

Nematicity in the superconducting mixed state of strain detwinned underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$

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(Received 20 December 2018; revised manuscript received 11 February 2019; published 28 February 2019)

Evidence of nematic effects in the mixed superconducting phase of slightly underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ is reported. We have found strong in-plane resistivity anisotropy for crystals in different strain conditions. For these compositions, there is no magnetic long-range order, so the description may be ascribed to the interplay between the superconducting and nematic order parameters. A piezoelectric-based apparatus is used to apply tensile or compressive strain to tune nematic domain orientation in order to examine intrinsic nematicity. Measurements are done under a rotating magnetic field, and the analysis of the angular dependence of physical quantities identifies the cases in which the sample is *detwinned*. Furthermore, the angular dependence of the data allows us to evaluate the effects of nematicity on the in-plane superconductor stiffness. Our results show that although nematicity contributes in a decisive way to the conduction properties, its contributions to the anisotropy properties of the stiffness of the superconducting order parameter is not as significant in these samples.

DOI: 10.1103/PhysRevB.99.064515

I. INTRODUCTION

The role of electronic nematicity [1,2] in unconventional superconductivity has been theoretically explored in terms of coupling between the nematic and superconducting order parameters [3,4]. Growing experimental results pointing towards this connection have been published during the last decade. In particular, an anisotropic phase has been reported in the underdoped regime of both cuprate- [5] and Fe-based [6–9] high-temperature superconductors with a concurrent breaking of the C_4 symmetry in the structural and transport properties.

Recent Raman [10] and elastoresistivity [11–13] experiments in the $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ family have established that this simultaneous symmetry breaking is driven by electronic degrees of freedom, consistent with the existence of a true nematic phase. In many superconducting compounds this phase develops until the system undergoes a transition to an antiferromagnetic order at a lower temperature. In underdoped pnictides, the most conclusive experimental observation supporting the interplay between nematic and superconducting orders is the fact that their phase boundaries intersect at a composition x_c near the optimal doping x_{op} [14,15], where the signature of a nematic quantum critical point has been reported [13]. In the $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ family, $x_c \approx 0.067 \lesssim x_{\text{op}} \approx 0.074$.

Recently, a *nematic superconducting phase* in an optimally doped tetragonal compound of the family $\text{Ba}_{1-x}\text{K}_x\text{Fe}_2\text{As}_2$ [16] was reported. The strong symmetry breaking in the superconducting transport properties, in contrast to the very weak symmetry breaking in the normal phase, may originate

from the strong quantum fluctuations of a nearby nematic quantum critical point, as found in recent state-of-the-art quantum Monte Carlo simulations [17].

On the other hand, reentrant magnetic [18] and orthorhombic-tetragonal [19] transitions have been reported in the superconducting phase of underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$, the latter occurring near optimal doping. These facts, together with an enhancement of the superfluid density in nematic domain boundaries (DBs) [20], in agreement with a repulsion of superconducting vortices [21], are all evidence suggesting a competition between nematicity and superconductivity in these compounds.

In fact, slightly underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ single crystals [22] are ideal compounds to study the interplay between nematic and superconducting order parameters. For these doping concentrations, the spontaneous orthorhombic distortion is very small (less than 0.05% for $x = 0.062$) [19], whereas the elastoresistivity near the structural transition is huge [13]. Moreover, the superconducting transition occurs in the absence of any competing magnetic order [14]. Therefore, the symmetry of the superconducting properties near the critical temperature can bring valuable information on the possible coupling with the nematic phase.

In this framework, the formation of a dense array of nematic domains at submicron distances in typical as-grown crystals is a crucial issue. It has been shown that in slightly underdoped compounds, with low orthorhombic distortions, the twinning distances are also very short, making domains not observable with standard optical methods [15]. Furthermore, the very small structural distortion is even undetectable

with standard x-ray characterization. However, the presence of DBs is expected to dramatically modify vortex physics [23,24], providing a means to recognize the presence of nematic domains without the need for additional experimental techniques.

The interplay between superconducting vortices and DBs (also associated with structural twin boundaries) has been extensively investigated in the past in $\text{YBa}_2\text{Cu}_3\text{O}_{7-\delta}$ single crystals [25–29], and more recently, experiments were performed in underdoped Fe-based compounds [21,30,31]. DBs indeed can act as a source of correlated disorder, so their presence modifies the superconducting anisotropy expected in a detwinned single domain. Taking advantage of this fact, in the present work, we investigate the symmetry in the superconducting transport properties in a slightly underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ single crystal under different strain conditions.

The effects of anisotropy in superconductors with uniaxial symmetry were analyzed in the 1990s within the Ginzburg-Landau formalism, using simple scaling laws that predict the behavior of physical quantities as the relative orientation of the external magnetic field and the c axis is varied [24,32]. Failure of this scaling is interpreted as the prevalence of correlated disorder, such as that originating from the presence of DBs [28,30,33].

In this work, we measure the transport properties in the superconducting mixed phase under the out-of-plane rotation of an applied magnetic field. From these measurements, we are able to detect the presence of DBs in free samples as well as the detwinning under the application of strong compressive or tensile strains. By generalizing the scaling formalism to nematic systems, we determine the in-plane anisotropies of the superconducting stiffness and of transport properties in the mixed phase. We observe a strong in-plane resistivity anisotropy, suggesting that nematicity strongly affects transport properties related to vortex dissipative dynamics. On the other hand, the superconducting stiffness, associated with the energy cost of local changes of the superconducting order parameter, seems to be unaffected by the strain within our experimental resolution.

This paper is organized as follows: in Sec. II we describe the experimental array; results and discussion are presented in Sec. III, and conclusions are drawn in Sec. IV.

II. EXPERIMENT

Samples used in this work are single crystals of $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$, grown from FeAs flux from a starting load of metallic Ba, FeAs, and CoAs, as described in detail elsewhere [14]. We selected samples with $x = 0.062$, which is very close to optimal doping and near the maximum doping at which orthorhombicity is observed [14,15]. For this Co concentration, the tetragonal-to-orthorhombic phase transition at $T_s \simeq 30$ K is above the superconducting transition at $T_c \simeq 24$ K, which nucleates in the orthorhombic paramagnetic normal phase with no long-range antiferromagnetic order.

The orientation of the crystalline axes was identified with x-ray diffractometry in single-crystalline platelet samples. Crystals were further cut along the tetragonal [110] direction

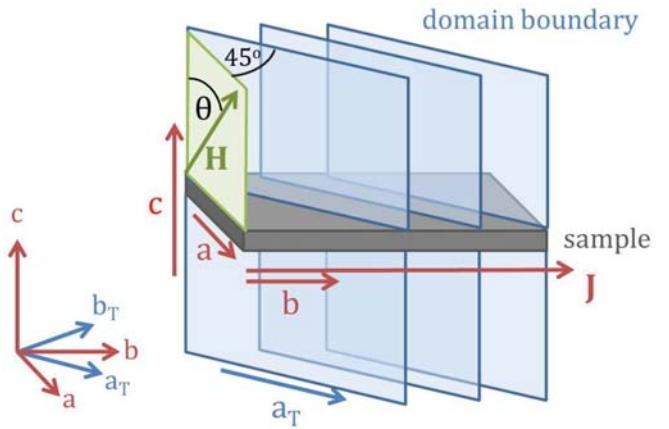


FIG. 1. Scheme of the direction of the applied magnetic field and current. For clarity, just one family of parallel domain boundaries (DBs) is shown. The indicated a and b axes correspond to the first domain, where the short b axis is oriented parallel to the applied current J . In this domain, the applied magnetic field \mathbf{H} is rotated in the ac plane, forming an angle θ with the c axis. Current is applied in the b direction. Inset: Tetragonal a_T, b_T (blue) and orthorhombic a, b (red) axes are shown (see text).

into rectangles with a precision wire saw, so that the a/b orthorhombic axes were parallel to the sample sides upon cooling through the structural transition. In this way, we expect to be able to detwin the sample through application of compressive or tensile strain along its length. Uniaxial stress can be applied, favoring one orthorhombic orientation over the other; if uniaxial tensile stress is applied, the longest orthorhombic a axis is favored in the direction of the applied stress, whereas the shorter b axis is favored for the case of compressive stress [7]; for low strains, DBs are expected to form at a 45° angle, as shown in Fig. 1.

After cleaving the crystals, current and voltage Au wires were attached with silver paint on top of Au sputtered contacts along the longest side of the sample. The main results presented in this work correspond to a sample with dimensions of $1.1 \times 0.3 \times 0.05$ mm 3 . Measurements performed in other samples of the same batch and composition are consistent.

Angle-dependent low-current ac magnetotransport experiments were carried out in a Janis continuous-flow ^4He cryostat down to $\simeq 20$ K with millikelvin temperature control in the low-temperature range, using a lock-in amplifier for audio range frequencies.

A dc magnetic field, provided by an electromagnet that can be rotated with a precision of $\simeq 0.5^\circ$, was applied perpendicular to the applied current and oriented at a given angle with respect to the sample's c axis, as sketched in Fig. 1. In Fig. 1 we show an orthorhombic sample with a family of parallel DBs, and the left domain has its shorter b axis parallel to the applied current. For clarity, just one family is shown (in real samples many families are present, oriented along both directions, forming a 45° angle with the sample side).

In order to control the longitudinal strain, samples were mounted in a recently designed apparatus to tune in-plane uniaxial stress [34]. As described in detail in Ref. [34], the sample is placed across a gap between two plates joined by a

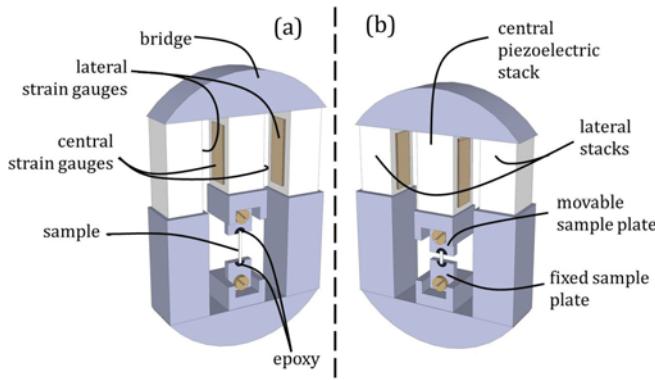


FIG. 2. (a) and (b) Different components of the apparatus, indicating sample elongation and compression (see text).

bridge, one of them movable and the other fixed, as sketched in Fig. 2. Three lead zirconium titanate piezoelectric stacks control the position of the movable plate. Compressive or tensile strain is applied by controlling the length differential between the inner and outer stacks, as sketched in Figs. 2(a) and 2(b): a positive voltage applied on the outer two stacks pushes the bridge and elongates the sample, and the opposite occurs if the positive voltage is applied to the central stack. Because the stacks are much longer than the sample, larger strains can be achieved on the sample, compared to other piezoelectric-based straining setups. To measure the displacement applied to the sample, there are strain gauges affixed to the stacks, and these are connected to two opposite branches of a Wheatstone bridge, so that the out-of-balance signal can be measured to determine the gap (or sample) length variation with high resolution. Samples were prepared with high length-to-width and length-to-thickness aspect ratios to increase strain homogeneity, reduce bending, and avoid edge effects [34]. Recommendations in the use of epoxy to mount samples and to consider elastic deformation of the mounting epoxy described in Ref. [34] were followed. Due to technical restrictions, samples were glued in the asymmetric configuration [34]. Any local stress produced by the mounting itself decays at a distance $\lambda \simeq 90 \mu\text{m}$ and becomes negligible close to the voltage contacts.

Besides the capability to apply larger deformations, this array helps compensate the thermal expansion of the piezoelectric stacks: as all the stacks have equal lengths, similar temperature expansions (contraction) are expected for the inner and outer stacks, so the gap (sample) length should not significantly vary with temperature. However, this thermal compensation is, in practice, not perfect, and in addition, the sample will be strained by differential thermal contraction between it and the frame material (titanium) of the stress cell. The additional strain would need to be compensated by an appropriate voltage on the stacks to achieve the zero-strain condition. Notice that most previous experimental works just report a *relative* sample deformation. In this work we measure the *absolute* sample strain by applying the following strategy to determine the zero-strain sample condition: single crystals are first placed on top of the gap and carefully attached to the sample plates at one end, leaving the other end of the sample free so that it remains unstressed throughout the

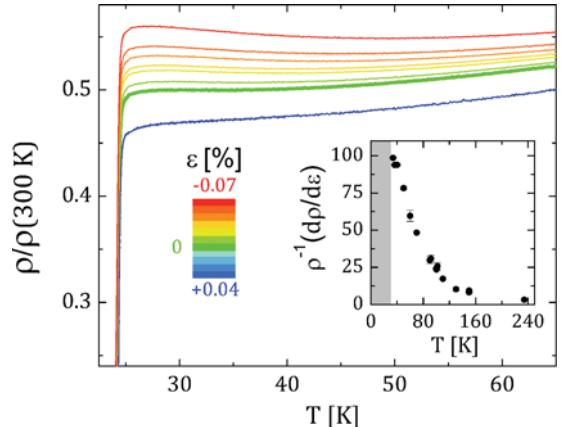


FIG. 3. Normalized temperature-dependent resistivity of a $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ single crystal with $x = 0.062$ measured for different strain values under uniaxial applied stress in the [110] direction ε . The color code indicates the strain interval $-0.074 < \varepsilon < 0.040$. Inset: $\rho^{-1} d\rho/d\varepsilon$ as a function of temperature in the tetragonal phase, consistent with the nematic divergence (see text).

whole measured temperature. We define this arrangement as a *freestanding* (F) sample with its corresponding resistivity $\rho_F(T, H, \theta)$. The next step is to properly attach the second end of the sample to apply strain, as both ends are driven. We then adjust the voltage applied on the piezo stacks to compensate the apparatus thermal contraction/expansion at each temperature. We consider the sample to have reached the *strain-free* (SF) condition $\epsilon_{SF} = \epsilon_F = 0$ when the corresponding resistivity $\rho_{SF}(T) = \rho_F(T)$. In the rest of the work the longitudinal strain ϵ refers, in all the cases, to the absolute strain, considering $\epsilon_{SF} \sim \epsilon_F = 0$.

III. RESULTS AND DISCUSSION

As reported in several works [7,8,35], the application of strain in the tetragonal [110] direction in underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ promotes a preferential orientation of nematic domains below T_s ; high-resolution x-ray studies show that the relative volume fraction of domains with different orientations is bolstered by the applied strain. On the other hand, the applied strain induces in-plane resistivity anisotropy below and above T_s due to large elastoresistivity effects.

Figure 3 shows the temperature-dependent resistivity $\rho(T)$ of a $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ sample with $x = 0.062$ at temperatures below 70 K, normalized to its value at $T = 300$ K, measured under different values of applied uniaxial strain ε in the interval $-0.07 \leq \varepsilon \leq 0.04$. Negative strain stands for sample compression, while positive strain values indicate tensile strain. For this doping level, the fingerprint in resistivity related to the tetragonal-to-orthorhombic phase transition [7] at $T_s \simeq 30$ K is very weak because the orthorhombicity is low [19]. However, a huge dependence on the applied strain is observed in this temperature range. The inset shows the corresponding elastoresistivity component $\frac{1}{\rho} \frac{d\rho}{d\varepsilon}$ as a function of temperature in the tetragonal phase, consistent with the nematic divergence reported in a large number of Fe-based superconductors and recently related to the ubiquitous signatures of nematic quantum criticality in optimally doped

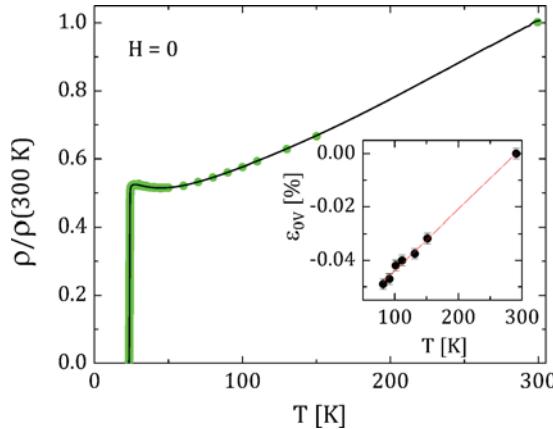


FIG. 4. Normalized temperature-dependent resistivity of the freestanding sample (black curve) for $H = 0$. The matched resistivity for the strain-free sample is plotted by green dots. Inset: Sample strain with 0 V on the piezo stacks ε_{0V} [%] due to residual differential thermal contraction between the sample and apparatus. The opposite T -dependent strain was applied to the sample to recover resistivity values displayed in black line in the main panel (see text).

Fe-based superconductors [13]. In the context of the present work, this huge elastoresistivity allows for using the resistivity as a tool to identify the zero-strain condition with reasonable resolution.

The procedure described in Sec. II was followed to obtain a controlled SF sample as shown in Fig. 4 for another sample at $H = 0$. The black cooling curve is the F sample resistivity, measured while the sample had only one of its ends attached to the apparatus. With green dots we plot the matched temperature-dependent resistivity after properly attaching the second end of the sample to the second piezo stack so that both ends were driven independently. In our particular setup, for zero voltage on the stacks the temperature-dependent resistivity was higher than for the F sample in the whole T range, indicating sample compression. This compression was quantified and is plotted in the inset. To recover the free sample resistivity, the opposite strain was applied to the sample.

Central to this work is the connection between electronic nematicity and superconductivity, so from this point we focus on the resistive superconducting transition. A finite width in the resistivity transition at $H = 0$ is expected due to disorder and geometrical effects. Moreover, in an applied magnetic field, there is an additional transition broadening due to the presence of a dissipative vortex liquid in the superconducting phase. The main panel of Fig. 5 compares the resistivity transition in a field $H_0 = 5$ kOe applied at a fixed direction θ_0 relative to the c axis under different strain conditions, F and SF procedures (black and green curves), and under strong compressive (CS, red curve) and tensile (TS, blue curve) strains of -0.35% and 0.26% , respectively. For this comparison, keeping in mind that DBs may be modified by strain, the magnetic field was applied in a direction far enough from the c axis and the a - b planes to avoid vortex pinning by correlated defects. We arbitrarily fixed $\theta_0 = 62^\circ$, so that random point defects dominate pinning in all the strain conditions. A strain-dependent resistivity is observed along

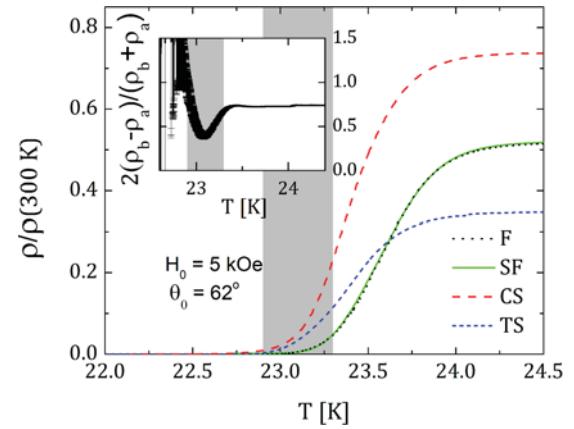


FIG. 5. Normalized resistivity transition measured at $H_0 = 5$ kOe applied at $\theta_0 = 62^\circ$. The responses of the freestanding sample (F, black line) and strain-free sample (SF, green line) are compared with the resistivity measured under a strong tensile strain (TS) $\varepsilon_{TS} = 0.26\%$ (blue line) and under a strong compressive strain (CS) $\varepsilon_{CS} = -0.35\%$ (red line). The resistivities measured in TS and CS conditions can be identified as ρ_a and ρ_b , respectively (see text). The inset shows the temperature-dependent resistivity anisotropy, $2(\rho_b - \rho_a)/(\rho_b + \rho_a) > 0.4$, across the whole resistive transition. The gray regions in both panels identify the temperature range where the effective fields plotted in Fig. 9 were obtained.

the transition, together with a small decrease in the transition temperature (very small in this case due to the quasi-optimal sample doping [36]).

In anisotropic superconductors, a dependence on the magnetic field direction is expected from the contribution of the vortex liquid magnetoresistivity $\rho(T, H, \theta)$. This angular dependence gives therefore information about the underlying anisotropy in the superconducting phase. Figure 6 summarizes the main experimental results of this work: polar plots for the angle-dependent normalized magnetoresistivity $[\rho(\theta, T) - \rho(\theta_0, T)]/\rho(\theta_0, T)$ across the superconducting transition for the four different sample conditions, F [Fig. 6(a)], SF [Fig. 6(b)], under tensile strain TS [Fig. 6(c)] and under compressive strain CS [Fig. 6(d)]. The color bar represents the normalized magnetoresistivity, the radial coordinate is the temperature, and the angular coordinate is the angle between the applied field and the c axis as the field is rotated within a plane perpendicular to the direction of the applied current (see Fig. 1). The circle sectors delimited by red lines indicate the angular and temperature intervals for which resistivity was measured. The plots were completed by symmetry.

The resistivity in the normal state is angle independent within resolution, and the angular dependence develops once the dissipation due to the driven superconducting vortex flow starts playing a role. As expected in C_2 symmetry, in the interval $[0, \pi/2]$, there is a monotonic decrease of the temperature where superconductivity nucleates [i.e., the temperature for which $H_0 = H_{c2}(T, \theta)$] with increasing θ . As the underlying anisotropy is conserved along the transition, a similar monotonic angular dependence is expected for the vortex-liquid-vortex-glass transition at $T_g(\theta)$, where the resistivity drops to zero. However, as can be observed, this is not the case for all the sample conditions; the main feature to be pointed out

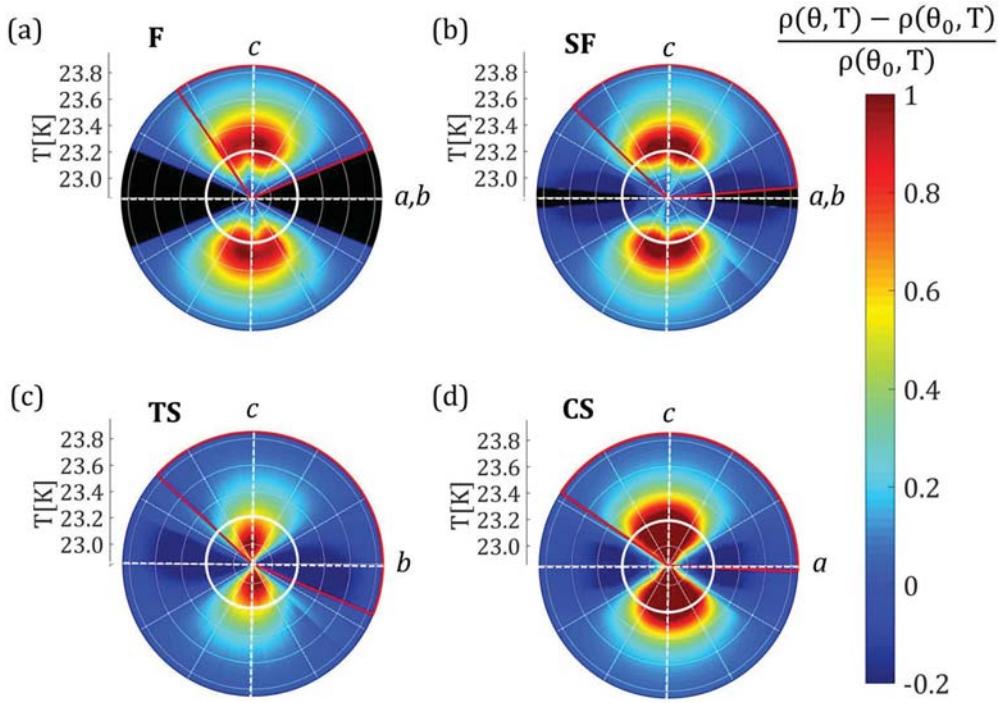


FIG. 6. Color maps in polar plots for temperature- and angle-dependent normalized magnetoresistivity $[\rho(\theta, T) - \rho(\theta_0, T)]/\rho(\theta_0, T)$ in the superconducting state at $H_0 = 5$ kOe. Temperature is the radial coordinate, the angular coordinate is the angle between the applied field and the c axis, and the color code indicates the normalized resistivity scale. Results for different sample strain conditions are shown. (a) Freestanding sample (F). (b) Strain-free sample (SF). (c) Under tensile strain (TS). (d) Under compressive strain (CS). The circular segments delimited by red lines indicate the angular and temperature intervals for which resistivity was measured, and the plots were completed by symmetry. At low temperatures, delimited by the white circles, an anomaly is observed for F and SF conditions but absent in strained TS and CS samples. This anomaly is related to DBs (see text).

is the low-resistivity anomaly observed at low temperatures and low angles (encircled in white) in Figs. 6(a) and 6(b) that is absent in the strained samples in Figs. 6(c) and 6(d). This anomaly is clearly observed in the S and SF phase samples. We attribute the existence of such an anomaly to the presence of planar defects (parallel to the c axis), which act as a source of correlated disorder and strongly influence vortex dynamics [30]. The disappearance of this anomaly under the application of stress thus signals the detwinning of the sample.

The liquid-glass temperature transition T_g can be obtained by means of a nonlinear fit, taking into account the critical behavior of the resistivity $\rho(H, T)$ at T_g . An alternative way [37] proposes a scaling of the resistivity $\rho(H, T)$ by assuming that the glass transition occurs when thermal and pinning energy scales match. This scaling procedure has been performed in order to obtain the best T_g for each θ direction at $H_0 = 5$ kOe and under different strain conditions (F, CS, and TS). The main panel in Fig. 7 presents the angular dependence of T_g in the F condition. The local maximum of T_g for angles close to the c axis violates the expected angular dependence in the presence of uncorrelated random disorder. A maximum in $T_g(\theta)$ at $\theta = 0$ was also observed in twinned cuprate superconductors and associated with a transition to a Bose glass phase [23,27]. Conversely, the anomaly is absent in the TS and CS conditions (see the inset), consistent with a single-domain detwinned sample.

With the aim being to quantify the underlying anisotropy and be able to compare results obtained in different condi-

tions, we make use of the *effective field* concept. Essentially, the idea is to find the magnetic field that would be necessary to apply, in a hypothetical isotropic situation, in order to obtain the measured resistivity in the real anisotropic case. In materials with uniaxial anisotropy the dependence of any property on the direction of the magnetic field relative to the c axis $Q(H_0, \theta)$ can be related to the magnetic field dependence $Q(H, \theta_0)$ through an *effective field* $H_{\text{eff}}(\theta)$ defined as $Q(H_0, \theta) = Q(H_{\text{eff}}(\theta), \theta_0)$. H_{eff} is well defined if $Q(H)$ is a one-to-one function. In a variety of experiments, carried out with different techniques in tetragonal (or slightly orthorhombic twinned) type-II superconductor materials [28,30,33], the angular dependence of H_{eff} is well fitted by

$$H_{\text{eff}} = \frac{\sqrt{\gamma^2 \cos^2 \theta + \sin^2 \theta}}{\sqrt{\gamma^2 \cos^2 \theta_0 + \sin^2 \theta_0}}, \quad (1)$$

where the constant γ characterizes the uniaxial anisotropy. This dependence holds if randomly distributed defects are the prevailing source of vortex pinning but breaks down when the predominant pinning is due to correlated defects such as DBs, ab planes, or columnar defects. However, in a single orthorhombic domain, different γ_a and γ_b constants could, in principle, hold.

To obtain the effective field from our results, we have complemented the data shown in Fig. 6 with measurements of the magnetoresistivity as a function of the intensity of the magnetic field. As plotted in the inset of Fig. 8, the sample was

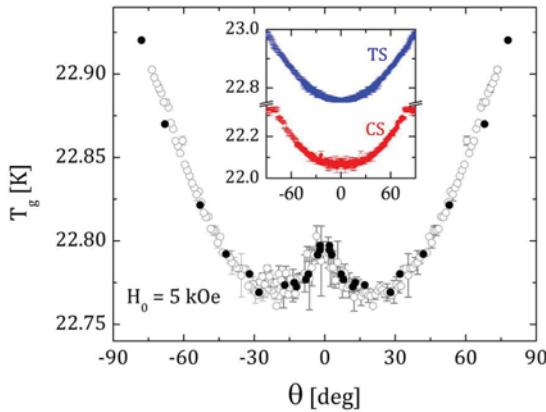


FIG. 7. Vortex liquid-to-glass transition temperature T_g as a function of the orientation θ of an applied field of 5 kOe with respect to the c axis for a free sample (F, main panel) and for strained and compressed strain conditions (TS and CS, inset). Glass temperatures were obtained by means of a nonlinear fit according to the reported model [37] of the temperature dependence of ρ . Black solid circles stand for T_g obtained from curves $\rho(T)$ measured in temperature ramps at fixed θ with a temperature step of $\Delta T = 1$ mK, and gray open circles correspond to measurements obtained in a single cooling temperature ramp while periodically rotating the field direction. Error bars represent the 95% confidence intervals for the estimated T_g .

field cooled under different constant magnetic fields ranging between 0 and 7.5 kOe, applied at a fixed angle, away from the DBs. Figure 8(a) shows $\rho(H)$ for $\theta_0 = 62^\circ$ at $T = 23.3$ K; Fig. 8(b) shows $\rho(\theta)$ at $H_0 = 5$ kOe at the same temperature and the same strain conditions (TS in this example). We then obtain H_{eff} in the same way as in Ref. [30], identifying the

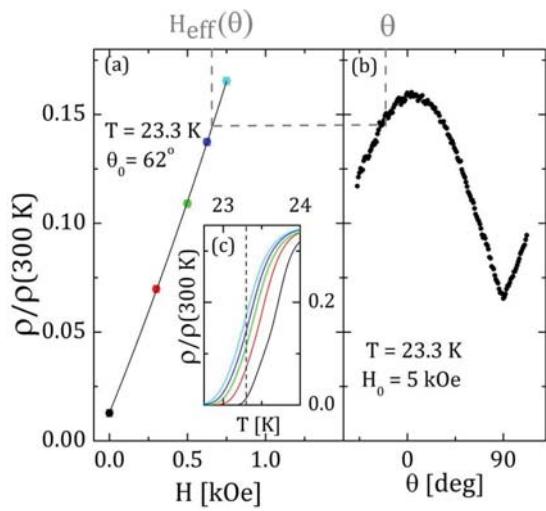


FIG. 8. Illustration of the effective field concept: (a) field-dependent normalized resistivity $\rho/\rho(300$ K) for $\theta = 62^\circ$ and $T = 23.3$ K in TS conditions. Data points were obtained, as indicated in (c) by the intersection with the dotted vertical line, from the temperature-dependent curves for different magnetic fields. Each color [symbol (a) and curve in (c)] corresponds to a different magnetic field between 0 and 7.5 kOe. (b) Normalized resistivity as a function of the orientation of $H = 5$ kOe for the same temperature as in (a).

intensity H needed in Fig. 8(a) to match the resistivity value at a given angle θ in Fig. 8(b) (see gray labels on top axis), $\rho(H_{\text{eff}}, \theta_0) = \rho(H_0, \theta)$.

Figure 9 presents the angular dependence of H_{eff} for different strain conditions for the same sample. Good agreement with the scaling function in Eq. (1) holds, as shown by blue and red solid lines, over a wide angular range for TS [Fig. 9(a)] and CS [Fig. 9(c)], but scaling definitely fails to reproduce the observed behavior in F [Fig. 9(b)], especially when the orientation of the field is close to the c axis. This anomaly is reinforced as the temperature is lowered, as depicted in the inset in Fig. 9(b), while the temperature dependence in the strained sample conditions, TS and CS, is negligible [see the inset in Fig. 9(a)]. The absence of the dip near small angles in the TS and CS conditions, together with the good fit with the scaling function in Eq. (1), further supports that the sample was successfully detwinned with the applied strains ($0.26 \pm 0.05\%$) and ($-0.35 \pm 0.05\%$). In addition, we observed that the signature of DBs reappeared as the strain was released in the orthorhombic nematic phase [8], as shown in the inset in Fig. 9(c) for $[\rho(\theta) - \rho(\theta_0)]/\rho(\theta_0)$.

Under the premise of achieved detwinning, the shortest lattice constant b would align with the compressed direction, while the lattice constant a would align with the elongated direction. In that sense, the measured resistivity would correspond to ρ_b in the case of CS and to ρ_a in the case of TS. It should be kept in mind that these resistivities are additionally affected by the corresponding tensile (compressive) strain and the corresponding compression (expansion) in the transverse directions. The inset of Fig. 5 presents the resistivity anisotropy obtained from both magnitudes, larger than 0.4 throughout the whole temperature range in which the resistivity can be measured. The coincident resistivities obtained for free conditions (F and SF), on the other hand, correspond to an average of ρ_a and ρ_b under zero strain [9] in the temperature range where resistivity is unaffected by DBs.

Along with the line of reasoning that we have achieved a single oriented domain in TS and CS conditions, we conclude that the magnetic field is rotated in the cb and ca planes in each strain condition. Therefore, the best-fit parameters shown in Fig. 9 are γ_b and γ_a , respectively, with no discernible differences ($\gamma_b = 1.66 \pm 0.05$, $\gamma_a = 1.68 \pm 0.06$) [38].

Blatter *et al.* [24] explained the angular dependence of the effective field in superconductors with *uniaxial* anisotropy in the context of a Ginzburg-Landau (GL) free-energy functional [39,40] by proposing simple rules that scale the anisotropic problem into an isotropic situation. In that work, anisotropy is modeled by introducing coefficients in the gradient terms of the free-energy expansion as

$$G_{\text{sc}} = \int d^3r \sum_{\mu} \frac{1}{2m_{\mu}} |D_{\mu} \Delta|^2 + \alpha |\Delta|^2 + \beta |\Delta|^4, \quad (2)$$

where Δ is the complex order parameter, α and β are the standard parameters in the free-energy expansion, and $D_{\mu} = \frac{\partial}{\partial x_{\mu}} + \frac{ie^*}{\hbar c} A_{\mu}$ is the covariant derivative. The index μ runs over the crystal axes a, b, c . The parameters m_{μ} are related to the *phase stiffness* [41,42] via $\hbar^2 |\Delta_0|^2 / m_{\mu}$, where $|\Delta_0|$ stands for the $T = 0$ bulk value of the order parameter. Given that orthorhombic distortion in these materials is ascribed to

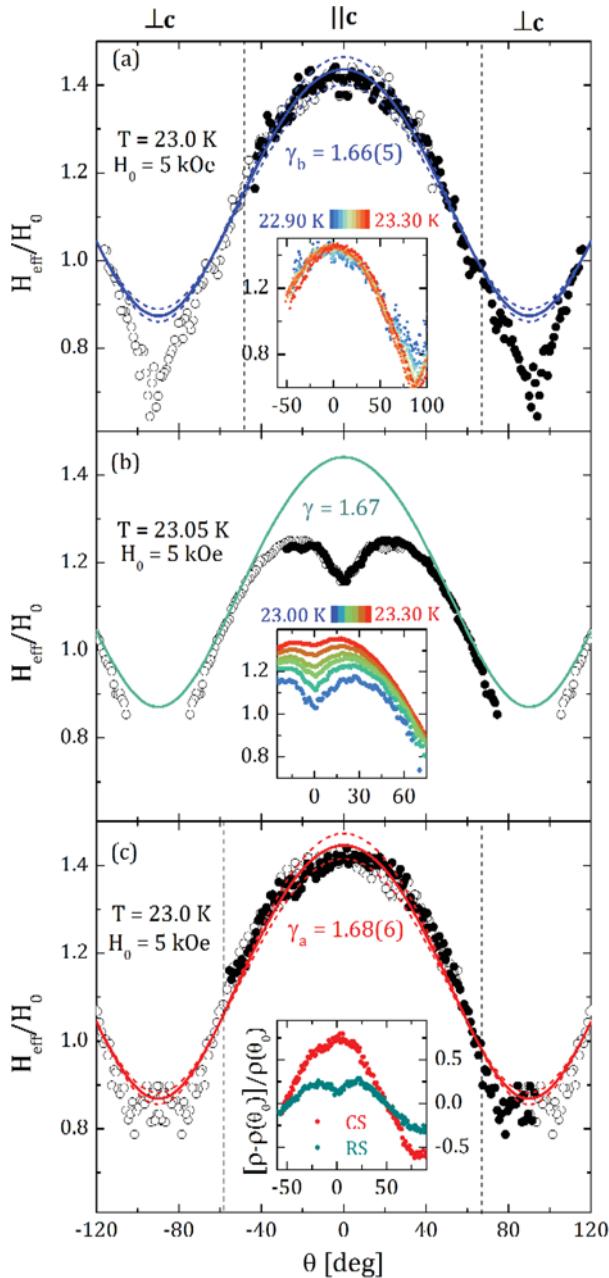


FIG. 9. H_{eff} as a function of applied field orientation θ for the same sample under (a) tensile, (b) null, and (c) compressive strain, at $T \approx 23.0$ K. H_{eff} is normalized by the applied field $H_0 = 5$ kOe. Measured data are represented in solid circles, while open symbols stand for equivalent data points generated by symmetry for completion. Best-fitting curves are plotted by blue and red solid lines according to Eq. (1), in (a) and (c), respectively, and colored dashed lines account for uncertainty in the estimated parameter (95% confidence intervals). Data corresponding to field directions near the ab planes beyond the vertical dashed lines were excluded from the fit. The observed angular dependence for F in (b) is contrasted to the one predicted by Eq. (1) with $\gamma = 1.67$, shown by the green solid line. The angular dependence of H_{eff} for temperatures ranging from 22.90 to 23.30 K is included in the insets of (a) and (b) for TS and F, respectively. The inset of (c) presents the angular dependence of the normalized resistivity $[\rho - \rho(\theta_0)]/\rho(\theta_0)$ of the sample after the strain was released (green symbols) compared to that obtained for CS (red symbols), both at $T = 23$ K and $\theta_0 = 62^\circ$.

nematic ordering, it is reasonable to assume that $m_a = m_b = m_{||}$ in the absence of nematicity. In that case, Blatter *et al.* have shown that the parameter γ of Eq. (1) can be identified with $\gamma = \frac{m_c}{m_{||}}$.

When a nematic order parameter η is present, we can expect the usual biquadratic coupling

$$\mathcal{G}_{\text{int}} = \lambda_2 \int d^3\mathbf{r} \eta^2 |\Delta|^2, \quad (3)$$

which will directly affect the value of T_c . In addition, we expect the presence of a term coupling the nematic order to the gradient of the superconducting order parameter of the form

$$\mathcal{G}_{\text{int}}^1 = \frac{\lambda_1}{2} \int d^3\mathbf{r} \eta \{ |D_a \Delta|^2 - |D_b \Delta|^2 \}. \quad (4)$$

In the case of a detwinned sample with $\eta = \eta_0$ this amounts to working with a standard GL model except with

$$\frac{1}{m_{a,b}^*} = \frac{1}{m_{||}} \pm \lambda_1 \eta_0. \quad (5)$$

This fact immediately suggests the generalization of Eq. (1), but now with two *a priori* different γ_a and γ_b depending on whether the external field is rotated in the ac or ab plane. Our results show that there is no significant difference in the values of γ_a and γ_b , implying that although nematicity contributes in a decisive way to the conduction properties, it does not strongly affect the in-plane anisotropy of the stiffness parameters. From Eq. (5), the latter could be related either (a) to a suppressed η_0 due to the proposed competition with superconductivity [19,20] or (b) to a weak-coupling constant λ_1 . For item (b) to be true, nematic superconducting coupling should then be expressed in higher-order even coupling terms such as $\lambda_2 \eta_0^2 |\Delta|^2$.

In order to predict the angular dependence of superconducting properties, Blatter and coworkers [24,32] further proposed additional scaling rules. In particular, the resistivity is predicted to scale in proportion to the parameter m_μ . In the present case, however, $m_a \simeq m_b$ in spite of the strong anisotropy between the resistivities ρ_a and ρ_b .

The observed mismatch between the in-plane anisotropies of superconducting stiffness and resistivity indicates that the symmetry of the transport properties in the mixed phase is strongly influenced by the normal-state in-plane anisotropy. Moreover, it is reminiscent of the mismatch between the out-of-plane anisotropies of normal effective mass and resistivity measured in various iron superconductors [43]. The latter suggests that sources of anisotropy other than the Drude weight [44], such as anisotropic scattering [9,45], could be relevant in the normal and superconducting transport properties.

The strong difference in dissipation between TS and CS samples in the mixed superconducting vortex liquid phase is qualitatively consistent with both the observed difference in T_g and the reported critical current in-plane anisotropy in the absence of DBs for similar compositions [46]. Hecher *et al.* attribute the observed J_c anisotropy either to an anisotropic pinning efficiency induced by Co impurities or to the multi-band electronic structure of these compounds. An insight favoring this last possibility is the subtle loss of the C_2 symmetry observed at the onset of the resistive transition for some strain conditions. Careful observation of the color

maps in the polar plots in Fig. 6 shows that there is a weak loss of C_2 symmetry, similar to that recently observed in in-plane angular-dependent resistivity and associated with the multiband character [16]. This measured effect (within the circular segments delimited by red lines) is more evident at higher temperatures, i.e., at the largest radius in the polar plots, where the angular dependence of the resistivity is very small (light blue).

Full time-dependent GL calculations, with the appropriate Legendre transform (taking into account the fact that in transport experiments the current is one of the independent variables [40]), are required for an accurate description.

IV. CONCLUSIONS

The anisotropy in the superconducting transport properties was investigated in slightly underdoped $\text{Ba}(\text{Fe}_{1-x}\text{Co}_x)_2\text{As}_2$ single crystals by measuring the resistive superconducting transition under the rotation of an applied magnetic field and different strain conditions. We were able to reproduce the free sample response under controlled uniaxial stress and, consequently, measure the absolute sample deformation. We detected the presence of DBs in free samples from the breaking of the expected intrinsic angular dependence for a single orthorhombic domain: an anomaly was detected in the vortex liquid-glass transition temperature T_g , as well as in the angular dependence of the resistivity in the vortex liquid phase. The suppression of this anomaly, indicative of the sample detwinning, was achieved under the application of strong compressive and tensile strains $\varepsilon \lesssim 0.3\%$, considerably higher than the reported orthorhombic distortion.

For the samples employed, there is no magnetic long-range order; thus, only nematic and superconducting order parameters need to be taken into account. By extending a Ginzburg-Landau scaling formalism to nematic systems and coupling at first order the nematic and superconducting order parameters, we obtained the in-plane superconducting stiffness anisotropy

under strain. Our results show no significant differences between the superconducting stiffness in the orthorhombic a and b axes. On the other hand, a strong in-plane resistivity anisotropy holds in the mixed superconducting phase, indicating that normal and/or nonequilibrium properties are playing a key role. Under the GL formalism, the lack of a measurable in-plane stiffness anisotropy coexisting with a clear in-plane resistivity anisotropy is surprising and requires further investigation.

An additional important remark is that part of these conclusions is based on the assumption of the validity of the GL formalism, under debate in these materials [47]. Assuming this framework, full time-dependent GL calculations, as well as a model for the interaction between nematic DBs and superconducting vortices, are necessary to rigorously quantify our experimental results.

ACKNOWLEDGMENTS

We would like to acknowledge N. Ni for initial growth of these samples. The authors are especially grateful to S. Grigera, R. Borzi, and A. Mackenzie for providing the strain apparatus used in the reported experiments and for technical support as well as for useful discussions. We also thank M. Barber for providing us accessories and useful tips and M. Rodríguez and F. Di Salvo for facilitating the x-ray characterization. This work was partially supported by CONICET and Universidad de Buenos Aires and the U.S. National Science Foundation through Grant No. DMR 1725401 at the University of Illinois (E.F.). Work done at Ames Laboratory (P.C.C.) was supported by the U.S. Department of Energy, Office of Basic Energy Science, Division of Materials Sciences and Engineering. Ames Laboratory is operated for the U.S. Department of Energy by Iowa State University under Contract No. DE-AC02-07CH11358. E.F. thanks the Department of Physics of the Universidad de Buenos Aires for its hospitality.

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