

# Interaction of Camptothecin with Model Cellular Membranes

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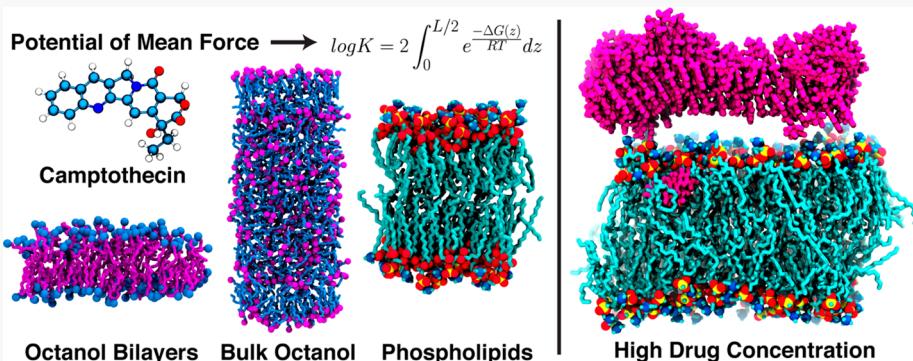
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**ABSTRACT:** Accurate and efficient prediction of drug partitioning in model membranes is of significant interest to the pharmaceutical industry. Herein, we utilize advanced sampling methods, specifically, the adaptive biasing force methodology to calculate the potential of mean force for a model hydrophobic anticancer drug, camptothecin (CPT), across three model interfaces. We consider an octanol bilayer, a thick octanol/water interface, and a model 1-palmitoyl-2-oleoyl-sn-glycero-3-phosphocholine (POPC)/water interface. We characterize the enthalpic and entropic contributions of the drug to the potential of mean force. We show that the rotational entropy of the drug is inversely related to the probability of hydrogen bond formation of the drug with the POPC membrane. In addition, in long-time microsecond simulations of a high concentration of CPT above the POPC membrane, we show that strong drug–drug aromatic interactions shift the spatial orientation of the drug with the membrane. Stacks of hydrophobic drugs form, allowing penetration of the drug just under the POPC head groups. These results imply that inhomogeneous membrane models need to take into account the effect of drug aggregation on the membrane environment.

## 1. INTRODUCTION

Biopharmaceutical investments cost about \$90 billion, surpassing other industrial investments in 2016.<sup>1</sup> However, phase I,<sup>2</sup> II,<sup>3</sup> and III<sup>4</sup> trials are mostly limited because of the poor bioavailability and efficacy of current R&D models.<sup>5</sup> Knowing how to fine-tune permeability of small compounds across the membrane is of significant interest to the pharmaceutical industry. Over one century ago, Overton's rule<sup>6</sup> first established a quantitative relationship between membrane permeability and the partition coefficient of small compounds. Using the 1-octanol (octanol) partition coefficient in pharmacology is an efficient means to quickly predict the permeability of hundreds of small molecular compounds. Indeed, this becomes a daily routine in most drug discovery laboratories. Quantitative structure–property relationship (QSPR) models,<sup>7</sup> as well as quantitative structure–activity relationship (QSAR) models,<sup>8</sup> have also proved their potential as quantitative methods to assess the permeability of small molecules based on their physiochemical properties such as oral bioavailability,<sup>9</sup> intestinal absorption,<sup>10</sup> as well as ability to cross the blood-brain barrier.<sup>11</sup> Notably, there has been an increasing interest in the computational chemistry field to

harness the power of statistical methods, such as machine learning approaches, to predict small drug permeability in membranes.<sup>12–14</sup>

At the simplest level a membrane can be considered a homogeneous slab, where the permeability of a solute through the membrane is inversely proportional to the thickness of the membrane. The membrane permeability,  $P$ , can be expressed in terms of the bulk properties, such that  $P = \frac{KD}{2L}$ , where  $D$  is the diffusion coefficient of the solute in the membrane,  $K$  is membrane/water partition coefficient, and  $2L$  is the thickness of the membrane.<sup>15,16</sup> However, the solute, or drug, can possess multiple degrees of freedom. The effect of the drug conformation on the free energy profile across a membrane interface can be explored with advanced sampling methods in molecular dynamics.<sup>17</sup> Likewise, the solubility-diffusion model

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49 can be expanded in terms of the translational and rotational  
 50 degrees of freedom of the solute.<sup>15,18</sup> Furthermore, inhomoge-  
 51 neous membrane models that consider variation of phospho-  
 52 lipid composition in realistic membranes must also be  
 53 considered.<sup>19–21</sup>

54 With the increase in current state-of-art computational  
 55 power, molecular dynamics (MD) simulations offer a powerful  
 56 tool to probe the multitudes of length-scales<sup>22,23</sup> and time-  
 57 scales,<sup>24–26</sup> especially in biological phenomena such as  
 58 membrane permeability and transport across membrane  
 59 interfaces. In particular, enhanced sampling methods in  
 60 molecular dynamics offer emerging and powerful tools to  
 61 probe the membrane permeability of small molecular  
 62 compounds.<sup>17,27–32</sup> Several enhanced sampling methods that  
 63 can characterize the free energy profile across the membrane  
 64 interface are thermodynamic integration,<sup>33,34</sup> metadynam-  
 65 ics,<sup>35–38</sup> umbrella sampling,<sup>39</sup> and the adaptive biasing forces  
 66 (ABF) method.<sup>31,40–43</sup> In the ABF method, an on-the-fly force  
 67 to counter the internal system force is continuously updated,  
 68 requiring no a-priori knowledge of the free energy profile.

69 Camptothecin<sup>44</sup> (CPT), a model hydrophobic anticancer  
 70 drug, is a topoisomerase I inhibitor.<sup>45,46</sup> CPT possesses a  
 71 planar pentacyclic ring structure. A molecular diagram of CPT  
 72 is included in Supporting Figure 1. Notably, the  $pK_a$  of the  
 73 hydroxyl oxygen is 11.69, thus the hydroxyl oxygen will remain  
 74 deprotonated across the interfaces, unless there are significant  
 75 shifts in the  $pK_a$  value.<sup>47</sup> A unique property of CPT is that it is  
 76 known to self-assemble in solution into filamentous  
 77 assemblies.<sup>48,49</sup> Herein, we characterize in the free energy  
 78 profile of this model hydrophobic anticancer drug, CPT, across  
 79 three model interfaces of varying thickness: an octanol bilayer/  
 80 water interface ( $\sim 20$  Å) (interface I), a thick octanol slab/  
 81 water interface ( $\sim 80$  Å) (interface II), and a model  
 82 phospholipid bilayer membrane composed by 1-palmitoyl-2-  
 83 oleoyl-sn-glycero-3-phosphocholine (POPC)/water interface  
 84 ( $\sim 40$  Å) (interface III). Together with hydrogen bonds,  
 85 rotational angle of the drug, as well as drug enthalpy, we  
 86 characterize the interaction of this model hydrophobic drug  
 87 with these three model interfaces using advanced sampling  
 88 methods, specifically the ABF method. Moreover, on the basis  
 89 of the Schlitter method,<sup>50–52</sup> we also characterize the  
 90 rotational entropy of the drug across each model interface.  
 91 The Schlitter method estimates the upper value of configura-  
 92 tional entropy by diagonalizing the covariance matrix of the  
 93 Cartesian positional fluctuations of atoms obtained from MD  
 94 simulation. Here, we apply a modified version of this method,  
 95 described in further detail in the methods section, to  
 96 characterize the rotational entropy of the hydrophobic cancer  
 97 drug, CPT. We next suggest that the strength of hydrogen  
 98 bonding of this model drug with a model phospholipid bilayer  
 99 is inversely correlated with the rotational entropy of the drug.  
 100 Finally, we show that CPT can form strong aromatic  
 101 interactions with itself at high concentrations above this  
 102 model phospholipid bilayer. The strong aromatic interactions  
 103 lead to the formation of stacks of drug above the membrane  
 104 interface, modulating the interaction of the drug with the  
 105 phospholipid bilayer. This shift allows penetration of the drug  
 106 just under the POPC head groups. We suggest that this  
 107 mechanism of membrane permeation may apply to other  
 108 hydrophobic compounds with strong aromatic interactions.

## 2. METHODS

2.1. Simulation Setup. 2.1.1. Bilayer of 1-Octanol (Interface I). A 20-Å bilayer (Figure 1) of 1-octanol was

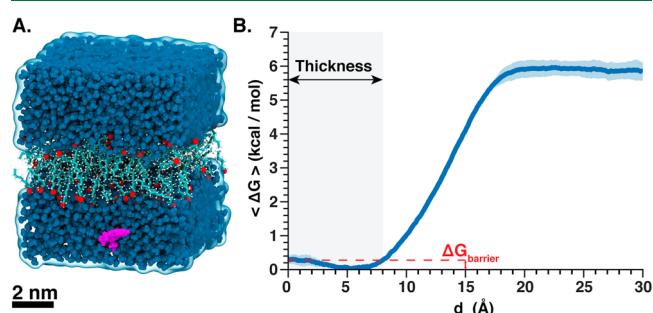
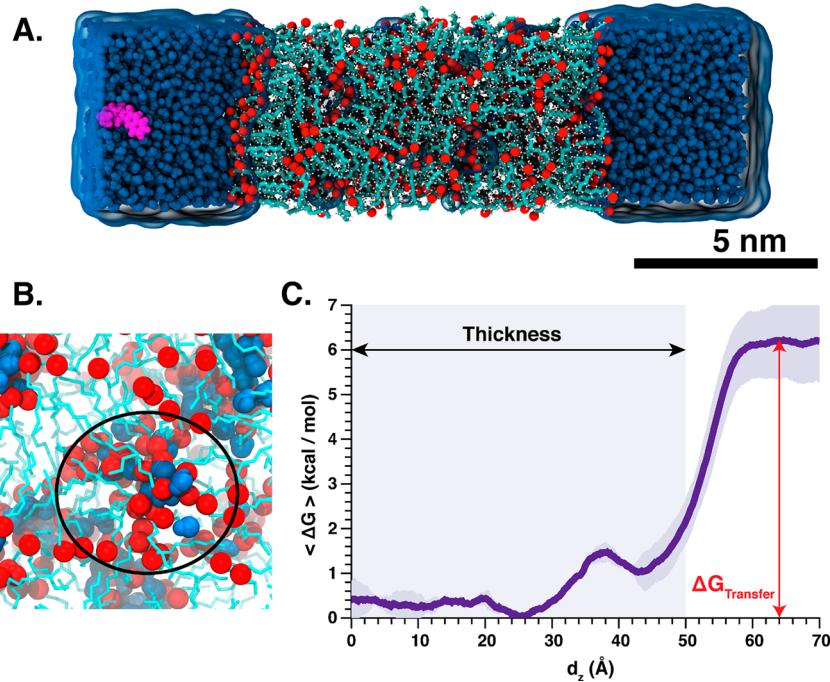


Figure 1. (A) Interface I: A snapshot of the octanol bilayer and CPT interface. The oxygen atoms are highlighted in red and the CPT is shown in magenta licorice representation. Waters are shown in blue. (B) The PMF profile,  $\Delta G$ , in kcal/mol, of transferring the CPT along the  $z$ -direction of the octanol bilayer averaging over three separate replicas, where  $d_z$  is the distance from the center of mass of the octanol bilayer in ångstroms. Error bars (based on the 95% confidence interval) are shown in light blue. The shaded area indicates the thickness of the bilayer based on electron density.

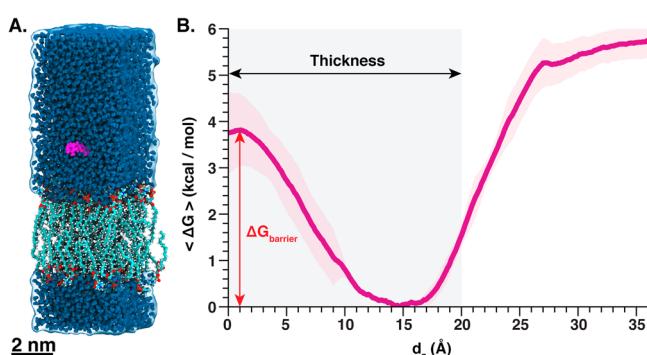
preassembled using Packmol.<sup>53</sup> The 1-octanol was para-  
 metrized using CHARMM36.<sup>54–57</sup> The hydrophobic cancer  
 drug CPT was based on the General Automated Atomic  
 Model Parameterization (GAAMP) method developed by  
 Huang and Roux.<sup>58</sup> This automated parametrization server  
 optimizes electrostatic potential and “soft” dihedrals (con-  
 formational changes) via quantum mechanical results (as used  
 in AMBER) and water interactions (as used in CHARMM).  
 Overall, this system contained 20 350 atoms, which included  
 200 1-octanols, 4954 TIP3P waters; and one CPT molecule  
 placed 35 Å above the center of mass (COM) of the octanol  
 bilayer. Additionally, 150 mM of NaCl was added to the  
 simulation box. The final box, after 40 ns of equilibration, was  
 56 Å  $\times$  56 Å  $\times$  65 Å.

2.1.2. Thick 1-Octanol Layer (Interface II). A layer of 1-octanol with the thickness of 100 Å (Figure 2) was preassembled using Packmol.<sup>53</sup> The 1-octanol and the CPT parameters were the same as interface I. Overall, this system contained 31 719 atoms, which included 620 1-octanols and 4963 TIP3P waters. We set up the initial concentration of  $\sim 0.26$  mole fraction of water; however, after  $\sim 80$  ns, the system equilibrated with a mole fraction of  $\sim 0.23$ . The system reached stable dimensions of 46 Å  $\times$  38 Å  $\times$  172 Å. In addition, 150 mM NaCl was added to the simulation box. One CPT was placed at the center of mass (COM) of the bulk octanol.

2.1.3. Model Phospholipid Bilayer (Interface III). A pure 1-palmitoyl-2-oleoyl-sn-glycero-3-phosphocholine (POPC) membrane bilayer (Figure 3) was setup using Packmol.<sup>53</sup> The CHARMM36 membrane force field was used for POPC.<sup>55</sup> The CPT parameters were the same for interface I and II. In total, the membrane bilayer system contained 23 782 atoms, which contained 59 POPCs and 5268 TIP3P waters. Also, 150 mM of NaCl was added to the system. The area per lipid was approximately  $59.9 \pm 1.8$  Å<sup>2</sup>, and its thickness was approximately 40 Å at 310 K. The area per lipid was calculated with a block averaging approach with 9 blocks of 1.9 ns. These characteristics agree well with experimental measurements for



**Figure 2.** (A) Interface II: A snapshot of the octanol layer and CPT (in magenta) placed about 70 Å away from the center of mass of the octanols. Notice the hydrophilic paths that are created from the hydroxyl groups and some waters are found inside those paths. (B) A snapshot shows the “overlapping elongated inverse micelles” region (circled). (C) The PMF of the CPT along the  $z$ -direction of the octanol bilayers after 60 ns. Error bars (based on the 95% confidence interval) are shown in light purple. The electron density shows the thickness of the bulk octanol layer. The shaded area indicates the thickness of the bilayers based on its electron density.



**Figure 3.** (A) Interface III: A snapshot of the POPC membrane bilayer and CPT (in magenta). (B) The PMF profile,  $\Delta G$ , in kcal/mol, of transferring the CPT along the  $z$ -direction of the POPC bilayer averaged over two replicas, where  $d_z$  is the distance from the center of mass of the POPC bilayer in Angstroms. Error bars (based on the 95% confidence interval) are shown in light pink. The shaded area indicates the thickness of the bilayer based on electron density.

149 POPC bilayer.<sup>59</sup> Our simulations are at 310 K, far above the  
 150 gel transition temperature for POPC, which is 271 K. After 80  
 151 ns of equilibration, the box dimensions were stable at 43 Å  $\times$   
 152 40 Å  $\times$  133 Å. One molecule of CPT was placed 35 Å above  
 153 the COM of the POPC bilayer membrane.

154 **2.1.4. High CPT Concentration.** The system contained 84  
 155 CPT molecules, 163 POPCs, 13 097 TIP3P waters, and 37  
 156 NaCl molecules. In total, the system had 65,743 atoms. The  
 157 box dimensions were 92 Å  $\times$  92 Å  $\times$  125 Å. The simulation  
 158 time was 1.6  $\mu$ s, at 310 K with anisotropic pressure. The  
 159 bilayer thickness was approximately 40 Å at 310 K.

160 **2.2. MD Simulation Parameters.** **2.2.1. Simulation**  
 161 **Parameters.** All MD simulations were carried out using

NAMD2<sup>60</sup> version 2.12b. Interface I used an isotropic NPT ensemble; interface II used an NPAT ensemble, and interface III used an anisotropic NPT ensemble with fixed  $x/y$  ratio. A temperature of 298 K was used for the octanol–water systems (interface I and II) and a temperature of 310 K was used for the membrane bilayer (interface III). A damping coefficient of  $\gamma = 1 \text{ ps}^{-1}$ , at a pressure of 1 atm, was used together with the Langevin piston Nosé–Hoover method<sup>61,62</sup> for the octanol–water systems. The Langevin piston Nosé–Hoover method in NAMD is a combination of the MTK constant pressure algorithm<sup>61</sup> with Langevin dynamics for piston fluctuation control.<sup>62</sup> However, the membrane bilayer used an anisotropic piston to allow realistic fluctuations of the membrane. A piston period of 200 fs and a damping time scale of 50 fs were used in all systems. The SHAKE algorithm<sup>63</sup> was used to fix hydrogen atoms allowing a 2 fs time step. The particle mesh Ewald (PME) algorithm<sup>64</sup> was utilized to take full electrostatic interactions into account, with full periodic boundary conditions. The cutoff for van der Waals interactions was 12 Å with a smooth switching function at 10 Å used to truncate the van der Waals potential energy at the cutoff distance. Bonded atoms were excluded from nonbonded atom interactions using a scaled 1–4 value. Coordinates were saved every 2 ps for analysis. A summary of MD configuration parameters is shown in Table 1.

187 **2.2.2. Free Energy Calculations.** The converged free energy  
 188 profiles, or the potential of mean force (PMF), across the three  
 189 model interfaces were calculated using the adaptive biasing  
 190 force or the ABF method.<sup>31,40–43</sup> In ABF calculations, an  
 191 external force is continuously estimated and imposed along the  
 192 chosen reaction coordinates,  $\xi^*$ , to cancel out the total average  
 193 of the acting mean force on the system

186 t1

**Table 1. Summary of Initial Set-up of ABF Configurations for All Interfaces**

system	octanol bilayer (interface I)	thick octanol layer (interface II)	POPC membrane bilayer (interface III)
Box dimensions (Å)	56 × 56 × 65	46 × 38 × 175	43 × 40 × 133
atoms	20 350	31 719	23 782
water (molecules)	4954	4967	5268
other (molecules)	200 octanols	620 octanols	59 POPCs
number of replicas	3	2	2
temperature (K)	298	298	310
pressure constant area	isotropic N/A	anisotropic yes	anisotropic partially (constant ratio)
window width (Å)	2	2	3
number of windows	15	35	12
distance ( $d_z$ ) (Å)	30	75	36
total run time (ns)	35 (rep1) and 40 (rep2,3)	60 (rep1,2)	142 (rep1) and 145 (rep2)
mole fraction of water	0	~0.23	0

$$\langle F_\xi |\xi^* \rangle = -\frac{A}{d\xi}(\xi^*)$$

194 Here,  $F_\xi$  is the total acting force, and  $A$  is the free energy  
195 along  $\xi^*$ . The standard deviation in the PMF profiles,  
196  $SD[\Delta A^{(abf)}]$ , were approximated using the method by  
197 Rodriguez-Gomez et al.,<sup>65</sup> where  $\kappa$  is the correlation length,  
198  $\xi_b - \xi_a$  is the width of each window or bin,  $\sigma^2$  is variance [ $F_\xi$ ],  
199 and  $K$  is the number of steps

$$SD[\Delta A^{(abf)}] \approx (\xi_b - \xi_a) \frac{\sigma}{K^{1/2}} (1 + 2\kappa)^{1/2}$$

200 To increase the efficiency the reaction coordinate,  $\xi$ , was  
201 truncated into smaller distances,  $(\xi_b - \xi_a)$ . The octanol bilayer,  
202 bulk octanol, and membrane bilayer were divided evenly into  
203 15, 35, and 12 windows with the widths of 2, 3.5, and 3 Å,  
204 respectively. The initial configurations of each window were  
205 selected from trajectories obtained from steered molecular  
206 dynamics (SMD) simulations.<sup>67</sup> During SMD simulations, a  
207 harmonic constraint was placed on the COM of the POPC  
208 phospholipid bilayer with a spring constant of 50.0 kcal/mol/  
209 Å<sup>2</sup> to minimize upward and downward motion of the bilayer  
210 throughout the trajectory. Three replicas of the PMF were  
211 calculated across an octanol bilayer/water interface (interface  
212 I), two replicas of the PMF were calculated across a thick  
213 octanol slab/water interface (interface II), and two replicas of  
214 the PMF were calculated across a model phospholipid bilayer  
215 membrane (POPC/water) interface (interface III). The first  
216 replica of each of the free energy profiles of the CPT with the  
217 octanol bilayer, bulk octanol, and membrane bilayer were  
218 converged after 35, 60, and 142 ns, respectively. A summary of  
219 system setup and sizes are in Table 1.

220 **2.2.3. Orientation Angle.** The angle  $\theta$  between the CPT  
221 and the interface in question was calculated using

$$\vec{A} \cdot \vec{z} = \cos \theta \cdot |\vec{A}| \cdot |\vec{z}|$$

222 Here,  $\theta$  is the angle between the vector  $\vec{A}$  on CPT, which was  
223 defined by C16–O2 (numbering was solely based on PDB, see  
224 Supporting Figure 2), and the unit vector  $\vec{z}$  of the box. All  
225 physical fluctuations of the bilayer or the thick octanol were  
226 disregarded to simplify the angle calculations.  
227

228 **2.2.4. Partition Coefficient.** The partition coefficient was  
229 calculated with two different methodologies. The first method  
230 of calculating the partition coefficient,  $\log P$ , of CPT in each  
231 system was extrapolated using the free energy profile from ABF  
232 calculation  
233

$$\log P = \frac{-\Delta G_{\text{transfer}}^{\text{w} \rightarrow \text{o}}}{RT \ln(10)} = \frac{-(\Delta G_{\text{octanol}} - \Delta G_{\text{water}})}{RT \ln(10)}$$

$$= \frac{\Delta G_{\text{water}} - \Delta G_{\text{octanol}}}{RT \ln(10)}$$

234 where  $R$  is the gas constant and  $T$  is the temperature. In the  
235 second method, the partition coefficient of CPT in each system  
236 was calculated from  
237

$$K = 2 \int_{L/2}^0 e^{-\Delta G(z)/RT} dz$$

238 where  $L$  is the width of the interface.<sup>68</sup> Here,  $\log P$  is the same  
239 as  $\log K$ .

240 **2.2.5. Rotational Entropy.** The rotational entropy of the  
241 CPT drug is estimated from the principal root-mean-square  
242 (rms) fluctuations of Euler angles. We utilize the method from  
243 Carlsson and Aqvist et al.<sup>69</sup> Rotational entropy of any molecule  
244 can be written as  
245

$$S^{\text{rot}} = -\frac{R}{h^3} \int \mathbf{p}(p, r) \ln(p, r) dp dr$$

246 where  $\mathbf{p}(p, r)$  is the position and momentum in rotational  
247 phase space. The above equation can also be written as  
248

$$S^{\text{rot}} = R \ln \left[ \frac{1}{\sigma_s} \left( \frac{2\pi e k_B T}{h^2} \right)^{3/2} (I_a I_b I_c)^{1/2} \right] - R \int P_{\text{rot}}(\Theta) \ln P_{\text{rot}}(\Theta) d\Theta$$

249 where  $R$  is the gas constant,  $k_B$  is Boltzmann's constant,  $e$  is  
250 Euler's number,  $T$  is the temperature,  $\sigma_s$  is the symmetry  
251 number,  $I_a$ ,  $I_b$ ,  $I_c$  are the time average moment of inertia along  
252 the three principal axis, and  $P_{\text{rot}}(\Theta)$  is the probability density  
253 of positions in rotational phase space. It is very difficult to  
254 obtain the correct  $P_{\text{rot}}(\Theta)$  from molecular dynamics simulation  
255 trajectories, especially for complex systems. Thus, we use a  
256 Gaussian distribution to calculate  $P_{\text{rot}}(\Theta)$ .<sup>52</sup> The Gaussian  
257 probability distribution can be written as  
258  $P_{\text{rot}}(\Theta) = \frac{1}{(2\pi)^{3/2} \det(\sigma)^{1/2}} \exp \left[ -\frac{1}{2} (\chi - \bar{\chi}) \sigma^{-1} (\chi - \bar{\chi}) \right]$ , where  $\chi$   
259 is the rotational variable (the Euler angles) and  $\sigma$  is the  
260 covariance matrix of the Euler angles. Finally, the rotational  
261 entropy can be written as<sup>51,69</sup>

$$S^{\text{rot,gaussian}} = R \ln \left[ \frac{(2\pi e)^{3/2}}{\sigma_s} \left( \frac{2\pi e k_B T}{h^2} \right)^{3/2} \times (I_a I_b I_c)^{1/2} \sigma_\phi \sigma_\psi \sigma_\theta \sin \bar{\theta} \right]$$

262 where  $R$  is the gas constant,  $e$  is the Euler number,  $\sigma_s$  is the  
263 symmetry number, which normalizes the number of different  
264 molecular conformations by rotation,<sup>70</sup>  $k_B$  is the Boltzmann's  
265 constant,  $h$  is the Planck's constant;  $I_a$ ,  $I_b$ ,  $I_c$  are the principal  
266 moments of inertia, and  $\bar{\theta}$  is the average value for  $\theta$  from  $0 \leq \theta \leq 2\pi$

261  $\leq \pi$ . Here,  $0 \leq \varphi \leq 2\pi$ ,  $0 \leq \psi \leq 2\pi$ , and  $0 \leq \theta \leq \pi$  are the  
262 Euler angles. The formula includes deformation of the drug  
263 structure accounted for in the principal moments of inertia.  
264 **2.2.6. Drug Enthalpy.** The average drug enthalpy,  $\Delta H_{\text{drug}}$   
265 for each window was calculated as

$$H_{\text{drug}} = E_{\text{van der Waals}} + E_{\text{electrostatics}}$$

266 For  $H_{\text{drug}}$ , we include the interactions between CPT and its  
267 surrounding species, such as CPT–water, CPT–POPC,  
268 CPT–octanol, and CPT–ion. All other interactions between  
269 non-CPT molecules were excluded. These interactions  
270 between non-CPT molecules should be included in the total  
271 enthalpy  $H_{\text{total}} = H_{\text{drug}} + H_{\text{environment}}$ , where  $H_{\text{environment}}$  includes  
272 the surrounding molecules, such as phospholipid, the octanol,  
273 and water.

274 **2.2.7. Hydrogen Bonds.** The hydrogen bond analysis was  
275 performed using the Cpptraj package<sup>71</sup> from AmberTools. The  
276 cutoff angle was  $120^\circ$ , and the cutoff distance was  $3 \text{ \AA}$ . Since  
277 CPT and octanol can both be hydrogen donor and acceptor,  
278 we consider both cases. The atoms used to calculate the H  
279 bonds are the oxygen from the hydroxyl on the CPT, the  
280 oxygen from the hydroxyl on the octanol, and either the  
281 oxygen from the phosphate or nitrogen from the choline group  
282 on the POPC.

### 3. RESULTS AND DISCUSSION

283 In the present work, we characterize the free energy profiles of  
284 a model hydrophobic anticancer drug, CPT, across three  
285 different interfaces—an octanol bilayer/water interface (inter-  
286 face I), a thick octanol slab/water interface (interface II), and a  
287 model phospholipid bilayer membrane composed by 1-  
288 palmitoyl-2-oleoyl-sn-glycero-3-phosphocholine (POPC)/  
289 water interface (interface III)—using the ABF methodology.  
290 We next characterize the enthalpic and entropic energetic  
291 contributions of CPT with these three interfaces (interfaces I,  
292 II, and III).

293 **3.1. Calculation of Free Energy Profiles.** To begin with,  
294 we calculate the potential of mean force profile,  $\Delta G$ , in kcal/  
295 mol, across three replicas of interface I. As shown in Figure 1A,  
296 the octanol bilayer exhibits significant fluctuations, but the  
297 octanol is still fairly ordered at the interface. Moreover, the  
298 octanol bilayer is significantly thinner ( $\sim 20 \text{ \AA}$ ) than a model  
299 phospholipid membrane bilayer ( $\sim 40 \text{ \AA}$ ). See Supporting  
300 Figure 3, for a snapshot of the system setup and the electron  
301 density. To address the convergence of the free energy profiles,  
302 we show the time evolution of the first replica of the free  
303 energy profile, the variations in the gradient forces, as well as  
304 the total counts in Supporting Figure 4. The  $\Delta G_{\text{transfer}}$  as  
305 indicated in Figure 1B, calculated is 5.5 kcal/mol. At the  
306 hydrophobic center of the octanol bilayer, CPT experiences a  
307 very small energy barrier,  $\Delta G_{\text{barrier}}$  0.5 kcal/mol. The  
308 corresponded partition coefficient,  $\log P$ , was calculated from  
309 the  $\Delta G_{\text{transfer}}$  to be 4.0. The second method of calculating the  
310 partition coefficient, from  $\int e^{\text{PMF}/RT}$  gives  $\log K = 1.8$ . In  
311 comparison, the octanol/water partition coefficient of CPT is  
312 known to be 1.74.<sup>72</sup> The second method, integrating the values  
313 of the local partition coefficients across the interface, gives very  
314 close agreement with experimentally reported results, even  
315 though we are simulating a very thin octanol bilayer.

316 Next, we construct a thick layer of octanol ( $\sim 80 \text{ \AA}$ ) to  
317 characterize the effect of increased thickness on the free energy  
318 profile across interface II. We calculate the potential of mean  
319 force profile,  $\Delta G$ , in kcal/mol, across two replicas of this

320 interface. We start the free energy calculation at the COM of 320  
the bulk octanol layer. The octanol slab exhibits tail and head 321 enriched regions; which are scattered throughout the bulk 322 octanol layer (see Figure 2A), first described as “overlapping 323 elongated inverse micelle” regions by Tieleman et al.<sup>73</sup> (see 324 Figure 2B). The hydroxyl groups line up to form hydrophilic 325 paths so that water molecules penetrate the bulk phase from 326 both sides of the octanol layer. According to the electron 327 density profile (see Figure 2C), at  $\sim 55 \text{ \AA}$  away from the COM 328 of the octanol, we see the effects of the neighboring bulk water 329 on the ordering of the octanol at the interface, with the 1- 330 octanol at the surface forming an ordered monolayer. To 331 address the convergence of the free energy profiles, we show 332 the time evolution of the first replica of the free energy profile, 333 the variations in the gradient forces, as well as the total counts 334 in Supporting Figure 5. After 60 ns, the PMF profile converges. 335 We calculate the potential of mean force profile,  $\Delta G$ , in kcal/ 336 mol, across three replicas of the thick octanol interface (Figure 337 2C). The  $\Delta G_{\text{transfer}}$  calculated at  $70 \text{ \AA}$  from the COM of the 338 slab with a value of 6.2 kcal/mol. This corresponds to an 339 overestimated partition coefficient of 4.6. The second method 340 of calculating the partition coefficient, from  $\int e^{\text{PMF}/RT}$  gives 341  $\log K = 2.2$ ; however, it is much closer to the experimentally 342 reported partition coefficient of 1.74.<sup>72</sup> We note that the 343 ordering of the 1-octanol across the interface corresponds to 344 multiple barriers within the free energy profile. Here, the 345 influence of the thickness of the octanol layer plays multiple 346 roles. To begin with, the interface is wider by a factor of 4. 347 Moreover, the ordering of the octanol across the interface in 348 both cases, the octanol bilayer as well as the thick octanol layer, 349 is substantially different. 350

351 We next calculate the potential of mean force profile,  $\Delta G$ , in 351  
352 kcal/mol, across two replicas of the POPC bilayer/water 352 interface (Figure 3 B). The CPT was initially placed 35 Å away 353 from the COM of a model POPC phospholipid membrane 354 bilayer (see Figure 3A). See also Supporting Figure 6 for 355 additional snapshots of the system setup and electron density. 356 We show the time evolution of the first replica of the free 357 energy profile, the variations in the gradient forces, as well as 358 the total counts in Supporting Figure 7. In addition, the time 359 dependent violin plot of the orientation angles for both replicas 360 are shown in Supporting Figures 8 and 9. The free energy to 361 transfer CPT across interface III is found to be 5.8 kcal/mol 362 (see Figure 3B) after nearly 166 ns ABF calculations. From the 363  $\Delta G_{\text{transfer}}$ , the partition coefficient was calculated to be 4.05. To 364 our knowledge, there is no available experimental partition 365 coefficient for CPT with POPC. However, a value of 1.67 was 366 reported with DOPC.<sup>74</sup> The second method of calculating the 367 partition coefficient, from  $\int e^{\text{PMF}/RT}$  gives  $\log K = 1.9$ . This is a 368 difference of 13% from the reported value for the partition 369 coefficient with DOPC, which seems reasonable. The barrier 370 free energy for CPT to cross the hydrophobic core from one 371 leaflet to another is approximately 3 kcal/mol. To summarize, 372 here, we calculate the partition coefficient for a model 373 hydrophobic drug across three different model hydrophobic 374 interfaces with increasing degrees of thickness and hetero- 375 geneities in composition. Slow convergence of the free energy 376 profiles, in particular across the model POPC phospholipid 377 bilayer suggest multiple hidden reaction coordinates. 378

379 **3.2. Spatial Orientation of Drug.** To characterize one of 379  
380 the first most probable hidden reaction coordinates, we 380 characterize the spatial orientation of CPT with respect to 381 the normal vector of the model interfaces, along the reaction 382

383 coordinate,  $d_z$ . We consider the interfaces to be rigid and  
 384 neglect vertical fluctuations of the layers. Thus, the calculated  
 385 angle of the drug reflects its relative orientation to each  
 386 respective layer.

387 In Figure 4, violin plots show the distribution of angles  
 388 between the three interfaces and CPT. In Figure 4A, for the

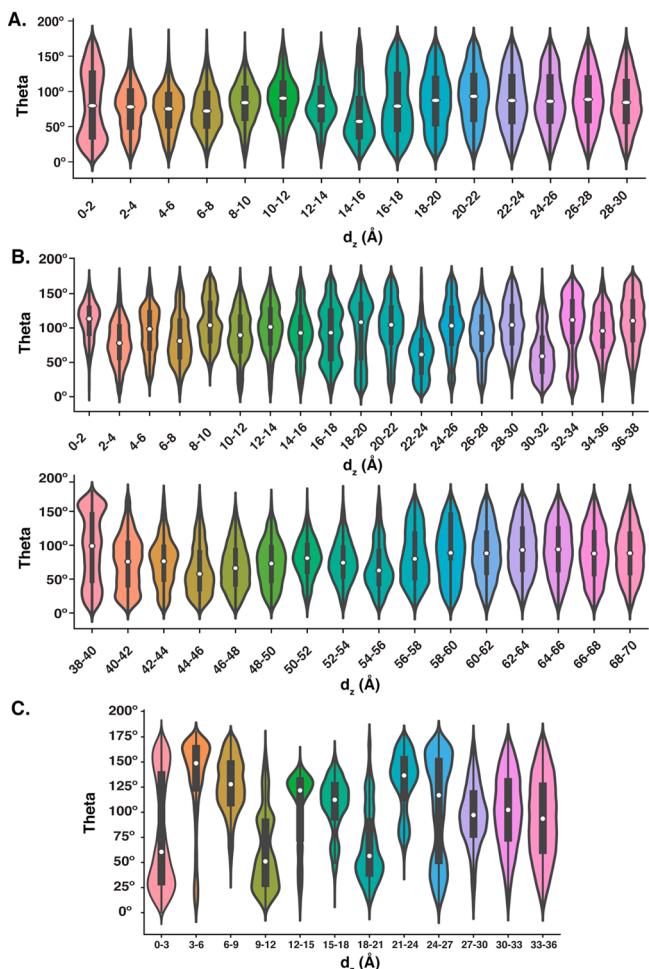


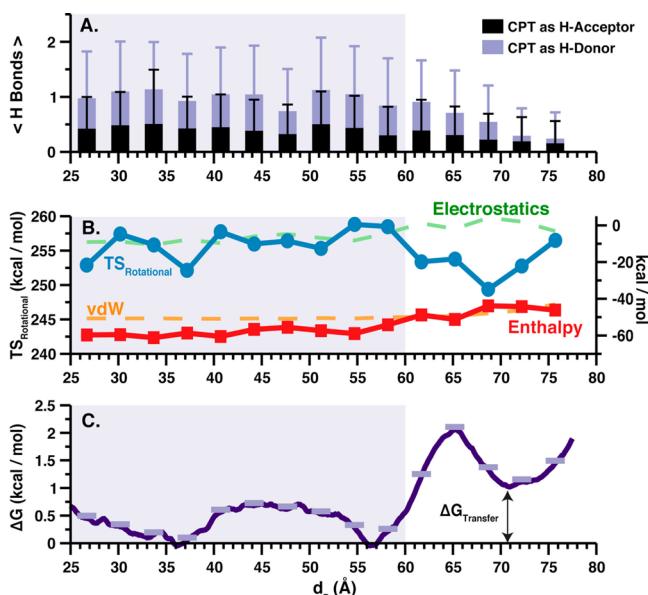
Figure 4. (A) Violin plots showing the distribution of  $\theta$  angles between CPT and the normal vector of the octanol bilayer (interface I) for the first replica. Each plot is calculated on each window. The white dots are averaged angles. The black bars indicate the 95% confidence interval. (B) Violin plots showing the distribution of  $\theta$  angles between CPT and the normal vector of the thick octanol (interface II) for the first replica. Each plot is calculated on each window. The white dots are averaged angles. The black bars indicate the 95% confidence interval. (C) Violin plots showing the distribution of  $\theta$  angles between CPT and the normal vector of the POPC bilayer (interface III) for the first replica. Each plot is calculated on each window. The white dots are average angles. The black bars indicate the 95% confidence interval.

389 octanol bilayer (interface I) CPT is slightly tilted parallel to the  
 390 acyl chains as shown by higher population of angles around  
 391 25° and 130°. Most likely, this is to minimize the local steric  
 392 hindrances within the hydrophobic core. However, when CPT  
 393 is in the interfacial region, approximately from 5 Å away from  
 394 the COM of the octanol bilayer, interactions between the CPT  
 395 and the octanol bilayer, such as hydrogen bonds, shifts the  
 396 distribution of the angles to around 80–110°. This implies that  
 397 the CPT is almost parallel to the octanol bilayer, with the only

398 hydroxyl group of the CPT pointing toward the hydroxyl 399 groups of the octanols. In Figure 4B, for the thick octanol layer 399  
 400 (interface II), the distribution of angles is quite different from 400  
 401 the ordered octanol bilayer. As expected, the “overlapping 401  
 402 elongated inverse micelles” influence the orientation of CPT. 402  
 403 Until about 40 Å away from the COM, CPT rotates freely. 403  
 404 However, at 42–46 and 60–63 Å, there are strong interactions 404  
 405 that correspond to minima in the PMF (see Figure 2B). 405

406 The distribution of angles of CPT with respect to the 406  
 407 phospholipid membrane bilayer (interface III) suggests strong 407  
 408 interactions of the CPT with the phospholipids in the 408  
 409 interfacial region (see Figure 4C). Compared to the other 409  
 410 two systems, the POPC head groups have more pronounced 410  
 411 effects on the orientation of the CPT. CPT is slightly tilted 411  
 412 parallel to the acyl chains in the center of the membrane 412  
 413 indicated by the higher population of angles around 25° and 413  
 414 150°, with a distinct lack of CPT oriented at an angle of 90°. 414  
 415 However, we find that CPT can make a nearly 180° flip as a 415  
 416 rare event in the simulation trajectory. Indeed, the strong 416  
 417 orientational dependence of the CPT in the membrane causes 417  
 418 slow convergence of the PMF profile in this region (see Figure 418  
 419 3B). It is possible that spatial orientation can be used as the 419  
 420 second reaction coordinate for the free energy surface across 420  
 421 the phospholipid membrane bilayer in future studies. Figure 421  
 422 also demonstrates that within the interfacial region, CPT is 422  
 423 not as parallel to the membrane as in the other two model 423  
 424 interfaces. Instead, the CPT points its hydroxyl group toward 424  
 425 the POPC head groups. Since the POPC is zwitterionic, 425  
 426 electrostatic interactions can also play a role. For example, the 426  
 427 drug can exhibit multiple electrostatic interactions with the 427  
 428 dipole layer of the POPC membrane. Next, we further explore 428  
 429 the relationship between the strength of hydrogen bonds 429  
 430 between the drug and the interfaces (I, II, and III) and how 430  
 431 this affects the rotational entropy of the drug. In addition, we 431  
 432 characterize the van der Waals and electrostatic contributions 432  
 433 to the enthalpy.

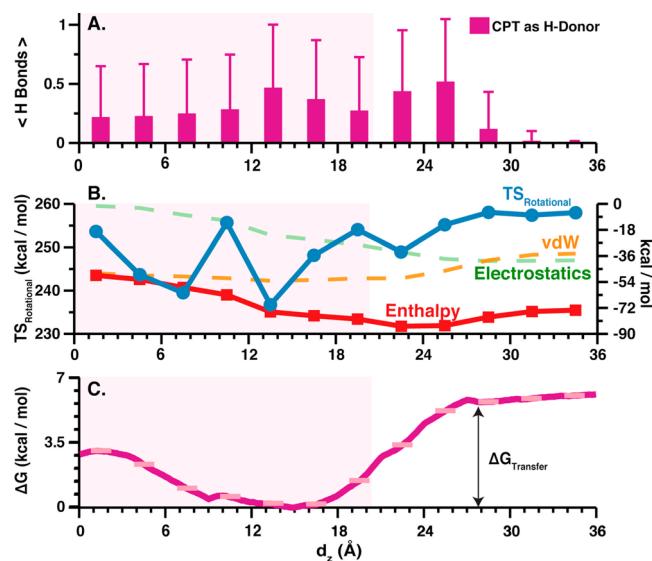
3.3. Hydrogen Bonds, Rotational Entropy, and 434  
**Enthalpy.** Next, from the ABF trajectories, we quantify the 435  
 average numbers of hydrogen bonds,  $\langle H \text{ bonds} \rangle$ , and the 436  
 rotational entropy of the CPT,  $S_{\text{rotational}}$ , for all three interfaces, 437  
 averaging over the first replica. One should note that both CPT 438  
 and octanol molecules can be hydrogen bond donors and 439  
 acceptors. As mentioned above, to be consistent and compare 440  
 all three systems, CPT and octanols were both analyzed as a 441  
 donor and acceptor while POPC was only considered as a 442  
 donor. With the octanol bilayer (interface I), there are two 443  
 minima of the  $S_{\text{rotational}}$  (see Supporting Figure 10) as the CPT 444  
 approaches the membrane. One of them matches the 445  
 minimum in the PMF profile, while the other is close to the 446  
 interfacial region. As shown in Supporting Figure 11, which 447  
 includes a detailed cross correlation coefficient matrix between 448  
 the electrostatic energy, H-bonding, the PMF, the rotational 449  
 entropy, and the van der Waals energy for the thin octanol 450  
 bilayer, the PMF is very weakly anticorrelated with the 451  
 rotational entropy. With the thick octanol layer (interface II), 452  
 H bonds consistently form everywhere, especially in the 453  
 interfacial region, as well as inside the thick octanol phase. One 454  
 might suspect that CPT is then locked into a specific spatial 455  
 orientation. However, the angle analysis and the  $S_{\text{rotational}}$  456  
 indicate otherwise. CPT rotates freely in the bulk octanol 457  
 phase (see Figures 4B and 5). Whereas there are three minima 458  
 in the PMF profile, the  $S_{\text{rotational}}$  profile possesses multiple 459  
 minima with a maximum in the water. We find that the lower 460



**Figure 5.** Interface II: (A) The average number of hydrogen bonds for each window of the thick octanol slab in both situations where CPT can be a donor (purple) or acceptor (black). The bars indicate standard deviation. (B) The rotational entropy of CPT ( $TS_{\text{rotational}}$ ), the enthalpy, which has contributions due to the van der Waals (vdW), and the electrostatics are plotted along the distance between the center of mass of CPT and the thick octanol slab. The left axis is for the rotational entropy of CPT only. (C) The  $\Delta G$  in kcal/mol of the CPT along the z-direction of the thick octanol layer after 60 ns. Error bars are in light purple. The shaded area indicates the thickness of the thick octanol layer based on its electron density. All data shown for first replica.

461 free energy within the thick octanol layer is favorable from  
 462 electrostatic, enthalpic, and entropic contributions due to the  
 463 rotational entropy of the drug. As shown in *Supporting Figure*  
 464 12, which includes a detailed cross correlation coefficient  
 465 matrix between the electrostatic energy, H-bonding, the PMF,  
 466 the rotational entropy, and the van der Waals energy for the  
 467 thick octanol bilayer, the PMF is also very weakly  
 468 anticorrelated with the rotational entropy, which is similar to  
 469 the thin octanol bilayer.

470 With the POPC membrane bilayer (interface III), the  
 471 average number of hydrogen bonds is lower than the other two  
 472 systems (see Figure 6A). Interestingly, similar to the octanol  
 473 bilayer, the two minima of  $S_{\text{rotational}}$  were similar to those in the  
 474 PMF profile (see Figure 6B and C). Importantly, when the  
 475 CPT loses its rotational entropy, the average number of  
 476 hydrogen bonds increases, with the corresponding minima in  
 477 the PMF. However, in the inner hydrophobic core of the  
 478 membrane, CPT regains its rotational entropy due to the  
 479 spontaneous breaking of  $\text{C}-\text{H}_{\text{CPT}}\cdots\text{O}_{\text{POPC}}$  hydrogen bonds. As  
 480 the CPT crosses the phospholipid membrane interface, the  
 481 dominant hydrogen bond for each position based on its  
 482 lifetime is shown in Figure 7. At 6–9 Å the dominant hydrogen  
 483 bond is  $\text{C}-\text{H}_{\text{CPT}}\cdots\text{O}_{\text{Glycerol/POPC}}$  hydrogen bonds. At 12–15 Å  
 484 the dominant hydrogen bond is  $\text{O}-\text{H}_{\text{CPT}}\cdots\text{O}_{\text{Phosphate/POPC}}$   
 485 hydrogen bonds. At 21–24 Å the dominant hydrogen bond  
 486 is  $\text{O}-\text{H}_{\text{CPT}}\cdots\text{O}_{\text{Glycerol/POPC}}$  hydrogen bonds. In contrast to the  
 487 thick octanol layer, we find that the lower free energy within  
 488 the POPC membrane bilayer is unfavorable from electrostatic  
 489 and enthalpic contributions; however, the rotational entropy of  
 490 the drug corresponds with the location of the free energy

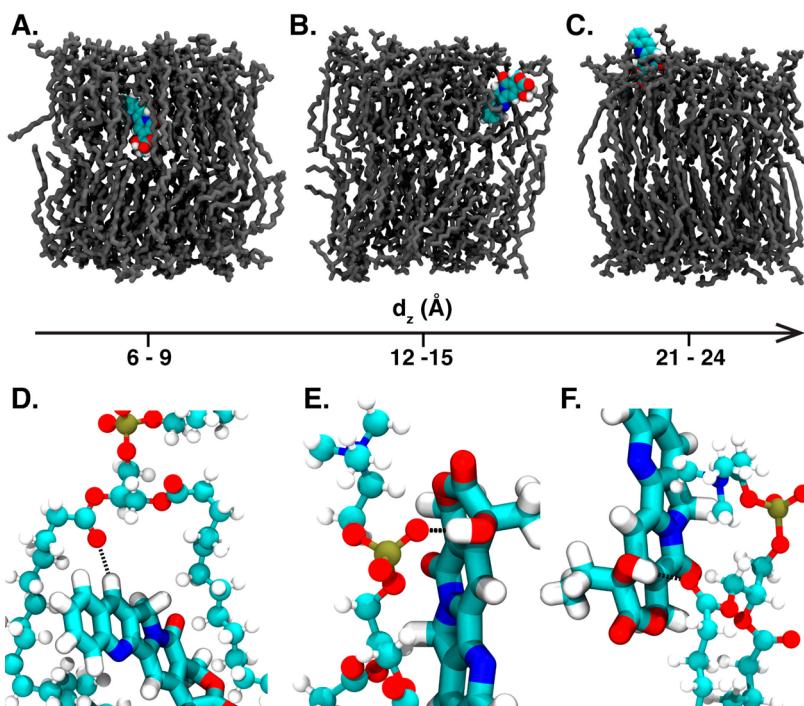


**Figure 6.** Interface III: (A) The average numbers of hydrogen bonds bonds for each window along the POPC interface in both situations where CPT can be a donor (magenta). The bars indicate standard deviation. (B) The rotational entropy of CPT ( $TS_{\text{rotational}}$ ), the enthalpy, which has contributions due to the van der Waals (vdW), and the electrostatics, are plotted along the distance between the center of mass of CPT and the POPC bilayer. The left axis is for the rotational entropy of CPT only. (C) The The  $\Delta G$  in kcal/mol along the z-direction of the POPC bilayer after 166 ns. Error bars are in light magenta. The shaded area indicates the thickness of the POPC bilayer based on its electron density. All data shown for first replica.

491 minimum. Thus, we infer that with more complex and ordered  
 492 interfaces the rotational entropy of the drug can play a  
 493 significant role in the location of the free energy minimum. In  
 494 particular, the rotational entropy of the drug is inversely related  
 495 to the average numbers of hydrogen bonds of the drug with the  
 496 phospholipid headgroups. The cross correlation coefficient for  
 497 the rotational entropy of the drug with respect to the average  
 498 number of hydrogen bonds is  $-0.48$ . A detailed cross  
 499 correlation coefficient matrix between the electrostatic energy,  
 500 H-bonding, the PMF, the rotational entropy, and the van der  
 501 Waals energy for the POPC bilayer is shown in *Supporting*  
 502 Figure 13. We calculate the difference in rotational entropy,  
 503 van der Waals, and electrostatic interactions in the bulk vs the  
 504 minimum in the POPC bilayer. The relative difference in  
 505 rotational entropy is 31.0 kcal/mol, while the difference in van  
 506 der Waals and electrostatic interactions are  $-18.9$  and  $17.4$   
 507 kcal/mol, respectively. Notably, the rotational entropy  
 508 contribution is nearly twice the van der Waals and electrostatic  
 509 contributions and is playing a critical role. Thus, at the cost of  
 510 decreasing rotational entropy, the minimum in the PMF profile  
 511 is still within the bilayer and the transfer free energy is 5.8  
 512 kcal/mol. This suggests that additional environmental  
 513 contributions to the enthalpy (and entropy) are the  
 514 determining factors in setting the relative minimum for the  
 515 drug in the interface and the overall magnitude of the transfer  
 516 free energy.

#### 4. HIGHER CONCENTRATION OF CPTS

We next hypothesize that the calculated partition coefficient  
 517 may neglect of cooperative CPT–CPT interactions, as well as  
 518 how this CPT drug stacking will affect the hydrophobic  
 519 environment of the membrane.<sup>48,75</sup> To test the degree of  
 520

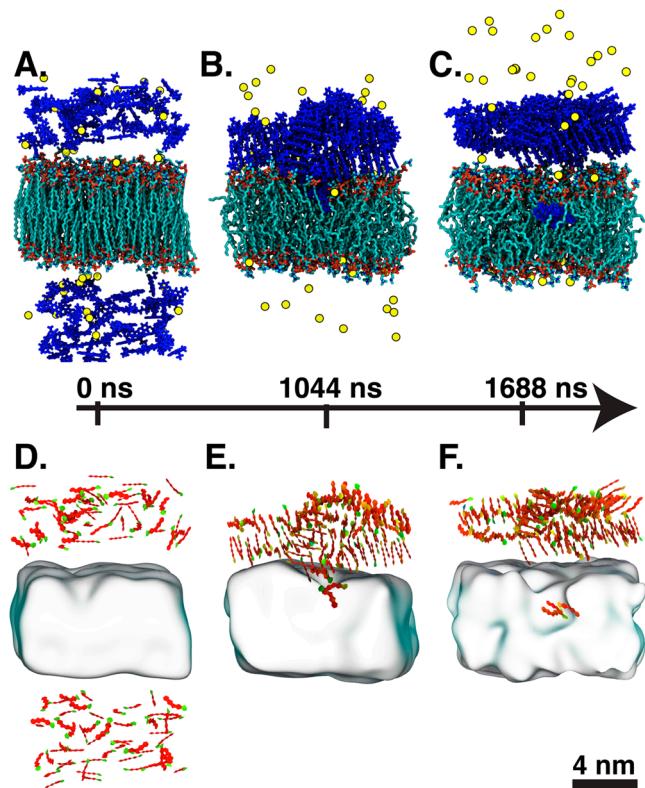


**Figure 7.** (A–C) Relative position and orientation of CPT with respect to the POPC membrane bilayer (interface III) at a distance of 6–9, 12–15, and 21–24 Å. (D–F) The dominant hydrogen bond at a distance of 6–9, 12–15, and 21–24 Å based on its lifetime.

521 CPT—CPT stacking and how the stacking will disrupt the  
 522 membrane interface, we ran a long-time 1.6  $\mu$ s simulation of  
 523 multiple CPTs above a slightly larger POPC bilayer at a  
 524 concentration of approximately 400 mM (411 mM), as shown  
 525 in Figure 8. The initial positions of the drug molecules are  
 526 completely randomly distributed on both sides of the  
 527 membrane. We find that the drug forms long chains of drug  
 528 molecules above the membrane surface that gradually push  
 529 down and permeate the bilayer after approximately 1  $\mu$ s shown  
 530 in Figure 8B. A fraction of these drug population breaks off and  
 531 remain in the bilayer, while the rest of the long chains form a  
 532 filament above the membrane surface at 1.8 Figure 8C. These  
 533 long chains locally distort the interfacial concentration of the  
 534 POPC chains. In Supporting Figure 14, the electron density  
 535 profile shows the CPT molecules distributed randomly in  
 536 solution above the membrane about 40 Å away from the COM  
 537 of the POPC bilayer. As shown, after 1.6  $\mu$ s, the CPT peak on  
 538 the electron density profile becomes sharper and shifts 50–65  
 539 Å away from the COM of the POPC bilayer (location of  
 540 filament), with a secondary peak due to drugs that break off  
 541 and insert themselves into the hydrophobic membrane just  
 542 under the POPC headgroups.

543 The sharper peak of CPT in Supporting Figure 14 is due to  
 544 well-organized CPT—CPT stacking. As Kang et al. suggests, a  
 545 dominant feature of CPT in solution is  $\pi$ — $\pi$  stacking.<sup>48</sup> With  
 546 this highly concentrated system, the CPT—CPT stacking via  
 547  $\pi$ — $\pi$  interactions greatly impacts CPT orientation and also its  
 548 permeation pathway into the membrane. Hence, it is  
 549 interesting to compare the orientation of multiple CPTs and the  
 550 membrane normal vector, as shown in Supporting Figure 2.  
 551 Interestingly, with the CPT—CPT stacking the violin plot of  $\theta$   
 552 angles shifts its shape significantly from the singular CPT  $\theta$   
 553 angle. In Supporting Figure 15, contrary to expectation where

CPTs should rotate freely at 50–65 Å away from the COM of the POPC bilayer, the higher concentration of CPTs is given by three populations that correspond to three orientations of CPTs with respect to the membrane normal vector: parallel ( $\sim 6^\circ$ ), perpendicular ( $\sim 75^\circ$ – $100^\circ$ ), and antiparallel ( $\sim 175^\circ$ ). These three orientations are caused by pronounced CPT—CPT stacking and are absent in the singular CPT systems. To test if the formation of filamentous assemblies is dependent on the initial concentration of the drug, we next ran three additional concentrations. All simulation runs of varying CPT concentration above the membrane are summarized in Supporting Table 1. We ran two additional high concentration systems at 24 and 94 mM. In addition, one additional replica containing a single CPT was run, to test passive diffusion for one drug only. All three systems at high concentrations (24, 94, and 411 mM) show the formation of filamentous assemblies. The additional replica containing a single CPT the drug enters the membrane after 16 ns. The electron density over time, as well as the order parameter of the phospholipid tails, is shown in Supporting Figures 16–19. We note that the trend in these systems is that the drugs penetrate into the membrane in groups of 2–3, but longer chains of drugs do not insert. Thus, the presence of additional surrounding drugs greatly modifies the orientation of each CPT with the membrane as the drugs form stacks that lay on top of the phospholipid bilayer but do not directly interact. We note that the formation of the drugs into these long stacks above the membrane effectively reduce the rotational entropy of the drug, shifting its contribution to the free energy profile across the bilayer and greatly affect the membrane permeation pathway. In addition, the hydroxyl group of the CPT cannot easily form H bonds with the membrane surface. In comparison with experiments, the experimentally reported partition coefficients from Selvi et al.<sup>74</sup> are at the 0.11  $\mu$ g/mL concentration. Furthermore,



**Figure 8.** (A) Snapshot of the CPTs at high concentration, starting configuration at 0  $\mu$ s. POPC is shown in Licorice representation. CPT is shown in blue. (B) A snapshot of the CPTs at high concentration ordering above the membrane, after starting to insert into the POPC bilayer at 1.044  $\mu$ s. The drug forms stacks along the surface of the membrane. Several drugs start to insert just under the phospholipid headgroups. POPC is shown in Licorice representation. (C) CPTs above the membrane with few remaining CPTs inside the membrane at 1.68  $\mu$ s CPT. (D, E) CPT is shown in Paperchain presentation and the POPC is shown as a transparent slab. The drug forms stacks along the surface of the membrane. Several drugs start to insert just under the phospholipid headgroups.

the experimental concentrations by Cheetham et al.<sup>49</sup> are in the 50  $\mu$ M range; however, supramolecular aggregates, as reported by Cheetham et al.,<sup>49</sup> expect that a high concentration of CPTs are stable in supramolecular aggregate form at 20  $\mu$ M. While the lowest concentration we simulate is  $\sim$ 4 mM is 50 nearly times more concentrated than this concentration, the local concentration of CPT's may be increased if interactions with the membrane destabilize individual supramolecular aggregates. Effectively, the membrane may serve as a surface that is nucleating and growing unidimensional drug crystals. The membrane itself may lower the critical concentration for growth of these supramolecular aggregates.

## 5. CONCLUSION

We summarize the results of the calculated partition coefficient for the three model systems as calculated with the adaptive biasing force (ABF) methodology in Table 2. In comparison with experimentally reported partition coefficients, the value for  $\log P_{\text{octanol/water}}$  that we calculate from the transfer free energy are off by a factor of 2. However, calculation via the second methodology, from integration over the potential of mean force, gives a closer agreement (2.2) with the experimentally reported value (1.74). Surprising, calculation of the partition coefficient using the second methodology, integrating over a thin octanol bilayer gives excellent agreement (1.8) with experimental partition coefficient (1.74<sup>72</sup>). For the POPC membrane, we find that the value of the partition coefficient calculated from the transfer free energy (4.1) is extremely high compared to the experimentally reported value for a model DOPC membrane (1.65<sup>74</sup>). However, recalculation via the second methodology (1.9) gives closer agreement. The closer agreement of the calculated partition coefficient,  $\log K$ , with experimentally reported values for the partition efficient implies that interfacial structure plays a critical role in all three interfaces. Indeed, the minima in the PMFs for the first and third interface are 5  $\text{\AA}$  or less from the thickness of the interface as defined by the density profile. For the second interface, the minimum in the PMF is  $\sim$ 20  $\text{\AA}$  from the bulk octanol surface. Therefore, in all three cases, one can infer that the drug will be interfacially active, with more drug partitioning close to the interface, as opposed to the bulk.

We note that the lack of polarization in the TIP3P water model may provide the wrong baseline for partitioning and the lack of polarization may impact transfer free energies. While force fields that include polarizability may lead to higher accuracy for the transfer free energies, this would come at an increased computational cost. Including polarizability of the water, or else the phospholipids, could impact the permeation pathways.<sup>76,77</sup> Herein, we attempt to correlate the strength of hydrogen bonding of this model hydrophobic cancer drug, CPT, with a model phospholipid bilayer with the rotational entropy of the drug. We show that the two are inversely correlated, with an anticorrelation coefficient of  $-0.47$ . In particular, the orientation of the drug with respect to each model interface is determined to some degree due to the strength of hydrogen bonding at each respective interface. Most notably, because of the planar pentacyclic structure of CPT, it can form strong aromatic interactions with itself. We show that these strong aromatic interactions lead to the formation of stacks of drug that form across the membrane at higher concentrations. The formation of CPT drug stacks modulates the interaction of the drug with the phospholipid bilayer, shifting the orientation of the drug with respect to the membrane, changing the membrane permeation pathway.

**Table 2.  $\Delta G_{\text{barrier}}$ ,  $\Delta G_{\text{transfer}}$ , and Partition Coefficients ( $\log P$  and  $\log K$ ) as Defined in the Methods Section Based on Average over All Replicas for Each Interface<sup>a</sup>**

	simulations		experiments	
	$\Delta G_{\text{barrier}}$ (kcal/mol)	$\Delta G_{\text{transfer}}$ (kcal/mol)	$\log P$	$\log K$
octanol bilayer (interface I)	$0.27 \pm 0.15$	5.5	4.0	1.8
thick octanol layer (interface II)	N/A	6.2	4.6	2.2
POPC membrane bilayer (interface III)	$3.8 \pm 0.8$	5.8	4.1	1.9
				$\log P$ (experimental)

<sup>a</sup>Comparison with experimentally reported partition coefficients from refs 72 and 74.

With the increasing computational power available, in addition to recent increasing interest in the power of machine learning approaches to predict small drug permeability in membranes,<sup>12–14</sup> we note that further characterization of variables and/or hidden reaction coordinates that determine small drug permeability in membranes is urgent.<sup>78,79</sup> However, we note that these models have so far not accounted for the strength of drug–drug interactions on the modulation of the permeability into the membrane. This may be an additional consideration that needs to be taken into account into these models. A methodology uniquely suitable for exploring the contribution of drug–drug interactions on membrane permeability is rational coarse-grained methods.<sup>79,80</sup>

## ASSOCIATED CONTENT

### Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jctc.9b00541>.

Summary of additional simulation runs at varying CPT concentrations above the membrane, the structure of CPT, schematic illustration of the angle between the membrane and normal vector, additional snapshots and electron densities for the three interfaces, the time evolution of the PMF profiles for all three interfaces, time-dependent plots of orientation angles, hydrogen bonds, rotational entropy, thermodynamic contributions and matrixes of cross correlation coefficients, and the electron density profiles and order parameters of the POPC tails for the high concentration CPT systems are also characterized ([PDF](#))

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<sup>1</sup>K.C. and W.H. are co-second authors.

## Notes

The authors declare no competing financial interest.

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