1 **Upper mantle slab under Alaska: contribution to anomalous core-phase**

2 **observations on south-Sandwich to Alaska paths**

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18 **Abstract**

19 Observations of travel time anomalies of inner core-sensitive PKPdf seismic body

20 waves, as a function of path orientation with respect to the earth's rotation axis, have

21 been interpreted as evidence of anisotropy in the inner core. Paths from earthquakes

22 in the South Sandwich Islands to stations in Alaska show strongly anomalous travel

23 times, with a large spread that is not compatible with simple models of anisotropy.

24 Here we assess the impact of strong velocity heterogeneity under Alaska on the travel

25 times, directions of arrival and amplitudes of PKPdf. We use 3D ray-tracing and 2.5D

26 waveform modelling through a new, high-resolution tomography model of the upper

27 mantle beneath Alaska. We find that the structure beneath Alaska, notably the

28 subducting slab, is reflected in the patterns of these PKPdf observations, and this can

29 be replicated by our model. We also find similar patterns in observed teleseismic P

30 waves that can likewise be explained by our slab model. We conclude that at least 2 s

31 of the travel time anomaly often attributed to inner core anisotropy is due to slab

32 effects in the upper mantle beneath Alaska.

33

34 **<u>Introduction</u>**

35 The observation of directionally dependent travel time anomalies of inner-core

36 sensitive body waves, combined with anomalous splitting of core-sensitive normal

37 modes, have been interpreted as evidence of cylindrical velocity anisotropy within

38 the inner core (IC) (Morelli et al., 1986; Woodhouse et al., 1986). The fast axis of

39 anisotropy is within several degrees of the rotation axis, while the slow direction

40 migrates from in the plane of the equator to within 55° of the rotation axis with

41 increasing depth in the IC (e.g. Ishii and Dziewonski, 2002; Lythgoe *et al.*, 2014; Frost

42 and Romanowicz, 2019). This anisotropy has been interpreted as resulting from

43 preferred alignment of anisotropic iron crystals within the inner core (Stixrude and

44 Cohen, 1995). The magnitude of anisotropy has been shown to vary between 0 and

45 8%, dependent on depth of sampling (e.g. Vinnik et al., 1994; Lythgoe *et al.*, 2014).

46 Meanwhile, its dependence on the longitude of sampling has been interpreted as

47 evidence of a hemispherical dichotomy, where the quasi-western hemisphere shows

48   stronger anisotropy of around 4% in most models, while the quasi-eastern

49   hemisphere show weaker anisotropy of 1-2% (Creager, 1999; Irving and Deuss, 2011;

50   Tanaka and Hamaguchi, 1997)

51

52   Inner core anisotropy is investigated using the core-sensitive body wave, PKP, which

53   comprises two branches sensitive only to the outer core, PKPbc and PKPab, and one

54   branch sensitive to both the outer and inner cores, PKPdf. The PKPab and PKPbc

55   branches are often used as references, in order to reduce the influence of source and

56   origin time errors, as well as upper mantle velocity heterogeneity, on the recorded

57   differential travel times. Residual travel times of PKPdf relative to a 1D reference

58   model show a dependence on the angle of the inner core portion of the ray relative to

59   the rotation axis, ξ (Morelli et al., 1986). Rays with $\xi<35°$ are referred to as polar and

60   are roughly aligned with the fast axis of anisotropy. These rays show negative PKPdf

61   travel time anomalies of up to 10 seconds (Morelli, Dziewonski and Woodhouse,

62   1986; Shearer, 1994; Su and Dziewonski, 1995; Li and Cormier, 2002; Cao and

63   Romanowicz, 2007; Lythgoe *et al.*, 2014; Romanowicz *et al.*, 2015, Frost et al., *in*

64   *revision*). Here, we use observed PKPdf travel times measured relative to predictions

65   from a 1D reference model, referred to as absolute PKPdf travel time anomalies.

66

67   Resolution of the global pattern of inner core anisotropy is limited by spatially

68   heterogeneous sampling of the IC on polar paths. Previous studies have noted the

69   strongly anomalous character of travel times on polar paths from sources in the South

70   Sandwich Islands (SSI) to stations Alaska, where rays with a range in ξ of only 6°

71 (26<ξ<32°) show a range of 6 s in travel time anomaly, in contrast with ~3 s for the

72 global data in the same ξ range, (Romanowicz et al., 2003; Garcia et al., 2006; Leykam

73 et al., 2010; Tkalčić, 2010; Tkalčić *et al.*, 2015; Frost and Romanowicz, 2017). This

74 behaviour is seen for both PKPdf absolute and PKPbc-df and PKPab-df relative travel

75 times (Supplementary Figure 1). This SSI-Alaska path may also show variations in the

76 amplitude of PKPdf (Long et al., 2018). The SSI-Alaska anomaly has led to

77 complications in the interpretation of inner core structure (Tkalčić, 2010).

78

79 Notably, given the frequent seismicity in the SSI, data from this source region to

80 stations in Alaska are often over-represented in catalogues of IC travel time

81 anomalies (e.g. Tkalčić et al., 2002). Previous studies have attempted to explain the

82 discrepant SSI-Alaska PKP data by invoking regional variations in the strength of IC

83 anisotropy (Tkalčić, 2010). Other studies have argued for a source outside of the IC,

84 specifically velocity anomalies in the tangent cylinder of the outer core (Romanowicz

85 et al., 2003), or polar caps with higher concentration of light elements (Romanowicz

86 and Bréger, 2000).

87

88 Other explanations have invoked the effect of lower mantle structure where the paths

89 of PKPdf and outer core reference phases PKPbc and PKPab most diverge. Tkalčić et

90 al. (2002) showed that fitting the SSI-Alaska anomaly requires rapid lateral variations

91 in the D″ layer. Recently, Long et al. (2018) proposed a model with a 3% velocity

92 increase in the lowermost mantle under Alaska, in addition to uniform inner core

93 anisotropy, to explain the SSI-Alaska anomaly. However, to explain the entire pattern

94   of travel time and amplitude anomalies with lower mantle structure alone requires a

95   rather extreme distribution of heterogeneity near the CMB. Accounting for trade-offs

96   requires either a thickness up to 650 km with a velocity perturbation of +3%, or P

97   velocity increases of 9.75% over a thickness of 200 km, which is far in excess of that

98   seen in tomography: 4 times stronger than that observed in the regional model of

99   Suzuki *et al.*, (2016) and over 10 times stronger than observed in the global model of

100   Simmons et al., (2011). In particular, fitting the variation of the anomaly from the

101   southwest to the northeast across Alaska requires an increasingly thick fast D'' layer

102   in the lowermost mantle, in contrast with mineral physics considerations which

103   predict that the D'' discontinuity height decreases towards the northeast (Sun et al.,

104   2016). Moreover, while PcP-P travel time measurements do indicate higher than

105   average wavespeeds in the lower mantle beneath Alaska, the models of Long et al.,

106   (2018) predict PcP-P travel time anomalies 3 times greater than observed (Ventosa

107   and Romanowicz, 2015). Thus, while models of D'' heterogeneity can explain the SSI-

108   Alaska anomaly, the parameters required are hard to reconcile with independent

109   observations. On the other hand, Helffrich and Sacks (1994) suggested that upper

110   mantle structure could be responsible for some portion of PKP travel time anomalies.

111   Indeed, in addition to lower mantle heterogeneity, global tomographic models show

112   strong velocity heterogeneity in the upper 1000 km of the mantle in the vicinity of

113   subduction zones (e.g. Fukao and Obayashi, 2013), resulting from active tectonic

114   processes near the surface.

115

116   Here we investigate the source of the SSI-Alaska anomaly, using data from the

117   USArray deployment in Alaska, which offers high spatial resolution of PKPdf travel

118   times. We observe and model the effects of strong upper mantle structure in our

119   recent 3D upper mantle tomography model of Alaska (Roecker et al., 2018) on the

120   direction, slowness and travel time of PKP waves. We show that the complex upper

121   mantle structure under Alaska is likely responsible for much of the SSI-Alaska

122   anomalous PKPdf observations. Observation and modelling of similar behaviour in P

123   waves (that do not sample the core) supports this conclusion.

124

125   **Upper mantle structure beneath Alaska and 3D effects on PKP propagation**

126   Alaska has been subject to multiple episodes of subduction, collision, and accretion

127   since the mid-Jurassic (Plafker et al., 1994). The present-day subduction of the Pacific

128   plate along the Aleutian arc began at ~55Ma (e.g. Scholl et al., 1986) and manifests as

129   steep subduction in the west, and flat slab subduction in the east, where the Yakutat

130   terrane, an oceanic plateau with a thick, low-density crust, is currently being accreted.

131   The structure of Alaska has been extensively studied using a range of methodologies:

132   receiver functions (e.g. Miller *et al.*, 2018), surface waves (e.g., Feng et al., 2018),

133   arrival time tomography (e.g. Martin-Short et al., 2016), and joint interpretations of

134   body and surface waves (e.g. Jiang *et al.*, 2018). These models show strong and multi-

135   scale velocity heterogeneity throughout the uppermost 800 km of the mantle.

136

137   The most recent models take advantage of the newly deployed USArray in Alaska

138   which offers instrumentation with a station spacing of ~85 km. In a separate study,

139   we obtained a high-resolution model of the upper 400 km of the Alaskan mantle using

140   a joint inversion of regional and teleseismic P and S travel times from 7 months of

141   data in 2017 (Roecker et al., 2018). The main features of this model are (Figure 1): a

142   sharply resolved slab of ~100 km thickness with dVp~ 3%, the Yakutat terrain visible

143   down to 120 km depth with dVp~ -3%, and regions of low velocities on either side of

144   the slab. We note that the slab structure is both stronger and sharper than in previous

145   models (Jiang et al., 2018; Martin-Short et al., 2018, 2016).

146

147   Interpretation of PKP travel time anomalies is generally based on the infinite

148   frequency approximation in a 1D mantle, where seismic waves are only affected by

149   velocities along the infinitesimal ray path and where structure only changes with

150   depth. When such corrections for the tomographically resolved structure are applied,

151   they do not fully remove scatter in travel times (Bréger et al., 2000). Moreover, it has

152   been shown that considering the 3D effects of strong velocity heterogeneity on ray

153   paths improves the fit of tomographic models to data (Simmons et al., 2012). Finally,

154   when finite frequency effects are considered, strong heterogeneities, such as a

155   subducting slab, can affect the travel time, waveform, and frequency content of

156   seismic waves that intersect it (Helffrich and Sacks, 1994; Vidale, 1987). Of particular

157   importance for slabs is that the magnitude of the effect is strongly dependent on the

158   incident direction of the wave relative to the dip of the heterogeneity.

159

160   Seismic heterogeneity can distort an incident wave front, leading to travel time and

161   directional anomalies. Using an array of multiple stations, the delay time of a wave

162   across the array, or moveout, can be measured. This moveout is characteristic of the

163   direction from which the wave arrives in terms of direction on the surface, or back-

164   azimuth (θ), and the incidence angle, or slowness (u). The residual of the travel time,

165   slowness, and back-azimuth, relative to a 1D reference model, thus demonstrates the

166   effect that the 3D velocity structure has on the wavefield (e.g. Durand et al., 2018).

167   Using sub-arrays of the USArray (e.g. Ventosa and Romanowicz, 2015), now deployed

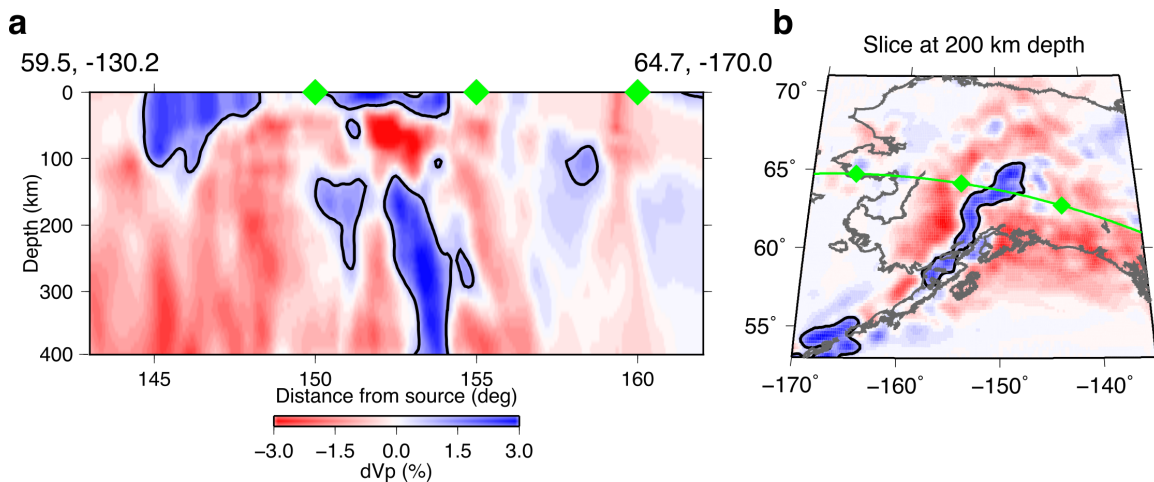168   in Alaska, we can measure the local effects of the structure of the Alaskan mantle.

169

170

171   **Figure 1:** (a) Cross-section of the Vp model of Roecker et al. (2018) along a

172   representative path from event 6 (Suppl. Table 1) to USArray stations displayed as

173   per cent deviation from a 1D reference model. (b) Slice through the model at 200 km

174   depth showing the cross-section path as the green line. Contour marks 0.8% dVp.

175

176   **<u>Methods</u>**

177   We determine the variation of travel time, slowness, and back-azimuth anomalies

178   across Alaska using a sub-array measurement technique. We use 6 events in the South

179   Sandwich Islands from 2016 to 2018 (Supplementary table 1) recorded at the

180   USArray and associated networks in Alaska and Canada (AK, AV, CN, II, IM, IU, TA, and

181   US). We collect vertical component seismograms, remove the linear trend and mean

182   from the data, and deconvolve the instrument response. Data are bandpass filtered

183   between 0.4-2.0 Hz, a range which is found to best enhance the clarity of PKPdf

184   relative to the noise.

185

186   For each event, we construct sub-arrays of the USArray to measure the travel time,

187   slowness, and back-azimuth of PKPdf at each location. We construct a 1°×1° grid

188   across Alaska, and at each grid point we find the closest station and select an

189   additional 5 to 8 stations around it. Sub-arrays with fewer than 6 stations in total are

190   excluded, and sub-arrays with a non-unique station list are not repeated. The

191   minimum number of stations is chosen to ensure high slowness and back-azimuth

192   resolution. Meanwhile, the maximum number of stations of 9 is chosen to minimise

193   the sampling region of each subarray, thus increasing spatial resolution between

194   subarrays. At each sub-array we window the data 20 s prior to and 40 s after the

195   predicted arrival times of PKPdf and PKPab, respectively according to the 1D

196   reference model ak135 (Kennett et al., 1995). We set the beampoint to the average

197   location of all stations in the subarray. We simultaneously grid search over

198   slownesses from 0 to 8 s/deg, and back-azimuths of ±20° relative to the great-circle

199   path and construct linear stacks, or vespagrams (Davies et al., 1971). We then apply

200   the F-statistic, a coherence measure, which effectively suppresses aliasing, thus

201   sharpening resolution of slowness and back-azimuth (Frost et al., 2013; Selby, 2008).

202   The coherence, F, is computed from the ratio of the sum of the energy in the beam, b,

203   to the summed differences between the beam and each trace used to form the beam,

204   x_i, in a time window, M, normalized by the number of traces in the beam, N :

205
$$F = \frac{N-1}{N} \frac{\sum_{t=1}^{M} b(t)^2}{\sum_{t=1}^{M} \sum_{i=1}^{N} (x_i(t) - b(t))^2} \tag{1}$$

206

207   We visually inspect the F-vespagrams and select the best fitting slowness, back-

208   azimuth, and travel time for PKPdf (Figure 2). We display vespagrams calculated for

209   a range of slownesses (Figure 2c) and back-azimuths (Figure 2d) with the other

210   parameter (back-azimuth and slowness for Figures 2c and 2d, respectively) allowed

211   to vary depending on the maximum F-value. Thus these 2D time-slowness and time-

212   back-azimuth vespagrams effectively display a 3D space. Residual PKPdf travel time

213   and slowness anomalies are measured relative to predictions from ak135, and travel

214   times are corrected for ellipticity (Kennett and Gudmundsson, 1996). Back-azimuth

215   residuals are measured relative to the great-circle path from source to receiver. Sub-

216   arrays for which PKPdf is absent or not clearly resolved are discarded. To improve

217   accuracy of the travel time anomaly measurement, we cross-correlate beams with an

218   empirical PKPdf wavelet. The wavelet is constructed for each event by adaptively

219   stacking (Rawlinson and Kennett, 2004) all selected beams from that event. We then

220   cross correlate each beam with the empirical wavelet and measure the time shift. To

221   account for errors in origin time and source location inherent in using PKPdf absolute

222   measurements, we subtract the median observed travel time from all residual times

223   in the array (corrections are listed in Supplementary Table 1). We correct data for a

224   model of inner core anisotropy in the upper 450 km of the western hemisphere,

225   constructed without using data from the SSI-Alaska path (model details are given

226   below). This correction accounts for 1.4 to 2.6 s of travel time anomaly, depending on

227   ξ and path length in the inner core. A weaker or stronger anisotropy model would

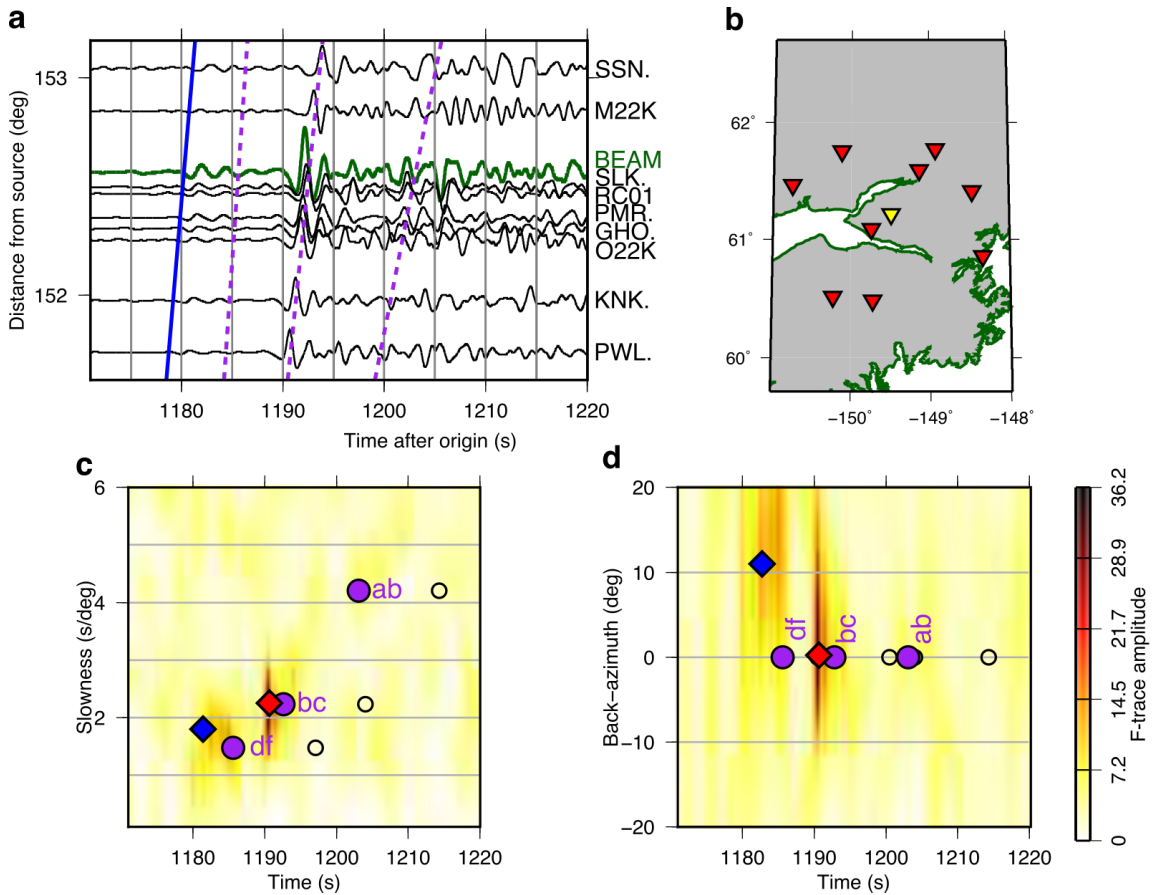228   remove less or more of the observed travel time anomaly, respectively.

229

230

231

Figure 2: Waveform data, station locations, and resultant F-vespagrams for an
example sub-array constructed for event 5 on 2018-08-14 (Suppl. Table 1). (a) PKP
wavetrain with PKPdf moveout marked by the blue line, and 1D predictions for PKPdf,
PKPbc, and PKPab marked by purple broken lines. Individual stations are shown in

black and the filtered beam is shown in green. (b) Map of stations in the subarray (red) and the beam point (yellow) chosen as the average location of stations in the subarray. F-vespagrams showing time versus (c) slowness and (d) back-azimuth. PKPdf shows a strong back-azimuth anomaly, while PKPbc does not, as is predicted by 3D ray-tracing (Supplementary Figure 2). PKPab appears weak owing to the Hilbert transform, reducing the amplitude and impulsiveness of the phase. The picked PKPdf slowness and back-azimuth is shown by the blue diamond, the maximum F-amplitude, which corresponds to PKPbc, is shown by the red diamond, and predicted arrivals are shown for the direct PKP phases (purple circles) and depth phases (open circles).

The subarray method averages the effects of the structure sampled on all rays used to form the beam to a single location, the beam point. To estimate the minimum spatial resolution of our method we calculate the first Fresnel zone radius for a 1Hz PKP wave at 200 km depth beneath the surface and add this to the aperture of an example subarray. We find that the minimum resolution is thus approximately 220 km, or 2°, and thus we cannot interpret structures smaller than this size, which is about 2 grid points in the regular grids shown in Figures 3.

We use synthetic signals to test the resolution of our method. We simulate signals, combined with real noise at a noise level equivalent to our data, arriving at an example array from a range of incoming directions. We apply the same vespagram and cross-correlation approaches as used with the data and determine our time,

259   slowness, and back-azimuth resolution to be ±0.1 s, ±1°, and ±0.1 s/deg, respectively.

260   We test the effect of the number of stations in a subarray on beam amplitude and find

261   only a 3% difference between the smallest and largest subarrays. We are thus well

262   able to resolve signals of the magnitude that we observe.

263

264   We seek to determine the influence of the Alaskan upper mantle on incoming wave

265   direction and slowness. We forward model PKPdf ray paths through our regional

266   tomographic model of Alaska using a 3D ray-tracer derived from the joint inversion

267   approach described in (Roecker et al., 2010; Comte *et al.*, 2016) and used in the

268   construction of the 3D model (Roecker et al., 2018). In this approach, we compute

269   travel times in the 1D model ak135 from the source up to the edges of the regional

270   tomographic model, and then within the box we apply an eikonal equation solver in a

271   spherical frame (Zhiwei et al., 2009) to find the fastest path through the box to the

272   receiver. We calculate PKPdf travel times through this model and through a simple

273   model, which is 1D throughout. Using the predicted travel times we calculate the

274   incoming direction of the PKPdf wave at the subarrays used in the vespagram process.

275   Unlike the vespagram process where we use waveforms recorded at each station in

276   the subarray, in the ray-tracing process we only have predicted travel times for each

277   station. We select the same stations used in each subarray and fit a plane to the

278   variation of travel time as a function of station location in latitude and longitude,

279   which represents the moveout of the signal. The slope of this surface can be

280   decomposed into a slowness and a back-azimuth. We calculate a single travel time for

281   each subarray as the average of the predicted times for each station. By comparing

282   predictions of the 3D versus the 1D models we compute the travel time (dT), slowness

283   (du), and back-azimuth (dθ) anomalies resulting from the 3D upper mantle structure.

284

285   In order to account for the influence of inner core anisotropy on PKPdf data, we

286   construct a model of inner core western hemisphere anisotropy (167° W and 40° E)

287   using the PKPab-df and PKPbc-df measurements used in Frost and Romanowicz,

288   (2019) and Frost et al. (*in prep*). To construct a model of inner core anisotropy that

289   can be used to correct PKPdf travel times on the SSI-Alaska path, but is not dependent

290   on the SSI-Alaska data, we select only PKPdf data observed at stations outside of

291   Alaska and with PKPdf paths turning less than 450 km below the ICB (which

292   corresponds to the range of depths sampled by SSI-Alaska paths). We attribute the

293   entire PKPdf travel time anomaly to structure in the IC, and convert travel times to

294   velocity anomalies relative to ak135 as: $\frac{dt}{t} = \frac{-dv}{v}$, where t and v are reference travel

295   times and velocities in the IC, respectively, calculated in model ak135. This accounts

296   for the difference in path length between the shallow and more deeply travelling

297   waves. We construct cylindrically symmetric models of anisotropy, in which the

298   perturbation to an spherically symmetric model, after Song (1997), is expressed as:

299

300    $$\frac{\delta v}{v_0} = \alpha + \varepsilon \cos^2 \xi + \gamma \sin^2 2\xi \qquad (2)$$

301

302   where v and δv represent the reference velocity and velocity perturbations,

303   respectively, and ξ the IC paths make with the rotation axis. By fitting our data with

304 an L1-norm, we determine the coefficients α, ε, and γ to be: -0.028, 2.626, and -0.996,

305 respectively (Supplementary Figure 1).

306

307 **<u>Modelling travel time, slowness and back-azimuth anomalies</u>**

308 After correction for inner core anisotropy as described above, the observed PKPdf

309 travel time, slowness, and back-azimuth anomalies show systematic patterns as a

310 function of location across the USArray (Figure 3). We measure travel time residuals

311 of ±1.5 s, slowness residuals of ±0.6 s/deg, and back-azimuth anomalies reaching ±15

312 deg but more commonly around ±5 deg. The patterns are consistent between events.

313 The most obvious features are:

314 (1) a trend from late to early arrival from the southeast of Alaska, overlying the

315   Yakutat terrain, towards the northwest

316 (2) low slownesses in the southeast of Alaska, sharply contrasted by a band of high

317   slownesses trending northeast-southwest across the middle of Alaska

318 (3) a patch of low back-azimuth residuals in the centre of Alaska, surrounded by high

319   residuals

320 When viewed in the context of our 3D tomographic model, we find that these sharp

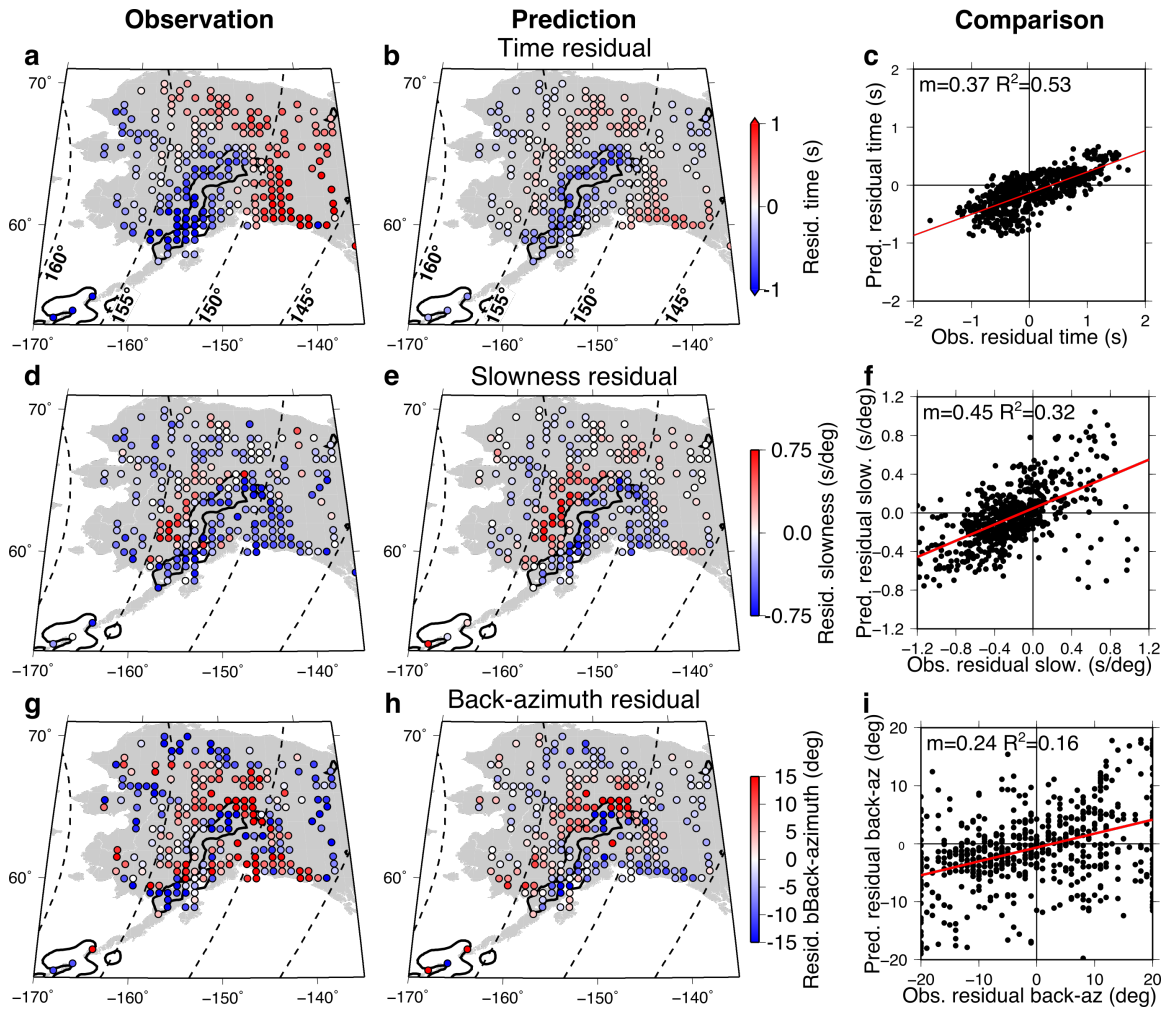321 contrasts surround the slab (where the slab is defined by >+0.8 % dVp).

322

323

Figure 3: Observed (left), predicted (middle) and comparison (right) of absolute PKPdf ray anomalies from 3D ray-tracing through our preliminary tomography model of Alaska, for all 6 events. (a, b and c): travel time residuals. (d, e, f): slowness residuals; (g, h, i) back-azimuth residuals. The outline of the Alaskan slab at 200 km depth (+0.8% dVp) from the preliminary tomography model is shown in black. The median observed absolute PKPdf travel time is subtracted from each event to account for origin time and location errors.

333   The corresponding anomalies predicted by 3D ray-tracing through the upper mantle

334   tomography model of Alaska for all events show a striking similarity to the observed

335   travel time, slowness, and back-azimuth anomalies, respectively (Figure 3b, e, and h).

336   The predictions replicate each of the three main features listed above, most strikingly

337   the slowness and back-azimuth anomalies. In addition, the model replicates the trend

338   of increasing and then falling travel time anomaly with distance for rays on azimuths

339   which intersect the slab (Supplementary Figure 3), as observed by Romanowicz et al.

340   (2003) and Long et al. (2018). We see strong agreement of the trends of the observed

341   and predicted anomalies, but a mismatch in the travel time anomaly amplitude, with

342   the predicted anomalies being roughly half of the strength of those observed (Figure

343   3c, f, and i).

344

345   We also predict travel time, slowness, and back-azimuth anomalies for PKPab and

346   PKPbc phases. Predicted differential PKPab-df anomalies range between ±0.4 s, ±0.8

347   s/deg, and ±30 deg for time, slowness, and back-azimuths respectively, while

348   differential PKPbc-df anomalies range between ±0.1 s, ±0.2 s/deg, and ±15 deg for

349   time, slowness, and back-azimuths respectively.   The large variability in back-

350   azimuth anomalies matches our observations (Figure 2), and likely results from the

351   greater sensitivity of back-azimuth on a steeply incident phase (e.g. PKPdf) to small

352   directional changes.

353

354   The degree of qualitative agreement between the observations and predictions

355   attests to the important influence of upper mantle heterogeneity on the raypaths and

356 travel times of body waves used to investigate the inner core. Nonetheless, there are

357 discrepancies, which point towards limitations: details and strength of the slab

358 model, unmodelled structure outside of the upper mantle, and potentially the

359 imprecision of the infinite frequency approximation of ray theory. We attempt to

360 improve the fit to the observations by perturbing the slab model and investigate the

361 effect that finite frequency effects may have by waveform modelling.

362

363 The clearest shortcomings of the model are the magnitude of the predicted travel time

364 anomalies, which are less than half of those observed. Tomographic inversions often

365 recover reduced amplitudes of velocity heterogeneity relative to those resolved by

366 forward waveform modelling. The velocity anomaly of the slab as recovered in our

367 model reaches a maximum of around ~3% dVp. We test the effect that stronger

368 heterogeneity may have on the fit by saturating positive velocity anomalies in the slab

369 regions (which we define as all grid points with dVp≥0.8 %) to 4%. We also test the

370 effect of scaling the velocity anomalies in the entire model by factors of 2, 2.5, and 3.

371 We find that the fit between the observed and predicted anomalies improves as we

372 increase the scaling of the tomography model (Supplementary Figure 4 and

373 Supplementary Table 2). This supports our hypothesis that some of the misfit

374 between the observed and predicted times could come from the damping effects of

375 tomographic models. However, the scatter in the predicted measurements also

376 increases, which indicates that the details of the slab model should be improved.

377 Furthermore, the slope of the linear fit between the observed and predicted

378 slownesses and back-azimuths reaches 1 (thus is directly proportional) at scaling

379   factors lower than for the travel times (red text in Suppl. Table 2), thus placing an

380   upper limit on the travel time anomaly that can come from the upper mantle, since

381   attempting to match the observed travel time anomalies by scaling results in over-

382   predicting slowness and back-azimuth anomalies. This suggests either inaccuracy in

383   modelling the incoming ray direction, or that matching the observed travel time

384   anomaly requires heterogeneity outside of the upper mantle. Meanwhile, taking all

385   these factors into consideration, scaling the tomography model by a factor of 2.5

386   works best.

387

388   Predicted azimuth anomalies from our tomography model disagree with the

389   observed back-azimuth in the southeast portion of Alaska. Our model predicts strong

390   negative back-azimuth anomalies while we observe strong positive anomalies

391   (Figure 3g,h). However, the model of Martin-Short et al., (2016) better matches the

392   trend of our observations (Supplementary Figure 5). This discrepancy may arise from

393   lack of resolution of the Yakutat anomaly in our tomography model.

394

395   While our model is only resolved down to 400 km depth, previous tomographic

396   inversions of the Alaskan mantle resolve the slab down to at least 600 km and

397   potentially beyond, although the high velocity anomaly of the slab becomes diffuse

398   towards the bottom of the modelled volume (Martin-Short et al., 2016). Although the

399   model of Martin-Short et al. (2016) covers a smaller region of Alaska than our model

400   and shows weaker heterogeneity by a factor of 1.5, this model images the mantle

401   down to 800 km depth. We use this model to test the influence of the deeper section

402   of the slab on predicted travel time, slowness, and back-azimuth anomalies. We

403   compute predicted anomalies using the whole 800 km of the model, and using the

404   model cut at 400 km depth to determine the influence of the deeper part of the slab.

405   We find that fit between the predictions and observations is marginally improved

406   when calculated using the 800 km thickness of the model (Supplementary Table 2).

407

408   We compare observations and predictions for different scaling factors of the

409   tomographic model along cross sections that are representative of the effects of the

410   Alaskan slab (Supplementary Figure 6). We choose two slices where we observe both

411   negative travel time residuals over the slab, and positive travel time residuals either

412   side of the slab. These azimuth sections (Supplementary Figure 6) allow us to identify

413   the regional variation of misfit between the observations and predictions across

414   Alaska, which either point towards local inaccuracies in the tomography model, or

415   else some other unmodelled structure. Across all of our events, it appears that the

416   current model of Roecker et al., (2018) underrepresents the magnitude of the velocity

417   reduction at shorter distances over the Yakutat (region A in Supplementary Figure

418   6); this region is better fit when the model is scaled up by a factor of 2. In contrast, the

419   predictions of the current model for the early arrivals caused by the high velocity slab

420   fit the observations (region B in Supplementary Figure 6) at all azimuths except in the

421   far southwest towards the Aleutians. The increasingly negative travel time anomalies

422   at distances >157° are not fully matched in magnitude by any of our models, but are

423   best matched by the standard model (region C in Supplementary Figure 6). Increasing

424   the scaling of the model appears not to improve the fit to travel time anomalies at

425   distance >157°. We produce a hybrid model scaled by a factor of 2.5 before the slab

426   the slab, and 1 over and after the slab. This model generally fits the data better than

427   any other model (Figure 4), although it still fails to fully explain the data at distances

428   beyond 157°. This information will inform future iterations of the Alaskan upper
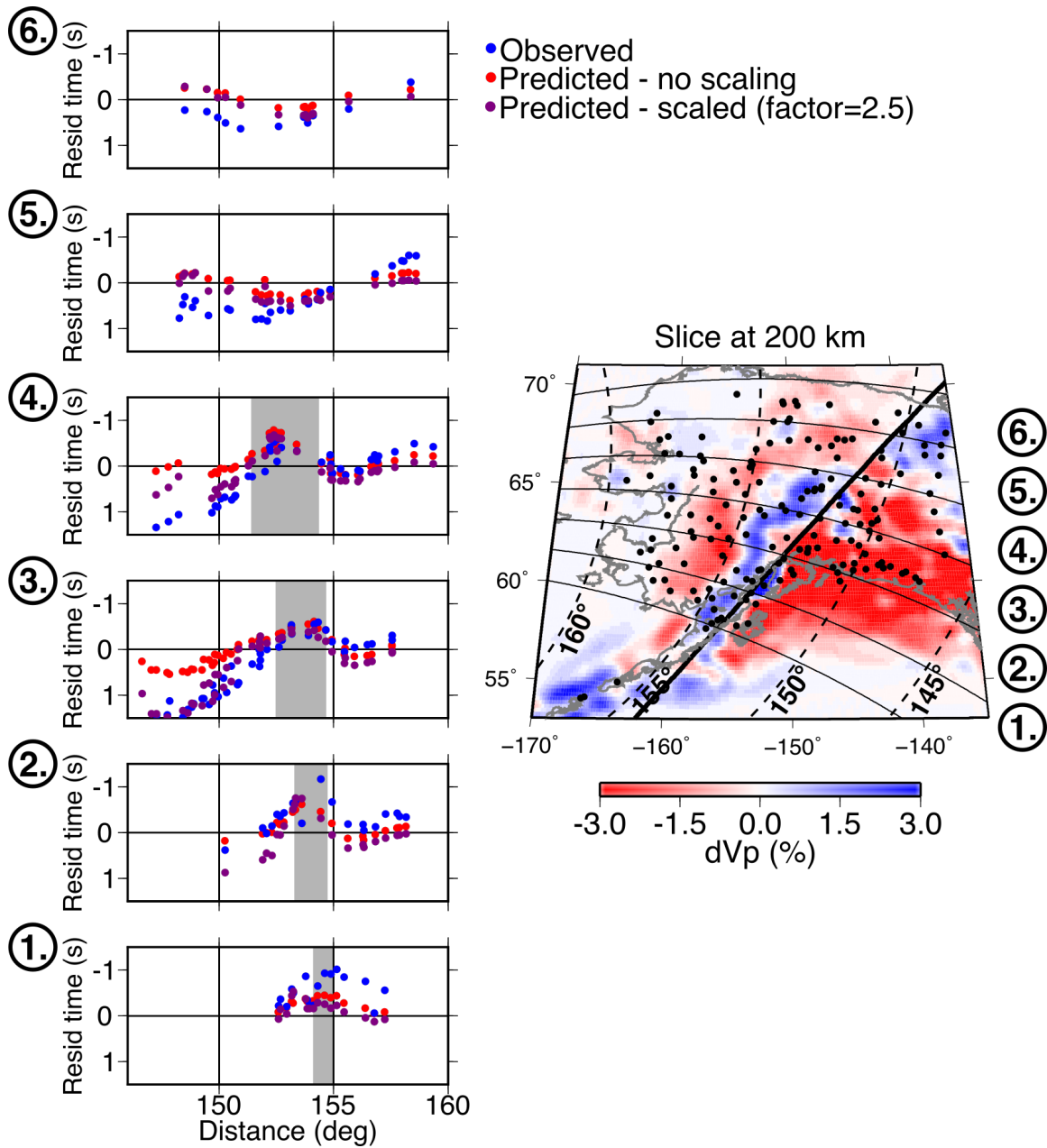
429   mantle tomography model.

430

431

432

Figure 4: Left: Absolute PKPdf travel time anomalies as a function of distance and for different sections through the slab for event 6 on 2018-12-11. Observations are shown in blue and predictions from 3D ray-tracing through the standard and scaled tomography model (shown on the right) are shown in red and purple, respectively. The rough location of the slab in each cross section is marked by grey shading. The tomography model (right) is scaled by a factor of 2.5 before the slab (south-east of

439   the thick black line) and is kept as standard over and after the slab (north-west of the

440   thick black line). The model is shown at 200 km depth, with stations shown as black

441   circles. Azimuths sections shown on the left are labelled on the right.

442

443   In order to estimate the effect of the slab and surrounding heterogeneity on the travel

444   times and amplitudes of PKPdf, we use axiSEM (Nissen-Meyer et al., 2014) to simulate

445   the effect of the upper mantle on the wavefield. We take a 2D slice through the

446   tomography model (the same as that shown in Figure 1) and calculate waveforms for

447   a regular station spacing of 0.5° at a maximum frequency of 0.5 Hz. We find that this

448   results in both positive and negative PKPdf residual times relative to the 1D

449   prediction of ~1s (Figure 5), which is less than that observed and predicted by the 3D

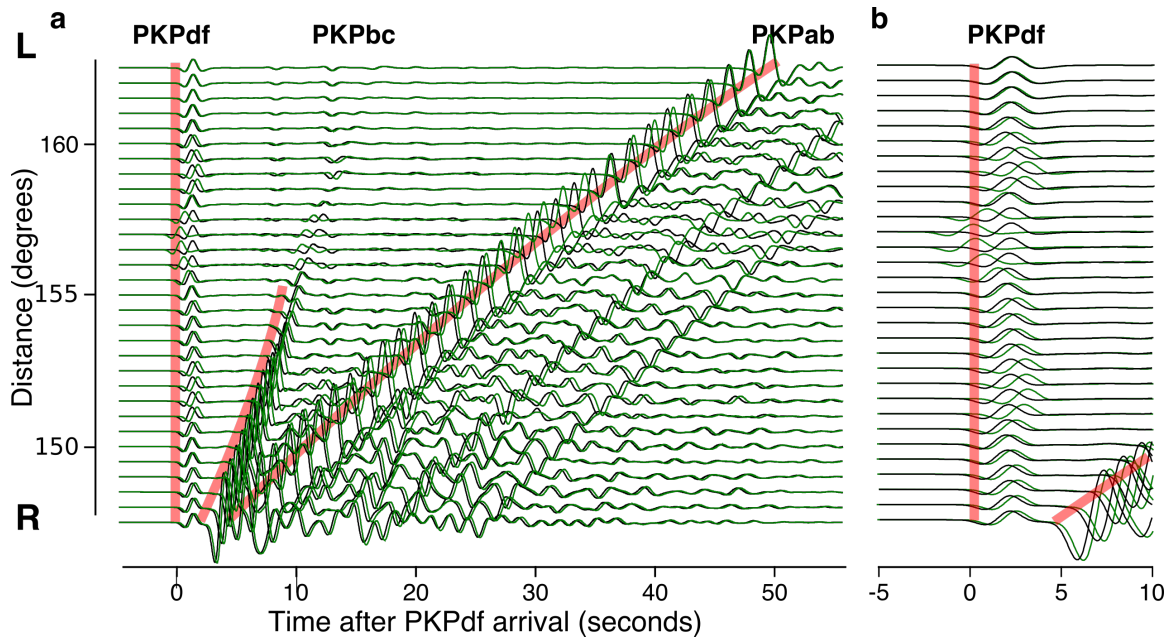450   ray-tracing.

451

452

Figure 5: 2.5D synthetic PKP waveforms generated for a 1D model (black) and for the cross-section shown in Figure 1 through a saturated version of our 3D model (green), aligned on the predicted arrival time for PKPdf showing (a) the whole PKP wavetrain, and (b) focussing on the PKPdf arrival. The slab model leads to both positive and negative travel time delays of the PKP waves and changes in amplitude, relative to 1D. Synthetics are calculated at 2s maximum period. Predicted arrival times in the 1D model are marked in red.

To further test the robustness of the observed raypath anomalies, we calculate synthetic waveforms through our upper mantle model using a 0.04° station spacing to allow us to simulate high-resolution arrays. For the synthetics, both the subarray spacing and station spacing in each subarray are much higher than in our data, but subarray aperture is approximately the same as in the data. We do this to resolve the effects of the heterogeneity on the waves as accurately as possible but with a similar spatial sensitivity to the data. This is not designed to serve as a test of the slowness resolution of our observations. We use the same vespagram approach as is applied to the data to measure the slowness anomaly that would result from this upper mantle heterogeneity. We find similar patterns of both travel time and slowness anomalies between the synthetics and our observations (Figure 6). We cannot assess back-azimuth anomalies due to the rotationally symmetric nature of the synthetic model. As we see in the 3D raytracing results, the observations of slowness are well fit by the standard model, but the travel times are better fit by a model scaled by a factor of 2. Some discrepancies may result from the simulations being run at a

476   maximum period of 2 s for sake of computational cost, while we make observations

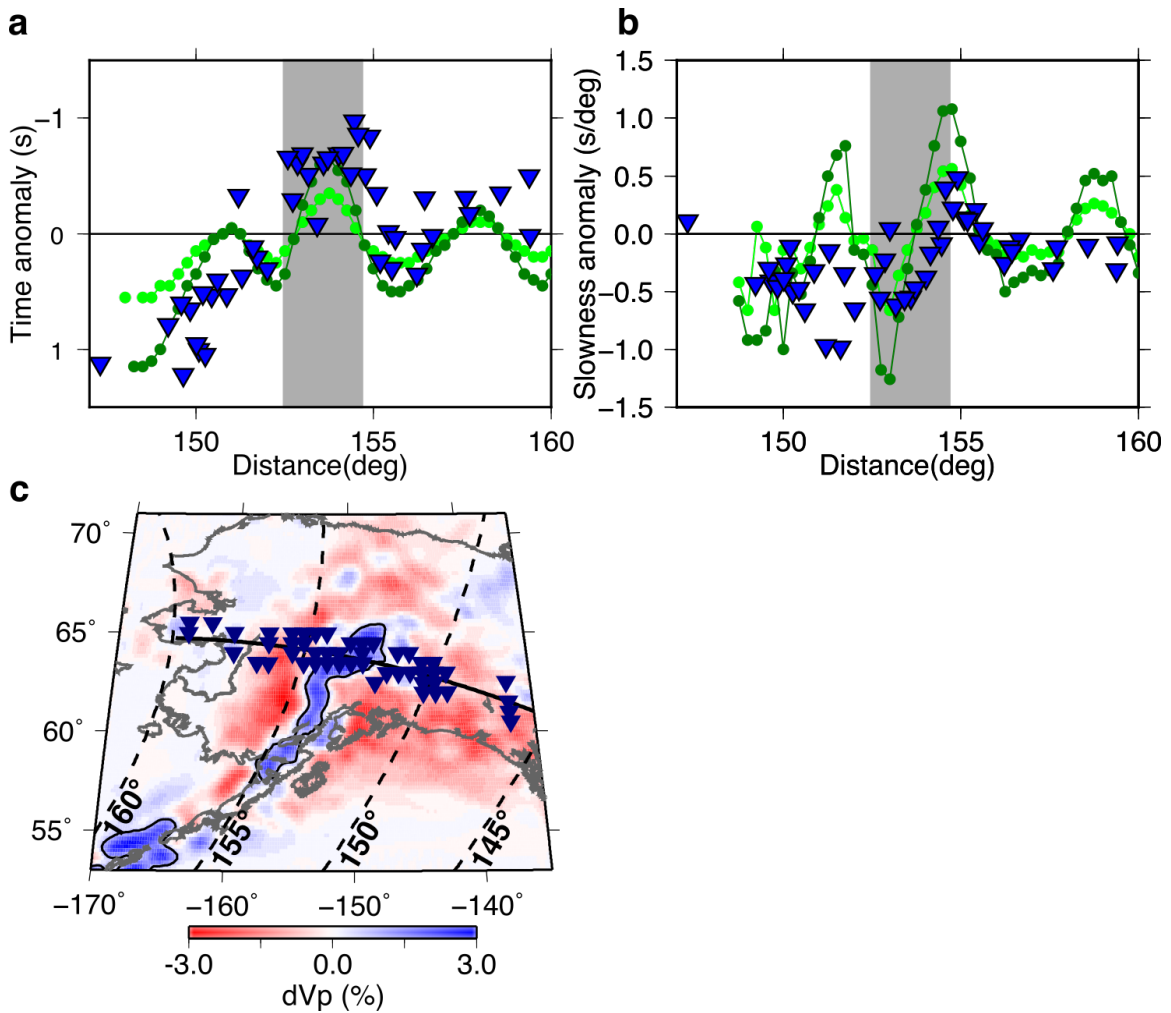477   on seismograms with a dominant period of around 1 s.

478

Figure 6: (a) Travel time and (b) slowness anomalies of PKPdf resulting from propagation through the 3D upper mantle model relative to a 1D model. The wavefield is simulated using axiSEM through a 2.5D slice shown in Figure 1. Displayed are synthetics for the standard model (light green), the model scaled by a factor of 2 (dark green) and observations (blue inverted triangles) within 1° of the same profile for all events. (c) Map of the standard upper mantle tomography model at 200 km depth, showing the profile used in the waveform simulation in black, with the

486   locations of the selected stations shown as blue triangles. The rough location of the

487   slab in the cross-sections is shown by grey shading, and by the black contour on the

488   map.

489

490   **Modelling PKPdf amplitude variations**

491   Amplitude variations of the PKPdf wave across Alaska measured relative to PKPbc

492   were recently reported by Long et al., (2018) and were attributed to the effects of a

493   high velocity layer in the lowermost mantle. We measure the PKPdf amplitudes at

494   stations across the USArray in Alaska relative to the empirical PKPdf wavelet

495   constructed for each event. We find that PKPdf amplitude decreases over the slab and

496   that this pattern is consistent between events (Figure 7). The range of amplitude

497   ratios observed across Alaska is smaller than seen in amplitude ratios measured on a

498   global scale, which are ascribed to inner core attenuation (Souriau and Romanowicz,

499   1997), thus we suspect a different cause.

500

501   We measure the PKP amplitudes and amplitude ratios predicted by our waveform

502   models. We find that the trend in the predicted PKPdf amplitude matches that in the

503   data, except around ~152°, which corresponds to the edge of the slab (Figure 7). The

504   synthetics predict larger changes in amplitude over a short distance than is observed.

505   This likely results from a combination of: (1) the limitations of the synthetic models,

506   the fact that the calculation is 2.5D and not fully 3D and calculated at only 2 s period

507   and (2) calculating the observed amplitude on beams from sub-arrays. The aperture

508   of our sub-arrays is ~1°, which would smooth out features as sharp as that seen in

509   the synthetics. We use moving averages of both the data and the synthetics to smooth

510   out the small-scale structure resulting in more similar amplitude patterns (diamonds

511   in Figure 7b).
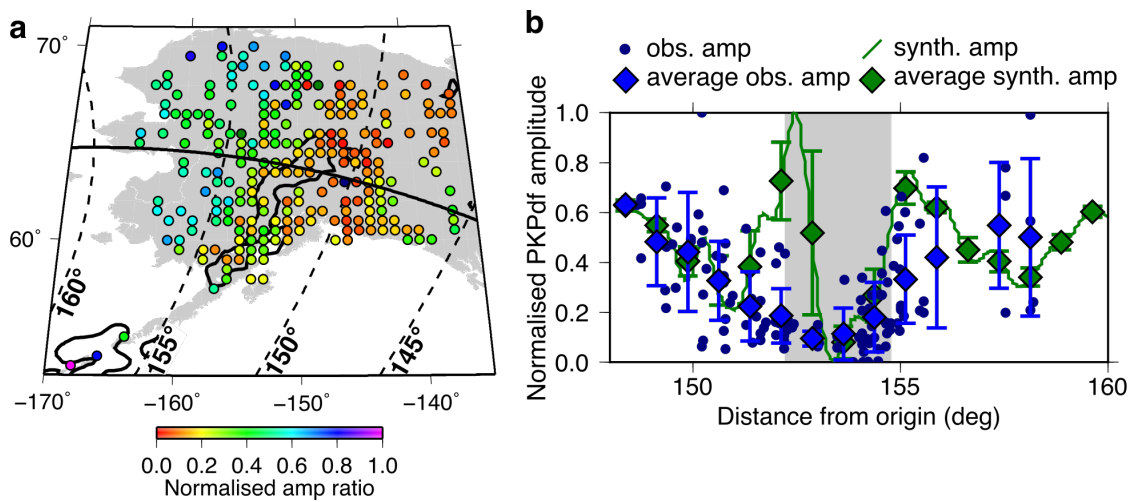
512

513

514   **Figure 7:** (a) Observed amplitude of PKPdf relative to an empirical wavelet, averaged

515   across all 6 events. Amplitudes are normalised to the maximum in each event before

516   being combined in the average across all events. (b) Observed and synthetic PKPdf

517   amplitudes within ±1° of section marked by black line, which is the section shown in

518   Figure 1. Both observed and synthetic amplitudes are renormalised to the same scale.

519   Moving averages and 1 standard deviation error bars are calculated every 1.5°. The

520   outline of the Alaskan slab at 200 km depth (+0.8% dVp) from the preliminary

521   tomography model is shown in black in (a) and by grey shading in (b).

522

523   **Discussion**

524   In summary, we find that all of our observations of PKPdf travel time, slowness, back-

525   azimuth, and amplitude variations across Alaska are consistent with the effects of the

526 slab in the Alaskan upper mantle. In particular, the subducted slab causes sharp

527 deviations in wave direction and wave amplitude. Meanwhile, the south-eastern

528 portion of Alaska shows consistently slow travel times, potentially caused by the

529 underlying Yakutat lithosphere. These complexities point to the upper mantle

530 contributing at least 2 s to PKPdf travel time anomalies, which thus should not be

531 attributed to inner core anisotropy.

532

533 To confirm this slab effect, we measured the travel time, slowness, and back-azimuth

534 anomalies from three events from the Caribbean and South America that travel to the

535 USArray in Alaska along similar back-azimuths as PKP paths from SSI, but at distances

536 corresponding to P waves (that do not sample the core). Event details are given in

537 Supplementary Table 3. We applied the same sub-array processing described here

538 for PKP. While direct P waves arrive at higher slownesses than PKP, we find very

539 similar patterns to those observed for PKPdf, and a similarly strong fit between

540 observations and predictions from 3D ray-tracing through an Alaskan tomographic

541 model (Supplementary Figure 7). Notably, the observed patterns as a function of

542 azimuth and distance are better matched by predicted travel times for our

543 unmodified tomographic models than for PKPdf (Figure 8). Because P waves sample

544 the slab at shallower depths than PKPdf, this indicates that improvement in the

545 deeper part of the slab model may be needed, which we will address in a forthcoming
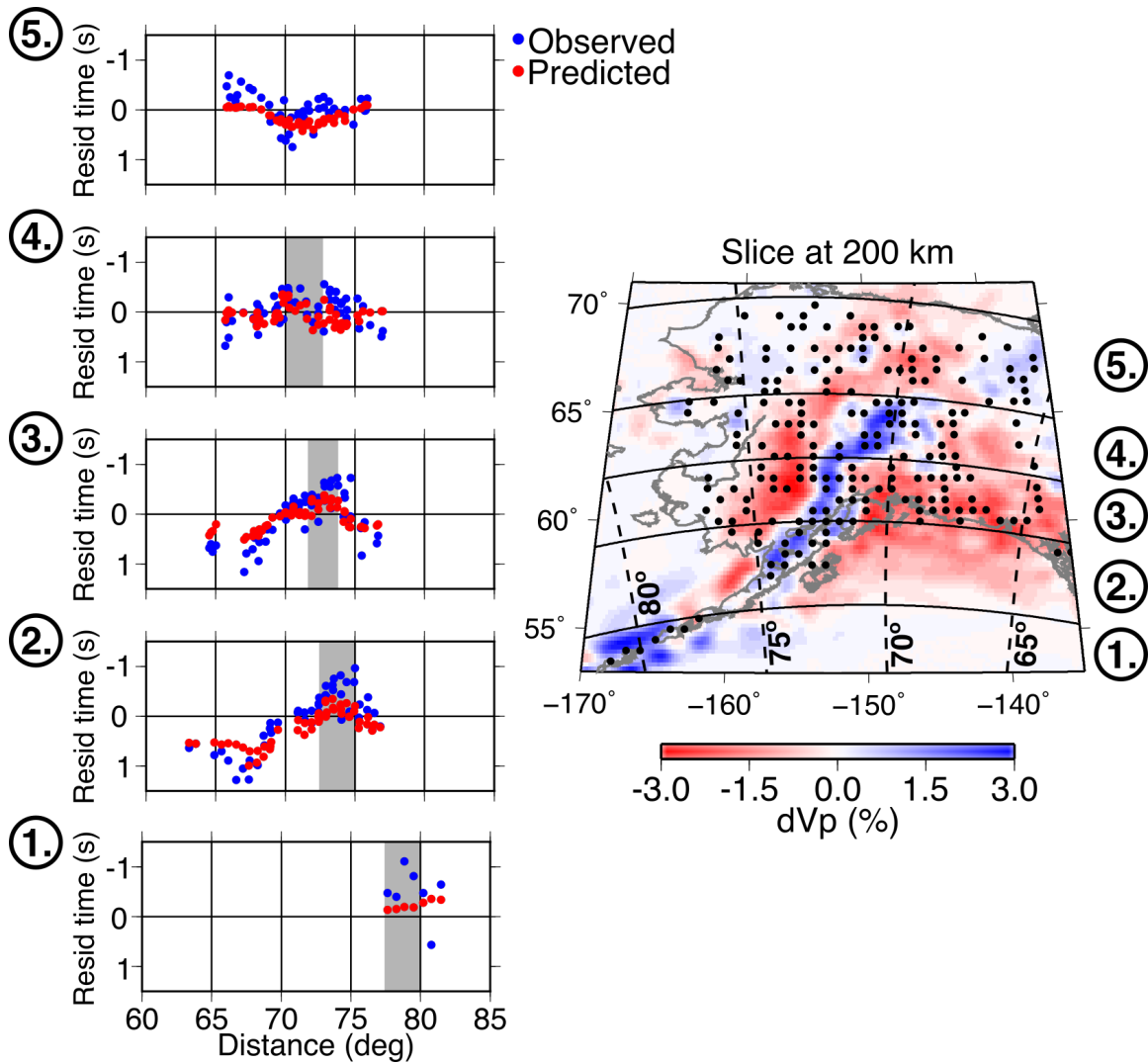
546 study.

Figure 8: Left: Absolute P wave travel time anomalies as a function of distance and for different sections through the slab for all three P wave events (Supplementary Table 3), averaged together. Observations (blue) and predictions (red) from 3D ray-tracing through the standard tomography model (Roecker et al., 2018). The rough location of the slab in each cross section is marked by grey shading. To correct for the different source-receiver distances of these events, we averaged the observed and predicted P wave times as a function of receiver location, and then projected the averaged receiver locations relative to the average P source location. This allows for comparison with the PKPdf profiles shown in Figure 4 and Supplementary Figure 6. Right: The tomography model is shown at 200 km depth, with averaged stations shown as black circles. Azimuths sections shown on the left are labelled on the right.

559

560 Upper mantle structure in other regions, such as the Scotia slab under the South

561 Sandwich Islands source region (Fukao et al., 2001), may also influence the observed

562 anomalies, yet is not modelled here. Measurements of PcP-P differential travel times

563 in the region around the Scotia slab show a large range of travel time anomalies

564 (Tkalčić, 2010). The range of these anomalies is of a similar magnitude to PKPdf travel

565 time anomalies observed in Alaska from the same source region, but unlike for PKPdf,

566 they are scattered and show no systematic variation. Furthermore, Romanowicz et al.

567 (2003) demonstrated that the patterns of PKP residual travel time with ξ, distance,

568 and azimuth recorded in Alaska were observed for all SSI events, regardless of

569 location. Long et al. (2018) observe that the location of the SSI event does change the

570 distance (relative to the event) at which the trend of increasing dT is observed, but

571 we find that the geographic location of the trend is the same for all events: over the

572 Alaskan slab. Thus, while mantle structure near the Scotia slab may contribute to the

573 observations in terms of additional scatter, it is unlikely to be the cause of the

574 systematic pattern of PKPdf anomalies observed in Alaska. Moreover, the range of

575 source locations and depths used in this study would likely reduce any systematic

576 bias in our observations that would result from the Scotia slab.

577

578 The travel time of PKPdf is known to be affected by anisotropy in the inner core

579 (Supplementary Figure 1), thus we add a correction to the observed travel times. The

580 model of inner core anisotropy used is derived from data sampling the same depth

581 range and in the same hemisphere of the inner core as the South Sandwich Islands to

582   Alaska data. The strength of this correction affects the travel time anomaly that we

583   ultimately attribute to the upper mantle. Since the travel time anomaly from the inner

584   core does depend on station location this does affect the moveout of the PKPdf wave

585   across each sub array, but the effect is negligible given the small size of the sub arrays.

586   However, the correction significantly improves the match between the observed and

587   predicted travel time anomalies (Supplementary Figure 8).

588

589   As recently suggested by Long et al. (2018) and mentioned earlier, lower mantle

590   heterogeneity could influence PKP travel time anomalies. However, we calculate that

591   the magnitude of lower mantle heterogeneity that would also be compatible with

592   other observations of D′′ structure, in particular PcP-P travel times (Ventosa and

593   Romanowicz, 2015), would contribute travel time anomalies on the order of no more

594   than ~1s. Core-Mantle Boundary structure instead might contribute to measurement

595   scatter or the event-specific shift from the predicted times (listed in last column of

596   Supplementary Table 1). Alternatively, the event-specific shift may result from source

597   location and origin time errors. Moreover, our upper mantle model reproduces the

598   pattern of travel time anomalies with distance from the events in the South Sandwich

599   Islands (Supplementary Figure 4). The fit is more satisfactory than that achieved by

600   Long et al. (2018) using lower mantle heterogeneity, and is also capable of explaining

601   the change in pattern with back-azimuth (Supplementary Figure 3). Furthermore, the

602   upper mantle model is capable of reproducing the patterns of slowness and back-

603   azimuth anomalies. Contamination of PKP waves by upper mantle heterogeneity thus

604   provides a single, self-contained explanation for patterns previously attributed to the

605   lower mantle, outer core, and or inner core.

606

607   **Conclusion**

608   We find that the pattern of slowness, back-azimuth, and travel time anomalies

609   measured for PKPdf at sub-arrays of the USArray in Alaska match the patterns

610   predicted by a high-resolution model of the Alaskan upper mantle. The strong

611   similarity of the observed slowness and back-azimuths to those predicted using only

612   upper mantle heterogeneity suggests that it is the main source of the anomalies. This

613   is also confirmed by analysis of direct P waves along azimuths similar to the SSI to

614   Alaska PKP paths considered here. While other structure in the lower mantle and

615   upper mantle on the source side may also contribute to the observed scatter in travel

616   time residuals, we conclude that the dominant cause of the SSI-Alaskan anomaly is

617   the Alaskan subduction zone. As such, this motivates further improvements in

618   characterizing the structure of the Alaska slab and its surroundings. More generally,

619   care must be taken when interpreting travel time anomalies from regions with strong

620   upper mantle structure in terms of inner core structure.

621

634

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