

# Improved Partial Cancellation Method for High Frequency Core Loss Measurement

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**Abstract**—Accurate high-frequency core loss measurement is critical for power converter design, especially for integrated voltage regulator application. Partial cancellation method is a promising candidate, which can cancel out loss error caused by phase discrepancy without finely tuning cancellation component values. However, it assumes a small value of phase discrepancy, which is not valid for high frequency. This paper performs the error analysis in this case and proposes an initial compensation method to eliminate this error. Finally, experiments are performed to verify proposed method up to 60MHz.

**Keywords** — high frequency, core loss measurement, partial cancellation, initial compensation

## I. INTRODUCTION

With the development of semiconductors like gallium nitride devices, power converters have been pushed to above Megahertz and even higher, especially for integrated voltage regulator application [1]–[7]. Therefore, magnetic design becomes more crucial to achieve higher efficiency and power density, which imposes a challenge for high frequency core loss measurement. The core loss measurement approach can be divided into thermal method and electrical method in general. The basic idea of thermal method [8] is to measure the temperature difference caused by magnetic loss in a thermal chamber. Although accurate, winding loss cannot be excluded and the whole process is time consuming. For the electrical approach, two-winding method is classic in prior arts [9]. By winding the core into a transformer, core loss is measured excluding winding loss. However, this method is sensitive to phase discrepancy caused by sensing resistor parasitic inductance or probe delay time depending on different current sensing methods. For low loss material, a small phase discrepancy will cause huge error.

[10] presented another electrical method utilizing a capacitor in series with the core under test. The capacitor has to be finely tuned to resonate exactly with the magnetizing inductance of the core under testing frequency. Then only equivalent core loss resistor exists and its loss is not sensitive to phase discrepancy. However, the winding loss is included and difficult to estimate accurately. Mu [11] improved this resonant method by combining two-winding method to exclude winding loss. Furthermore, Mu proposed an inductive cancellation method by replacing capacitor with an air core transformer to extend excitation type from sinusoidal excitation to arbitrary excitation. However, the capacitance or mutual inductance value of air core transformer is crucial and a little mismatch from perfect

cancellation will cause huge error. Finely tuning capacitor or air core transformer under different testing conditions is time consuming. Hou [12] proposed partial cancellation method to fix this problem, where Figure 1 shows the equivalent circuit. The basic idea of this method is utilizing the loss error in measured air core transformer loss to cancel out loss error in measured core loss. Therefore, it does not require finely tuning cancellation component value. However, it assumes a small value of phase discrepancy when deriving the expressions of loss error of measured air core transformer loss and of measured core loss, which is only valid for low frequency and will introduce extra non-negligible measured core loss error for higher frequency ( $>5\text{MHz}$ ). Therefore, this paper first briefly reviews the working principle of partial cancellation method in section II. In section III, this paper performs the error analysis under high frequency condition, which has not been studied before and then proposes a method to eliminate the induced error by controlling phase discrepancy in a small range. Finally, experiments verify the proposed method in section IV.

## II. WORKING PRINCIPLE OF PARTIAL CANCELLATION METHOD

In this section, the working principle of partial cancellation method is briefly reviewed. Figure 1 shows the equivalent circuit. The core voltage  $v_{\text{core}}$ , air core transformer voltage  $v_L$  and current through the core  $i$  are measured in this method. Current probe is more stable under different frequencies

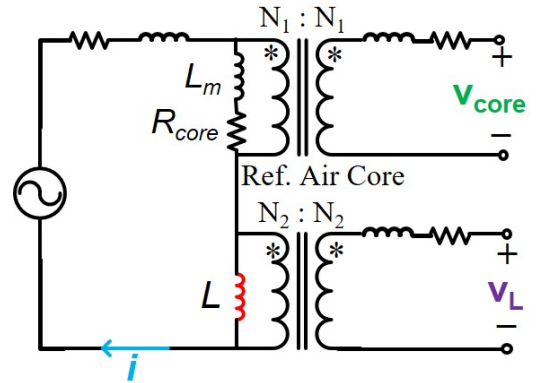


Fig. 1: Equivalent circuit of Hou's inductive partial cancellation method.

among different current sensing methods [13], and is used for measurement and analysis in this paper. Under sinusoidal excitation, the real core loss  $P_{core}$  should be

$$P_{core} = V_{core} I \cos \varphi \quad (1)$$

Where  $V_{core}$  and  $I$  are RMS value of  $v_{core}$  and  $i$  and  $\varphi$  is the real phase angle between  $v_{core}$  and  $i$ . Due to phase discrepancy  $\Delta\varphi$  caused by mismatch of delay time between voltage probe and current probe, the measured core loss has error term  $\Delta P_{core}$ . By differentiating equation (1) [12] [14],  $\Delta P_{core}$  is approximated as

$$\Delta P_{core} \approx V_{core} I \sin \varphi \Delta \varphi \quad (2)$$

Therefore, the measured core loss  $P_{core\_m}$  is

$$\begin{aligned} P_{core\_m} &= P_{core} + \Delta P_{core} \\ &\approx V_{core} I \cos \varphi + V_{core} I \sin \varphi \Delta \varphi \end{aligned} \quad (3)$$

Similarly, the measured air core transformer loss  $P_{L\_m}$  is

$$P_{L\_m} = 0 + \Delta P_L \approx V_L I \Delta \varphi \quad (4)$$

Since both  $\Delta P_{core}$  and  $\Delta P_L$  contain  $\Delta \varphi$ ,  $\Delta P_L$  is used to cancel out  $\Delta P_{core}$  to obtain real core loss  $P_{core}$ . The ratio of  $\Delta P_L$  to  $\Delta P_{core}$  is defined as cancellation factor  $k_d$  as shown below,

$$k_d = \frac{\Delta P_L}{\Delta P_{core}} = \frac{V_L}{V_{core} \sin \varphi} \quad (5)$$

By combining equation (3)-(5), the real core loss is derived as follow

$$P_{core} = P_{core\_m} - \frac{1}{k_d} P_{L\_m} \quad (6)$$

The value of  $k_d$  is difficult to find out directly because of the inaccuracy of measuring  $\varphi$  directly caused by phase discrepancy. A unique method is adding a phase perturbation  $\Delta\theta(\sim 1^\circ)$  into current  $i$  with the de-skew function of oscilloscope and calculating the value of cancellation factor with measured core loss before and after phase perturbation. The calculated cancellation factor is defined as  $k_c$ .  $k_d$  is the desired value from math and  $k_c$  is the real value applied in the measurement. Therefore, before phase perturbation we have

$$P_{core} = P_{core\_m} - \frac{1}{k_c} P_{L\_m} \quad (7)$$

After phase perturbation, we have

$$P_{core} = P'_{core\_m} - \frac{1}{k_c} P'_{L\_m} \quad (8)$$

$$P'_{core\_m} = V_{core} I \cos \varphi + V_{core} I \sin \varphi (\Delta \varphi + \Delta \theta) \quad (9)$$

$$P'_{L\_m} = V_L I (\Delta \varphi + \Delta \theta) \quad (10)$$

Combining equation(7) and(8),  $k_c$  is calculated as

$$k_c = \frac{P'_{L\_m} - P_{L\_m}}{P'_{core\_m} - P_{core\_m}} = \frac{V_L}{V_{core} \sin \varphi} \quad (11)$$

Comparing equation (5) and (11), the value of calculated cancellation factor  $k_c$  is exact the same as that of desired cancellation factor  $k_d$ . Therefore, we can use  $k_c$  to find out real core loss according to equation (7). The nature of insensitive

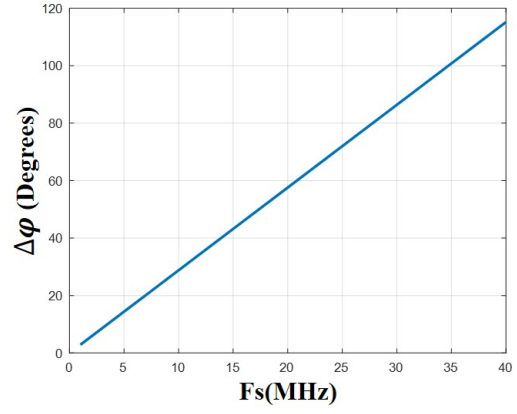


Fig. 2:  $\Delta\varphi$  versus frequency with 8ns delay time between voltage probe and current probe.

to cancellation component value makes partial cancellation method more promising compared with resonant cancellation methods. However, this method assumes  $\Delta\varphi$  as a small value by differentiating  $P_{core}$  with respect to  $\varphi$  from equation (1) in the derivation process of expression of  $\Delta P_{core}$ , which is not valid for high frequency and will introduce extra non-negligible measured core error. This will be analyzed in the next section and an initial compensation method is proposed to eliminate the induced error.

### III. PROPOSED IMPROVED PARTIAL CANCELLATION METHOD

#### A. Error Analysis of Partial Cancellation Method

First, the extra non-negligible core loss error caused by the assumption of a small value of  $\Delta\varphi$  in partial cancellation method is analyzed. The mismatch of probe delay time between voltage probe and current probe will introduce phase discrepancy  $\Delta\varphi$  in the measurement system. Take the delay time of voltage probe as a reference,  $\Delta\varphi$  is usually a negative value. Therefore, the measured core loss and air core transformer loss under sinusoidal excitation are

$$\begin{aligned} P_{core\_m} &= V_{core} I \cos(\varphi - \Delta\varphi) \\ &= V_{core} I \cos \varphi + \Delta P_{core\_n} \end{aligned} \quad (12)$$

$$\Delta P_{core\_n} = V_{core} I [\cos \varphi (\cos \Delta\varphi - 1) + \sin \varphi \sin \Delta\varphi]$$

$$\begin{aligned} P_{L\_m} &= V_L I \cos(90^\circ - \Delta\varphi) = 0 + \Delta P_{L\_n} \\ \Delta P_{L\_n} &= V_L I \sin \Delta\varphi \end{aligned} \quad (13)$$

In order to analyze the influence of  $\Delta\varphi$ , the phase discrepancy between current probe TCP0030 and differential voltage probe TDP1000 is taken as an example here. The delay time between TCP0030A and TDP1000 is around 8ns [15] [16], and this equals to different  $\Delta\varphi$  under different testing frequencies as shown in Fig 2. For low frequency condition, like 1MHz,  $\Delta\varphi \approx 3^\circ$ , which is small and we have:  $\cos \Delta\varphi - 1 \approx 0$ ,  $\sin \Delta\varphi \approx \Delta\varphi$ . Then equation (12) and (13) are simplified to equation (3) and (4). However,  $\Delta\varphi$  will be higher than  $30^\circ$  as

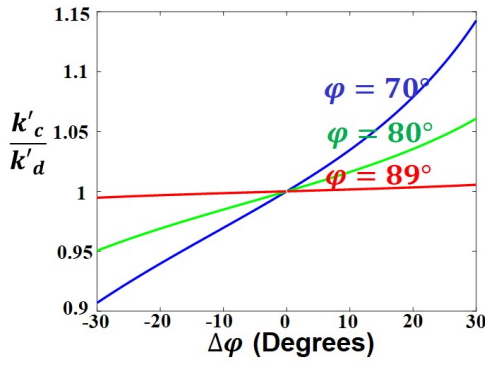


Fig. 3: The impact of  $\Delta\varphi$  on the ratio of  $k'_c$  to  $k'_d$ .

frequency goes above 10MHz and equation (3)-(4) are not accurate any more. In this case, the new defined cancellation factor  $k'_d$  is the ratio of  $\Delta P_{core\_n}$  in equation (12) to  $\Delta P_{L\_n}$  in equation (13) as below

$$k'_d = \frac{\Delta P_{L\_n}}{\Delta P_{core\_n}} = \frac{V_L}{V_{core} \sin \varphi} \frac{1}{1 + \frac{\cos \Delta \varphi - 1}{\tan \varphi \sin \Delta \varphi}} \quad (14)$$

It can be seen that equation (14) simplifies to equation (5) only if  $\Delta\varphi$  is small. In order to find out  $k'_d$ , a phase perturbation  $\Delta\theta(\sim 1^\circ)$  is added into current  $i$  with the de-skew function of oscilloscope. Then we have

$$P'_{core\_m} = V_{core} I \cos \varphi + V_{core} I [\cos \varphi (\cos(\Delta\varphi + \Delta\theta) - 1) + \sin \varphi \sin(\Delta\varphi + \Delta\theta)] \quad (15)$$

$$P'_{L\_m} = V_L I \sin(\Delta\varphi + \Delta\theta) \quad (16)$$

Then the new calculated cancellation factor  $k'_c$  is

$$k'_c = \frac{P'_{L\_m} - P_{L\_m}}{P'_{core\_m} - P_{core\_m}} = \frac{V_L}{V_{core}} \frac{\sin a - \sin \Delta\varphi}{\cos \varphi (\cos a - \cos \Delta\varphi) + \sin \varphi (\sin a - \sin \Delta\varphi)} \quad (17)$$

Where  $a = (\Delta\varphi + \Delta\theta)$ . Because phase perturbation  $\Delta\theta$  is very small, the term  $\sin(\Delta\varphi + \Delta\theta)$  and  $\cos(\Delta\varphi + \Delta\theta)$  can be simplified using Taylor series expansion, then equation (17) is simplified as below

$$k'_c \approx \frac{V_L}{V_{core} \sin \varphi} \frac{1}{1 - \frac{\tan \Delta \varphi}{\tan \varphi}} \quad (18)$$

Comparing equation (14) and (18), the new calculated cancellation factor  $k'_c$  is different from the new defined cancellation factor  $k'_d$ . The ratio of  $k'_c$  and  $k'_d$  represents the difference between their values as below

$$\frac{k'_c}{k'_d} = \frac{\tan \varphi \sin \Delta \varphi + \cos \Delta \varphi - 1}{(\tan \varphi - \tan \Delta \varphi) \sin \Delta \varphi} \quad (19)$$

The smaller the ratio is, the smaller the difference between  $k'_c$  and  $k'_d$  will be. Fig 3 shows the impact of  $\Delta\varphi$  on the ratio under three different cases. Large  $\Delta\varphi$  causes larger difference between  $k'_c$  and  $k'_d$ . The larger  $\varphi$  is (which means lower loss

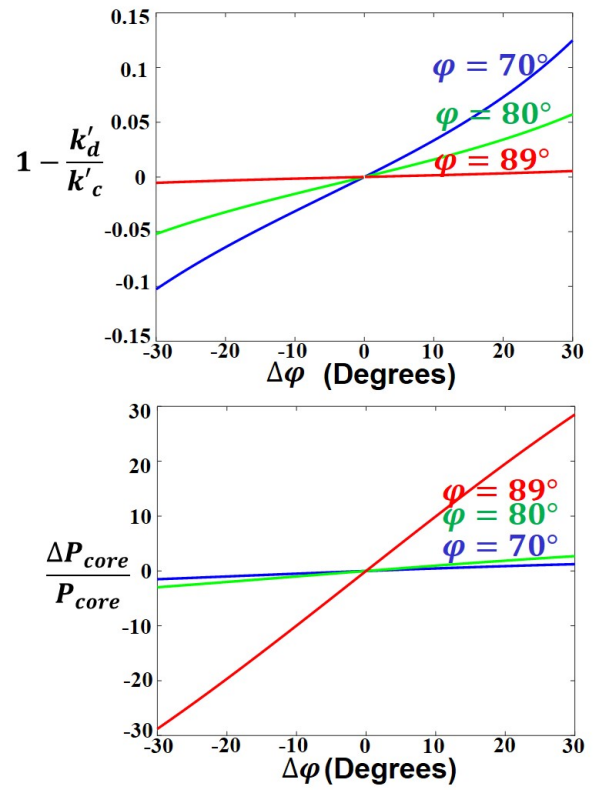


Fig. 4: The impact of  $\Delta\varphi$  on the two factors.

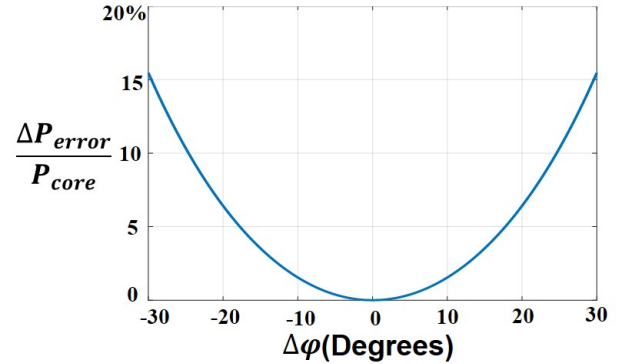


Fig. 5: The impact of  $\Delta\varphi$  on the loss error percentage.

material), the smaller the ratio is. Then combining equation (7),(12),(13) and (18), the calculated core loss is

$$P'_{core\_m} - \frac{1}{k'_c} P'_{L\_m} = P_{core} + (1 - \frac{k'_d}{k'_c}) \Delta P_{core\_n} \quad (20)$$

Besides real core loss, another error term exists in equation (20). The loss error percentage is

$$(1 - \frac{k'_d}{k'_c}) \frac{\Delta P_{core\_n}}{P_{core}} = \tan \Delta \varphi \sin \Delta \varphi + \cos \Delta \varphi - 1 \quad (21)$$

According to equation (21), two factors contribute to the loss error percentage. First is the difference between calculated

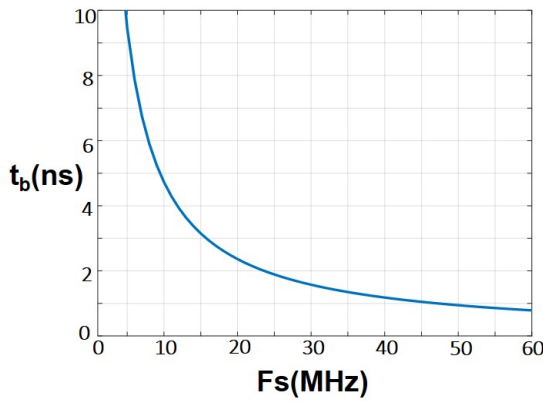


Fig. 6: The tolerable probe delay time vs frequency for <5% loss error percentage.

cancellation factor  $k'_c$  and desired cancellation factor  $k'_d$ . Another factor is the ratio of measured core loss error  $\Delta P_{\text{core}}$  caused by  $\Delta\varphi$  to the real core loss  $P_{\text{core}}$ . Figure 4 shows the value of these two factors versus  $\Delta\varphi$  under three different cases and Figure 5 shows the loss error percentage versus  $\Delta\varphi$ . It is noteworthy that when  $\varphi$  increases from  $70^\circ$  to  $89^\circ$ , the amplitude of  $1-k'_d/k'_c$  reduces while the ratio of  $\Delta P_{\text{core}}$  to  $P_{\text{core}}$  increases tremendously. These two factors counterbalance each other and the final loss error percentage is only affected by phase discrepancy  $\Delta\varphi$ .

Based on equation (21), the loss error exceeds 100% if  $\Delta\varphi$  is larger than  $60^\circ$ , which is the case that test frequency is above 20MHz from Fig.2. To limit loss error in a small range,  $|\Delta\varphi|$  has to be reduced within a certain value. For example,  $|\Delta\varphi|$  need to be controlled less than  $17^\circ$  for less than 5% loss error. By changing  $17^\circ$  into time under different frequency, we can get tolerable probe delay time  $t_b$  versus frequency as shown in Fig 6. The delay time between current probe and voltage probe has to be smaller than  $t_b$  under interested testing frequency to obtain less than 5% loss error.

#### B. Proposed Initial Compensation Method

To control delay time between voltage probe and current probe less than  $t_b$ , an initial compensation method by using a simple circuit with high Q capacitor is proposed. Fig 7 shows the circuit. By measuring capacitor voltage  $v_C$  and its current  $i$  under sinusoidal excitation, the high Q capacitor loss  $P_{C_m}$  is obtained by integrating the product of  $v_C$  and  $i$  in a cycle as below

$$P_{C_m} = P_{\text{ESR}} + V_C I \sin \Delta\varphi \quad (22)$$

Besides ESR loss  $P_{\text{ESR}}$ , a large portion of  $P_{C_m}$  is caused by  $\Delta\varphi$ . By excluding  $P_{\text{ESR}}$  with measured ESR value from impedance analyzer, we can find out  $\Delta\varphi$  and corresponding measured probe delay time  $t_{\text{delay}_m}$  under testing frequency,

$$t_{\text{delay}_m} = \frac{\arcsin\left(\frac{P_{C_m} - P_{\text{ESR}}}{V_C I}\right)}{2\pi f_s} \quad (23)$$

Where  $f_s$  is the testing frequency. Then  $-t_{\text{delay}_m}$  is added

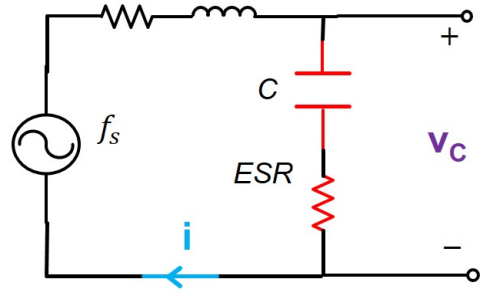


Fig. 7: Initial compensation circuit with high Q capacitor.

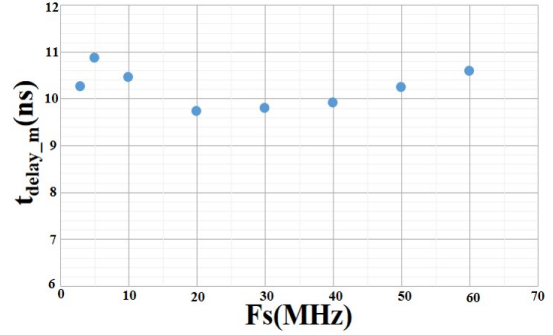


Fig. 8: Measured probe delay time vs frequency using high Q capacitor.

into current probe to initially compensate delay time between voltage probe and current probe by de-skew function of the oscilloscope. After initial compensation,  $\Delta\varphi$  is reduced to a value near zero. Then the loss error caused by the rest of  $\Delta\varphi$  can be eliminated by partial cancellation method. Fig 8 shows measured probe delay time between current probe TCP0030 and differential voltage probe TDP1000 under different frequency using a 200pF mica high Q capacitor. It can be seen  $t_{\text{delay}_m}$  changes with testing frequency, which is consistent with the conclusion in [17]. When  $f_s$  is higher than 40MHz,  $t_{\text{delay}_m}$  is larger than 10ns. From Fig 6, the tolerable probe delay time with 5% loss error should be less than 1ns when  $f_s$  is higher than 40MHz. Therefore, the fixed 8ns delay time from datasheet [15] [16] cannot be used for initial compensation for higher frequency.

#### IV. EXPERIMENTAL RESULTS

To validate the proposed method, the loss of three different type of core samples are measured under sinusoidal excitation. The excitation is supplied by a power amplifier 150A100C from Amplifier Research driven by a function generator, Tektronix AFG3102. The current probe TCP0030A and differential voltage probe TDP1000 are used to measure voltage and current. First, a 3F4 toroidal core from Ferrocube(TN14/10/2) is measured at 3MHz and  $100^\circ\text{C}$  temperature. At 3MHz, the measured delay time  $t_{\text{delay}_m}$  is 10.25ns and the tolerable delay time  $t_b$  is 15.7ns. Since  $t_{\text{delay}_m}$  is smaller than  $t_b$ , partial cancellation method can be performed directly without initial compensation.

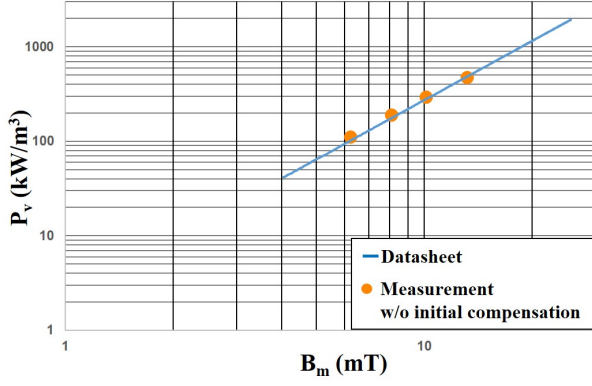


Fig. 9: Core loss of 3F4 at 3MHz, 100°C.

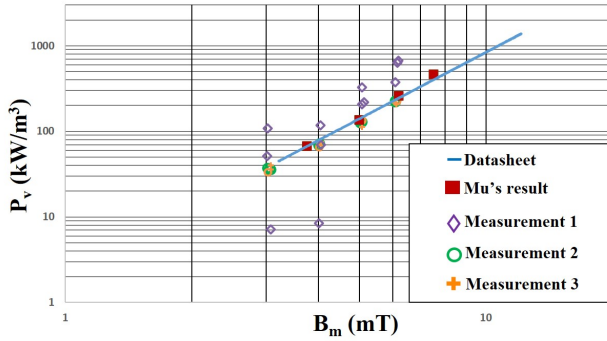


Fig. 10: Core loss of 4F1 at 10MHz, 100°C. Measurement 1: no compensation; Measurement 2: -10.45ns initial compensation; Measurement 3: -8ns initial compensation.

Fig.9 shows the measurement result. The measured loss without initial compensation matches very well with datasheet. Then a 4F1 toroidal core from Ferrocube(TN21/19/3) is measured under 10MHz and 100°C. At 10MHz,  $t_{\text{delay}_m}$  is 10.45ns and  $t_b$  is 4.7ns. Therefore, -10.45ns should be added into current probe for initial compensation. The delay time from probe datasheet  $t_{\text{datasheet}}=8\text{ns}$  can also be used for compensation since  $t_{\text{delay}_m}-t_{\text{datasheet}} < t_b$ . For each condition, we measured the loss for 3 times as shown in Fig 10. Mu's measurement result in [11] is also provided for comparison. From Fig 10, the measured loss are different for each time and vary from datasheet and Mu's result without initial compensation. With initial compensation, the measured loss overlap with each other over 3 times and match well with datasheet and Mu's result. Finally, a toroidal core made by metal flake composite from TOKIN(TN14/10/1) is measured under 60MHz and 25°C. At 60MHz,  $t_{\text{delay}_m}$  is 10.58ns and  $t_b$  is 0.79ns. Fig 11 shows the measurement results. The measured loss with -10.58ns compensation is stable over 3 times. However, the measured loss with -8ns compensation varies each time. This is because  $t_{\text{delay}_m}-t_{\text{datasheet}} > t_b$ , which means the residual phase discrepancy is larger than the limit value using  $t_b=8\text{ns}$  for initial compensation, hence introducing

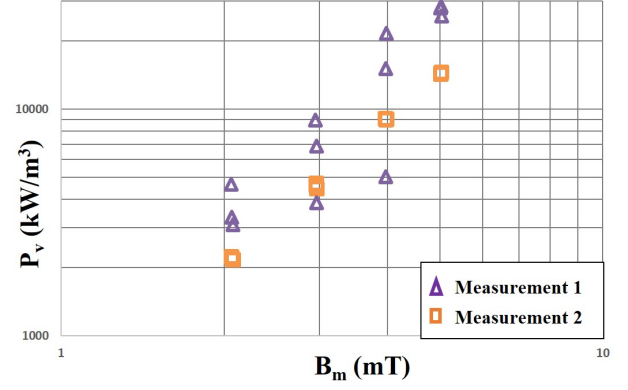


Fig. 11: Core loss of metal flake composite from TOKIN at 60MHz, 25°C. Measurement 1: -8ns compensation; Measurement 2: -10.58ns initial compensation.

loss error. Therefore, the fixed 8ns delay time provided by datasheet cannot be applied for compensation under higher frequency, which verifies previous analysis.

## V. CONCLUSIONS

As a promising method for high frequency core loss measurement, partial cancellation method assumes phase discrepancy as a small value, which is not valid for high frequency. This paper first performs the error analysis under high frequency test condition. The result shows that large phase discrepancy will introduce non-negligible error and phase discrepancy need to be controlled in a small range to limit measured loss error. An initial compensation method is proposed to control phase discrepancy in a small range effectively by using a high Q capacitor. Finally, experiments verify the measurement accuracy of improved partial cancellation method.

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## DISCLAIMER

Any opinions, findings, and conclusions or recommendations expressed in this material are those of the author(s) and do not necessarily reflect the views of the National Science Foundation.

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