

# A Microfluidic MEMS-Microbalance Platform With Minimized Acoustic Radiation in Liquid

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**Abstract**— In this article, the microfluidic channels that deliver liquid to a microscale thin-film piezoelectric-on-silicon (TPoS) gravimetric resonant sensor are incorporated into the backside of the silicon-on-insulator (SOI) wafer on which the resonator is fabricated. Specifically, a microwell is embedded at the bottom of the disk-shaped TPoS resonator, while a very thin layer of parylene covering the backside of the resonator and the microwell forms an isolation layer between the liquid and the top device-layer features. In this way, the liquid is in contact with the backside of the resonator, while the device-defining trenches and the electrical connections to the resonator stay clear, thus mitigating the acoustic energy loss and undesirable feedthroughs. The impact of the parylene layer thickness on a few symmetric (S) and antisymmetric (A) Lamb wave modes of the resonator is experimentally studied, and the performance of such modes in the liquid is characterized by filling the microwells through a PDMS-based microfluidic channel. The parylene layer, while marginally affecting the resonator in the air, is found to substantially enhance its performance in the liquid media. Strong resonance peaks with high quality factors ( $Q$ ) are observed for the S modes, among which  $Q$  values above 400 are recorded for a specific mode named S(4, 2) (among the highest ever reported). This article can potentially facilitate the realization of highly stable and sensitive resonant mass sensors (i.e., microbalance) for real-time applications. Additionally, the effect of the acoustic energy radiation in the form of evanescent shear

and longitudinal waves in liquid on the  $Q$  and resonance frequency of the disk resonators is experimentally validated.

**Index Terms**— Liquid sensing, microelectromechanical disk resonator, piezoelectric transducer, quality factor, resonant sensors.

## I. INTRODUCTION

THE ubiquitous fulfillment of the visions promised by the Internet-of-Things paradigms mandates integration of low-cost miniaturized sensors with high accuracy in diverse domains, such as healthcare, food and consumer products, and numerous industrial processes, to name but a few. Quartz, surface acoustic wave (SAW), and microelectromechanical systems (MEMS) have been widely used as platforms for sensing physical parameters of interest, and significant sensitivity enhancement has been demonstrated by operating them at resonance [1], [2]. Chief among the advantages of resonant sensing is that the output signal—being frequency or phase—can be directly fed to digital circuitry with minimal need for signal conditioning and analog-to-digital conversion, which significantly reduces the sensor system complexity and power consumption. A great number of sensing applications require the operation of the sensor within liquid media. MEMS resonant sensors—despite their advantages in size, cost, and integration—suffer from significant performance degradation in liquid, which renders them impractical in such scenarios. This stems from the irreversible leakage of acoustic energy to the liquid under test (LUT) in contact with the resonator. As the surface-to-volume ratio substantially increases at microscale, radiation of energy from the surfaces overwhelms the device performance. Also, severe parasitic feedthroughs between the electrodes and formation of parasitic conductive paths in the case of an ionic LUT results in complication of the signal interface. The former reduces the quality factor ( $Q$ ), which in conjunction with the latter results in degradation of the signal-to-noise ratio (SNR) and the resolution of the sensor [3]. In order to improve the performance of the resonant MEMS sensors and more specifically the piezoelectrically transduced resonators in liquid media, efforts, such as utilizing in-plane vibrations [4]–[9], containing liquid within the body of the resonators [10]–[12], or using surface-mounted

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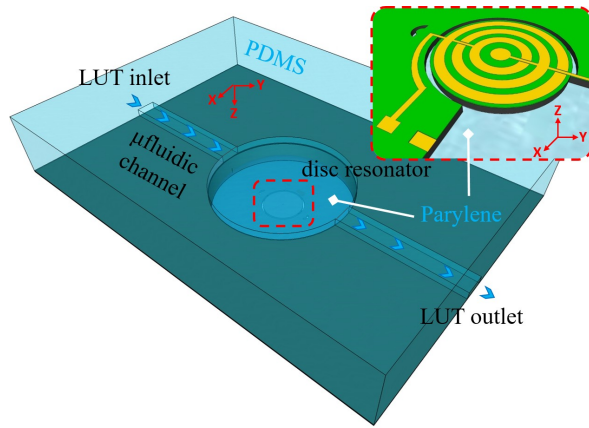


Fig. 1. Schematic of the sensor and microfluidic configuration where the disk resonator lies at the bottom of the microwell and its cross-sectional topside is shown in the inset.

resonators [13]–[17], have been made with promising but limited success [18]. Nevertheless, reliable tracking of the resonance frequency and practical integration of the sensor within an oscillator that allows for real-time sensing capacity still faces limitations, and further efforts are to be made. In order to address the degradation of  $Q$  and SNR that are crucial for building a simple but reliable oscillator, in this article, we investigate the performance of thin-film piezoelectric-on-silicon (TPoS) [19] disk resonators that are coated from the backside release hole (i.e., microwell) with a thin layer of parylene, while they are integrated with PDMS-based microfluidic channels (see Fig. 1). In this way, the LUT is driven into the microwells and is in contact with the resonator body, while the parylene layer acts as a barrier for the penetration of the LUT to the device-defining top-side trenches and from contacting the electrodes. The effect of the parylene layer thickness as well as the liquid damping on several vibration modes of the resonator is experimented, and the influence of the size of microwells on the liquid damping is also investigated. It is shown that the usage of parylene minimally degrades the resonators' performance; moreover, a compound symmetric Lamb wave resonance mode is identified that shows very high liquid  $Q$ , promising substantially enhanced robustness in mass sensing. Sections II–IV present the description/design of the sensor, fabrication process, and the characterization of the devices and the effect of the parylene coating both in air and water.

## II. DESIGN OF THE SENSOR

### A. Operation Principle

The TPoS platform takes advantage of the piezoelectric transduction and low acoustic loss in a substrate material to achieve efficient energy coupling, very high  $Q$ , and excellent power handling. The piezoelectric layer is actuated through patterned electrodes that exert periodic electric fields in the lateral and/or thickness directions depending on their configuration. Additionally, the main resonant body and its properties can be approximated by the relatively thicker layer of a high- $Q$  material [e.g., single crystalline silicon (SCS)]

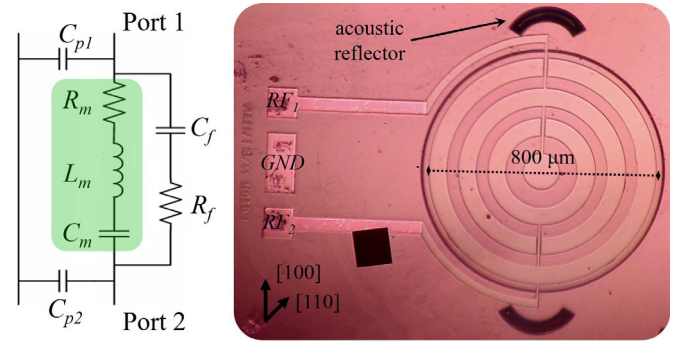


Fig. 2. Optical micrograph of the disk resonator studied herein along with the two-port equivalent electrical circuit model. The RLC tank highlighted in green accounts for the motional branch of the resonator,  $C_p$  is for the static capacitance of the ports, and  $C_f$  and  $R_f$  are for the parasitic feedthroughs.

underneath the piezoelectric transducer layer. Furthermore, by employing SCS as the substrate, disk resonators that are supported by narrow tethers on the sides can be realized. It is worth mentioning that disk resonators have been previously demonstrated with superior performance; however, they often require to be supported from the center, which complicates the fabrication process [20]. Due to the anisotropy of the SCS, modal displacement nodes form on the disk periphery where the tethers can be positioned to allow for minimum distortion of the resonance modes and mitigation of the tether loss [21]. While a backside cavity is intrinsically formed to release TPoS resonators in the established silicon-on-insulator (SOI)-based fabrication processes, here, the same backside cavity is etched wide enough to form a microwell that allows for insertion and retention of the LUT. Finally, a submicrometer layer of parylene-C forms a barrier between the resonator and the microwell so that the LUT is electrically and mechanically isolated from the electrodes and device-layer trenches, respectively. Parylene-C is a type of poly-paraxylylene polymers that is widely used as coating layers in electronics and biomedical applications due to its impermeability to gases and liquids even at thicknesses as small as a few tens of nanometers [22]. The two-port resonator (see Fig. 2) is electrically excited into resonance from one of the ports, while the mechanical vibrations are detected from the second port through the piezoelectric effect. In the electrical equivalent circuit model shown in Fig. 2, the resistor ( $R_m$ ), inductor ( $L_m$ ), and capacitor ( $C_m$ ) tank highlighted in green replaces the mass-spring-damper model of the resonator,  $C_{p1,2}$  corresponds to the static capacitance of the ports, and  $C_f$  and  $R_f$  account for the parasitic feedthroughs. Once in the liquid, the values of  $R_m$  and  $L_m$  are increased and the feedthrough path becomes significantly large to the extent of possibly obscuring the response of the motional branch [23]. The in-plane acoustic reflectors [24], pointed out in Fig. 2, are etched near the tethers to reduce the acoustic energy leakage into the substrate [25]. Upon functionalization of the parylene-C surface with proper binding agents, mass sensitivity to a molecule or substance of interest can be achieved in the form of resonance frequency shift, which is elaborated upon hereunder.

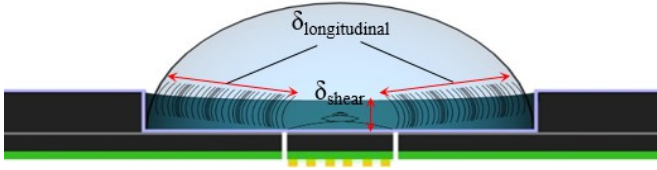


Fig. 3. Demonstration of the propagation depth of the longitudinal and shear waves in a liquid droplet that fills the backside microwell.

### B. Theory of Operation

In-plane vibration modes ideally do not apply force to the liquid in the direction normal to the main surface of the resonant body, and hence, they are desired for minimizing the acoustic energy loss. Provided that the effective mass and stiffness of such modes of interest are derived, one can apply the basic mass-spring-damper model to achieve the corresponding resonance frequency [26]

$$f_{n(n>1)} = \frac{2\pi}{\sqrt{[x_n]^T [K_n] [x_n] + [v_n]^T [M_n] [v_n]}} \quad (1)$$

where  $n$  corresponds to the compound mode order (modes with vibrations in both radial and tangential directions) with its  $[K_n]$  and  $[M_n]$  that are stiffness and mass matrices and  $[x_n]$  and  $[v_n]$  that are displacement and velocity vectors. While a more specific expression is available for the case of isotropic disks, for SCS, such expressions are not readily available [27], [28]. Assuming that the resonance mode shape is preserved once the resonator is in contact with liquid, the modal stiffness and mass are replaced by their perturbed counterparts,  $K^*$  and  $M^*$ , to account for target molecules adsorbed to the surface [29]. Consequently, the resonance frequency shifts in response to the changes of  $K^*$  and  $M^*$ . A simplified theoretical expression for the frequency shift of the resonant mass sensors has been suggested by Sauerbrey [30], which is applicable where the variations in  $K^*$  can be safely ignored

$$f = - \frac{2f_0^2}{\sqrt{K^* M^*}} M^*. \quad (2)$$

The effect of liquid and particle loading manifests itself in an increase of the  $M^*$  in (2), resulting in a lower frequency (equivalent to an increase in  $L_m$ ). Also, resonator  $Q$  is usually degraded as several energy loss mechanisms intensify (equivalent to an increase in  $R_m$ ). Among such energy loss pathways are the evanescent shear and longitudinal waves that are generated at the boundary of the resonator and the liquid. The attenuation coefficients ( $\alpha$ ) of such waves are shown in Table I along with their predicted penetration depth ( $\delta$ ) in water at two frequencies. The two types of wavefronts are also schematically shown in Fig. 3. From Table I, it is evident that the longitudinal waves undergo much less attenuation compared with the shear waves, though they are most often neglected due to the assumption of pure in-plane vibrations and zero acoustic energy radiations from the sidewalls of the resonator [31]. It is well documented that the shear waves carry

TABLE I  
ATTENUATION COEFFICIENT AND PENETRATION DEPTH OF  
SHEAR AND LONGITUDINAL WAVES IN LIQUID

	Shear	Longitudinal
$\alpha$	$\sqrt{\frac{\pi f \rho_L}{\eta_L}} \quad (3)$	$\frac{\rho_L v_L}{\rho_S v_S \lambda} \quad (4)$
$\delta$ at 10MHz <sup>†</sup>	170 nm	8 mm
$\delta$ at 40MHz <sup>†</sup>	85 nm	2 mm

Where  $\rho_L$ ,  $\eta_L$ , and  $v_L$  are the density, viscosity, and the acoustic velocity of the liquid;  $f$  and  $\lambda$  are frequency and wavelength in the substrate;  $\rho_S$  and  $v_S$  are density and acoustic velocity of the substrate.

<sup>†</sup>The penetration depths ( $\delta = 1/\alpha$ ) are calculated in water, with  $\rho_L$ ,  $\eta_L$ , and  $v_L$  being 1 g.cm<sup>-3</sup>, 0.9 mPa.s, and 1500 m.s<sup>-1</sup> while  $\rho_S$  and  $v_S$  being 2.32 g.cm<sup>-3</sup> and 7500 m.s<sup>-1</sup>, respectively for a Si substrate.

the liquid within their penetration depth in harmony with the resonator, resulting in a virtual added mass of roughly such amount of liquid. The longitudinal waves, on the other hand, are mostly radiated from the sidewalls of the nodes with out-

of-plane displacements. If the liquid cavity and its boundary favor the formation of standing waves, a compressional wave resonance could be formed in liquid, which influences  $Q$  as well as changing the virtual added mass [32]. Hence, attention must be paid to the commonly overlooked influence of the liquid boundaries even relatively far beyond the resonant body region. Evidence for this statement will be demonstrated later in this article.

### C. Finite-Element Modeling

Finite-element analysis (FEA) using COMSOL Multi-physics package is employed to study the mode shapes of interest (in the frequency range of 10–40 MHz) and to design the proper electrodes. The front view of the total displacement of a disk resonator and its lateral stress for the modes under study is shown in Fig. 4. Both symmetric ( $S$ ) and antisymmetric ( $A$ ) modes of the Lamb wave resonance are studied and they are termed based on the number of nodal diameters and circles that they have, respectively (e.g.,  $S(4, 2)$  is the symmetric lamb wave with four nodal diameters and two circles). Such modes can be efficiently excited with a single electrode design by selecting a proper electrode coverage, which avoids total charge cancellation [33]. The suspension tethers are placed as seen in dark blue areas on the edges of the disks, where quasi-nodal displacement regions are located. Next, the mass sensitivity of such modes is examined by first, considering the resonance frequency shift resulted from varying the thickness of parylene by 200 nm and, second, by using a surface added mass on the parylene layer. For this task, the model includes a quarter of the disk resonator and the surrounding substrate region alongside two symmetry planes, as shown in Fig. 5. In this way, the computational load of the simulation is considerably lowered. The substrate is terminated in a perfectly matched layer (PML) that is wide enough to accommodate an acoustic wavelength and has eight-mesh elements along the direction of the wave propagation, resulting in a more accurate modeling of the energy dissipation



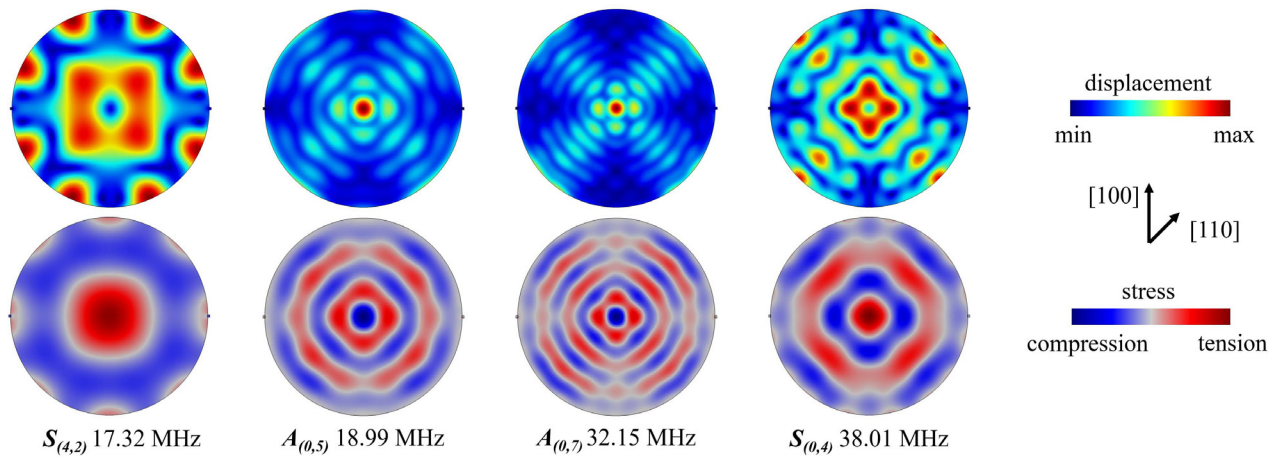


Fig. 4. Total displacement (top) and lateral stress (bottom) distribution of the mode shapes of study and their frequency from COMSOL FEA.

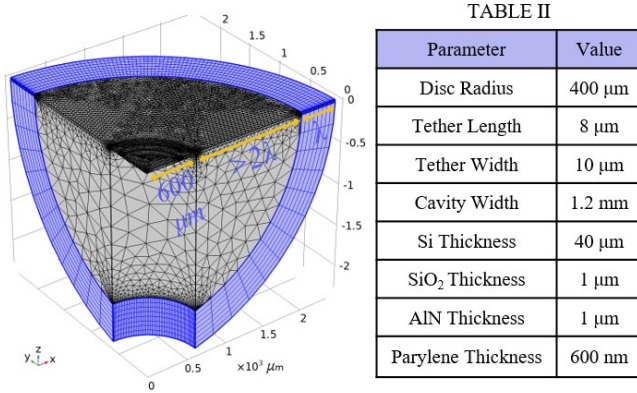


Fig. 5. Meshed quarter of the structure and the simulation parameter values (see Table II). The PML layer is marked in blue and is a wavelength long and eight elements deep.

mechanisms, hence more accurate simulation results [34]. The geometrical parameters used for the simulations are summarized in Table II. The simulated mass sensitivity of the vibration modes is shown in Table III. Generally, with increasing the resonance frequency, a higher mass sensitivity is achieved, while  $A$  modes offer higher mass sensitivities compared with  $S$  modes due to having bending moments and larger dynamic displacement ranges.

### III. FABRICATION PROCESS

The proposed devices are fabricated in a conventional five-mask process flow for TPoS resonators with minor modifications (summarized in Fig. 6). The process starts with a sputter deposition of  $\sim 20$ -nm AlN as the barrier layer on a 40  $\mu\text{m}$  degenerately phosphorus-doped SOI device layer. The transducer layer that comprises 1  $\mu\text{m}$  of  $\text{Sc}_{0.2}\text{Al}_{0.8}\text{N}$  sandwiched between 100-nm molybdenum (Mo) layers is sputtered next and the top Mo layer is patterned by fluorine-based dry etching. In order to form contacts to the bottom electrode, the ScAlN layer is removed by a combination of wet etching in an alternating bath of tetramethylammonium hydroxide (TMAH) solution (Microposit MF-319) heated at

TABLE III  
MASS SENSITIVITY OF THE MODES SIMULATED BY COMSOL AND EXPERIMENTALLY ESTIMATED

Mode	Mass sensitivity ( $\text{ppm} \cdot \text{ng}^{-1}$ ) derived from:		
	COMSOL Parylene Loading	COMSOL Virtual Added Mass	Measurement
$S_{(4,2)}$	-12.4	-30.1	-9.3
$A_{(0,5)}$	-15.6	-48.9	-17.2
$A_{(0,7)}$	-29.2	-74.3	-21.4
$S_{(0,4)}$	-16.1	-29.0	-13.6

The simulated mass sensitivities correspond to the relative frequency shift due to a 200 nm increase in the thickness of Parylene and a virtual added mass, respectively.

$\sim 80$   $^{\circ}\text{C}$  and phosphoric acid. It is worth mentioning that contrary to AlN, the 20% Sc-doped AlN film could not be etched at a reasonable rate solely by TMAH, and thus, acid etching intervals seemed essential. Using lift-off, a 25-/75-nm layer of chromium/gold is deposited on the electrode pads so as to reduce Ohmic loss. The lateral boundary of the resonator is next defined by etching first, the piezoelectric layer by a chlorine-based inductively coupled plasma reactive ion etching (ICP RIE), and then the Si layer in deep RIE. The microwells are formed next by etching the backside of the wafer by deep RIE and exposing the buried oxide (BOX) layer. In order to seal the microwell, a 600-nm layer of parylene-C is chemical vapor deposited by a parylene coater at room temperature. The device is finally released by etching the BOX layer in buffered oxide etchant long enough so that the BOX is etched from the top trenches.

As a side note, the surface of the parylene layer is hydrophobic, which makes the surface wetting and treatment a challenging task. Oxygen plasma treatment of the parylene creates dangling bonds at the surface, which favors adhesion and results in hydrophilicity [35]. The water contact angle of a Si witness piece coated with parylene before and after oxygen plasma treatment is shown in Fig. 7.

The microfluidics interface is fabricated in a conventional PDMS-based soft lithography process where first, a mold is

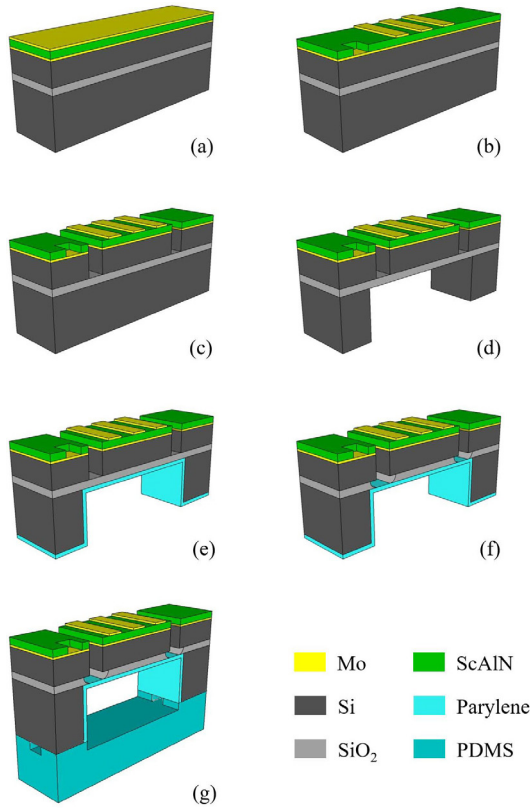


Fig. 6. Summary of the fabrication flow where (a) stack of transducer layer is sputtered on an SOI wafer, (b) top electrode is patterned and contact to bottom electrode is formed, (c) device stack and (d) backside are dry-etched, (e) parylene is deposited from the backside and kept only on microwells, (f) device is released in BOE, and (g) PDMS microfluidic channel is bonded to the backside.

3-D printed, sonicated in Isopropanol, and sputtered with a thin layer of gold, in order to later facilitate the peeling of the PDMS structure from the mold. Next, a 10:1 PDMS solution of silicone elastomer and the curing agent is prepared and subsequently dispensed into the mold and placed in a vacuum chamber for 30 min, in order, for the PDMS structure, to be degassed. Finally, the mold is placed in an oven at about 45 °C for 24 h, and the cured PDMS structure is removed from the mold to be bonded above the microwells. The parylene is easily peeled off from the surface of the handle wafer while staying intact inside the microwell where it is attached to the BOX and it insulates the trenches. In this way, PDMS is bonded to the uncovered Si handle layer, which results in a stronger bond compared with PDMS/parylene bond. This is performed after the bonding surfaces are exposed to an oxygen plasma for 15 s and at 35 W to form dangling bonds on them and placed on top of each other while applying a small pressure and on a hot plate at 100 °C for ~10 min.

#### IV. EXPERIMENTAL RESULTS

Prior to bonding the PDMS microfluidic, the characterization of the resonators is carried out by measuring the frequency response of the modes in air and for different thicknesses of parylene. Next, the PDMS structure is added, through which the microwells with different sizes are filled with

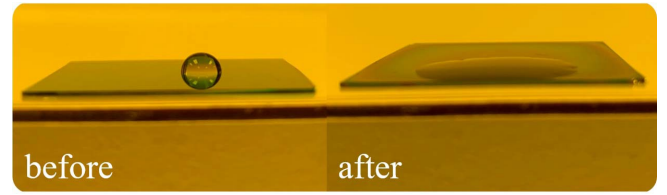


Fig. 7. Water contact angle of parylene showing its transformation from being hydrophobic (angle close to 90°) to becoming hydrophilic (angle less than 30°) after 1-min oxygen plasma exposure at 100 W in a tabletop RIE.

deionized (DI) water, and the liquid-phase characterization is performed.

##### A. Characterization of the Resonators in Air

First, the forward scattering parameter ( $S_{21}$ ) of the resonators is measured using a Rohde & Schwarz ZNB 8 network analyzer in atmospheric pressure and at room temperature in an RF probe station with a pair of ground-signal-ground (GSG) microprobes from Cascade Microtech Inc. From  $S_{21}$ , the center frequency and the loaded  $Q$  (measured as the center frequency divided by the 3-dB bandwidth) are extracted. Next, the effect of the parylene thickness on the aforementioned parameters is evaluated by etching down the parylene film in  $O_2$  plasma from the 600-nm as-deposited thickness to zero in 200-nm steps. The thickness of parylene is calibrated in each step using an F40 FILMETRICS system. The average values of the loaded  $Q$  and the relative change of the frequency for the four modes measured from ten devices and the corresponding thicknesses of parylene are shown in Figs. 8 and 9, respectively. From Fig. 8, it could be inferred that generally,  $Q$  values increase slightly as the parylene layer becomes thinner, and particularly for the  $S$  modes, this trend is consistently observed. Fig. 9 can be interpreted as the effect of the added parylene layer mass layer on lowering the resonance frequency (the change in stiffness is assumed negligible). Thus, by considering that a 200-nm variation in the thickness of parylene corresponds to a ~129-ng mass variation, an underestimated mass sensitivity for the modes is derived and is shown in Table III. Assuming that the readout setup has a conservative noise floor of 1 Hz, a mass detection resolution of 2 pg from simulations (~30.1 ppm.ng<sup>-1</sup> sensitivity) and 6 pg from measurements (9.3 ppm.ng<sup>-1</sup> sensitivity) is expected. Since the theoretical noise floor of the resonator is  $f_0 \times 1e-7/Q = 0.003$  Hz, such an assumption is reasonable [36].

##### B. Characterization of the Resonators in Water

The effect of liquid damping on the modes is characterized afterward by integrating the parylene-coated microwells (~200-nm-thick layer) with the PDMS microfluidic channel. The microwells are filled with DI water through an inlet syringe connected to a digital pump. The measurement setup is shown in Fig. 10(a) where the chip is flipped and wire bonded to a substrate and the inlet and outlet needles are inserted into the microchannel. The scanning electron micrograph (SEM) of the top side of the fabricated resonator is shown in Fig. 10(b),

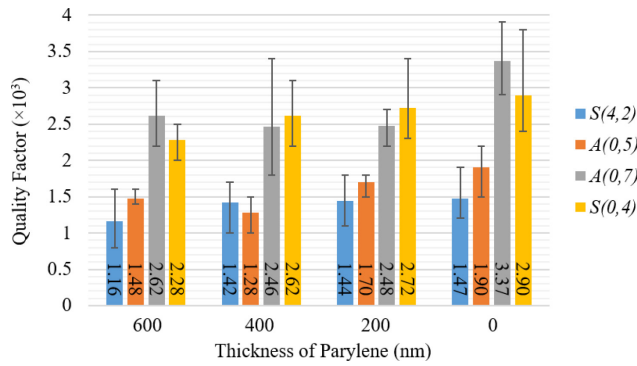


Fig. 8. Average  $Q$  of the resonance modes of study in the air for different thicknesses of parylene.  $Q$  of the  $S$  modes steadily shows slight improvements as the parylene thickness is reduced.

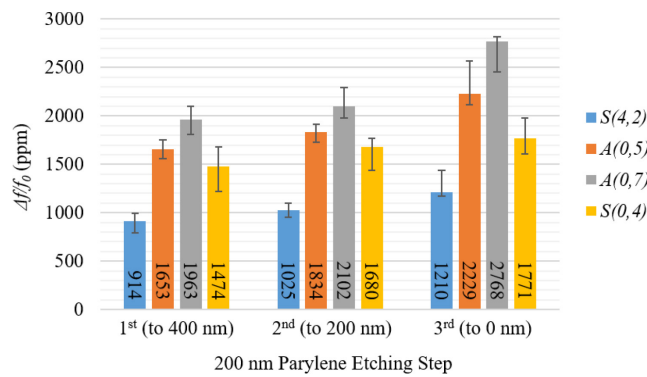


Fig. 9. Average relative frequency increase of the resonance modes in the air while thinning the initial 600-nm parylene layer down in 200-nm intervals.

and Fig. 10(c) shows the backside microwell that is coated with parylene, while the surrounding substrate is exposed.

Prior to sealing the microwells with the PDMS structure, droplets of water are dispensed in them through a high-gauge syringe needle. Immediately after that, the perturbed frequency response is very unstable due to the continuous evaporation of water [37] that constantly alters the boundary of the acoustic cavity formed within the water. By covering the microwells, evaporation stops as the water vapor pressure rapidly reaches saturation and a very stable frequency response is measured. The large-span frequency response before and after filling the microwells is plotted in Fig. 11. The excessive radiation of energy in the  $A$  modes due to the out-of-plane strain components results in their significant suppression in water. The  $S$  modes, on the other hand, are not affected as much due to their mostly sliding motion against the liquid boundary, and specifically, the  $S(4, 2)$  mode shows a strong peak. Fitting the acquired frequency responses with that of the equivalent model (see Fig. 2), liquid-phase unloaded  $Q$  values up to 490 and 240 are extracted for  $S(4, 2)$  and  $S(0, 4)$  modes, respectively. The better performance of the former is attributed to having minimal residual out-of-plane displacements. This could be demonstrated by normalizing the out-of-plane displacements of the modes with respect to their radial displacements and comparing the relative values,

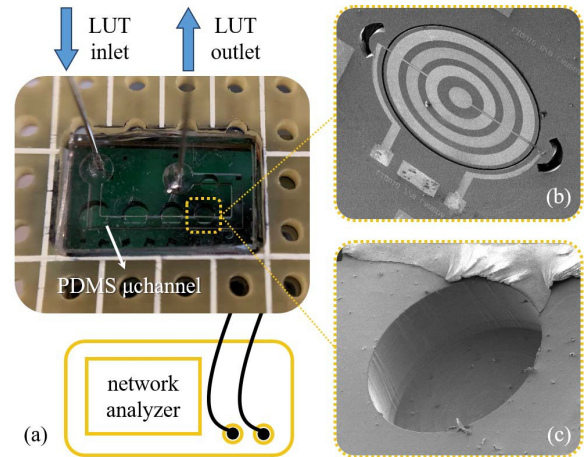


Fig. 10. (a) Liquid-phase measurement setup, (b) SEM of the front of the fabricated resonator, and (c) backside microwell, where parylene is delaminated from Si handle layer, while the coating of the microwell is intact.

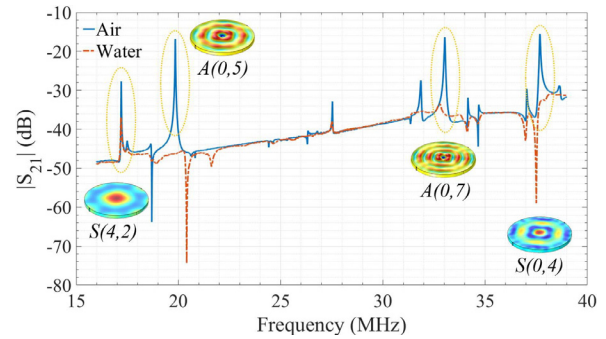


Fig. 11. Large-span frequency response of a resonator before and after filling the microwells along with the resonance mode shapes.

which is approximately three times larger for  $S(0, 4)$  compared with  $S(4, 2)$  from FEA. A typical frequency response of the  $S$  mode in air and water with their measured insertion loss (IL) and motional resistance is presented in Fig. 12. The lower IL of  $S(0,4)$  is due to the fact that its stress profile matches the electrode design. The electrode design will be modified to match  $S(4, 2)$  for the next generation of devices when we attempt to build oscillators in water. From Fig. 12, the mass-loading effect of water on lowering the resonance frequency is approximately 10.92 kHz (−631 ppm) for the  $S(4,2)$  and 9.87 kHz (−267 ppm) for the  $S(0, 4)$  modes. As predicted from (3), a 130-nm (at 17 MHz) and 85-nm (at 38 MHz) body of water can be viewed as a virtual added mass load due to the radiation of evanescent shear waves in water. Considering a mass of 65 and 42 ng for such volume of water, the estimated sensitivities in Table III should yield a 10.45-kHz (604 ppm) and 21.69-kHz (571 ppm) frequency shift. While the frequency shift of the  $S(4, 2)$  mode is close to the expected value, the discrepancy in those of  $S(0, 4)$  is likely due to the assumption of a fixed stiffness in deriving the mass sensitivities and a less reliable readout due to having much lower  $Q$ .



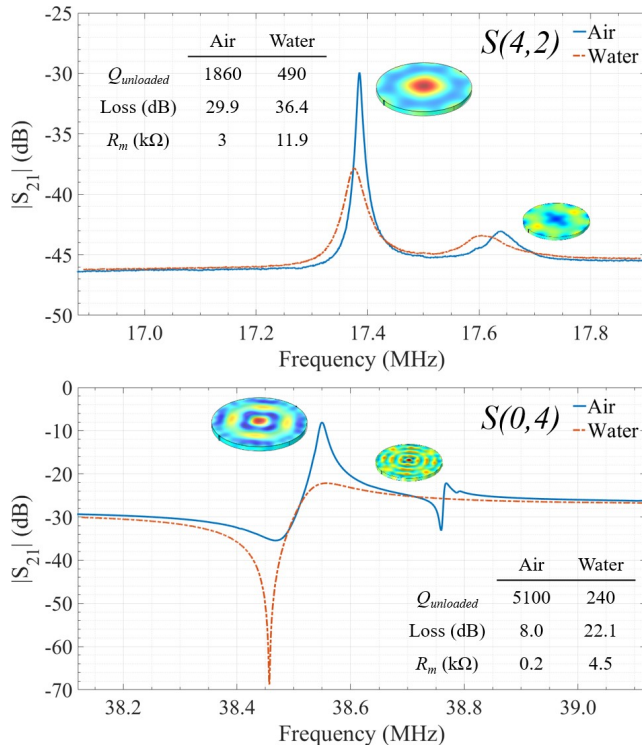


Fig. 12. Frequency response of the  $S$  modes compared in air and water along with their corresponding  $Q$ , IL, and motional resistance. The stress profile of the main modes and the spurious ones is shown as well.

Additionally, a resonator with the parylene layer completely removed is tested in water by directly filling the microwell through a needle; however, upon filling the microwell, water leakage into the trenches highly suppresses the resonance peak. This further highlights the critical role of the parylene layer in the liquid-phase operation, which comes at the expense of a marginal performance decline outside of the liquid. This section is concluded in Table IV, in which the performance of the studied  $S(4, 2)$  mode and select designs in the literature are summarized.

### C. Effect of the Microwell Size

As briefly mentioned in Section II-B, both evanescent shear and longitudinal waves can be generated in the microwells at the boundary of the resonator and liquid and the effect of the former was observed in Section IV-B. The longitudinal waves that are mostly radiated from the lateral boundary of the resonator can influence  $Q$  by either constructively or destructively interfering. Constructive interference, in this case, theoretically requires the longitudinal waves to travel for an odd number of the quarter acoustic wavelengths in the liquid before reflecting back from the edges of microwells [38]. In our measurements, a repeatable relationship between the microwell size and  $Q$  was observed for the same resonator design. The average values of the  $Q$  values for different sizes of the microwells before and after being filled with water are shown in Fig. 13. While the larger the size of the released region (i.e., the wider the microwell), the lower  $Q$  is in air [39], a different trend due to the compressional wave resonance is noticeable in water. While the sizes of the microwells in

TABLE IV  
PERFORMANCE COMPARISON OF THE SELECT  
DESIGNS IN THE LITERATURE

Resonator Type	$f_0$ (MHz)	$Q$	IL (dB)
TPoS Flexural Microplate [16]	0.4	180	58
TPoS Rotational Disc [6]	1.1	100	64
TPoS Elliptical [8]	4.1	200	41
TPoS Square Wine-Glass [7]	10.5	380	30
TPoS Button-Like Disc [9]	15.8	350	23
TPoS $S(4,2)$ Disc [This Work]	17.4	490	37

Only the works shaded in gray offer liquid isolation

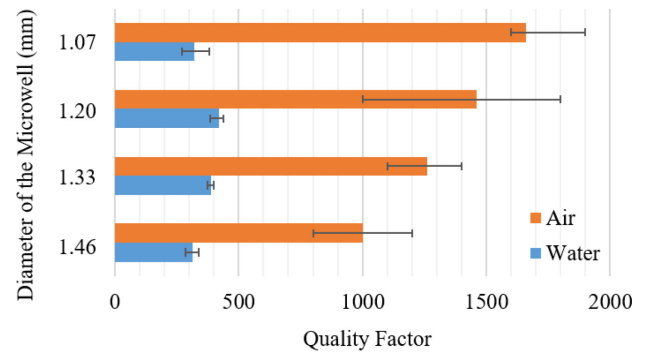


Fig. 13. Average values of  $Q$  for  $S(4, 2)$  mode measured for different sizes of microwells.

this article are not optimized for the acoustic wavelength in water, the presented proof of concept suggests that application-specific optimization of the microwell sizes based on the LUT is required for achieving the highest possible  $Q$  values.

## V. CONCLUSION

MEMS resonators often suffer from substantial performance decline in liquid media that render them impractical as liquid-phase sensors. A solution to integrate liquid-sealed microwells with TPoS disk resonators is presented to mitigate the leakage of the acoustic energy to the liquid and maintain isolation between the electrical ports. Incorporating a sub-micrometer layer of parylene as such an insulation layer is proven to be highly efficient for superior liquid-phase operation while having minimal adverse effects. Quality factors ( $Q$ ) above 400 has been recorded for a symmetric mode with four and two nodal diameters and circles, respectively. This result is believed to enable robust frequency tracking and potentially real-time gravimetric sensing, provided that the surface of the resonators is functionalized with the proper binding agents. Additionally, the effect of the size of the microwells on  $Q$  of such mode has been experimentally observed.

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