



Oceanic Routing of Wind-Sourced Energy Along the Arctic Continental Shelves

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Data from coastal tide gauges, oceanographic moorings, and a numerical model show that Arctic storm surges force continental shelf waves (CSWs) that dynamically link the circumpolar Arctic continental shelf system. These trains of barotropic disturbances result from coastal convergences driven by cross-shelf Ekman transport. Observed propagation speeds of 600–3000 km day⁻¹, periods of 2–6 days, wavelengths of 2000–7000 km, and elevation maxima near the coast but velocity maxima near the upper slope are all consistent with theoretical CSW characteristics. Other, more isolated events are tied to local responses to propagating storm systems. Energy and phase propagation is from west to east: ocean elevation anomalies in the Laptev Sea follow Kara Sea anomalies by one day and precede Chukchi and Beaufort Sea anomalies by 4–6 days. Some leakage and dissipation occurs. About half of the eastward-propagating energy in the Kara Sea passes Severnaya Zemlya into the Laptev Sea. About half of the eastward-propagating energy from the East Siberian Sea passes southward through Bering Strait, while one quarter is dissipated locally in the Chukchi Sea and another quarter passes eastward into the Beaufort Sea. Likewise, CSW generation in the Bering Sea can trigger elevation and current speed anomalies downstream in the Northeast Chukchi Sea of 25 cm and 20 cm s⁻¹, respectively. Although each event is ephemeral, the large number of CSWs generated annually suggest that they represent a non-negligible source of time-averaged energy transport and bottom stress-induced dissipative mixing, particularly near the outer shelf and upper slope. Coastal water level and landfast ice breakout event forecasts should include CSW effects and associated lag times from distant upstream winds.

Keywords: continental shelf wave, Arctic, storm surge, sea level, coastal trapped wave, tide gauge

INTRODUCTION

Sea surface height (SSH) variations in the Arctic include the direct influences of atmospheric pressure fluctuations (Chelton and Enfield, 1986; Ponte, 2006), tides (Kowalik and Proshutinsky, 1994; Padman and Erofeeva, 2004), wind-forced Ekman transports (Hughes and Stepanov, 2004; Ma et al., 2017), steric height variations (Aagaard et al., 2006; Henry et al., 2012), isostatic

adjustments (Whitehouse et al., 2007), and global sea level rise (Proshutinsky et al., 2004). These processes each have characteristic amplitude, time and length scales that depend on basin geometry, forcing functions, and restoring mechanisms. Together, SSH variations and their associated currents help define the nature of the Arctic marine system through their contributions to the regulation of oceanic heat, freshwater and nutrient fluxes.

Of the processes noted above, wind forcing drives a dominant proportion of the sea level and current velocity response across synoptic time scales (roughly 1.5–11 days) over the basin and the continental shelves. Using satellite data, modeling and heuristic arguments, Fukumori et al. (2015) showed that SSH variations of the deep and shallow parts of the polar basin are not well correlated, and attributed some variability on the shelves to coastally trapped waves. Continental shelf waves (CSWs) have been identified as sources of synoptic-scale oceanic variability in both the Atlantic (Calafat et al., 2013) and Pacific (Pickart et al., 2011; Danielson et al., 2014) sectors of the Arctic. Such waves form an important bridge between the work of wind upon the ocean, its transmission via oceanic fluxes of kinetic and potential energy, and its eventual dissipation, which may result in diapycnal mixing. These fluctuations depend on basin shape and bathymetry (section “Setting”), generation mechanisms and dynamical characteristics of CSWs (section “Wave Classification”), and wave propagation around the Arctic margins (section “Linking the Shelves”).

Setting

The geomorphology of the Arctic shelves and basins (Figure 1) is fundamentally important to the character of SSH variations. From the Barents Sea to the Chukchi Sea, the Arctic continental shelf is broad (>500 km), except near the apex of the Taymyr Peninsula between the Laptev and Kara Sea where both Vilkitsky Strait and the shelf to the outside of Severnaya Zemlya are only ~50 km wide. In contrast, the Alaskan Beaufort Sea shelf (~80 km), the Mackenzie shelf (~150 km), and the shelf to the north of the Canadian Arctic Archipelago and Greenland (100–200 km) are all relatively narrow. The shelves are shallow (<100 m) from the Laptev Sea to the Mackenzie shelf in the Beaufort Sea, but significantly deeper (to ~350 m) over the Barents and Kara Seas and north of the Canadian Archipelago and Greenland.

Islands delineate some of the shelf seas and represent semi-permeable boundaries between them. The Severnaya Zemlya archipelago separates the Kara and Laptev seas; the New Siberian Islands separate the Laptev and East Siberian seas; and Wrangel Island separates the East Siberian and Chukchi seas. The Canadian Arctic Archipelago is a topographically complex region in which frictional and scattering effects are both expected to play important roles; however, a detailed description of CSWs in this region lies beyond the scope of this study.

Wave Classification

Coastal trapped waves are a family of wave types whose dynamics depend upon density stratification, water depth and bottom slope, and the shape of the boundary (coast, shelf-break or other

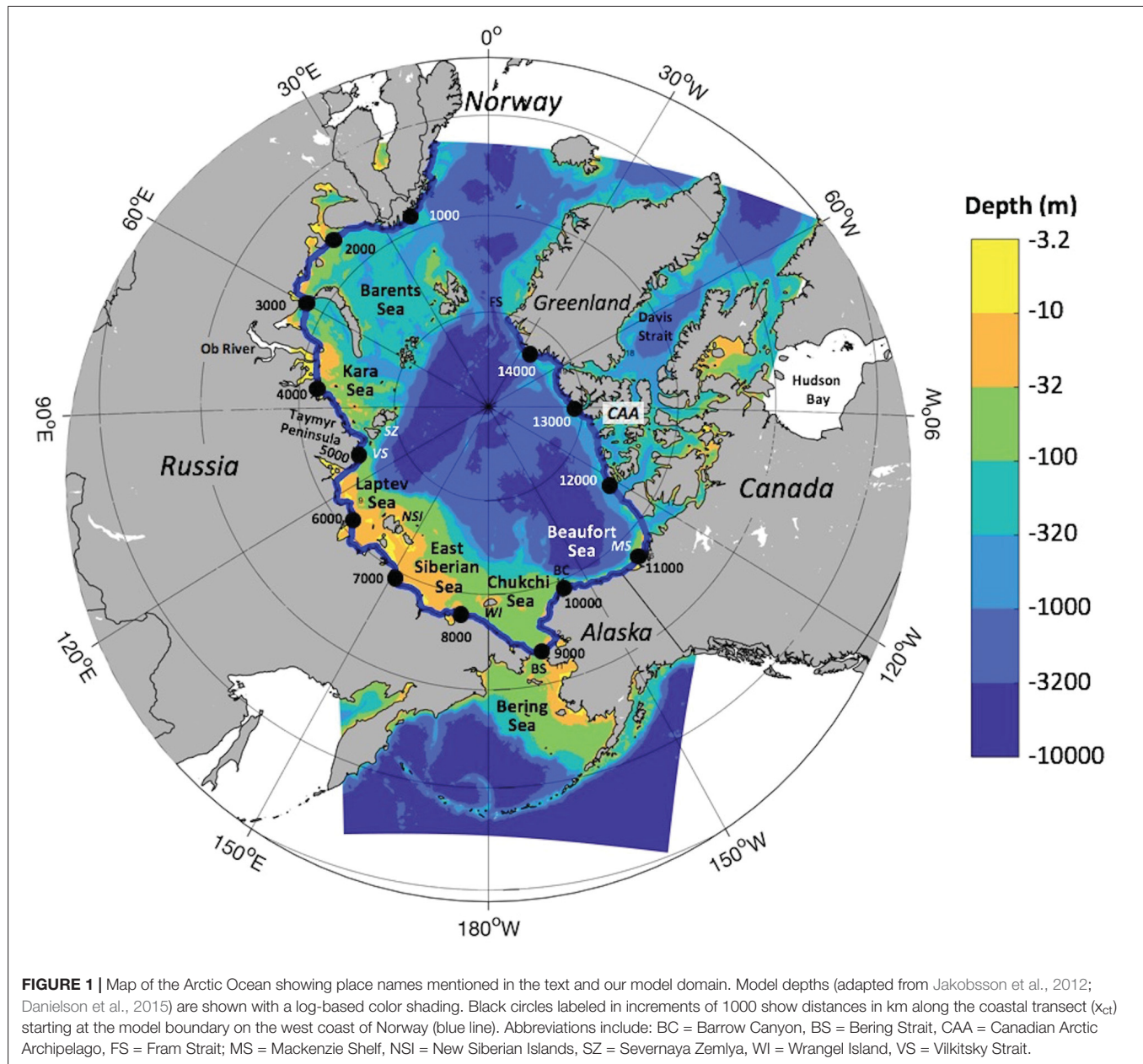
edge); see Wang and Mooers (1976); Brink (1991), Huthnance (1995). A subset of coastal trapped waves includes CSWs, which exhibit the characteristics of topographic Rossby waves in the presence of a vanishing coastal wall and a homogeneous water column (Buchwald and Adams, 1968; Wang and Mooers, 1976). Their generation is tied to the along-shore component of wind stress, which drives coastal set-up and set-down via cross-shelf Ekman transport (Adams and Buchwald, 1969; Gill and Schumann, 1974). CSWs can be expressed as the sum of multiple modes that each satisfy a wave equation (Clarke, 1977). The first mode of variability (Mode 1) often accounts for most of the coastal sea level changes at synoptic periods and, in the unstratified limit, Mode 1 approaches the case of a purely barotropic shelf wave (Gill and Schumann, 1974; Wang and Mooers, 1976), which is occasionally referred to as a coastal trapped surface Kelvin wave (Wang, 2003; Cushman-Roisin and Beckers, 2011). The phases of CSWs and surface Kelvin waves propagate cyclonically around closed systems such as the Arctic Ocean so that when viewed looking downstream, they propagate counterclockwise in the Northern Hemisphere with shallow water located to their right.

CSWs have frequencies (ω) that are smaller than the local inertial frequency (f ; Figure 2), and their length scales are much greater than the shelf bottom depth (H). Along-shelf dimensions are typically set by the scale of the wind forcing (of order 10^3 km) and the dispersion relationship. Their cross-shelf length scale is the smaller of the shelf width (L) or the barotropic Rossby radius of deformation, $R_{bt} = f^{-1}\sqrt{gH}$, where g is gravitational acceleration. CSW phase speed (“celerity”) $c_p = \omega/k$ is defined as frequency per wavenumber (k), while energy travels with the group velocity, $c_g = d\omega/dk$. Wavelength $\lambda = 2\pi/k$ so that $R_{bt}k = 1$ denotes a wavelength that is 2π greater than the Rossby radius. Dispersion relations (Cushman-Roisin and Beckers, 2011) delineate differing wave types and behaviors. Kelvin waves are non-dispersive (meaning that different wavelengths all travel at the same speed) and have a frequency directly proportional to the wavenumber; i.e., $\omega = fkR_{bt}$. The CSW dispersion relation can be expressed in terms of a uniform bottom slope, α ,

$$\omega = \alpha g f^{-1} k / [1 + R_{bt}^2 k^2] \quad (1)$$

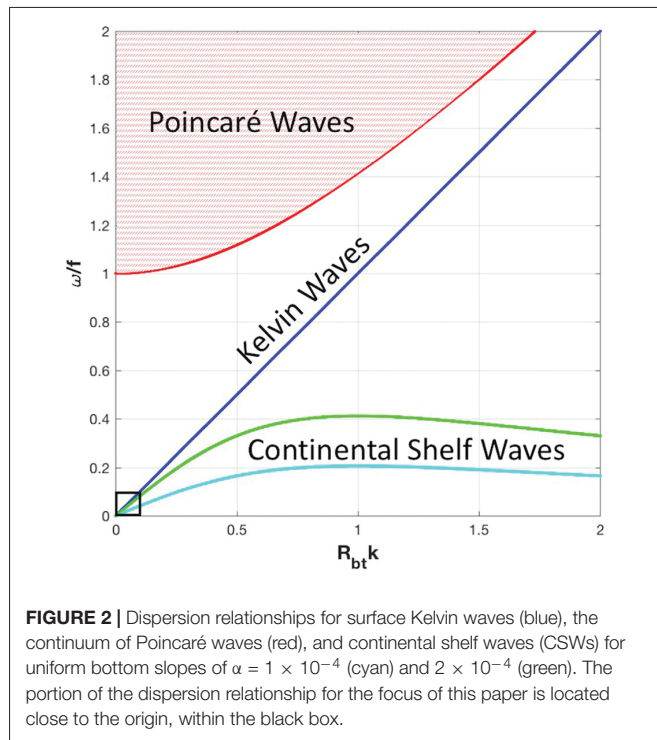
In the portion of the spectrum where the CSW frequency is small relative to the local inertial frequency (e.g., for the case in Figure 2 with $\alpha \sim 10^{-4}$), CSWs are only weakly dispersive (spreading of differing wavelengths and frequencies is minimal) and their character nearly merges with that of the surface Kelvin wave as $R_{bt}k$ approaches zero. The maximum frequency for CSWs occurs at $R_{bt}k = 1$ and the group velocity changes sign on either side of this critical wave number (k_c). For wave numbers smaller than k_c , phase and energy propagate in the same direction; for shorter wavelengths, energy propagation opposes the direction of phase propagation; see a discussion of Antarctic CSWs by Marques et al. (2014).

Variations in shelf width and depth around the coastal perimeter affect CSW propagation, amplitude, wavelength, and



speed characteristics. For the shallow Arctic shelves with characteristic depths of 30–60 m (e.g., the East Siberian Sea), $R_{bt} \sim 125\text{--}175$ km, while for deeper Arctic shelves (e.g., the Barents Sea) with a mean depth closer to 250 m, $R_{bt} \sim 360$ km. Thus, the external radius of deformation is on the order of, or less than, the shelf width over the broad Arctic shelves but greater than the shelf width over the narrow Beaufort and Greenlandic shelves and narrow passages near islands. Our focus is on the portion of the dispersion curve where $R_{bt}k \ll 1$ (denoted by the small box near the origin in Figure 2). For CSW phase speed on an infinitely wide shelf, $R_{bt}k$ approaches zero and Eq. 1 can be reduced to $c_p = \alpha g f^{-1}$ for bottom slope α (Cushman-Roisin, 1994), although assumptions of a uniformly sloping and infinitely

wide continental shelf do not hold exactly. The East Siberian Sea has an average bottom slope α of 60 m per 500 km, or about 1×10^{-4} , whereas α for the Barents Sea slope is about 230 m per 1000 km, or 2.3×10^{-4} ; however, large bathymetric variations in the Barents Sea means that, locally, substantially larger bottom slopes can be found. At 72°N , c_p is thus on the order of $7\text{--}30$ m s^{-1} ($600\text{--}3000$ km day^{-1}). Surface Kelvin waves, restored by gravity, travel at the shallow water wave speed $c = \sqrt{gH}$, which, for speeds of $7\text{--}30$ m s^{-1} , conforms to a range of water depths (5–100 m) that encompass the majority of the shallow Arctic shelves. Hence, the Arctic shelves have bottom slopes and seafloor depths that we expect to predetermine a bounded range of CSW phase speeds and wavelengths.



Beyond the adjustments of propagating CSWs determined by shelf geomorphologies and dispersion relations, the magnitude of wind-induced SSH response to wind stress depends on the relative orientation between the wind direction and the coastline, the shelf stratification, and the strength and duration of the wind forcing. Cushman-Roisin and Beckers (2011) provide a useful steady-state relation for a storm surge amplitude (A) in an unstratified water column; $A \sim L_F \tau (\rho g H)^{-1}$, where L_F is fetch length, ρ is water density and τ is wind stress. Storm surges, once set up, are associated with finite along-shelf length scales matching that of the wind forcing. Their pressure fields rapidly (on the order of one inertial period) seek geostrophic balance, developing along-coast flow. The associated currents and mass transport, in turn, raise the downstream surface elevation and in this fashion a CSW propagates away from the local forcing region of a storm surge, adjusting to depth changes in order to conserve energy and vorticity. Coastal divergence (sea level set-down) anomalies similarly propagate as free waves, but with currents oriented in opposition to the direction of the sea level anomaly propagation. Pickart et al. (2011) showed that the relaxation response to the cessation of upwelling winds along the Beaufort Sea continental slope results in both barotropic and baroclinic responses having phase speeds that match theory for the two wave types.

Bathymetric and coastline variations induce CSW damping, reflections, refractions, scattering, and phase changes. Scattering that induces zero group velocity maximizes local energy loss (Brink, 1980). Long and otherwise non-dispersive CSWs can become dispersive where wavelength becomes smaller than the bottom depth (Mysak, 1980). Poincaré waves ($\omega = [f^2 + gHk^2]^{1/2}$) represent a potential sink of energy for CSW scattering

through a non-linear cascade of energy into high frequency motions (Melville et al., 1989). Irregularities in the Siberian coastline may scatter CSWs into high frequency super-inertial Poincaré waves (Mysak and Tang, 1974); an “inverse cascade” may also occur with Kelvin wave generation by multiple Poincaré waves impinging upon a coastline (Howe and Mysak, 1973). Impingement upon blocking coastlines can result in phase-changing reflections, while sudden narrowing of the continental shelf, such as near the confluence of the Chukchi and Beaufort Seas or in the Kara Sea near Vilkitsky Strait, can scatter a portion of the energy, trap some energy, and permit a portion of the energy to pass through, in the fashion of a bandpass filter (Wilkin and Chapman, 1987).

Linking the Shelves

Early descriptions of CSWs include observations from near the Australian coast (Hamon, 1966), the US West coast (Cutchin and Smith, 1973), and the US East coast (Mysak and Hamon, 1969). In the Arctic, CSWs have proved useful in describing synoptic flow variations in the Barents and Kara Seas (Calafat et al., 2013; Drivdal et al., 2016) and in the Pacific sector of the Arctic (Pickart et al., 2011; Danielson et al., 2014). Conditions are also favorable for CSWs to traverse the passages through the Canadian Arctic Archipelago and along the Greenlandic shelves, but we are aware of only one study describing their effects in these regions, Fukumori et al. (2015), who noted the potential of these locations as likely pathways for diverting coastally trapped wave energy southward.

For phase velocities $c_p > 0$ and group velocities $c_g > 0$, as occurs for $R_{bt}k \ll 1$, the Beaufort continental shelves are downstream of the Chukchi Sea, which in turn is downstream of both the broad Siberian shelves to the west and the Bering Sea shelf to the south. Fram Strait represents the single major continental shelf discontinuity along the Arctic Ocean’s perimeter, indicating that the Barents Sea shelf is an upstream origin of circum-Arctic wave motions, and the east Greenlandic shelf is the downstream terminus. In the quasi-circular and semi-enclosed Arctic Ocean, cross-basin length scales (3000–4000 km) are of the same order of magnitude as horizontal length scales of large atmospheric low-pressure systems. Hence, a large Arctic storm has the ability to drive cross-shelf Ekman transport simultaneously across many degrees of longitude. Fukumori et al. (2015) pointed out that Ekman transport across the continental slope drives an out-of-phase SSH relation between the shelf and basin and that coastally trapped waves can account for some SSH variability at monthly and shorter time scales. Csanady (1997) noted that many studies document the along-shore progression of oceanic response to wind forcing but the identification of freely propagating signals in the ocean is much less common.

Local winds over the Pacific-sector Arctic continental shelves can account for 30–50% of the synoptic scale variability in the coastal region, while including time-lagged remote winds can increase the fraction of variance explained by 10–20% (Danielson et al., 2014; Weingartner et al., 2017; Fang et al., 2020). Using a 1-layer (two-dimensional barotropic) model of the Pacific Arctic forced only by wind, Danielson et al. (2014) showed that including the combined effects of locally generated storm

surges and their associated propagating shelf waves provides a skillful reproduction of observed current variations in Bering Strait ($r^2 = 0.79$ in winter months) for synoptic-band current fluctuations. That study highlighted the importance of CSW generation over both the Bering Sea and the East Siberian Sea shelves to flow variability in Bering Strait. Subsequent studies by Peralta-Ferriz and Woodgate (2017) and Okkonen et al. (2019) also highlighted the East Siberian Sea as a regionally important locus for wind forcing and potential CSW generation.

Here, we build on these prior results with a broader spatial characterization of Arctic CSWs, and show that shelf elevation, circulation, and dissipation fields can depend on upstream atmospheric forcings that are even more distant than those considered by previous studies. To demonstrate how shelf waves mechanistically link the circumpolar shelves, we employ tide gauge and oceanographic mooring data, atmospheric reanalysis data, and a combination of realistic hindcast and idealized numerical experiments using ocean model integrations.

The rest of this paper is organized as follows. Datasets and models are described in Section “Materials and Methods.” Results are in Section “Results and Discussion,” beginning with a set of model-data comparisons that demonstrate model fidelity in reproducing wind-driven SSH anomalies. We then seek evidence of CSW behavior in the observations and the model results, describe their behavior, and quantify propagation speeds and the fraction of energy lost as they propagate along the Arctic continental shelves.

MATERIALS AND METHODS

In situ Data

We use hourly and 6-hourly SSH data from 16 coastal tide gauges from Norway, Russia, Alaska, Canada, and Greenland, and 4 moored pressure gauges on the Laptev, Chukchi and Bering Sea continental shelves (Table 1). The pressure gauges are all from relatively short taut-wire subsurface moorings deployed in water depths of less than 60 m. Record lengths vary due to data availability at each site. Some Arctic tide gauge stations do not report for part of each winter due to ice and some have nearly complete records over our time frame of interest.

Seasonal, tidal, inertial and super-inertial fluctuations occur in frequency bands outside of our primary interests; unless otherwise stated, we focus on the synoptic time scale by bandpass-filtering the model and observational records using a 6th order phase-preserving Butterworth filter. A 1.5-day high frequency cutoff eliminates tidal (semidiurnal and diurnal) and inertial signals and an 11-day low frequency cutoff eliminates fortnightly signals associated with spring-neap tidal variability, and seasonal and interannual signals.

Atmospheric Reanalysis

We use the JRA55-do reanalysis (Tsujino et al., 2018) to characterize atmospheric conditions, force the ocean model described in Section “Ocean Model,” and correct the tide gauge and mooring data for the inverse barometer effect (Chelton and Enfield, 1986; Ponte, 2006). The JRA55-do reanalysis has been

corrected in a manner similar to that of the Coordinated Ocean-ice Reference Experiment 2 (CORE2) effort (Yeager and Large, 2008) to be as self-consistent as possible for driving ocean models without flux biases. JRA55-do improves on CORE2 in that it has higher spatial and temporal resolution and is updated annually to provide the most recent year.

Ocean Model

For ocean hindcasts and idealized forcing experiments, we use the Regional Ocean Modeling System (ROMS), described by Shchepetkin and McWilliams (2005). ROMS is a free-surface, three-dimensional, hydrostatic primitive equation ocean circulation model that is based on a terrain-following, finite volume (Arakawa C-grid) configuration.

Our model implementation, which we refer to as the Pan-Arctic ROMS model (or PAROMS), is set up using ROMS options for high-order algorithms of tracer advection (3rd order upwind in the horizontal direction and 4th order centered in the vertical direction); surface and bottom boundary layers following the K-Profile Parameterization (Large et al., 1994); and atmosphere-ocean bulk flux computations based on the ocean model prognostic variables (Fairall et al., 2003; Large and Yeager, 2009). We employ a split integration approach, with slow and fast time steps of 60 and 3 s, respectively. The vertical coordinate system (50 layers) is based on terrain-following sigma-layers with finer resolution within the surface and bottom boundary layers. ROMS is coupled to a sea-ice model (Budgell, 2005) consisting of the elastic-viscous-plastic (EVP) rheology (Hunke and Dukowicz, 1997; Hunke, 2001), Mellor and Kantha (1989) thermodynamics, and frazil ice growth (Steele et al., 1989). Even though this sea ice model uses just one thermodynamic ice category, our Arctic simulations exhibit skillful results in the marginal ice zone (Danielson et al., 2011). PAROMS is implemented with a landfast ice parameterization that is based on estimates of basal stress as described by Lemieux et al. (2015).

The PAROMS domain (Figure 1) is configured for the Pan-Arctic region with a telescoping grid that stretches from south of the Aleutian Islands in the North Pacific (~5 km resolution in the Bering Sea) to southern Greenland in the North Atlantic (~8 km resolution in the Barents Sea). The telescoping grid was chosen for computational efficiency, minimizing the number of total grid points while maintaining the highest affordable resolution in the narrow Aleutian Island passes and Bering Strait. The bathymetry is a merged product that incorporates smoothed versions of the Alaska Regional Digital Elevation Model (ARDEM) version 2 (Danielson et al., 2015) and the International Bathymetric Chart of the Arctic Ocean version 3 (IBCAO; Jakobsson et al., 2012). Hudson Bay and the long Ob River estuary fall outside of the model domain and are truncated with closed model boundaries. The model surface forcing and terrestrial freshwater is based on the JRA55-do atmospheric reanalysis. Terrestrial freshwater, heat and volume fluxes are provided to the model through the coastal sidewall at all grid points, following a conservative mapping of the terrestrial discharge (Danielson et al., 2020) from the JRA55-do coastal runoff. Initial and boundary conditions are from the Simple Ocean Data Assimilation (SODA) for 1980–2015 (Carton et al., 2018) and global GOFS 3.0 HYCOM

TABLE 1 | Station name, number, station type (mooring = M, tide gauge = TG), location, start date for the band-passed time series records shown in **Figure 4**, total number of hours of model-data overlap (N) used for computation of correlation (r), variance of the observed record, ratio of modeled to observed variance, and the root mean square error (RMSE) between the model and observed records.

Station Name	Station	Type	Longitude (°E)	Latitude (°N)	Start Date	N	r	Observed Variance (cm ²)	Variance Ratio	RMSE (cm)
Ny-Ålesund	1	TG	11.95	78.93	10/1/13	43766	0.44	7.2	1.11	2.0
Andenes	2	TG	15.15	69.32	1/1/14	17505	0.32	14.8	0.47	2.5
Honningsvåg	3	TG	25.98	70.98	10/1/13	43812	0.41	10.6	1.07	2.1
Vardø	4	TG	31.03	70.34	10/1/13	43812	0.65	17.0	0.46	2.3
Amderma	5	TG	61.7	69.8	10/1/14	25373	0.44	53.9	0.36	5.0
Ostrov Diksoon	6	TG	80.3	73.5	1/1/14	15950	0.57	100.1	0.92	7.0
Cape Sterligova	7	TG	88.9	75.4	11/1/14	17883	0.74	117.9	0.94	5.9
Cape Chelyskin	8	TG	104.3	77.7	1/1/14	18086	0.33	32.2	0.4	4.2
KH	9	M	125.29	74.72	10/1/12	17809	0.73	157.5	0.34	6.6
A3	10	M	191.03	66.33	10/1/10	8257	0.77	272.1	0.33	8.4
Nome	11	TG	194.56	64.5	10/1/14	77482	0.91	512.7	0.73	6.8
Red Dog	12	TG	195.94	67.58	10/1/14	42645	0.84	367.7	0.58	7.8
BC2	13	M	200.05	70.93	10/1/11	9001	0.72	247.7	0.31	8.6
NE60	14	M	201.45	72.18	10/1/13	18169	0.44	64.6	0.14	5.7
Prudhoe	15	TG	211.47	70.41	10/1/14	76894	0.79	96.3	0.39	4.7
Tukyouaktuk	16	TG	227.01	69.44	10/1/13	27345	0.86	125.0	0.92	4.3
Ulukhaktok*	17	TG	242.24	70.74	10/1/11	11563	0.14*	29.2	0.26	4.2
Thule	18	TG	292	76	10/1/11	68872	0.14	70.5	0.22	6.5
Alert	19	TG	297.68	82.49	10/1/17	9532	0.32	9.0	0.37	2.2
Ittoqqortoormiit	20	TG	338.02	70.48	10/1/11	60985	0.41	81.9	0.16	6.2

All correlations significant with $p < 0.001$. *Maximum correlation for Station 17 is 0.51 and occurs at a lag of -25 h, suggesting a possible timing issue with this record.

fields (Wallcraft et al., 2009) for 2015–2018. Inspection of model outputs across 2014–2015 shows a smooth transition between the boundary condition source change, so the relatively small differences in SODA and HYCOM reanalyses along the PAROMS boundary do not impact our results, which focus on shelf regions distantly located from the model edges.

While ROMS computes horizontal pressure gradients according to the equation of state, in our integrations model SSH fluctuations (ζ) do not include adjustments for atmospheric pressure or steric effects. Hence, to facilitate comparison we apply inverse barometer corrections (Chelton and Enfield, 1986) using the JRA55-do sea level pressure reanalysis estimates (-1 cm hPa^{-1}) to the observational data. We mostly constrain our model-data comparisons to fall and winter months when the Arctic shelf water column is not strongly stratified and steric effects are small.

An inner shelf transect (blue contour in **Figure 1**) is useful for evaluating PAROMS output and JRA55-do atmospheric forcing along the coast. The transect contour crosses estuaries and straits to better follow likely CSW propagation pathways. Distances along the contour are reported in kilometers beginning at the edge of the model domain on the west coast of Norway. Temporal bandpass filtering of model results is identical to that described above for mooring and tide gauge data and is applied to model outputs except where noted.

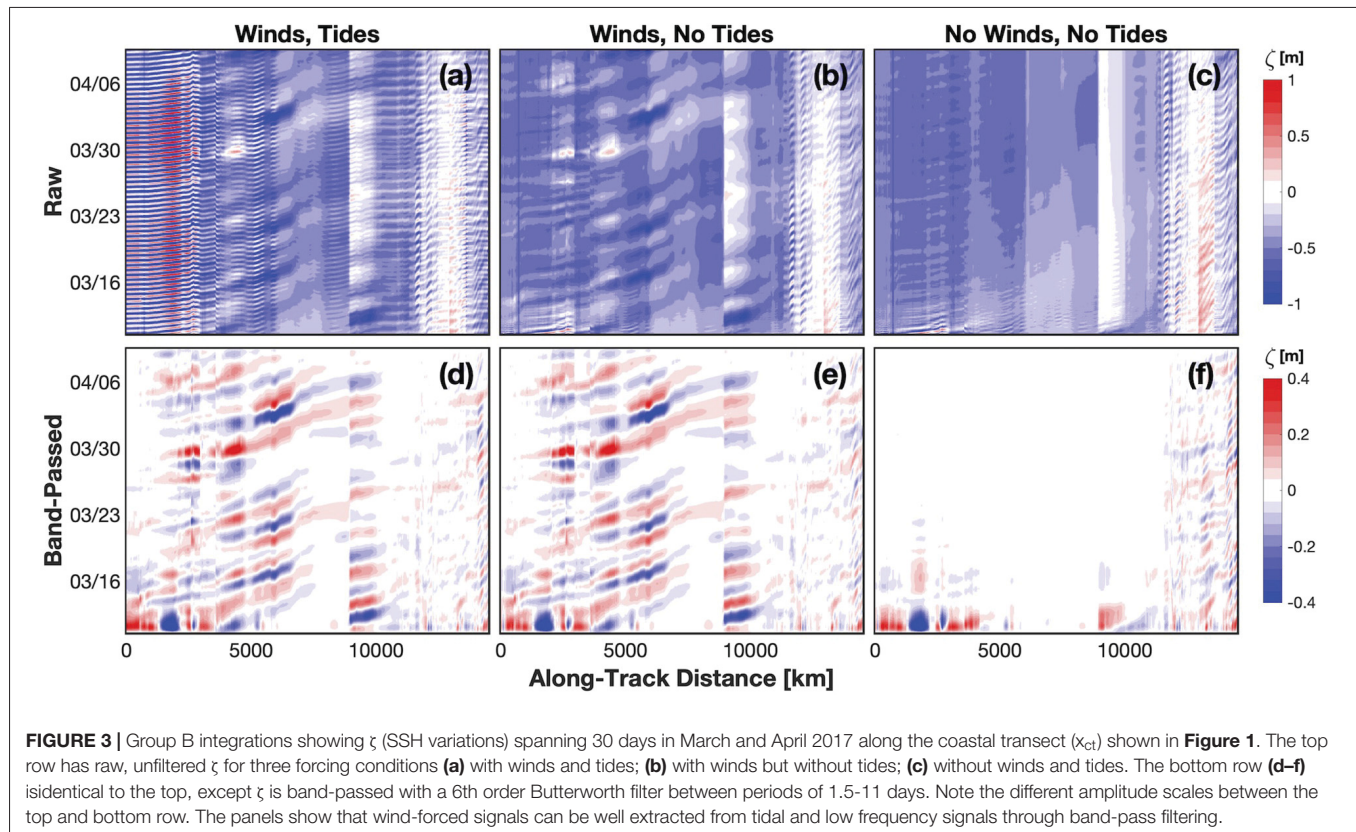
Model Integrations

We examine four sets of ocean model integrations in our study, which we designate integration groups A, B, C, and D. Integration

A is a January 2010 to November 2018 PAROMS realistic hindcast that includes the setup and forcings described above in the “Atmospheric Reanalysis” and “Ocean Model” sections. The model writes hourly outputs of ζ and vertically averaged east and north velocity components (u and v , respectively) at all grid points. This hindcast is for direct comparison to the tide gauge and mooring data. A March 2017 breakpoint in the Integration A hindcast serves as the starting point for all Group B and Group C integrations.

Group B (**Figure 3**) is a set of integrations, each run over the same one-month period, with and without forcing from tides and the JRA55-do reanalysis winds. We leave the density structure to continue to drive slope boundary flows and other baroclinic flows throughout the domain. Baroclinic and non-tidal barotropic flows through the PAROMS Pacific and Atlantic boundaries remain, as does the perpetual Pacific-to-Arctic flow through Bering Strait. To minimize the effects of stratification and surface fronts, group B runs are initialized from a mid-winter breakpoint of integration A. Group B integrations help us isolate and identify the effects of wind forcing.

Integration Group C is a series of 22-day model runs begun from the same hindcast breakpoint (March 2017) as Group B, but under the influence of idealized wind forcing applied to isolated shelf regions. This approach allows us to examine the effects of propagating ocean anomalies after the idealized wind forcing is removed. Group C integrations begin with 5 days of no wind forcing to allow the inner shelf circulation and thermohaline fields time to adjust into unforced conditions (see **Figures 3c,f**). Following the spin-down, surface wind stress remains zero



everywhere except for a localized patch of downwelling-favorable wind stress applied to one of the Arctic shelves. After the 5-day adjustment into unforced conditions, wind stress is smoothly ramped up from 0 to 0.14 N m^{-2} (approximately 10 m s^{-1}) over the course of 2 days, held steady for 3 days and then ramped down again over the course of 2 more days. The imposed winds are favorable for coastal convergence via Ekman transport and applied only in shelf regions with seafloor depths less than 500 m. Following the cessation of wind forcing, the integrations then continue for an additional 8 days. We ran another integration for the full Group C 22-day time period without any wind forcing throughout, thereby providing a reference field that can be subtracted from the forced run to capture the anomaly response. Hourly outputs (depth-averaged velocity and sea level) from these integrations are subsampled (for data handling efficiency) to a regular grid spacing of 5° in longitude and 0.25° in latitude. We report zonal energy fluxes across the 5° -spaced meridional transects, which extend from the coast northward into the basin. For Bering Strait, we integrate the meridional energy flux across the east-west oriented strait; here, the model was not subsampled in order to maintain adequate lateral resolution.

Finally, we compute Integration D using reanalysis winds applied to an isolated portion of the Pacific Arctic shelf using a ROMS setup that consists of a 2-d (barotropic) model based on vertically integrated equations of motion as described by Danielson et al. (2014). This model run helps demonstrate the impact that distantly forced CSW signals can

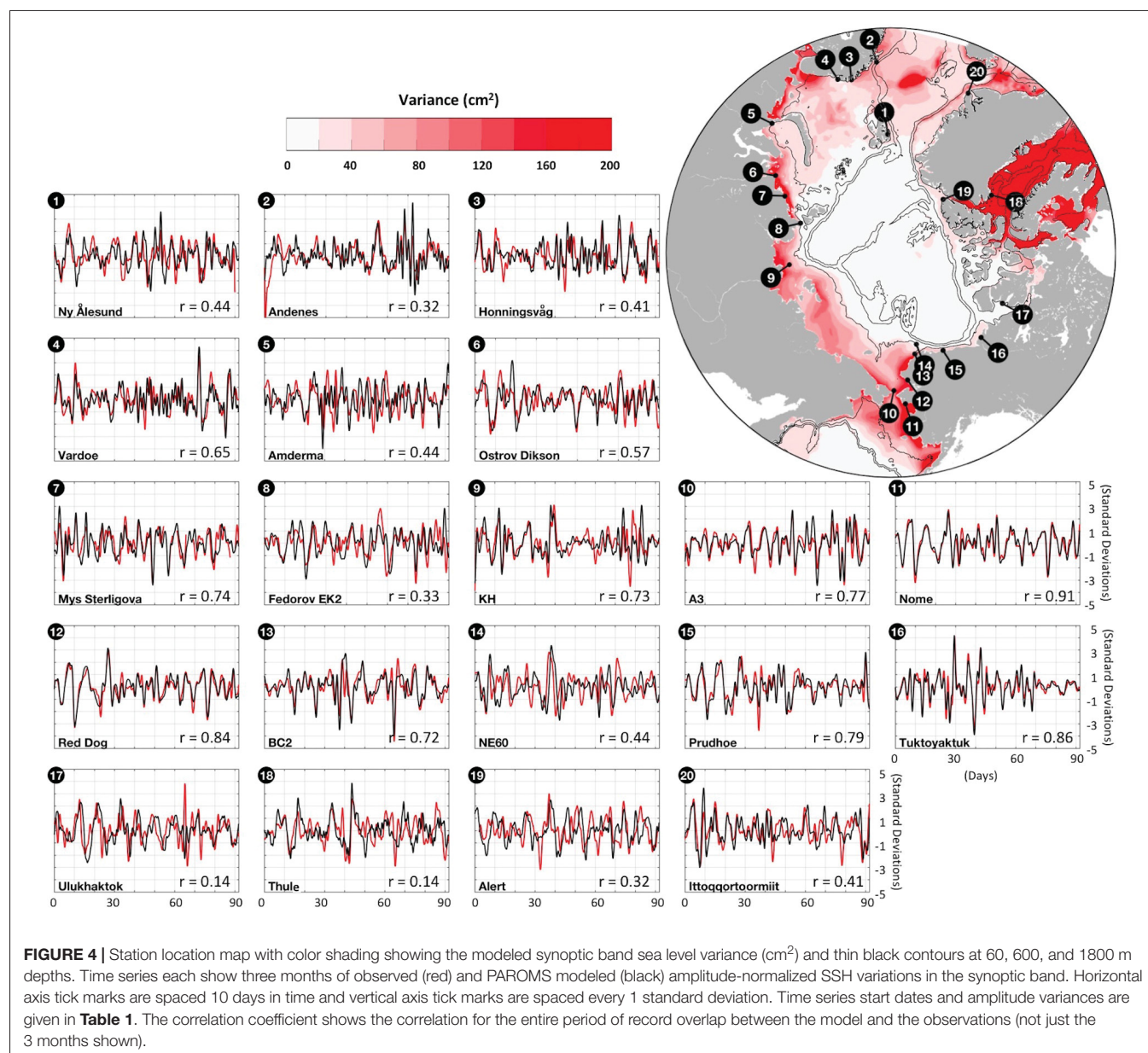
have on downstream adjoining shelves. Group C and Group D integrations were run with neither tides nor sea ice.

RESULTS AND DISCUSSION

Separation of Signals

We first examine the behavior of modeled tide-induced and wind-induced SSH variations along the coastal transect (blue line in **Figure 2**). Hovmöller plots of the Group B integrations prior to temporal filtering (**Figure 3**) show that the synoptic-band influence of the wind can be readily separated from the higher frequency (e.g., tidal and inertial) signals. In addition, we find that wind forcing is primarily responsible for relatively large-amplitude (tens of cm) ζ signals that propagate anticlockwise along the Arctic coast. The speed (slope) of these propagating signals exhibits similarity through time more so than in distance along the coastal transect, suggesting that changes in speed are linked to spatially invariant properties such as the seafloor bathymetry.

The integration without winds and without tides (**Figures 3c,f**) shows a model e-folding spin-down time scale of about half a week. The spin-down is a result of starting from a solution forced by winds and tides that are subsequently turned off. The model exhibits some non-tidal high-frequency oscillations having large variance along the northern edge of the Canadian Arctic Archipelago (along-track distances of about 12,000–14,000 km). Investigation of this signal suggests that it is



tied to boundary effects in southern Davis Strait and the complex bathymetry of the Archipelago.

Hindcast Model Performance

Using the integration A hindcast, we assess the ability of the 3-D PAROMS model to capture observed SSH fluctuations. We plot 3-month segments of normalized (unity variance, zero mean) time series of each filtered record and the corresponding model record (**Figure 4** and **Table 1**). The normalization is implemented to highlight covariation similarities of the two signals. The skill of the model hindcast is quantitatively described by the correlation, variance ratio, and root mean square error (RMSE) given in **Table 1**. For most of the comparisons shown in **Figure 4**, we use three fall months (October through December) to minimize the influence of sea ice and stratification on the

comparison results. For stations lacking a continuous 3-month record over October to December that overlapped with our model hindcast, we selected three other consecutive fall and/or winter months (**Table 1**).

The model hindcast exhibits some fidelity in capturing synoptic event-scale fluctuations at all comparison sites, although it performs better at some than others (**Figure 4** and **Table 1**). Across all of the stations, the mean variance ratio (52%) shows that the modeled synoptic-band amplitudes typically capture about half of the observed variance. **Table 1** shows that the measured synoptic-band amplitudes are somewhat underestimated by the model at almost all comparison sites. Smaller correlations tend to be associated with reduced variances, reflecting the influence of signal-to-noise ratios. The average RMSE is 5.2 cm, with a standard error for this mean of

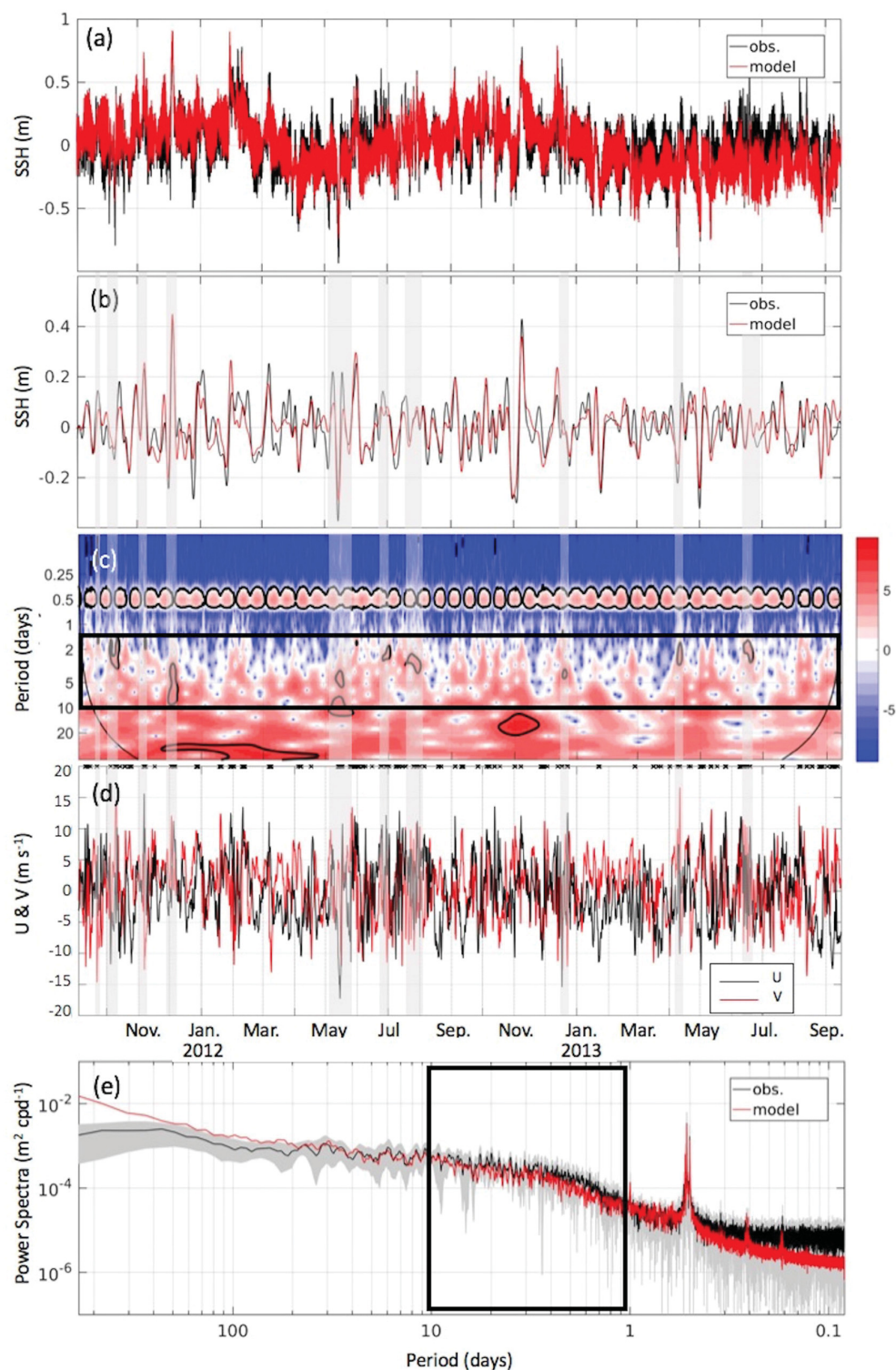


FIGURE 5 | Site KH (site #9 in **Figure 4**) over September 2011–2013: **(a)** observed data (black) and modeled hindcast (red) raw time series; **(b)** 1.5 to 11 day bandpass filtered time series; **(c)** wavelet spectra (powers in units of normalized variance), **(d)** East-West (U, black) and North-South (V, red) raw (not filtered) wind components from JRA55-do at KH; **(e)** power spectra, smoothed with 5-point running mean filter and 95% confidence bounds on the observed spectra (shading). The confidence range on the model spectra is similar to that of the observed. Shading in panels **(b–d)** denotes the timing of synoptic scale peaks in the wavelet spectra. Thick black boxes in panels **(c,e)** denote the synoptic time scale in the spectra and wavelet plots. Small crosses at the top of panel **(d)** show instances of KH wind speed $> 10 \text{ m s}^{-1}$. Black contours in panel **(c)** show wavelet peaks that are significant at the 95% confidence level.

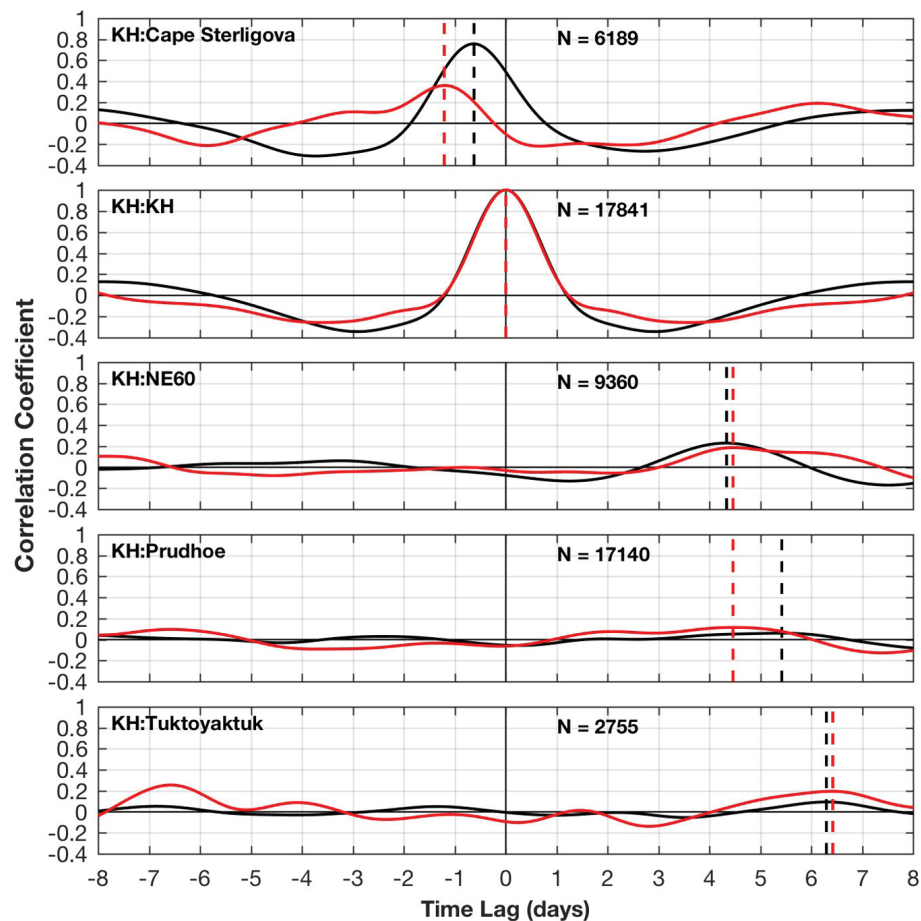


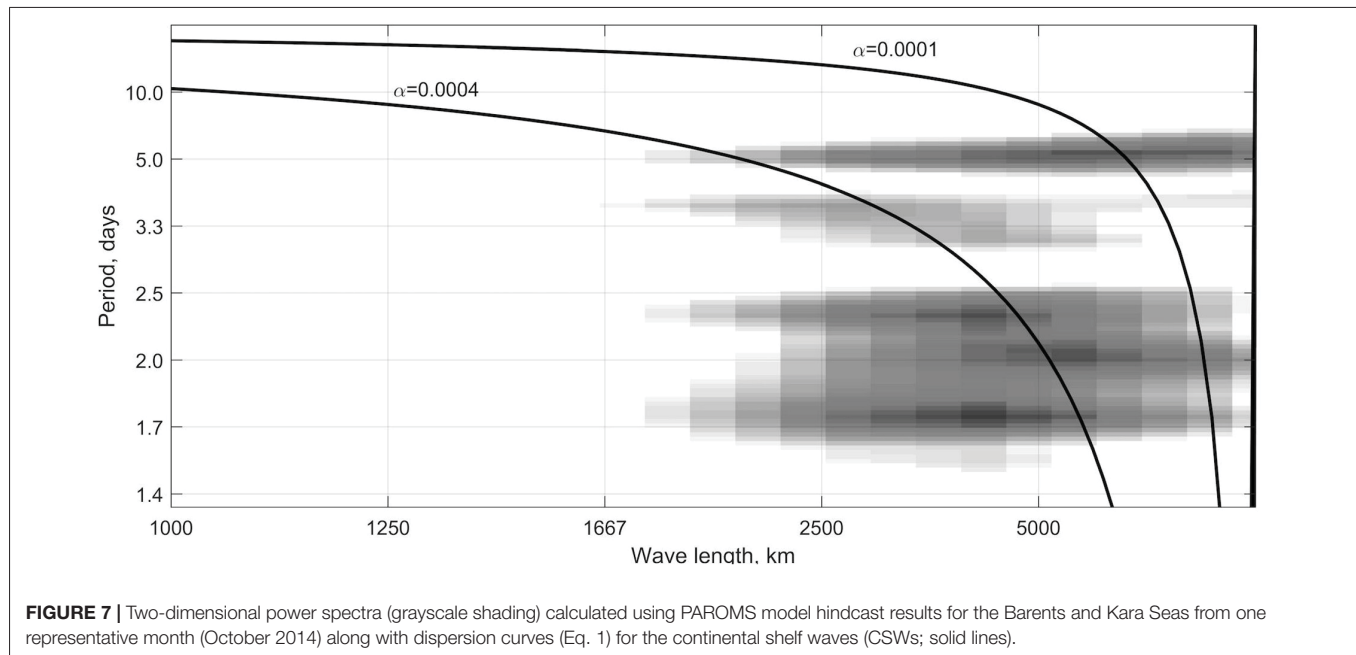
FIGURE 6 | Lagged correlations relative to station KH of band-pass filtered observed (red) and band-pass filtered modeled (black) ζ anomalies. From top to bottom: Cape Sterligova, KH, NE60, Prudhoe Bay and Tuktoyaktuk. Relevant maxima are located with vertical dashed lines. The observed correlations are based on the maximum data record overlap without gaps between the two records, with the number of hours of overlap (N) denoted on each panel. The modeled correlations are based on the integration A hindcast using all record hours ($N = 77,761$). Spread of the black and red dashed lines suggests that uncertainty in the identification of the wave passage is generally less than a day. Uncertainty also depends on record length and ζ anomaly decorrelation time scales (2–6 days).

1.0 cm. The relatively deep Barents and Canadian Arctic Archipelago shelves show weaker model-data correlations, a behavior potentially linked to the following factors. First, the deeper shelves are more likely to remain stratified in fall and winter so the likelihood of a predominantly barotropic response at this time of year is less than on the shallower shelves. Second, sea level variability along the Norwegian coast is related in part to the variable magnitude of the along-slope North Atlantic current (Calafat et al., 2013). Third, the Barents Sea is located close to the energetic Icelandic Low atmospheric pressure cell, so SSH fluctuations imparted by the inverted barometer effect may be relatively larger than along the Siberian coast (Proshutinsky et al., 2001, 2004, 2007; Calafat et al., 2013) if the JRA55-do sea level pressure record is not perfect. We note that the maximum model-observation correlation coefficient occurs at 25 h for the Ulukhaktok station, suggesting a possible issue with the station data time stamp.

For the twenty stations shown in Figure 4, about one-third have a modeled synoptic-band variance that captures at least 50%

of that observed, half are in the range of 30–50%, and the last few are between 10 and 30%. Sites #9, #10, #13 and #14 are mooring locations subject to some amount of current-induced tilt that impacts the pressure record; these four sites all have model variances that are fairly small in relation to the observations (13–35%). In contrast, within a few hundred kilometers of sites #10, #13 and #14, land-based tide gauge stations #11 and #12 show variance ratios of 0.58 and 0.73, respectively, suggesting that the underestimates of variance at sites #9, #10, #13 and #14 are likely tied more closely to mooring motion than to model inaccuracy.

Observed and model hindcast (Integration A) SSH fluctuations (Figure 5) over September 2011 to September 2013 at the KH mooring in the Laptev Sea (station #9 in Figure 4) demonstrate the model's hindcast skill at a site with higher than average model-data correlation ($r = 0.73$, $p < 0.001$), RMSE (6.6 cm) and variance (157.5 cm^2). The spectra (Figure 5e) show that the model's frequency content well represents that of the KH observations over tidal, synoptic and seasonal time



bands. Note that sub-inertial variability resolved by the model exhibits appreciable skill year-round (**Figure 5b**), even in the winter months when the Arctic environment is characterized by extensive pack and landfast ice cover.

Spatial and Temporal Structure of the Arctic SSH Field

Having established the ability of the PAROMS model to reproduce the observed SSH variability at select observation stations with some fidelity, we turn next to a broader characterization of the pan-Arctic SSH field. In qualitative agreement with observed variances, the synoptic band modeled elevation variance is particularly high along the Alaskan coast in the Bering and Chukchi seas (**Figure 4** map inset). The variance is notably high far from the shore in mid-shelf regions of the Laptev and East Siberian seas. We hypothesize that the elevated amplitudes along the Arctic Eurasian and Alaskan coastlines are associated with the effects of local wind forcing plus some contribution from propagating shelf waves. To confirm the hypothesis, we first demonstrate the existence of propagating anomalies in the ocean and then show that the signals are freely propagating waves and not merely the ocean's response to propagating atmospheric storm systems. Based on prior studies, we expect *a priori* that most of the coastal anomaly response is driven by local wind forcing. Disentangling the ocean's direct response from that of a propagating CSW may be difficult if storms translate along the shelf at a rate close to the shallow water wave speed and in the same direction. Our approach herein is to tackle these two issues sequentially, beginning with analyses of the available observations and then turning to targeted model integrations.

Site KH in the Laptev Sea (station #9 on **Figure 4**) lies in a region of elevated SSH variability on the Eurasian shelf, at a

location just upstream of where the shelf broadens and relatively high variances extend over 100 km offshore. The time-frequency distribution as resolved by wavelet analysis at this site (**Figure 5c**) shows numerous but intermittent high-amplitude events within the synoptic time scale. We find that the most energetic wavelet peaks (black contours in **Figure 5c**) in the synoptic time scale all coincide with instances of at least 10 m s^{-1} in local wind forcing (e.g., December 2011; May 2012), but not all wind peaks of 10 m s^{-1} (e.g., January 2012; March 2013) are associated with coincident wavelet energy maxima of similar magnitude. Instances of wind $> 10 \text{ m s}^{-1}$ are shown by crosses along the upper axis of **Figure 5d**. In winter, the KH location is often located close to the landfast ice edge (Janout et al., 2016), and this may affect the wind-current relation.

To test for the existence of eastward propagation of the hypothesized wave-like signal along the Arctic coastline, we computed lagged correlations using both observed and model data at KH (Station #9) relative to the upstream station at Cape Sterligova (#5) and downstream stations at NE60 (#14), Prudhoe Bay (#15) and Tuktoyaktuk (#16). We chose these stations based on the model's skill at reproducing the local SSH variations (**Table 1**), spacing (to avoid adjacent stations being too close to demonstrate propagation), and overlapping of records in time. The comparison shows agreement between the model and observations, with fluctuations at Cape Sterligova occurring approximately 1 day before arriving at KH (**Figure 6**). On the downstream side, the maximal correlation occurs at about three to 4 days for site NE60, 4 to 5 days for Prudhoe Bay and 6 days for Tuktoyaktuk. The interval between the large negative correlations lying to either side of the zero-lag unity autocorrelation at KH is about 6 days for the model and 8 days for the observations, suggesting a time scale for the passage of one complete waveform at KH. The interval between the passage of a waveform based on peaks in the



FIGURE 8 | Compilation of PAROMS model hindcast results showing the pan-Arctic maps of the instantaneous ζ anomaly averaged at snapshot time lags of -3 to $+5$ days relative to ζ excursions that exceeded two standard deviations at site KH (marked with gray "X"). Averages are based on the 104 $\zeta > 2$ standard deviation events in the 10-year hindcast.

Figure 6 correlograms gives phase speeds of $9\text{--}13\text{ m s}^{-1}$, or approximately $800\text{--}1100\text{ km day}^{-1}$. Faster propagations are associated with the downstream side of station KH. This is consistent with a tendency for eastward-propagating CSWs velocity anomalies to associate with wider shelves and steeper seafloor slopes at the continental shelf break (shown in Section "Shelf Wave Effects" below).

A dispersion relationship for the Barents and Kara seas (**Figure 7**) derived from one month (October 2014) of our filtered model output shows wave energy concentrated at periods near 2–6 days for wavelengths of $2000\text{--}7000\text{ km}$, and at phase speeds of about $500\text{--}3000\text{ km day}^{-1}$. These values fall within the range of the analytical solution for CSWs, suggesting that a substantial portion of the propagating energy in this particular month is indeed associated with CSW dynamics. Dispersion relationships for some other months show considerable energy existing at the smallest wavenumbers, suggesting that for these months the dominant response is not associated with CSWs but rather with faster-moving storm systems.

We constructed a time-lapse depiction of a canonical Laptev Sea shelf wave (**Figure 8**) by using site KH as a reference. Seeking to isolate strong signals in the synoptic band, we selected two standard deviations ($+15\text{ cm}$) at KH as a threshold. For all ζ anomalies at KH exceeding the threshold we averaged ζ anomalies across the whole Arctic at multiple time lags (spanning -3 to $+5$ days at one-day intervals). Over the 9-year model hindcast, we identified 104 positive ζ peaks at KH that exceeded two standard deviations (15 cm), or nearly one event per month on average. These events are seasonally skewed to late summer, fall and early winter months, with 65 of the 104 events occurring between August and January (**Figure 9**).

The first, weak, positive-amplitude ζ anomalies are observed over the Barents and Kara seas at lags of -3 and -2 days (**Figure 8**), followed by a stronger, coherent, and coastally enhanced anomaly in the Kara Sea at a lag of -1 day. The crest encompasses most of the Laptev Sea shelf at lag $t = 0$ (because site KH is the reference) and begins to enter the East Siberian Sea at lag $+1$ day. Over lags $+2$, $+3$, and $+4$ days the

crest crosses the East Siberian and Chukchi seas, and a portion passes southward through Bering Strait. The $\zeta > 0$ anomaly in **Figure 8** extends across about 60 degrees of longitude, or about 800 km in along-shelf length. Note that the wave crest is preceded and followed by a negative anomaly trough. Such a trough is associated with the CSW and is also, in part, a consequence of zero-level offsets associated with the filtering operation. Bering Strait is about 2500 km and 3100 km from the New Siberian Islands and Vilkitsky Strait, respectively, so the canonical wave passing along the Siberian shelves exhibits a propagation speed of about 600–800 km day⁻¹, which closely matches the expected phase speeds estimated in the “Wave Classification” section above.

A comparison of wind and SSH fluctuations demonstrates the complex linkages between the atmospheric forcing and oceanic responses (**Figure 10**). Low pressure systems intrude into the Barents and Kara seas (near **Figure 1** coastal transect distance $x_{ct} = 5000$ km) from the North Atlantic ($x_{ct} = 0$) on a regular basis, bringing wind and sea level pressure anomalies. Low pressure systems also propagate into the Arctic from the Pacific sub-Arctic near Bering Strait ($x_{ct} = 9000$). Propagating ocean anomalies also disappear in the vicinity of Bering Strait, either by escaping southward or by otherwise reflecting or dissipating.

Large-amplitude ζ anomalies (of either sign) in **Figures 10, 11** are often associated with energetic local winds but our focus is on the more weakly propagating oceanic signals that extend beyond the time frame and spatial extent of surface wind forcing. For example, in **Figure 10**, wind was strong and favorable for coastal convergence in the Barents and Kara seas over days 30–35 but abated over days 35–40. This event set up height anomalies that propagated to at least $x_{ct} = 9000$ at a rate of ~ 800 km day⁻¹ (line A in **Figure 10**). The slope of line B (~ 1600 km day⁻¹) in **Figure 10** matches the evolution of the wind forcing, while the slope of line A matches the progression of the ocean response.

Two notable features recur in the Chukchi Sea, where a distinct discontinuity in SSH variability persists through all months (**Figure 10C**). First, eastward-propagating waves often appear to undergo a 180-degree phase change as they impinge upon the Bering Strait region (near $x_{ct} = 9000$). Second, a “flattening” of the oceanic SSH anomalies consistently occurs between $x_{ct} = 8,000$ and 10,000 (**Figures 3, 10**). This feature reflects the effects of the coastline orientation: waves traveling eastward across the southern Chukchi Sea impinge upon the westward-facing Alaskan coastline nearly simultaneously for $x_{ct} = 9,000$ to 10,000, causing an apparent (but not real) local acceleration relative to the along-coast transect. Presumably, a transect along the continental slope would not depict such an acceleration.

Turning back to the Group B integrations (**Figure 3**), we note that, as expected for a shelf wave governed by seafloor depths (but not from storms propagating with bathymetrically unconstrained speed and direction), the band-passed results with wind forcing depicts propagating features that exhibit highly consistent phase speeds along much of the coastal transect: the propagating anomalies retain similarity in slope from one event to the next in both **Figures 3, 10**. Atmospheric storms are not

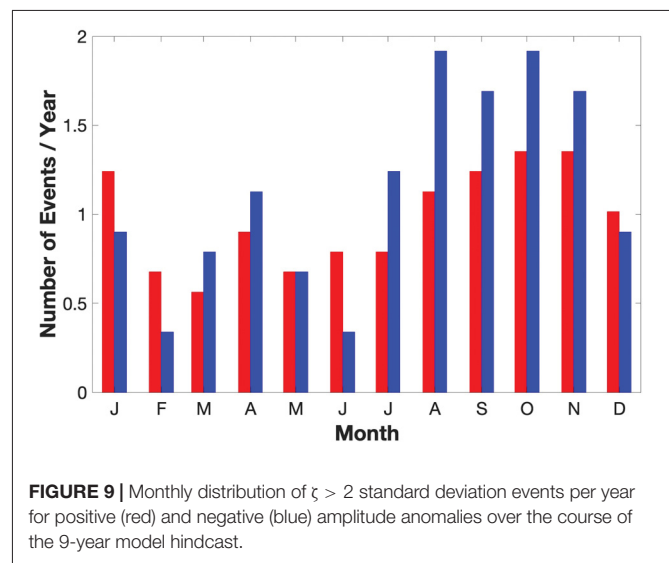


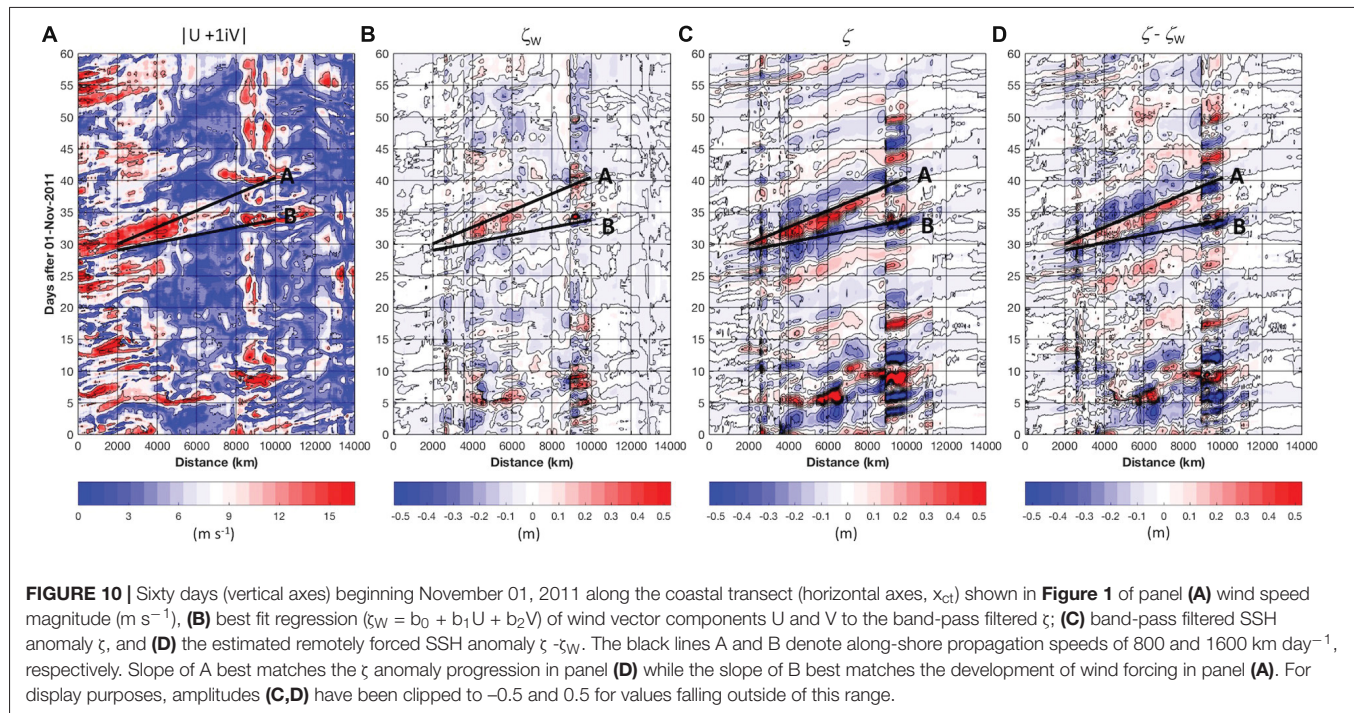
FIGURE 9 | Monthly distribution of $\zeta > 2$ standard deviation events per year for positive (red) and negative (blue) amplitude anomalies over the course of the 9-year model hindcast.

constrained by ocean dynamics: while the wind Hovmöller plot (**Figure 10A**) shows temporally propagating wind forcing, the structure in the wind field is far less consistent than within the ocean field. The wind field (**Figure 10A**) shows both propagating events and near-stationary wind events (relative to the along-coast direction) that are persistent through time (e.g., days 45–60 at $x_{ct} = 8000$ to 10,000 near Bering Strait). It is difficult to explicitly separate the effects of propagating storm systems from propagating shelf waves in the realistic hindcast model of integration A; therefore, we now turn to a series of idealized numerical model integrations that allow us to better examine the nature of the CSW in isolation.

Shelf Wave Effects

Group C integrations (see the “Model Integrations” section) applied downwelling favorable wind (that triggers shoreward currents) to select shelf seas over the course of seven days. Beginning with an integration driven by easterly winds over the Kara Sea shelf, we sought evidence of propagating anomalies (**Figure 12**). The evolution of ζ and vertically averaged velocity anomalies, with anomalies computed as the forced integration minus the equivalent unforced Group C integration, depict the CSW signal confined to the shelf east of the forcing region (**Figure 12**). The $\zeta > 0$ anomaly induced by the wind forcing propagated eastward at ~ 1000 –2000 km day⁻¹ and velocities were maximal near the shelf break. Velocity and ζ anomalies were strongest near the forcing region with values near 10–20 cm s⁻¹ and 10–20 cm, respectively. Magnitudes diminish with increasing distance from the forcing region; however, for integrations with wind stress applied to the Barents and Kara seas, speed anomalies up to 5 cm s⁻¹ were observed as far away as the Beaufort Sea. The imposed wind stress magnitude is common for Arctic storms and, while the integration is idealized, the magnitude of the response may be characteristic of storm events that persist for a few days.

To quantify the fate of CSWs once they have propagated away from the source region, following Kowalik and Murty (1993) we



estimated the zonal and meridional components of lateral energy flux as:

$$F_x = \rho u H [\zeta g + 0.5(u^2 + v^2)], \quad (2)$$

$$F_y = \rho v H [\zeta g + 0.5(u^2 + v^2)]. \quad (3)$$

As with the patterns of barotropic velocity anomaly, energy flux is intensified near the shelf break and predominantly eastward (**Figures 12, 13**), consistent with the dispersion relationship (Eq. 1).

We quantitatively assessed the evolution of CSW energy that propagates eastward across the shelves (**Figures 13a,d**), computing bulk zonal fluxes (F_{tot} , in Watts) (**Figures 13b, 14B**) by integrating the zonal energy flux (Eq. 2) across north-south transects (**Figures 13c,f**). For the group C integration with forcing in the Kara Sea (**Figures 13a–c**), the energy flux F_{tot} was a maximum of $\sim 10^9$ W at the eastern boundary of the forcing domain at $t = 5$ days. The decay was spatially non-uniform as the CSW propagated eastward. The energy flux dropped between the Laptev and East Siberian seas as the wave passed by the New Siberian Islands ($\sim 130^\circ\text{E}$); there was a slower decline as it transited the East Siberian Sea, losing $\sim 10\%$ of its energy prior to another large fractional decline in the Chukchi Sea (**Figure 13b**). By the time the CSW reached the coastal Beaufort Sea, the bulk zonal flux had declined by an order of magnitude to $\sim 10^8$ W. Over the broad, flat Eurasian shelves, away from islands, the decrease in eastward energy flux can be attributed to seafloor dissipation (there is no ice in the idealized integration C runs). In the Chukchi Sea, however, Bering Strait offers a southward pathway for losing Arctic-sourced wind energy (Eq. 3) to the sub-Arctic. The analysis shows that of the energy entering the Chukchi from the west, about half passes southward through

Bering Strait and one quarter passes beyond Point Barrow into the Beaufort Sea, suggesting that the remaining quarter is dissipated locally (**Figure 14**).

For the Group C integration with wind applied over the Barents Sea (**Figures 13d–f**), we find that about half the eastward-propagating energy is lost near the Severnaya Zemlya archipelago and most of the remainder progresses onto the Laptev Sea either through Vilkitsky Strait or along the northern side of the archipelago. Energy fluxes lacking along-shore propagation tendencies appear as stationary tendrils that persist in time (e.g., near 90 and 110°E) in **Figure 13d**. These features may represent topographically trapped leakage of CSW energy into higher modes; they deserve future investigation and characterization.

We compare the magnitude of the CSW energy flux depicted in **Figures 13, 14** with the mean northward flux of potential and kinetic energy carried by the Bering Strait throughflow. We applied the energy flux equation (Eq. 3) to the along-strait (northward) component of flow and integrated across Bering Strait ($L = 85$ km) with a typical flow of $v = 0.3$ m s^{-1} , a cross-strait sea level variation of $\zeta = 0.2$ m and an average depth of $H = 50$ m. For Bering Strait, $F_y \sim 2.6 \times 10^9$ (potential) + 1.2×10^8 (kinetic) $\sim 2.7 \times 10^9$ W. The vast majority (96%) of the total is due to the northward advection of potential energy. Under typical strong northward flow conditions ($v \sim 1$ m s^{-1}) the kinetic energy flux increases by a factor of almost 40, while the potential energy flux increases by only a factor of three. **Figure 14** suggests that the peak energy carried southward through Bering Strait by CSWs sourced in the Kara Sea can exceed the typical northward flux of kinetic energy in Bering Strait by a factor of two, but it remains an order of magnitude less than the typical total northward Bering Strait potential energy flux.

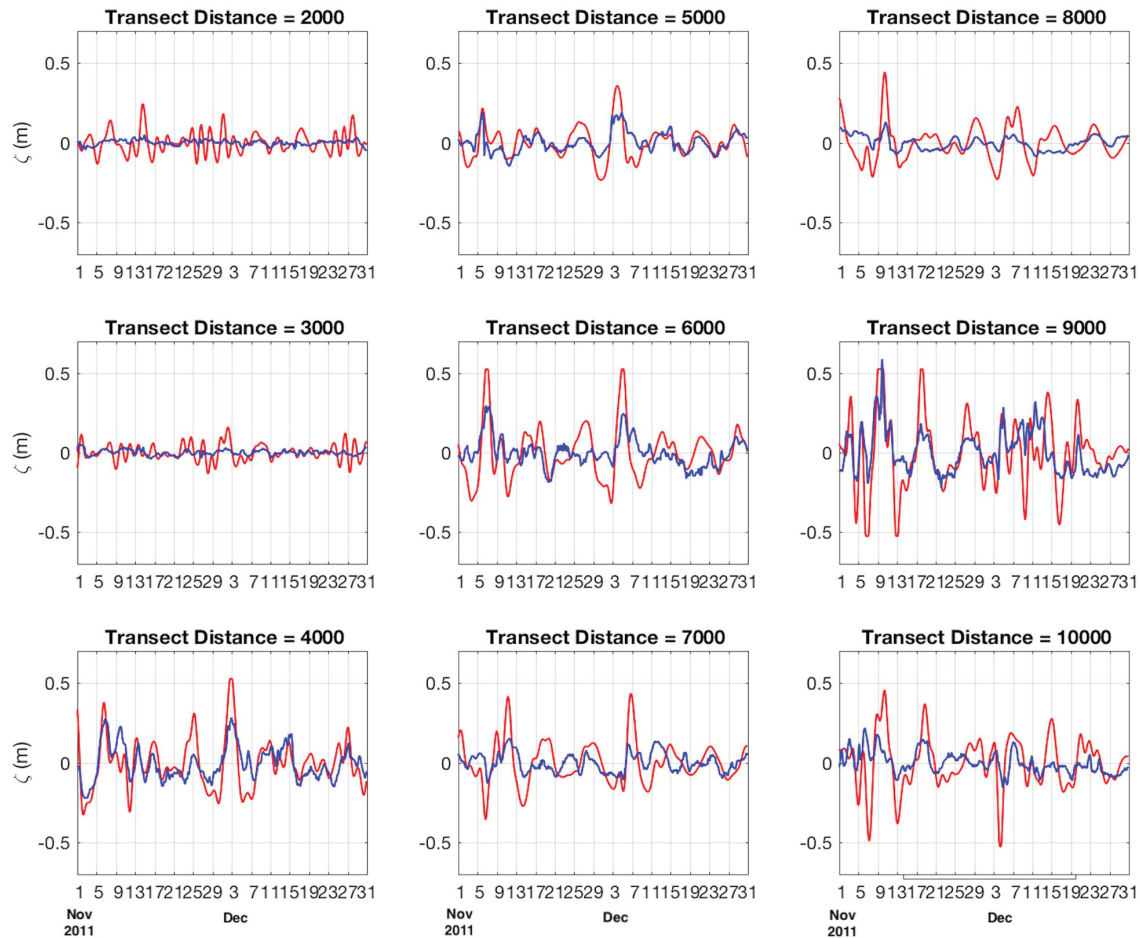


FIGURE 11 | Bandpass-filtered time series of integration A modeled ζ (red) and the best-fit wind relation ζ_W (blue) at 1000 km intervals along the coastal transect (x_{ct} , **Figure 1**) beginning October 01, 2011.

Wind-sourced power directly available for mixing can be expressed as $P_W = \delta C_D \rho |W|^3$, where W is the wind speed (m s^{-1}), and the atmosphere-ocean drag coefficient C_D and coupling efficiency δ are typically each about 10^{-3} (Simpson et al., 1978). For the Chukchi Sea (area $\sim 5 \times 10^5 \text{ km}^2$), the net dissipation of a CSW sourced in the Kara Sea ($\sim 0.5 \times 10^8 \text{ W}$; **Figure 14**) is unlikely to ever exceed that of local wind forcing, which is $\sim 5 \times 10^8 \text{ W}$ for extremely weak winds of just $W = 1 \text{ m s}^{-1}$. However, because CSW velocity anomalies are enhanced near the shelf break and in other regions of trapping, even shelf waves with distant origin may meaningfully contribute to local diapycnal mixing via bottom-stress induced turbulence.

SUMMARY AND DISCUSSION

Our analyses show that the Arctic continental shelves are dynamically linked by propagating sea surface height and velocity anomalies associated with continental shelf waves (CSWs). The CSWs drive fluctuations in sea level and the currents in the coastal zone, near the shelf break, and in the vicinity of important

chokepoints including Bering, Vilkitsky and Fram straits. The CSWs may play a role in climate-relevant processes such as mixing on the continental shelf and slope, and motion of sea ice. Although the effects are often less pronounced than impacts of locally forced diapycnal mixing (Rainville et al., 2011), ice motions (Spreen et al., 2011), or plume spreading (Bauch et al., 2011), they nevertheless represent an important remotely forced source of synoptic scale variability. The coasts of Norway and the Alaskan Bering Sea are sub-Arctic CSW generation sites from which wind-sourced energy propagates into the Arctic; channels of the Canadian Arctic Archipelago, Fram Strait, and Bering Strait represent pathways for Arctic-sourced CSW energy to escape the generally north-facing Arctic coastline.

The Arctic wind field repeatedly triggers new CSWs that propagate eastward to interact with the downstream elevation and flow fields, which are also under the influence of their own local winds and other forcing mechanisms. Therefore, it is difficult to analytically separate the effects of stationary local wind forcing, propagating wind forcing, and propagating oceanic responses. We have demonstrated that analyses of a combination of observational datasets and a range of numerical

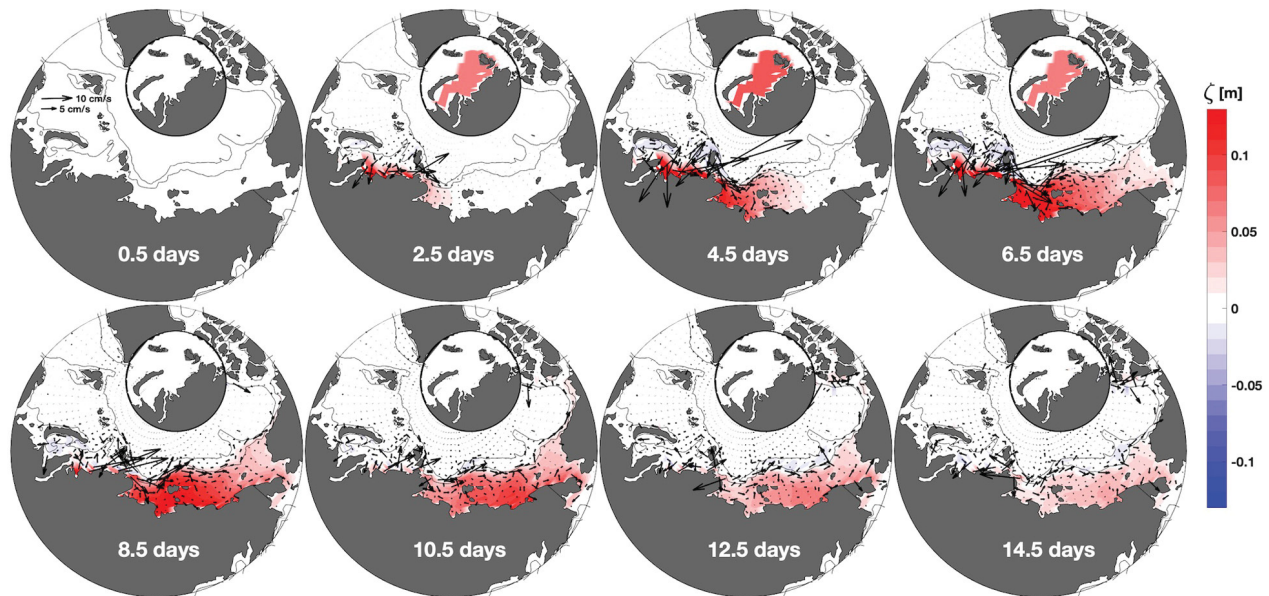


FIGURE 12 | Difference between two model integrations, where one has no wind forcing and the other has an eastward surface wind stress with maximum amplitude of 0.14 N m^{-2} induced over the Kara Sea (wind magnitude and location depicted in the small inset maps). Color in the main panels shows the ζ anomaly; vectors indicate barotropic velocity anomaly (see upper left panel for scale vectors). The plotted velocity vectors are spaced by 1° latitude for visual clarity. Time from the integration initialization is at the bottom of each panel. Wind stress begins at zero, ramps up during days 1–3 and ramps down to zero during days 6–8.

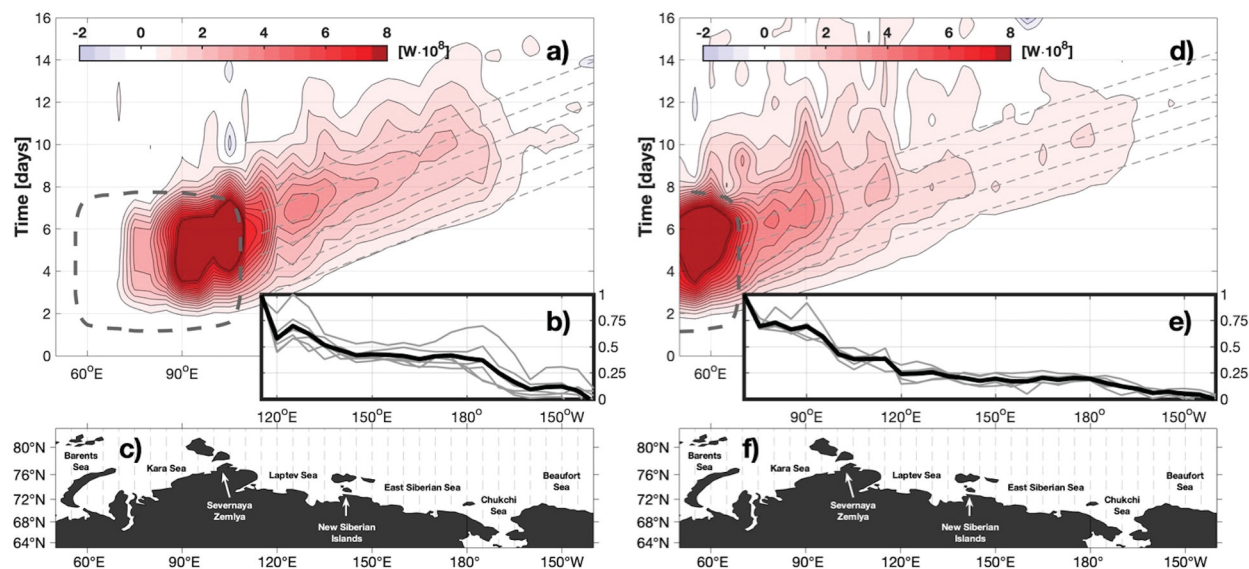


FIGURE 13 | (a,d) Hovmöller plots of zonal energy flux (integrated over meridional lines), where red and blue represent eastward and westward propagation, respectively. Dark red colors include values above $8 \times 10^8 \text{ W}$. The vertical axis spans 16 days of model integration; the horizontal axis is longitude and aligns with the longitude axes in panels (b,e,c,f). The gray box denotes the spatiotemporal occurrence of the downwelling wind stress impulse in the Kara Sea (a,b,c) and the Barents Sea (d,e,f). The dashed lines correspond to a phase speed of $\sim 1900 \text{ km day}^{-1}$. (b,e) Gray lines show the integrated energy flux along the dashed lines in panels (a,d) and the black line is the ensemble average. Integrated fluxes are normalized to the maximum value in the zonal range, hence the vertical limits span 0 to 1. (c,f) A map of the major coastal topographic features along the zonal range. Dashed lines show the longitudes (5° spacing) over which total zonal energy is computed in panels (a,d,b,e).

model simulations of varying forcing complexity allows us to at least partially decompose the synoptic Arctic SSH field into these different mechanisms. *In situ* (Figure 4) and model (Figures 4, 6,

8, 10, 12, and 13) data suggest that CSWs initiated over the Kara or Laptev seas may exert their influence over the course of at least 6 days.

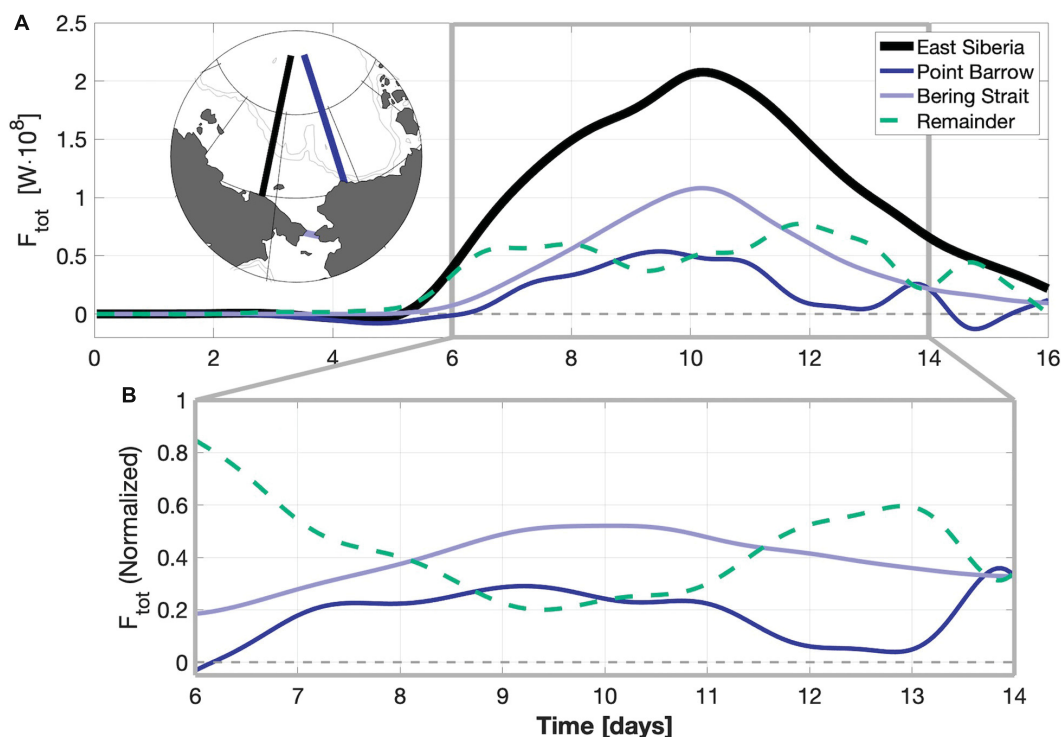


FIGURE 14 | (A) Time series of integrated energy flux (F_{tot}) across the three transects shown in the inset map (East Siberia, Point Barrow, and Bering Strait) for the Kara Sea integration shown in **Figure 12**. The dashed line represents energy dissipation local to the Chukchi Sea: the difference between the CSW energy entering and leaving the region. The Point Barrow and Bering Strait time series are shifted by 14 and 10 h, respectively, to align the wave phases as they cross the integration transects. **(B)** Same as **(A)**, but normalized by F_{tot} at the East Siberian line in order to highlight, fractionally, the pathways for CSW energy entering the Chukchi Sea.

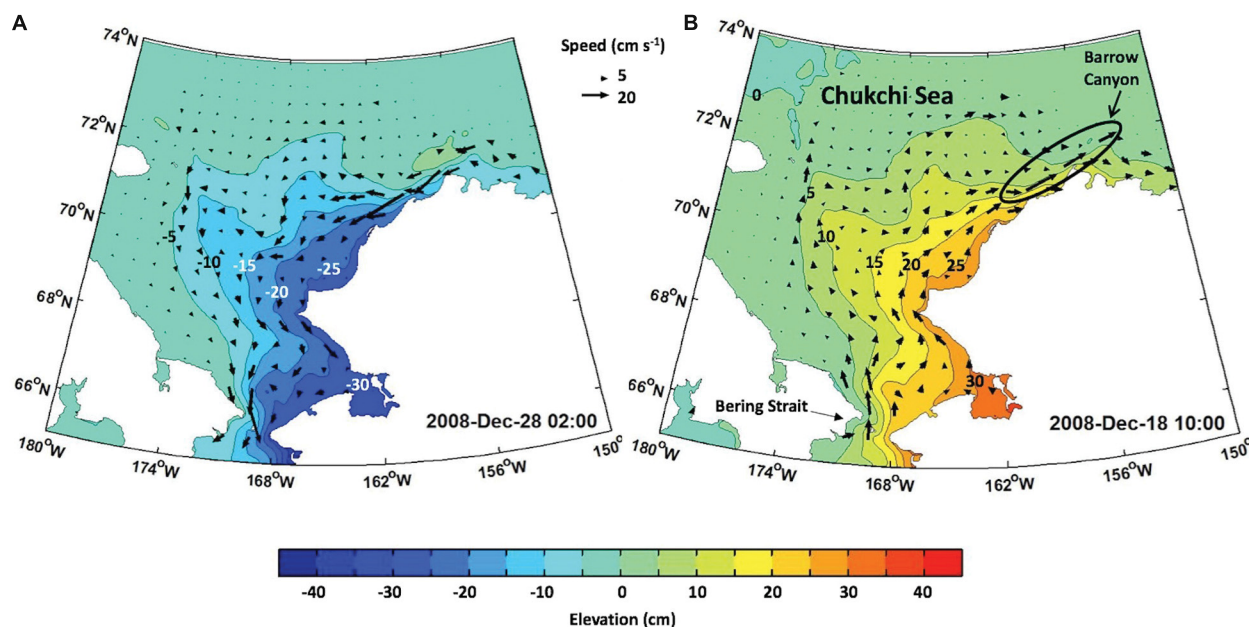


FIGURE 15 | Two examples of Chukchi Sea CSWs generated south of Bering Strait using a 2-D ROMS model with wind stress only applied over the Bering Sea (Bering Sea not depicted on this map). Colors and contour labeling show SSH anomaly (cm). Note elevation anomalies of ± 30 cm and currents reaching $20\text{--}30$ cm s⁻¹. The location of Barrow Canyon is indicated in panel **(B)**. Panel **(A)** shows an example of a sea level set-down associated with coastal divergence. Panel **(B)** shows an example of sea level set-up associated with coastal convergence.

Sea surface height variability caused by CSWs can impact longer-term (e.g., monthly) estimates of ocean mass and surface elevation derived from satellites operating with orbits that under-sample true ocean variability. Analysis of GRACE satellite and numerical model results suggests a basin-coherent dominant mode of SSH variability, representing about half of the variance, a secondary pattern that is a shelf-basin dipole, about one-fifth of the variance, and an even weaker pattern centered over the Barents Sea (see Volkov and Landerer, 2013; Peralta-Ferriz et al., 2014). The dipole feature appears consistent with phasing of the Arctic Oscillation and the Arctic Ocean geomorphology and thence to the associated wind field and Ekman dynamics. However, the relation between the monthly GRACE bottom pressure estimates and synoptic scale variations on the shelf is not fully clear because the GRACE data are adjusted (based on ocean modeling) to minimize the effects of aliased measurements (Landerer and Swenson, 2012; Cooley and Landerer, 2019), yet shorter-than-monthly variability appears to impact the monthly GRACE anomalies (Fukumori et al., 2015).

The shelves' bathymetry variations, coastlines and islands trigger CSW wavelength and amplitude adjustments based on dispersion characteristics. To a lesser extent, changes in Coriolis parameter may also force wave adjustments, but variations in f are relatively small ($1.33 \times 10^{-4} < f < 1.45 \times 10^{-4} \text{ s}^{-1}$) for the range of coastal latitudes between the Arctic Circle and the northern tip of Greenland. The broad Bering and Eurasian shelves are relatively flat; therefore, as suggested by Figures 13, 14, we expect that the effects of archipelagos and blocking coastlines will dominate the scattering of CSWs into higher modes.

SSH variability is important for safety and infrastructure protections associated with storm surge conditions, travel on landfast sea ice, contaminant spill responses and search and rescue efforts, all of which require knowledge of ocean current direction and speed. Regionally and locally driven storm surges are normally well anticipated and broadcast by forecasters, but propagating shelf waves are not necessarily considered in public forecast analyses or warnings of storm surge conditions due to the limited spatial extent of some forecast models, which can end at national or other arbitrary boundaries. Arctic subsistence hunting activities often use landfast ice as a platform for travel and staging (Gearheard et al., 2006) but the right combinations of ocean currents, winds, SSH anomalies and internal ice dynamics can trigger detachments of landfast ice. Landfast ice breakout events have surprised Indigenous hunters, with near-disastrous results for whale hunt participants near Utqiagvik, Alaska, in 1957 and 1997 (George et al., 2004).

As a final example of the potential magnitude of CSW effects in the eastern Chukchi Sea, we show results of the group D integration, a 2-D numerical model described by Danielson et al. (2014). This idealized model, based on vertically integrated equations of motion, is forced only by reanalysis winds over the Bering Sea. There is no mean background Bering Strait net throughflow and there is no wind applied over the Chukchi Sea. Hence, any flows detected in the Chukchi Sea are the

result of northward-propagating CSWs that originated in the Bering Sea. The underlying bathymetry includes shelf isobaths that converge upon Barrow Canyon, which appear to focus the passing CSWs close to shore and accelerate the currents. Speeds exceed 20 cm s^{-1} in both along-shore directions for the coastal convergent (Figure 15A) and the coastal divergent (Figure 15B) phases. Height anomaly magnitudes exceed 25 cm in the positive and negative directions for the coastal convergent and coastal divergent wave forms, respectively. Together, the amplitude and speed of these waves suggest their potential importance for landfast ice breakout events.

Our hindcast model with full atmospheric and tidal forcing contains most of the physical processes required to represent the complex behavior of CSWs in the Arctic Ocean. However, we require more studies to disentangle the different processes so that we may move more closely to understanding how Arctic coastal trapped waves may change in future climates. These processes include the roles played by stratification, landfast ice, seasonality in storm events, regional differences, and their impact on other important processes such as diapycnal mixing. For example, we anticipate a high potential for wave-wave interactions in the Chukchi Sea where CSWs propagating from two different source regions converge. In the Canadian Arctic Archipelago, the complex coastlines and bathymetry undoubtedly reflect and scatter CSWs in interesting but presently unknown fashions. Seasonally changing stratification driven by ice melt and river discharge may alter wave type, behavior, and effects on ocean mixing and ice motion. As shown by Pickart et al. (2011), trapped waves at the shelf break propagating along the seasonal or permanent pycnocline are likely important components of the complete wave environments in these special regions. More accurate seafloor bathymetry grids will foster better model results, as will improvements to the atmospheric wind and pressure models that force the modeled ocean surface, and improvements to the representation of sea ice. Incorporating these additional complexities will improve the accuracy of models used for forecasting (for safety and marine operations considerations) and for assessing the overall response of the Arctic Ocean and sea ice as weather-band forcing changes in an evolving regional climate.

DATA AVAILABILITY STATEMENT

JRA-55do model output is available from the Japan Meteorological Agency at: <http://climate.mri-jma.go.jp/~htsujino/jra55do.html>. SODA boundary conditions are available at: <http://www2.atmos.umd.edu/~ocean/>. HYCOM boundary conditions are available at: <http://www.hycom.org>. Tidal boundary conditions are available at: <http://tpxo.net/>. Most tide gauge data can be retrieved from public archives: the US National Oceanographic and Atmospheric Administration's Tides and Currents archive (<http://www.tidesandcurrents.noaa.gov>), the University of Hawaii Sea Level Center (<https://uhslc.woest.hawaii.edu/>), the British Oceanographic Data Center Permanent Service

for Mean Sea Level (<http://www.psmsl.org>) and the Fisheries and Oceans Canada Tides, Currents and Water Levels archive (<http://tides.gc.ca/eng>). Moored pressure records are available at: <http://psc.apl.washington.edu/HLD/Bstrait/bstrait.html> (A3), <https://accession.nodc.noaa.gov/0160090> (BC2), and <https://accession.nodc.noaa.gov/0163833> (HE60). PAROMS model outputs and other data products associated with this article are available at the Alaska Ocean Observing System (AOOS) online archive (<http://www.aos.org>) under NPRB Project #1302. Model setup of the PAROMS ocean model is archived at doi: 10.5281/zenodo.3661518 and doi: 10.5281/zenodo.3708464.

AUTHOR CONTRIBUTIONS

SD conceived the study. KH ran all model integrations. SD, TH, and AP carried out analyses. All authors contributed to writing and/or provided datasets.

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