\frac{p_- - p_{\text{HIT}}}{\sqrt{2}\sigma^2} \right) \quad (1)$$

where erf is the error function, p_{HIT} is the negative pressure at which $P_{\text{cav}} = 0.5$, and σ is a variable related to the width of the transition between $P_{\text{cav}} = 0$ and $P_{\text{cav}} = 1$, with $\pm\sigma$ giving the difference in pressure from about $P_{\text{cav}} = 0.15$ to $P_{\text{cav}} = 0.85$ for the fit. The intrinsic threshold for each sample p_{HIT} is defined as the p_- corresponding to $P_{\text{cav}} = 0.5$ as calculated by the curve fit. Curve fitting for all data sets was performed using an OriginLab curve fitting program (OriginPro 9.1; OriginLab Corporation, Northampton, MA, USA). The fit curves for all samples were analyzed statistically to determine whether the differences in the values of p_{HIT} were significantly different from each other. The standard errors for p_{HIT} were estimated by a covariance matrix using the delta method [39]. The curves were compared using a two-sample t -test with statistic $t(p_{\text{int1}} - p_{\text{int2}}, (SE_1^2 + SE_2^2)^{1/2})$ at a 95% confidence interval. Results were considered statistically significant for $p < 0.05$. Note that the standard error does not include the uncertainty in absolute pressure from the hydrophone measurement, only the uncertainty in the fit.

F. Nucleation Theory Simulation

To investigate the effects of temperature on the cavitation threshold predicted for spontaneous nucleation, a theoretical analysis was performed based on CNT [24], [40]–[43]. CNT predicts that the cavitation threshold decreases at higher temperatures and the corresponding decrease in the surface energy of the medium [40], [42]. The threshold predicted by

CNT, p_{CNT} , was calculated as

$$p_{\text{CNT}} = \left(\frac{16\pi\alpha^3}{3k_b T * \ln \frac{\Gamma_0 V_f \tau_f}{\ln 2}} \right)^{0.5} \quad (2)$$

where α is the surface energy, k_b is Boltzmann's constant, T is temperature in Kelvin, Γ_0 is a prefactor, V_f is the focal volume for a given frequency, and τ_f is the time the focal volume is above a given pressure [24], [40], [42]–[44]. Γ_0 was set to $\Gamma_0 = 10^{34}$ and τ_f set to one half of the acoustic period, similar to previous work [24], [42]. V_f was set to 6.64 mm^3 , as calculated from the -6 dB full-width at half-maximum beam profiles of the 1-MHz transducer used in this study assuming an ellipsoidal focus. For comparison with experiments, T was varied from 283 to 363 K ($10 \text{ }^{\circ}\text{C}$ – $90 \text{ }^{\circ}\text{C}$) and the surface energy α was set to 27.5% of the macroscopic surface tension of water, as calculated as a function of temperature (Table I). These values for surface energy were chosen to provide a better match with the experimental results based on previous work suggesting that it is not accurate to use the bulk macroscopic surface tension values for the surface energy of water [19], [24], [44]. In previous studies, surface energy values between 20% and 30% of the macroscopic surface tension of water at $20 \text{ }^{\circ}\text{C}$ have been used in order to provide a more reasonable agreement with experimentally observed cavitation thresholds [19], [24], [45].

G. Single Bubble Simulation

To provide a theoretical explanation for the bubble behavior observed experimentally, a spherically symmetrical 3-D numerical model treating water as a compressible Newtonian fluid with heat transfer was used. In previous studies, a model neglecting heat transfer showed a pressure threshold and bubble behavior matching the histotripsy intrinsic threshold at various frequencies when an initial bubble radius of $\sim 2\text{--}3 \text{ nm}$ was used [18], [19]. For nuclei of this size, the pressure due to surface tension is the primary factor that determines the cavitation threshold, similar to the Blake threshold [18], [19], [46], [47]. In this study, the effects of temperature on the threshold for generating cavitation and the resulting bubble behavior were first investigated using a 1.94-nm initial bubble, which was chosen to match the experimentally observed cavitation threshold at $20 \text{ }^{\circ}\text{C}$. To test the effects of temperature on the cavitation threshold for a 1-MHz histotripsy pulse, simulations exposed a 1.94 nm initial bubble to a single-peak negative pressure

$$p_a(t) = \begin{cases} p_A \left(\frac{1 + \cos[\omega(t - \delta)]}{2} \right)^n, & |t - \delta| \leq \frac{\pi}{\omega} \\ 0, & |t - \delta| > \frac{\pi}{\omega} \end{cases} \quad (3)$$

where p_A is the peak negative pressure, ω is the angular frequency of the sound wave, δ is a time delay, and n is a curve-fitting parameter, which was set to 3.7 so that the shape of the simulated waveform p_a closely matched the shape and duration of the p_a from the histotripsy waveform used experimentally. Using this theoretical waveform, previous studies have shown good agreement between simulated and

experimentally observed bubble dynamics [19], [20]. For this study, we assume the surrounding medium to have homogeneous properties and that the bubble contains air and remains spherical. These assumptions allow us to use a numerical model developed in-house for simulating spherical bubble dynamics in general viscoelastic media [48]. To model water in this study, we assume a viscous medium with no elasticity. We consider bubble dynamics governed by the Keller–Miksis equation [49]

$$\left(1 - \frac{\dot{R}}{c} \right) R \ddot{R} + \frac{3}{2} \left(1 - \frac{\dot{R}}{3c} \right) \dot{R}^2 = \frac{1}{\rho} \left(1 + \frac{\dot{R}}{c} + \frac{R}{c} \frac{d}{dt} \right) \left(p_B - p_\infty(t) - \frac{2S}{R} - \frac{4\mu \dot{R}}{R} \right) \quad (4)$$

which depends on the medium's sound speed c , density ρ , and surface tension against air S . Here $p_\infty(t)$ is the absolute forcing pressure, r is the radial coordinate, and overdots ($\dot{\cdot}$) denote derivatives with respect to time t . The absolute forcing pressure $p_\infty(t)$ is the sum of the atmospheric pressure ($p_{\text{atm}} = 101.325 \text{ kPa}$) and the time-dependent forcing pressure $p_d(t)$. It is commonly assumed that the air within the bubble has a spatially uniform pressure given by the polytropic relationship $p_B = p_0(R_0/R)^{3\kappa}$ where $\kappa = 1.4$ is the ratio of specific heats for air, R_0 is the initial bubble radius, and $p_0 = p_\infty(0) + 2S/R_0$ is the initial bubble pressure. For the purposes of this study, however, we employ a full thermal model that solves the partial differential equations for temperature fields inside and outside of the bubble [50], [51]. The Keller–Miksis equation is coupled to the energy equation inside the bubble (5) through the internal bubble pressure p_B

$$\dot{p}_B = \frac{3}{R} \left((\kappa - 1) K \frac{\partial T}{\partial r} \Big|_R - \kappa p_B \dot{R} \right) \quad (5)$$

$$\frac{\kappa - 1}{\kappa} \frac{p_B}{T} \left[\frac{\partial T}{\partial t} + \frac{1}{\kappa p_B} \left((\kappa - 1) K \frac{\partial T}{\partial r} - \frac{r \dot{p}_B}{3} \right) \frac{\partial T}{\partial r} \right] - \dot{p}_B = \nabla \cdot (K \nabla T) \quad (6)$$

where T is the radially varying temperature of the air inside the bubble, which has ratio of specific heats κ . The thermal conductivity of air inside the bubble is given by $K = K_A T + K_B$, where K_A and K_B are empirical constants, with $K_A = 5.28e^{-5}(\text{W/m} \cdot \text{K}^2)$ and $K_B = 1.165e^{-2}(\text{W/m} \cdot \text{K})$. The prescribed conditions at the bubble–liquid interface relate the temperature inside the bubble to the temperature of the liquid medium outside of the bubble, T_M : $T|_{r=R} = T_M|_{r=R}$ and $K|_{r=R}(\partial T/\partial r)|_{r=R} = K_M(\partial T_M/\partial r)|_{r=R}$. This medium is assumed to have a constant thermal conductivity (K_M), thermal diffusivity (D_M), specific heat (C_p), and density (ρ_∞). The energy equation outside of the bubble

$$\frac{\partial T_M}{\partial t} + \frac{R^2 \dot{R}}{r^2} \frac{\partial T_M}{\partial r} = D_M \nabla^2 T_M + \frac{12\mu}{\rho_\infty C_p} \left(\frac{R^2 \dot{R}}{r^3} \right)^2 \quad (7)$$

includes a viscous dissipation term $(12\mu/\rho_\infty C_p)(R^2 \dot{R}/r^3)^2$, where μ is the viscosity of water. Two final boundary conditions complete the system: The temperature of the medium is assumed to approach an ambient temperature T_∞ as $r \rightarrow \infty$ and, due to bubble symmetry, the internal temperature has

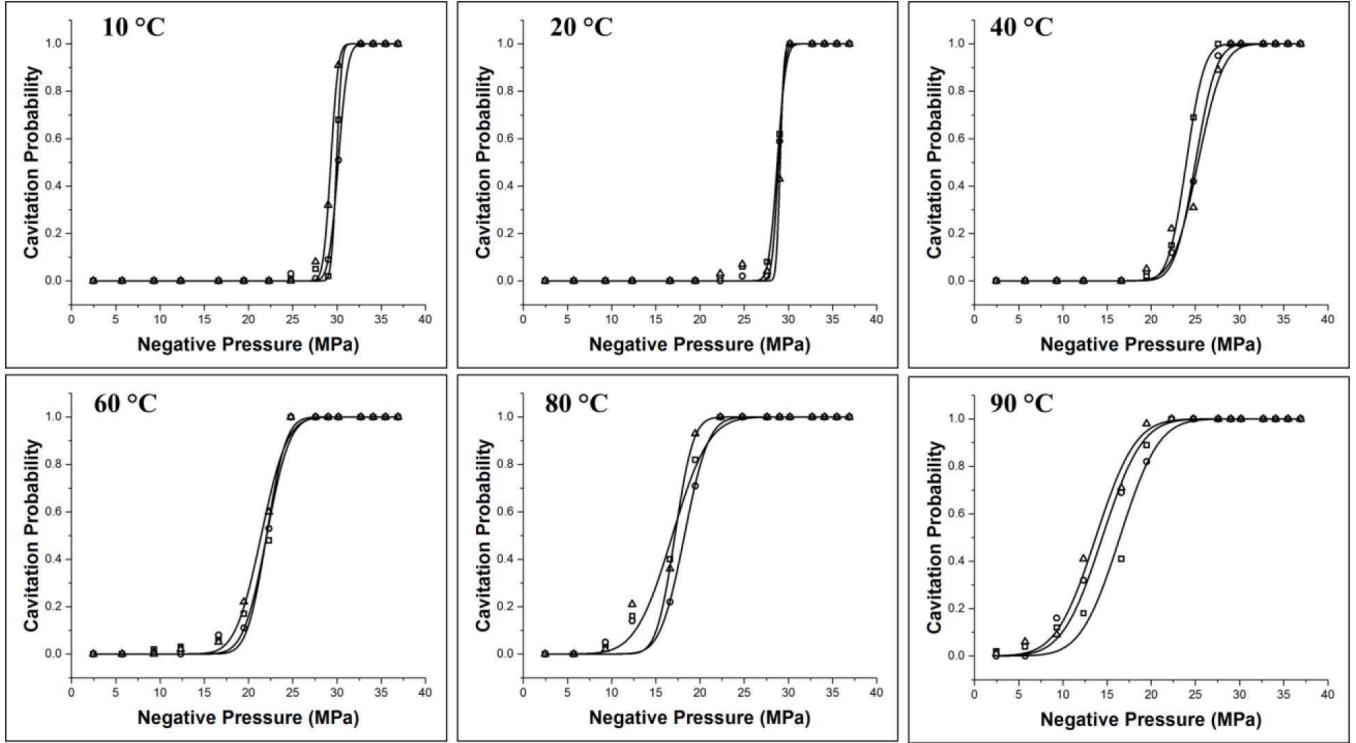


Fig. 3. Cavitation threshold curves. Example probability curves ($n = 3$) for distilled degassed water samples heated to 10 °C, 20 °C, 40 °C, 60 °C, 80 °C, and 90 °C. Results show a significant decrease in the intrinsic threshold p_{HIT} with increasing temperature.

a gradient of zero at the bubble center. A more detailed discussion of the numerical implementation of this model has been outlined in previous studies [48], [50].

To compare the effects of temperature (10 °C–90 °C) on the cavitation threshold, the ambient temperature (T_∞), viscosity (μ), and surface tension (S) of water were varied. The values of viscosity and surface tension as a function of temperature were taken from [32] and [33] and are listed in Table I. The maximum bubble radius was plotted as a function of the peak negative pressure for an initial bubble of 1.94 nm, which was chosen to match the experimental data at 20 °C. In addition, a further simulation was conducted to investigate the range of nuclei corresponding to the experimentally measured thresholds using the values of viscosity and surface tension listed in Table I.

III. RESULTS

A. Intrinsic Threshold Versus Temperature

The intrinsic threshold for all samples was compared using the curve fitting method and statistical analysis described above. Comparing the effect of temperature on the histotripsy intrinsic threshold demonstrated a similar function of cavitation probability versus pressure at all temperatures, with p_{HIT} decreasing as the temperature increased (Fig. 3). p_{HIT} decreased from 29.8 ± 0.4 MPa at 10 °C to 14.9 ± 1.4 MPa at 90 °C (Table II). In general, the standard errors in the estimate of the intrinsic threshold were small compared with the variance between samples at a given temperature. In addition, results showed a trend of increasing σ_{mean} with increasing

TABLE II
THRESHOLD RESULTS

Temperature (°C)	$P_{HIT}(1)$	$P_{HIT}(2)$	$P_{HIT}(3)$	P_{HIT} (mean)	σ (mean)
10	29.94	30.14	29.30	29.8	0.7
20	28.74	28.87	29.06	28.9	0.6
40	23.79	25.01	25.30	24.7	1.9
60	22.04	22.03	21.43	21.8	2.0
80	16.87	18.24	17.17	17.4	2.4
90	16.43	14.45	13.71	14.9	3.5

Table shows the values for the histotripsy intrinsic threshold, p_{HIT} , calculated by the fitted curves for each sample, as well as the mean values for p_{HIT} and σ . All values are pressure in MPa.

temperature, as observed in previous studies [24], with σ_{mean} ranging from 0.7 ± 0.2 MPa at 10 °C to 3.5 ± 0.1 MPa at 90 °C (Table II). The effect of temperature on the intrinsic threshold was further analyzed by plotting p_{HIT} as a function of temperature, with linear regression analysis demonstrating that the change in p_{HIT} with temperature was significant via the Pearson correlation ($r = 0.99$, $R^2 = 0.98$, $p < 0.05$) (Fig. 4).

B. Optical Images of Cavitation Bubble Cloud

Cavitation bubbles were observed on the high-speed camera when a certain negative pressure was exceeded (Fig. 5). As the pressure was further increased above the threshold value at each temperature, the bubbles were visualized in an increasingly larger area with a greater number of bubbles

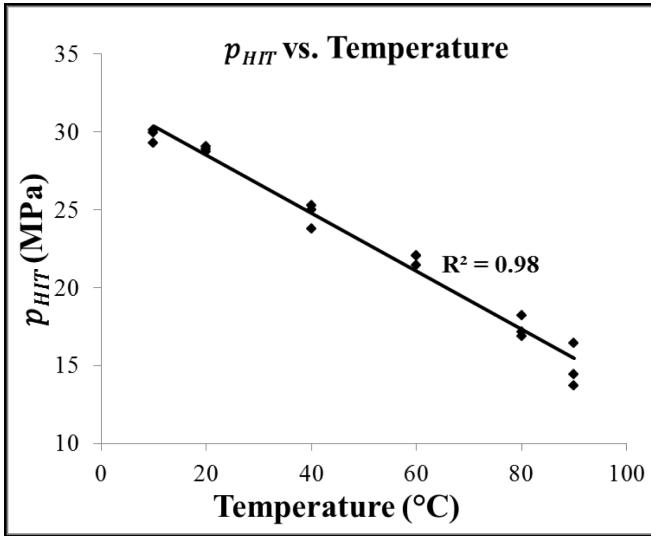


Fig. 4. Intrinsic threshold comparison. Scatter plot shows p_{HIT} measured for all samples in this work as a function of temperature. Linear regression analysis demonstrated that the change in p_{HIT} with increasing temperature was significant via the Pearson correlation ($r = 0.99$, $R^2 = 0.98$, $p < 0.05$), with a best fit line of $p_{\text{HIT}} = -0.19T + 32.24$.

present in the focal region (Fig. 5), similar to the behavior of intrinsic threshold bubble clouds observed in previously studies with the bubble cloud matching the portion of the beam profile above the intrinsic threshold [17]–[20], [37]. Fig. 5 shows representative images of bubble clouds generated at all temperatures for selected peak negative pressure values ranging from 16.6 to 30.1 MPa. Although the bubbles covered a larger area at higher pressure, the diameter of the bubbles that could be individually identified appeared to be consistent between pressure levels at the time point captured by the camera, potentially due to bubble–bubble interactions suppressing the growth of adjacent bubbles or bubble-induced pressure saturation caused by energy loss into each bubble as it forms, as previously proposed [20], [52]. When increasing the temperature, the pressure at which cavitation was first observed was reduced (Fig. 5). Due to this decrease in threshold, the size of the bubble clouds at a given pressure level increased at higher temperatures. However, well-defined bubble clouds appeared at all temperatures with similar-sized bubbles throughout the cloud with a maximum bubble radius of ~ 100 – 200 μm (Fig. 5).

C. Passive Cavitation Detection

In addition to high-speed imaging, cavitation was monitored using one of the therapy transducer elements for PCD following a previously established method [18], [19], [37], with results showing close agreement between optical imaging and PCD detection methods. For example, Figs. 6 and 7 show example optical images and PCD signals taken for samples heated to 20 $^{\circ}\text{C}$ and 80 $^{\circ}\text{C}$, respectively. When cavitation occurred on high-speed images, the PCD signal was a multicycle burst of significantly increased amplitude with a center frequency near the therapy transducer frequency. When no cavitation was observed on the camera, the PCD signal

amplitude was small. At higher temperatures, the PCD signal arrived at the transducer sooner than at lower temperatures due to the increased speed of sound in water at 80 $^{\circ}\text{C}$ versus 20 $^{\circ}\text{C}$. However, no noticeable differences in the frequency of the PCD signal were observed at different temperatures.

D. Nucleation Theory Simulation

The effects of temperature on the cavitation threshold predicted by CNT were investigated with a simulation as described in Section II (2). CNT results predicted that the cavitation threshold would decrease with increasing temperature and the corresponding decrease in surface energy, with the results ranging from $p_{\text{CNT}} = 29.5$ MPa at 1 $^{\circ}\text{C}$ to $p_{\text{CNT}} = 17.5$ MPa at 100 $^{\circ}\text{C}$ (Fig. 8). Comparison of the CNT results (p_{CNT}) with the experimentally measured thresholds (p_{HIT}) showed similar trends of decreasing threshold with increasing pressure (Fig. 8). CNT results demonstrated slightly lower thresholds (compared with experiments) at 10 $^{\circ}\text{C}$ and 20 $^{\circ}\text{C}$, close agreement with experiments at 40 $^{\circ}\text{C}$ and 60 $^{\circ}\text{C}$, and slightly higher thresholds (compared with experiments) at 80 $^{\circ}\text{C}$ and 90 $^{\circ}\text{C}$ (Fig. 8). The largest difference between p_{CNT} and p_{HIT} was 3.7 MPa, which was observed at 90 $^{\circ}\text{C}$.

E. Stabilized Nuclei Simulation

The effects of changing the ambient temperature, as well as the corresponding changes in surface tension and viscosity, on the cavitation threshold and bubble dynamics for single nuclei were investigated using a single-bubble numerical simulation. When the peak negative pressure p_A was less than some threshold value p_{SIM} , bubble expansion was minimal ($R_{\text{max}} < 2R_0$). As p_A was increased above p_{SIM} , great bubble growth and collapse were observed ($R_{\text{max}} > 10^4 R_0$) [Fig. 9(A)]. The peak negative pressure corresponding to this transition was defined as the inertial cavitation threshold p_{SIM} . Using a 1.94-nm initial bubble, p_{SIM} was observed to decrease with increasing temperature when using the values for surface tension and viscosity shown in Table I. For example, Fig. 9(B) shows p_{SIM} decreased from ~ 29.5 MPa at 10 $^{\circ}\text{C}$ to ~ 24.1 MPa at 90 $^{\circ}\text{C}$. Although p_{SIM} significantly decreased with increasing temperature, only small differences in the maximum bubble radius R_{max} were observed at different temperatures [Fig. 9(C)], similar to experimental observations which showed individual cavitation bubbles within the bubble cloud to have a maximum bubble radius between ~ 100 and 200 μm at all temperatures (Fig. 5). The similar values for R_{max} for these different conditions are due to the fact that the initial threshold behavior is dominated by surface tension (which significantly decreases with temperature), while the larger expansion behavior and final bubble size are dictated by several competing terms including the applied pressure and viscosity of the fluid. In addition to investigating the changes in the cavitation threshold with changing temperature, the single-bubble model was also used to estimate the potential nuclei sizes that would be predicted based on the experimentally observed cavitation thresholds, with the results showing that the experimentally measured thresholds corresponded to

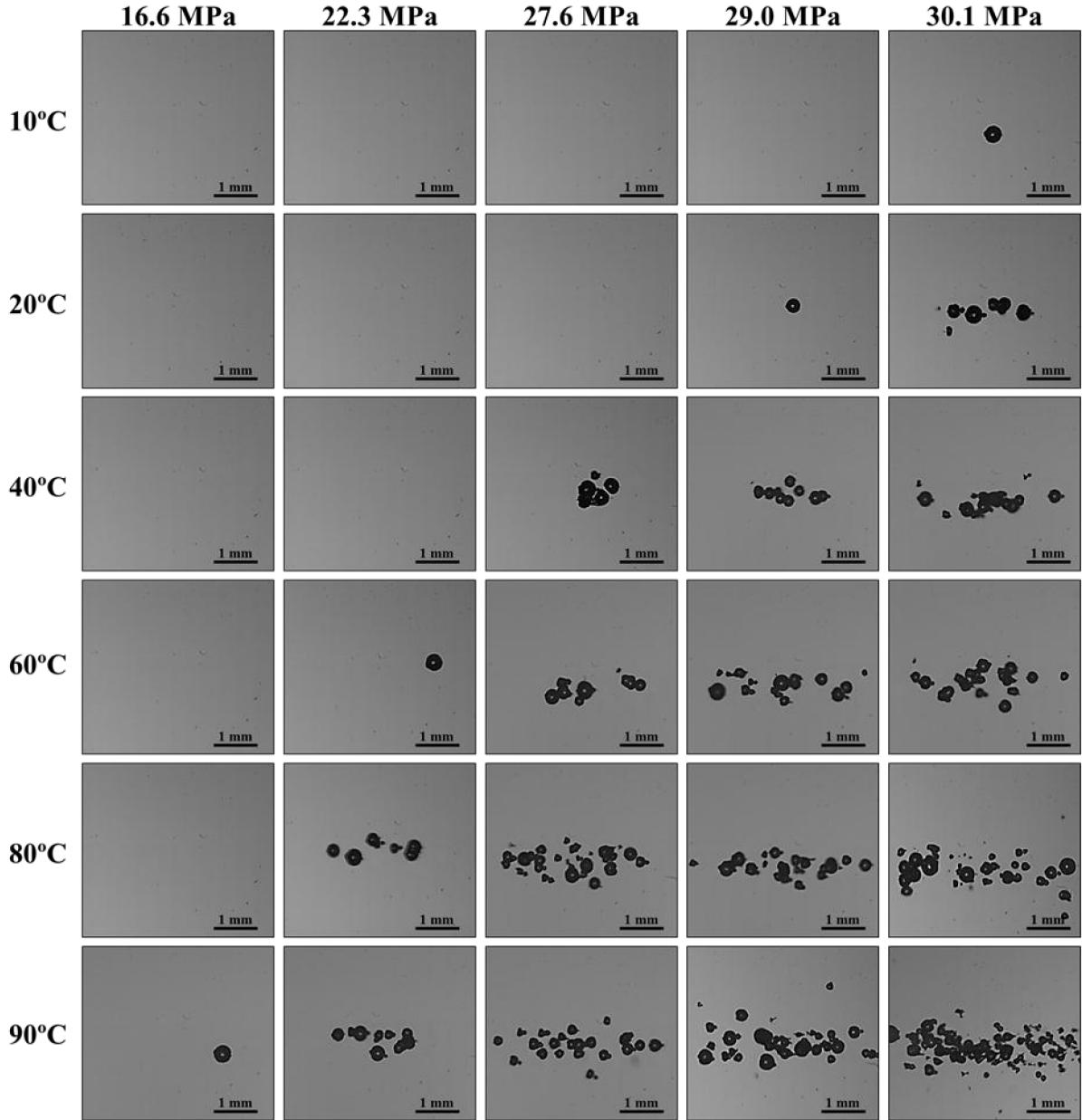


Fig. 5. Optical images. Images show representative bubble clouds generated at all temperatures for selective peak negative pressures in the range 16.6–30.1 MPa.

initial bubble sizes ranging from 1.92 nm at 10 °C to 3.15 nm at 90 °C [Fig. 9(D)].

IV. DISCUSSION

In this study, the effects of temperature on the histotripsy intrinsic threshold were investigated, with results supporting our hypothesis that increasing temperature decreases the intrinsic cavitation threshold. A nearly linear decrease in the intrinsic threshold was observed as the temperature was increased, ranging from 29.8 MPa at 10 °C to 14.9 MPa at 90 °C. At higher temperatures, bubble clouds were generated at a significantly reduced pressure, but showed no significant changes in the appearance of the bubble clouds (i.e., well-defined bubble clouds matching the region of the focus above

the intrinsic threshold). These findings are consistent with our hypothesis that the histotripsy intrinsic threshold decreases at higher temperatures partially due to the decreased surface tension, which has previously been shown to dominate the initial threshold behavior [18], [19], while having only a minor influence on the resulting bubble expansion and collapse behavior [20].

The experimental results were supported by a CNT simulation, which showed a significant decrease in the threshold as the temperature was increased from 10 °C to 90 °C, similar to the trends measured experimentally. Although a slightly larger change in threshold was measured in experiments, the similar trends between CNT and experiments once again demonstrate the ability of a simple CNT calculation to provide a reasonable

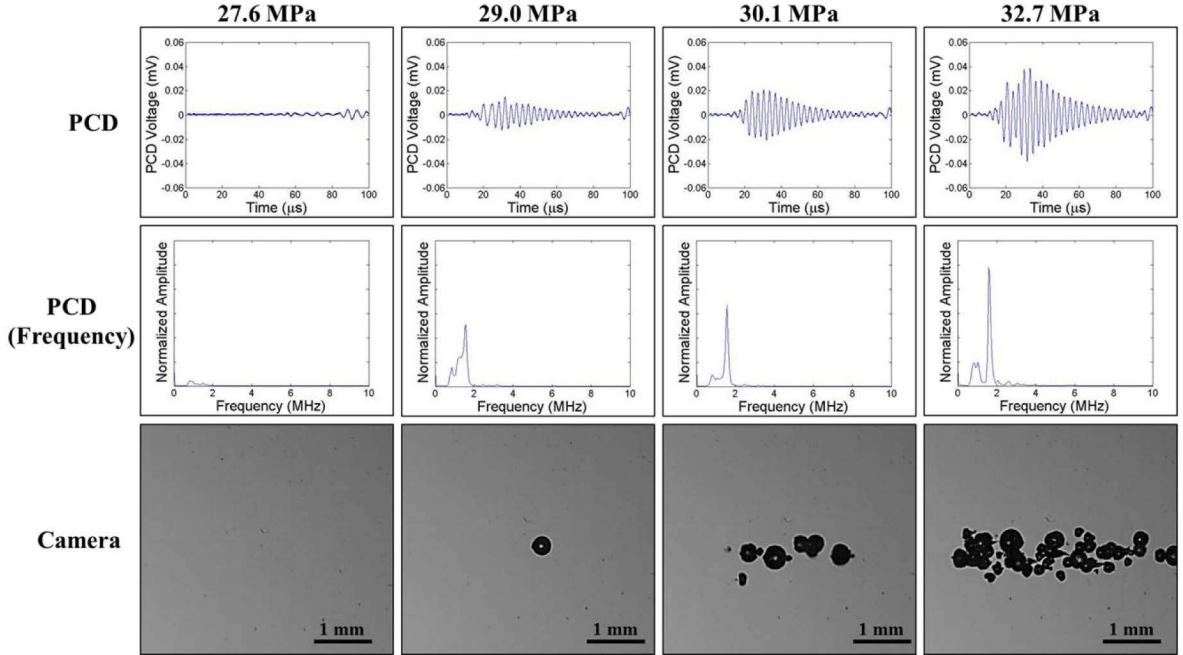


Fig. 6. Cavitation detection: 20 °C. Images show sample PCD and optical imaging results for pulses applied to distilled degassed water heated to 20 °C. PCD temporal (top) and frequency (middle) signals showed good agreement with high-speed optical images of cavitation (bottom).

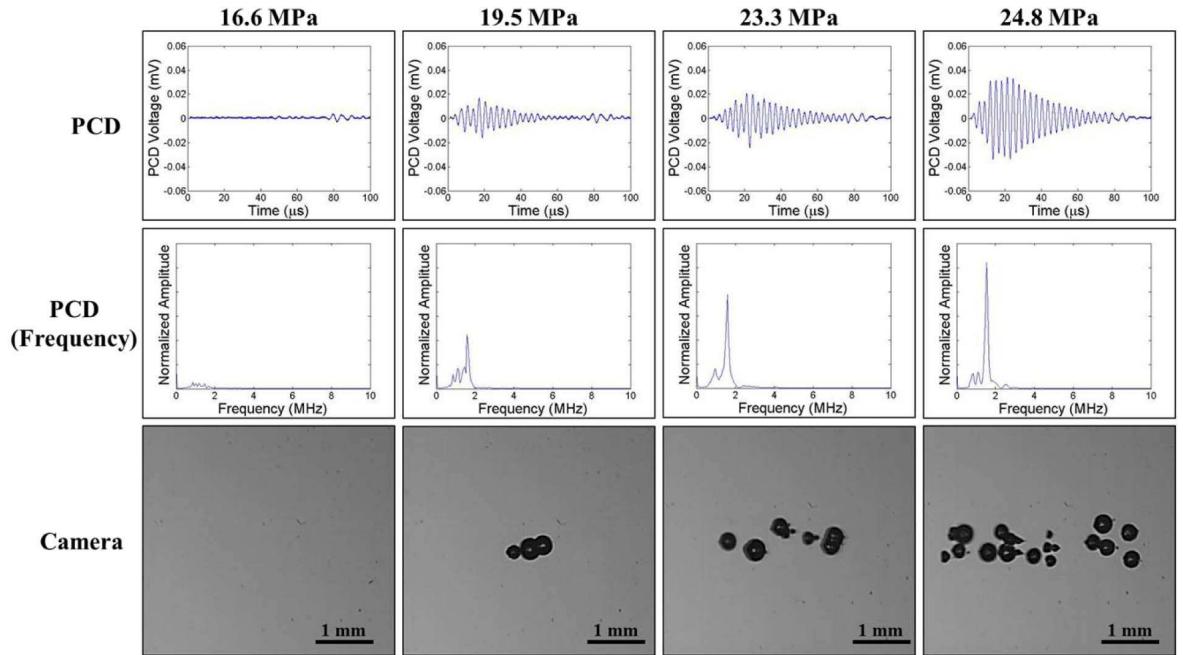


Fig. 7. Cavitation detection: 80 °C. Images show sample PCD and optical imaging results for pulses applied to distilled degassed water heated to 80 °C. PCD temporal (top) and frequency (middle) signals showed good agreement with high-speed optical images of cavitation (bottom).

first-order approximation of the histotripsy intrinsic threshold, as shown in previous studies in which CNT closely matched the changes in the intrinsic threshold at different ultrasound frequencies and media [19], [53]. These results demonstrate that CNT can provide a good first-order approximation of the intrinsic threshold if one knows the pulse parameters (i.e., duration and amplitude of the applied negative pressure)

and the properties of the media (i.e., temperature and surface energy), with lower frequencies and higher temperatures resulting in a decreased threshold.

In addition to CNT, a single-bubble model was used to simulate the effects of temperature on the bubble dynamics of single nuclei, with results showing a distinct threshold response that decreased with temperature. Although the pressure threshold

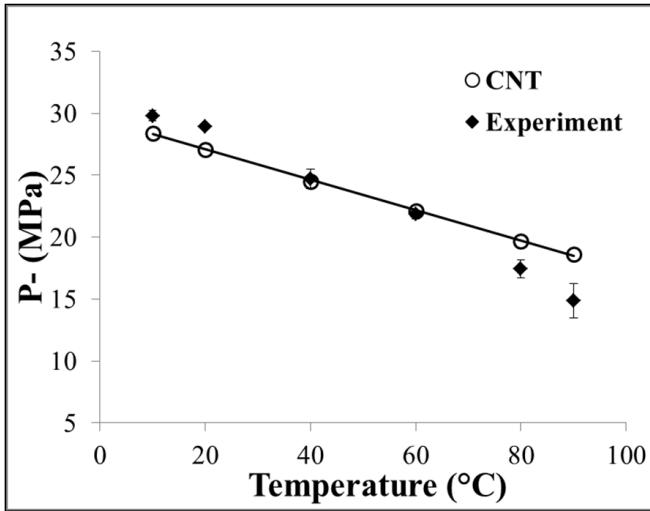


Fig. 8. CNT simulation. CNT plot showing the predicted effects of temperature on the cavitation threshold p_{CNT} , as well as a comparison with the experimentally measured intrinsic thresholds p_{HIT} .

decreased with temperature, only small differences in the maximum bubble radius were observed at the threshold pressure, similar to experimental observations, which showed similar-sized bubbles generated at different temperatures. This finding makes sense since the initial threshold behavior is dominated by surface tension (which decreases with temperature), while the larger expansion behavior and final bubble size are dictated by several competing terms including the applied pressure and viscosity of the fluid. The single-bubble model also showed that the experimentally observed thresholds correlated with an initial bubble size ranging from 1.92 nm at 10 °C to 3.15 nm at 90 °C. While it is possible that this analysis might shed some light on the critical size of the intrinsic nuclei and potential changes in nuclei size with temperature, it remains unclear if the intrinsic nuclei are in fact nanometer-sized stable bubbles [23], [54]–[56] or spontaneous nuclei that form bubbles by energy-density fluctuations described by CNT [40], [42]–[44], [57].

The finding that the intrinsic threshold decreases as temperature increases is of significant importance to the development of histotripsy therapy and suggests that the intrinsic threshold *in vivo* will be predictable based on the local tissue temperature and pulsing parameters. For example, the results of this study calculated that the intrinsic threshold near body temperature using a 1-MHz transducer was ~ 24.7 MPa (40 °C). These results also suggest that the intrinsic threshold could be modulated by altering the focal temperature (i.e., using lower amplitude pulses for heating followed by a single large negative pressure cycle), as it is expected that the effects of local temperature elevation on cavitation generation will be similar to the effects of global temperature observed in this study. The benefits of using the intrinsic threshold method include generating well-confined bubble clouds and histotripsy lesions matching the portion of the beam profile above the intrinsic threshold as well as the ability to precisely modulate the bubble dynamics by altering the pulse parameters [17], [19], [20], [58], [59]. In addition to

modulating the intrinsic threshold by altering the focal temperature, the results of this study suggest that the intrinsic threshold could be altered using other approaches that change the properties (i.e., surface tension and boiling point) of the media at the focus, as previously shown using perfluorocarbon nanodroplets for nanodroplet-mediated histotripsy [31], [37], [60].

In addition to intrinsic threshold histotripsy, the results of this study may also be relevant to generating bubble clouds in the body at elevated temperatures such as in boiling histotripsy. For example, the intrinsic threshold observed at higher temperatures ($p_{\text{HIT}} = \sim 15$ –18 MPa at 80 °C–90 °C) is close to the pressure range used for boiling histotripsy ($p_- = \sim 12$ –18 MPa) and higher than those used commonly for HIFU thermal ablation ($p_- = \sim 4$ –10 MPa) [61]–[66]. It is possible that the boiling bubble is generated when the temperature at the focus is raised sufficiently high to lower the intrinsic threshold to the level of the incident p_- . If this process is responsible for nucleation in boiling histotripsy, then the differences between these two approaches would primarily be differences in the bubble dynamics (i.e., dense bubble cloud versus single large boiling bubble) and tissue fractionation rather than a difference in nucleation [61]–[63]. Many of these questions would be answered if precise unequivocal temperature measurements in the media could be made just prior to the boiling phenomenon, although these measurements are difficult to obtain (i.e., thermocouples cause cavitation if placed in the field). From this perspective, the nucleation process in boiling histotripsy may be properly described as thermally assisted histotripsy bubble cloud initiation, where elevating temperature serves the purpose of increasing the probability of achieving cavitation nucleation at lower pressure amplitudes. As described above, this form of histotripsy has many useful manifestations.

While the results of this work suggest that the intrinsic threshold in water-based soft tissues will decrease at higher temperatures, changes in the tissue microstructure structure with temperature (i.e., protein denaturing, contraction, hydrolysis) and the corresponding changes in tissue viscoelasticity [64], [67] may impact on the cavitation threshold and bubble dynamics in certain tissues. The intrinsic threshold in water-based soft tissues has been shown to be a property of the water inside the tissue and is therefore independent of tissue stiffness. As a result, thermally induced protein denaturing is not expected to alter the intrinsic threshold (although larger bubble expansion would be expected due to the decreased tissue stiffness), as long as the fluid environment inside the tissue is not otherwise changed. However, thermally induced changes in the tissue microstructure may have an indirect impact on the cavitation threshold by altering the fluid environment inside the tissue in cases in which the temperature is raised high enough (i.e., > 80 °C–90 °C) to cause significant protein contraction [67]. Protein contraction can drive free water out of tissue and cause local tissue dehydration, which would be expected to significantly increase the cavitation threshold. It is therefore possible that the cavitation threshold in certain tissues will decrease up to a certain temperature (due to the decreased intrinsic threshold of water shown in this study)

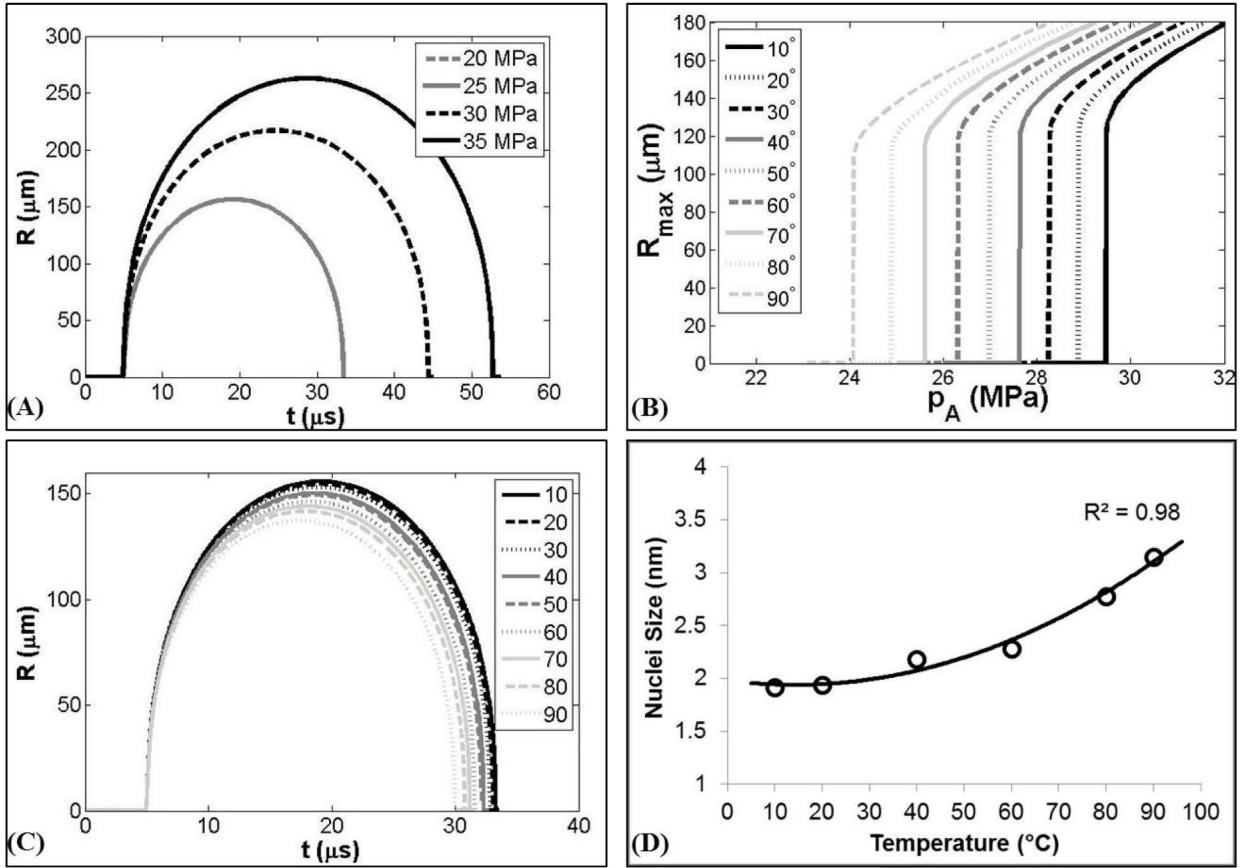


Fig. 9. Stabilized nuclei simulation. (A) Example radius versus time curves for a 1.94-nm initial bubble subjected to a single-cycle negative pressure waveform at 20 °C. (B) Simulated maximum bubble radius at 10 °C–90 °C using the values for surface tension and viscosity shown in Table I showing a significant decrease in the simulated cavitation threshold p_{SIM} with increasing temperature. (C) Example radius versus time curves at 10 °C–90 °C for pressures directly above p_{SIM} . (D) Initial bubble size at which p_{SIM} matched p_{HIT} increased for 10 °C–90 °C.

and then increase at higher temperatures (due to local dehydration caused by tissue contraction). Since thermally induced changes in tissue microstructure are highly dependent on heating parameters (i.e., temperature and duration) and tissue composition [67], future work will be needed in order to fully characterize the effects of heating on the cavitation threshold in specific tissues of interest.

V. CONCLUSION

In this study, the effects of temperature on the histotripsy intrinsic threshold were investigated by applying 1–2 cycle histotripsy pulses to distilled degassed water heated between 10 °C and 90 °C using a 1-MHz histotripsy transducer. Results demonstrated that the histotripsy intrinsic threshold significantly decreased with increasing temperature, showing a nearly linear decrease from 29.8 ± 0.4 MPa at 10 °C to 14.9 ± 1.4 MPa at 90 °C. The experimental results were supported by a CNT simulation, which showed a similar decrease in the threshold as temperature was increased from 10 °C to 90 °C. A single-bubble simulation was also used, with results showing that, although the pressure threshold decreased with temperature, only negligible differences in the maximum bubble radius were observed, similar to experimental observations. Overall, the results of this study indicate that

the intrinsic threshold to initiate a histotripsy bubble cloud is highly dependent on the temperature of the medium, which may allow for a better prediction of cavitation generation at body temperature and at the elevated temperatures commonly achieved in ultrasound thermal therapies.

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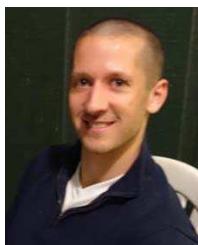
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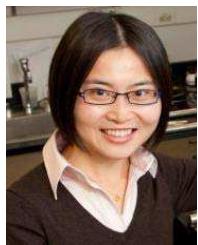
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