

# Flexo-photovoltaic effect in MoS<sub>2</sub>

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The theoretical Shockley-Queisser limit of photon-electricity conversion in a conventional p-n junction could be potentially overcome by the bulk photovoltaic effect that uniquely occurs in non-centrosymmetric materials. Using strain-gradient engineering, the flexo-photovoltaic effect, that is, the strain-gradient-induced bulk photovoltaic effect, can be activated in centrosymmetric semiconductors, considerably expanding material choices for future sensing and energy applications. Here we report an experimental demonstration of the flexo-photovoltaic effect in an archetypal two-dimensional material, MoS<sub>2</sub>, by using a strain-gradient engineering approach based on the structural inhomogeneity and phase transition of a hybrid system consisting of MoS<sub>2</sub> and VO<sub>2</sub>. The experimental bulk photovoltaic coefficient in MoS<sub>2</sub> is orders of magnitude higher than that in most non-centrosymmetric materials. Our findings unveil the fundamental relation between the flexo-photovoltaic effect and a strain gradient in low-dimensional materials, which could potentially inspire the exploration of new optoelectronic phenomena in strain-gradient-engineered materials.

he phenomenon of the generation of current and voltage in materials under illumination is known as the photovoltaic (PV) effect. The PV effect can be caused by charge separation via internal electric field out of heterostructures that often consist of two or more material components. However, in non-centrosymmetric materials consisting of a single component, a photocurrent can be generated on homogeneous illumination in the absence of external fields and spatial inhomogeneity. This phenomenon is named the bulk PV (BPV) effect<sup>1</sup>. For BPV effect, the current density **j** is expressed as<sup>1</sup>:

$$j_i = \beta_{ilm} E_l E_m^* I, \tag{1}$$

where  $\beta_{ilm}$  is the BPV coefficient (a third-rank tensor),  $E_l$  and  $E_m^*$  are the light polarization unit vectors and I is the light intensity. Commonly, the absorption anisotropy is unimportant, and  $\beta_{ilm}$  can be formulated as I:

$$\beta_{ilm} = \alpha G_{ilm}, \tag{2}$$

where  $\alpha$  is the absorption coefficient, while  $G_{ilm}$  is the Glass coefficient charactering the current excitation performance. In the 1970s, the BPV effect was observed in LiNbO<sub>3</sub> (LNO)<sup>2</sup>, BaTiO<sub>3</sub> (BTO)<sup>3</sup>, Pb(Zr<sub>x</sub>Ti<sub>1-x</sub>)O<sub>3</sub> (PZT)<sup>4</sup> and other piezoelectric and ferroelectric crystals<sup>1</sup>. Because the BPV effect may be free from the Shockley–Queisser limit and enhance the existing efficiency of optoelectronics, it has recently been revisited in many ferroelectric materials (for example, Fe-doped LNO (LNO:Fe)<sup>5</sup>, PZT<sup>6</sup>, BiFeO<sub>3</sub> (BFO)<sup>7,8</sup>, BTO<sup>9,10</sup>, Bi<sub>2</sub>FeCrO<sub>6</sub> (BFCO)<sup>11</sup> and [KNbO<sub>3</sub>]<sub>1-x</sub>[BaNi<sub>1/2</sub>Nb<sub>1/2</sub>O<sub>3-6</sub>]<sub>x</sub> (KBNNO)<sup>12</sup>), and other non-centrosymmetric materials (for example, layered perovskite-type halides (LPH)<sup>13</sup>, organic crystals<sup>14</sup>, Weyl semimetal TaAs<sup>15</sup> and WS<sub>2</sub> nanotubes<sup>16</sup>).

To explain the physics of the BPV effect, a rigorous microscopic theory was proposed in 1982 (ref.  $^{17}$ ) by Belinicher, Ivchenko and Sturman. In this theory, the total BPV current density j included two physically different contributions: shift and ballistic currents,

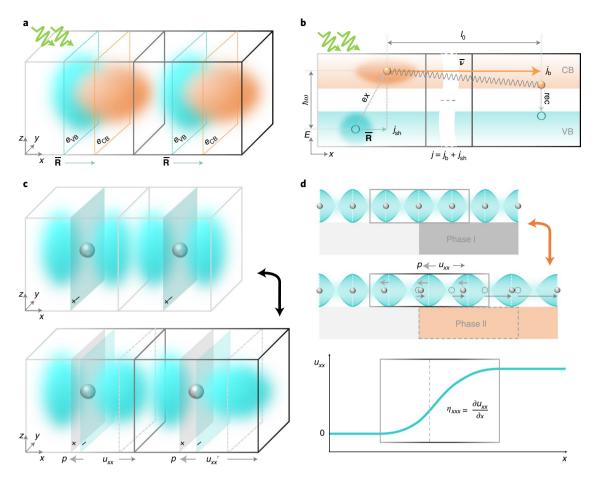
$$\mathbf{j} = \mathbf{j}_{\rm sh} + \mathbf{j}_{\rm b}.\tag{3}$$

The shift current  $\mathbf{j}_{sh}$  is caused by the displacements of electrons in real space on quantum transitions (see Supplementary Discussion 1 for details). Figure 1a shows a microscopic schematic of the displacements of electron clouds when electrons undergo a light-induced interband excitation from the valence band (VB) (cyan clouds,  $e_{VB}$ ) to the conduction band (CB) (orange clouds,  $e_{CB}$ ) in non-centrosymmetric unit cells. The displacement of the electron cloud results in an effective shift vector  $\overline{\mathbf{R}}$ . The continuous optical pumping generates a shift current in the steady non-equilibrium state. On the other hand, the ballistic current  $\mathbf{j}_b$  is caused by the asymmetric velocity (v) distributions in bands as a result of kinetic processes including momentum relaxation (10-10<sup>3</sup> fs), energy relaxation (10-10<sup>2</sup> ps) and recombination (below roughly 1 ns) (see Supplementary Discussion 1 for details). Figure 1b shows a microscopic schematic of the BPV effect for interband transitions. Both shift and ballistic currents originating from the  $\overline{\mathbf{R}}$  and effective velocity  $\bar{\mathbf{v}}$ , respectively, contribute to the total BPV current density (note that the directions of  $\overline{\mathbf{R}}$  and  $\overline{\mathbf{v}}$  may not be the same). Here, for simplicity, only the contribution of optical excitation to shift current is sketched in Fig. 1a,b.

Inversion symmetry can be lifted by strain gradient. Thus, the BPV effect can also be manifested in centrosymmetric materials when coupled with the flexoelectric effect, which is termed the flexo-PV (FPV) effect<sup>18</sup>. The flexoelectric effect, that is, the coupling phenomenon between electric polarization and strain gradient, was first proposed by Mashkevich and Tolpygo<sup>19</sup> and phenomenologically formulated by Kogan<sup>20</sup>. Via strain gradient, a non-polar material can become polar. In the absence of external electric field, the flexoelectric effect (static), a response of polarization  $P_i$  to strain gradient  $\eta_{lmn}$ , is governed by the flexoelectric coefficient

$$\mu_{ilmn} = \frac{\partial P_i}{\partial \eta_{lmn}},\tag{4}$$

where  $\eta_{lmn} = \partial u_{mn}/\partial x_l$  ( $u_{mn}$  is the strain),  $u_{ilmn}$  is a fourth rank tensor and the flexoelectric effect is symmetry allowed in any material. From a microscopic view, flexoelectricity includes two contributions: a lattice contribution due to internal atomic displacements



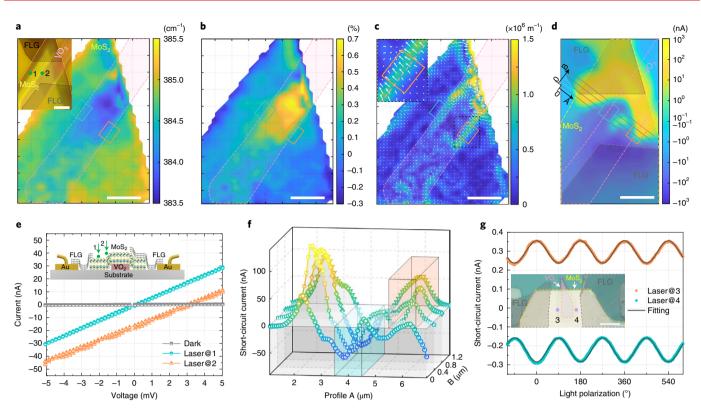
**Fig. 1 | Microscopic views of the BPV and flexoelectric effects. a**, Schematic of mechanism of shift current in real space on light-induced interband excitation. In non-centrosymmetric unit cells, the displacement of the electron cloud when electrons are excited from the valence band (cyan clouds,  $e_{VB}$ ) to the conduction band (orange clouds,  $e_{VB}$ ) yields a shift current. **b**, Schematic of mechanism of BPV current (including shift and ballistic currents) with lattice x on the horizontal axis and energy E on the vertical during excitation (ex), scattering and recombination (rec). For simplicity, only the contribution of optical excitation to shift current is sketched.  $\overline{R}$  and  $\overline{v}$  yield a shift current and a ballistic current, respectively.  $\ell_0$  is the free-path length of photo-excited hot electrons (holes). **c**, Electron cloud ( $p_x$  orbitals) distributions without (upper panel) and with (bottom panel) a strain gradient (strains  $u_{xx}$  and  $u'_{xx}$ , grey arrows). Electron redistribution shifts the negative charge centre (on the light cyan plane) away from the positive charge centre (on the light grey plane) along x, leading to a negative dipole moment p (bold grey arrow) in each unit cell. p, Strain-gradient engineering of a 2D material by using a phase-change material in a hybrid system. On a reversible structural phase transition between phase I (grey, upper panel) and phase II (orange, middle panel), strain gradients (increasing strains  $u_{xx}$  grey arrows) are generated in the 2D material at the edge of the phase-change material (grey rectangular region, middle panel), inducing shifts of electron charge centres (electron wave function of s orbitals in cyan curves) and thereby dipole moments (bold grey arrows). Light grey rectangles represent the non-phase-change material. The strain plot (bottom panel) illustrates strain gradients in the 2D material.

based on a rigid-ion model and an electronic contribution due to charge-density redistributions induced by atomic displacements<sup>21</sup>. In illustrating the microscopic mechanism of flexoelectricity, the commonly used ionic pictures<sup>22</sup>, with rigid ions shifting causing polarization under a strain gradient ignore the more fundamental electronic distribution. Here, we illustrate the electronic (frozen-ion) contribution in Fig. 1c. A simple model of one atom/unit cell (upper panel) is used and a positive strain gradient is applied along x (bottom panel). With the ion (grey ball) position fixed,  $p_x$  orbital deforms from a symmetric shape with zero dipole moment for each unit cell to an asymmetric structure leading to a negative dipole moment (grey arrows). Here the use of  $p_x$  orbital is for simplicity that does not lose the generality.

The flexoelectric effect is generally negligible in bulk crystals mainly due to the small strain (roughly  $10^{-6}$ ) and strain gradient (roughly  $0.1 \,\mathrm{m}^{-1}$ ) often induced by mechanical bending<sup>23</sup>. However, giant strain gradients have been found at phase boundaries (roughly  $10^7 \,\mathrm{m}^{-1}$ )<sup>24</sup>, dislocation cores (roughly  $10^9 \,\mathrm{m}^{-1}$ )<sup>25</sup> and crack tips (roughly  $10^8 \,\mathrm{m}^{-1}$ )<sup>26</sup>, in epitaxial thin films (roughly  $10^6 \,\mathrm{m}^{-1}$ )<sup>27</sup> and

generated by nano-indentation in ultrathin films (roughly  $10^7 \,\mathrm{m}^{-1}$ )<sup>28</sup>. Recently, the flexoelectric effect induced by nano-indentation on crystals<sup>18</sup> and mechanical bending on freestanding films<sup>29</sup> coupled with the FPV effect has been reported. The existence of the large strain<sup>30</sup> in two-dimensional (2D) materials makes them fertile for exploring possible giant strain-gradient effects. Theoretically, the flexoelectric effect has been predicted in highly curved carbon nanoshells<sup>31</sup>, boron nitride bilayers<sup>32</sup> and monolayer transition metal dichalcogenides<sup>33</sup>. Strain engineering in transition metal dichalcogenides has been designed<sup>34,35</sup> and experimentally reported<sup>36</sup> for potential applications in optoelectronics and PVs. However, the experimental study on strain-gradient engineering resulting in the FPV effect in 2D materials had not yet been achieved.

Here, we propose a unique strategy to generate and tune strain gradients in a 2D material. Our design is illustrated in Fig. 1d. In this design (top and middle panels), a 2D material (cyan object, one atomic layer is used to illustrate the design clearly) partially sits above a phase-change material (grey or orange rectangle) and partially above a non-phase-change material (light grey rectangle).



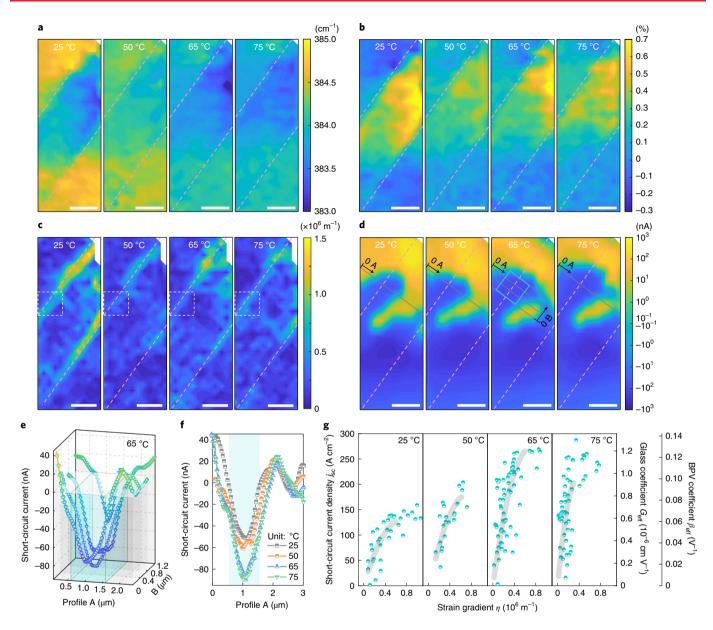
**Fig. 2** | FPV effect of the MoS<sub>2</sub> sheet at room temperature. **a**, Raman mapping of  $E_{2g}^1$  mode of MoS<sub>2</sub> on a device (no. 1) consisting of a thin MoS<sub>2</sub> sheet lying on a VO<sub>2</sub> microbeam and two FLGs as contacts. The inset shows an optical image (mapping area) of this device. **b**, Strain map of the MoS<sub>2</sub> sheet calculated from **a**. **c**, Map of strain-gradient value (colour) and vector (arrows) in the MoS<sub>2</sub> sheet calculated from **b**. Maximum strain gradients in the MoS<sub>2</sub> sheet are located at both edges of the microbeam with opposite directions. The inset is an enlarged view of the black dashed rectangle. **d**, Short-circuit photocurrent map of the device measured under illumination by a 532-nm laser. **e**, Current–voltage curves of the device under laser (532 nm) illumination at spot 1 (Laser@1) and 2 (Laser@2) and without illumination (Dark). The inset shows a schematic of the cross-sectional view of the device. The laser spots 1 and 2 are indicated by green dots in insets of **a** and **e**. **f**, Short-circuit photocurrent profiles A extracted from grey lines in **d**. Light cyan and light orange cuboids correspond to cyan and orange rectangles at both edges of the microbeam in **a–d**, respectively. **g**, Light polarization dependence of the short-circuit photocurrent under laser (405 nm) illumination at spots 3 (Laser@3) and 4 (Laser@4) in a device (no. 3). The inset shows an optical image of device no. 3. The dark grey curves are fitting ones. Shapes/boundaries of the MoS<sub>2</sub> sheet, VO<sub>2</sub> microbeam and FLGs are outlined in yellow, pink and grey dashed lines, respectively, in **a–d** and inset of **g**. The region of the microbeam is painted in light pink in **a–d** and inset of **g**. The colour code scales in **a–d** indicate the values of the relevant parameters with their corresponding units shown alongside. Scale bars in **a–d**, 2 µm; inset of **g**, 10 µm.

The structural phase transition (between grey phase I and orange phase II) of the phase-change material can be controlled by external stimuli (for example, temperature or electric field). We then expect such a phase transition to induce strains (shifts of atoms, grey arrows) and strain gradients (highlighted by solid rectangular box) in the 2D material. Particularly, right above phase II, a uniform strain is expected; near the boundary between the phase-change material and non-phase-change material, a strain gradient is expected, as illustrated in the bottom panel. These strain gradients would tune the electron-density distribution (illustrated as cyan waves with s orbital), leading to non-zero dipole moments along the strain-gradient direction (bold grey arrows), that is, flexoelectricity. The lifting of inversion symmetry by flexoelectricity via our strain-gradient engineering approach and the existence of extraordinary optoelectronic properties in 2D materials make it possible to explore 2D materials' FPV effect.

# FPV effect in MoS, sheets

In the present study, we choose  $VO_2$  as a representative phase-change material to achieve strain-gradient engineering and reveal the FPV effect in a representative 2D material  $MoS_2$  (see the atomic schematics in Supplementary Fig. 1a–g and the description in Supplementary Discussion 2). By using a typical transfer technique (all-dry

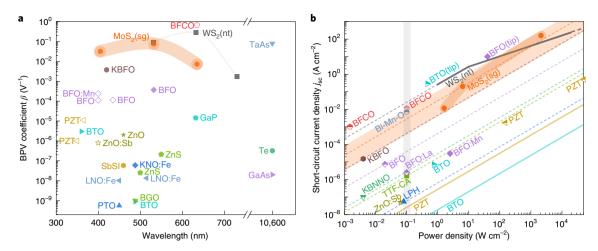
viscoelastic stamping) that is widely used in the 2D community<sup>37</sup>, we have fabricated a device (no. 1) consisting of a thin MoS<sub>2</sub> sheet on a VO<sub>2</sub> microbeam (25  $\mu$ m×2  $\mu$ m×118 nm) and two few-layer graphene (FLG) as contacts (see the optical image in Supplementary Fig. 2 and detailed descriptions of the device fabrication in Methods). The thickness of the microbeam (roughly 118 nm), MoS, sheet (roughly 16 layers for the region at the left edge of the microbeam) and FLGs are characterized by atomic force microscopy (Supplementary Fig. 3a-h). The structures of both the MoS<sub>2</sub> sheet and FLG are studied by confocal Raman measurements (a representative Raman spectrum and mappings of FLG and MoS2 in Supplementary Fig. 4a-c, respectively). Specifically, Supplementary Fig. 5b shows Raman spectra of the  $E_{2g}^1$  mode of MoS<sub>2</sub> measured at laser spots 1-6 in Supplementary Fig. 5a. Remarkable red shifts of the  $E_{2g}^1$  mode are observed for the laser spots 3-6, indicating a tensile strain and a strain gradient in the regions of the MoS<sub>2</sub> sheet at the surface and edge of the microbeam, respectively. Figure 2a shows a complete Raman mapping of  $E_{2g}^1$ mode of MoS<sub>2</sub> with a mapping area shown in its inset optical image. On the basis of the shift of  $E_{2g}^{\Gamma}$  mode with respect to uniaxial strain reported from literature for few-layer MoS<sub>2</sub> (-1.7 cm<sup>-1</sup> per percentage of strain<sup>38</sup>), with the region of the MoS<sub>2</sub> sheet far away from the microbeam as a reference (the  $E_{2g}^1$  mode is nearly constant when the layer number is above four<sup>39</sup> and here it is at 384.9 cm<sup>-1</sup>), strains and



**Fig. 3 | Temperature-dependent FPV effect of the MoS₂ sheet. a**, Raman mappings of  $E_{2g}^1$  mode of MoS₂ on device no. 1 at 25–75 °C. **b**, Strain maps of the MoS₂ sheet at 25–75 °C calculated from **a. c**, Maps of strain-gradient value in the MoS₂ sheet at 25–75 °C calculated from **b. d**, Short-circuit photocurrent maps of the device at 25–75 °C. Edges of the microbeam are outlined in pink dashed lines in **a**–**d. e**, Short-circuit photocurrent profiles A extracted from grey lines perpendicularly crossing the VO₂ microbeam in **d** at 65 °C. The light cyan cuboid corresponds to the cyan rectangle in **d. f**, Short-circuit photocurrent profiles A extracted from grey lines in **d** at 25–75 °C. Enhancements of current peaks (absolute values) at 65 and 75 °C compared with those at 25 and 50 °C suggest a tuning of the FPV effect in the MoS₂ sheet by the phase transition of the microbeam. **g**, Plots of short-circuit current density  $j_{sc}$  (left axis) versus strain gradient  $\eta$ .  $\eta$  and  $j_{sc}$  are extracted from the data in the white dashed rectangles in **c** and corresponding regions in **d**, respectively. Only effective data points (with negative currents) are plotted. The calculated effective Glass coefficient  $G_{eff}$  and BPV coefficient  $\theta_{eff}$  are shown on the right axes. Light grey curves are guides to the eye. The colour code scales in **a**–**d** indicate the values of the relevant parameters, with their corresponding units shown alongside. Scale bars in **a**–**d**, 1 µm.

strain gradients (value in colour and vector in arrow) in the  $MoS_2$  sheet can be calculated and are mapped in Fig. 2b,c, respectively. The  $MoS_2$  sheet has tensile strains (up to 0.7%) in the region at the surface of the microbeam and maximum strain gradients (exceeds  $10^6\,\mathrm{m}^{-1}$ ) with opposite directions in the region at both edges of the microbeam (see an enlarged view of the right edge in the inset of Fig. 2c). It should be mentioned that the 'strain gradients' and 'negative strains' at the edge of the  $MoS_2$  sheet could be artefacts because monolayer exists at the edge (Supplementary Fig. 3b,d) and its  $E^1_{2g}$  mode is lower than that of few-layer  $MoS_2$  (ref.  $^{38}$ ).

To study the FPV effect, we use scanning photocurrent microscopy (SPCM) to map photocurrents across the whole device (Fig. 2d). At the regions with small (spot 1) and large (spot 2) strain gradients (marked in green dots in both insets of Fig. 2a,e), we measure current-voltage curves with (Laser@1 and Laser@2) and without illumination (Dark) for comparison, as shown in Fig. 2e (corresponding curves in the logarithmic scale and photo responses are shown in Supplementary Fig. 6a,b, respectively). A large short-circuit photocurrent is observed at spot 2. The short-circuit photocurrents (Fig. 2d) with opposite signs are observed in regions on FLGs



**Fig. 4 | Overview of the BPV effect in non-centrosymmetric materials. a,** Experimental BPV coefficients β for non-centrosymmetric materials. Data for bulk materials (WS<sub>2</sub> nanotube (nt)¹⁶, TaAs¹⁵, KBFO⁵², BFOˀ, GaP⁵³, ZnO⁵⁴, Te¹, ZnS¹, Fe-doped KNbO₃ (KNO:Fe)¹, SbSl⁵⁵, GaAs¹, LNO:Fe⁵, Bi₁₂GeO₂₀ (BGO)⁵⁶, BTO¹, PbTiO₃ (PTO)¹) and thin films (BFCO¹¹, Mn-doped BFO (BFO:Mn)⁵⊓, BFO⁵⊓, PZT⁴⊓, BTOց, Sb-doped ZnO (ZnO:Sb)⁵®) are shown as solid and open symbols, respectively. Data for BTO and ZnO are β₃π, for Te, LNO:Fe and BFO:Mn are β₃π, for BFO is β₂π, for BGO are βππ, and for others are effective values. All data are from the linear BPV effect. **b**, Short-circuit current density j₅π eversus incident power density in reported non-centrosymmetric materials. Data for materials with solid symbols (BFO with a tip enhancement (BFO(tip))®, KBFO⁵², tetrathiafulvalene-p-chloranil (TTF-CA)¹⁴, BFO:Mn⁵⊓, LPH¹³) and solid lines are for the lateral configuration, while half-filled symbols (BFCO¹ⁿ, Bi-Mn-O composite thin film⁵9, BTO with a tip enhancement (BTO(tip))¹⁰, BFO⊓, KBNNO¹², La-substituted BFO (BFO:La)⁶⁰, BTOց, PZT⁴⊓, ZnO:Sb⁵®) are for the vertical configuration. The solid grey line for WS₂(nt) is drawn from the values in ref. ¹⁶. The solid yellow and cyan lines for PZT and BTO, respectively, are drawn from the values in ref. ⁴. Parallel dashed colour lines are linear expansions of data for bulk materials (others are for thin films) based on equation (1). Data for materials in the light grey shadow are measured under AM 1.5 G radiation (0.1 W cm⁻²), while others are measured by light sources with specific wavelengths (expect for KBNNO by a halogen lamp¹²). Our results for strain-gradient-engineered MoS₂ (MoS₂(sg)) are shown as orange circles highlighted by the light orange shadow in both **a** and **b**. Illuminations of 405, 532 and 635 nm are at power densities of 6.32, 2.11 and 1.61 W cm⁻², respectively.

(upper yellow and bottom blue, possibly as a result of the existence of a double Schottky diode<sup>16</sup> and the photothermoelectric effect<sup>40</sup>) and at both edges of the VO<sub>2</sub> microbeam. Specifically, short-circuit photocurrent profiles along grey lines perpendicularly crossing the microbeam are extracted and plotted in Fig. 2f. The light cyan and light orange cuboids in Fig. 2f correspond to the cyan and orange rectangles at both edges of the microbeam in Fig. 2d, respectively. The current peaks with opposite signs are located at both edges of the microbeam (giant strain gradients are found in these two locations). These microbeam-edge currents could be explained by the FPV effect (details are presented in later paragraphs).

The origin of positive current peaks at around  $5\,\mu m$  of profile A in Fig. 2f (corresponding to the positive-current region at the middle of the microbeam in Fig. 2d) is not clear and may be related to a build-in field manifested at the interface between MoS<sub>2</sub> and VO<sub>2</sub>. The potential gradient due to charge transfer/band bending in the lateral direction across the microbeam edge, if it exists, may induce a built-in field, resulting in a short-circuit photocurrent. To rule out this, we have designed and conducted a control experiment in which a VO<sub>2</sub> microbeam is stacked on the MoS<sub>2</sub> sheet to avoid forming strain gradient but keep the interface of MoS<sub>2</sub>-VO<sub>2</sub> (see Supplementary Fig. 7a–d and Supplementary Discussion 3 for more details). According to our experiment, the contribution from this is negligible.

To improve statistics, we have fabricated and tested five more devices with different thicknesses of  $MoS_2$  sheets and  $VO_2$  microbeams (device nos. 2-6; see Supplementary Figs. 8a-j, 9a-j, 10a-j, 11a-g, 12a-h and 13a,b and Supplementary Discussion 4 for more details). Despite different thicknesses and uniformity of the  $MoS_2$  sheets among all devices, the experimental observations of strain gradient and its relation to photocurrents are similar.

On the basis of equation (1), the light polarization dependence of short-circuit photocurrent is one important piece of evidence to support the BPV effect, which is inherited by the FPV effect<sup>18</sup>. For the case of a centrosymmetric structure with a strain gradient (here, the strain-gradient-engineered MoS<sub>2</sub>), this dependence can be described as

$$j_3^{L} = (\beta_{311} \sin(\theta)^2 + \beta_{333} \cos(\theta)^2) I,$$
 (5)

where  $j_3^L$  is the component along the polar axis of the sample (the direction of the strain gradient) of the linearly polarized light-induced BPV current density  $j_i^L$ ,  $\beta_{311}$  and  $\beta_{333}$  are the linear BPV tensor  $\beta_{ilm}^{L}$  elements and  $\theta$  is the angle between the polarization direction of the light and the direction of the strain gradient (see detailed analysis of  $\beta_{ilm}^{\rm L}$  and  $j_i^{\rm L}$  in Supplementary Fig. 14 and Supplementary Discussion 5). Thus, the FPV effect in the present case should exhibit a sinusoidal curve with a period of 180°. Indeed, a nearly perfect light polarization dependence can be found in our measured photocurrents in device no. 3 (inset of Fig. 2g) under laser (405 nm) illumination at both edges of the VO<sub>2</sub> microbeam, spots 3 and 4, as shown in Fig. 2g and Supplementary Fig. 15a-e (a 635-nm laser is used for Supplementary Fig. 15d,e). The theoretical fittings in Fig. 2g yield  $\beta_{333}$  of  $8.1 \times 10^{-2}$  and  $6.5 \times 10^{-2}$  V<sup>-1</sup>, and  $\beta_{311}$ of  $5.4 \times 10^{-3}$  and  $3.6 \times 10^{-3}$  V<sup>-1</sup> for the upper curve and lower curve, respectively (corresponding strain gradients of roughly  $2.5 \times 10^5$ and  $2.1 \times 10^5 \,\mathrm{m}^{-1}$ , respectively). Similar phenomena can be found in other devices (Supplementary Fig. 16a,b for device nos. 2 and 6, respectively). The measurement setup and the calibration of the setup for polarization dependence are presented in Supplementary Fig. 17a-e. Our experimental results on light polarization dependence provide another set of evidence for the FPV effect in MoS<sub>2</sub>.

The strain gradient of the  $MoS_2$  sheet can be tuned by the temperature-induced structural phase transition of the  $VO_2$  microbeam. Figure 3a shows Raman mappings of  $E_{2g}^1$  mode at 25, 50, 65 and 75 °C (after the sample experiences a cycle of heating

and cooling). This 25°C result is largely consistent with the one before the heating and cooling cycle (Fig. 2a), indicating the reproducibility and phase transition reversibility. A slight red shift of  $E_{2g}^1$ mode of MoS, in the region without the microbeam underneath (the microbeam is outlined in pink dashed lines) with increasing temperature is observed. Such a shift stems from thermal expansion and the temperature-induced anharmonicity of lattice vibration<sup>41</sup>. With the region of the MoS<sub>2</sub> sheet far away from the microbeam as a reference (that is,  $E_{2g}^1$  mode of 384.4 cm<sup>-1</sup> at 50 °C, 384.0 cm<sup>-1</sup> at 65 °C and 383.9 cm<sup>-1</sup> at 75 °C), strains and strain-gradient values in the MoS, sheet at 25-75 °C (white dashed rectangular regions in Supplementary Fig. 18a-d) are calculated from Fig. 3a and mapped in Fig. 3b,c, respectively. Note that selecting a different reference would not change the values and directions of strain gradients, although strain values could vary. Since the FPV effects are only dependent on strain gradients, having an arbitrary reference would not change our conclusion. In Fig. 3b, pristine tensile strains at 25 °C in the region of the MoS, sheet on the microbeam, which are formed as a consequence of the microbeam geometry, are reduced when the temperature reaches 50 °C. Since MoS<sub>2</sub> has a larger thermal expansion coefficient of 1.9×10<sup>-6</sup> K<sup>-1</sup> (in plane)<sup>42</sup> than the substrate (for example, for SiO<sub>2</sub>  $5 \times 10^{-7} \,\mathrm{K}^{-1}$ )<sup>43</sup>, the reduction of pristine tensile strains can thus be explained by the substrate clamping effect. This can further explain the observed reduced strain gradients at both edges of the microbeam at 50 °C (Fig. 3c). When the temperature reaches 65°C, the structural phase transition of the microbeam occurs. This can be seen by the slight contrast change of R-phase VO<sub>2</sub> domains in the optical images in Supplementary Fig. 18c,d (small and large domains at 65 and 75 °C, respectively). The structural phase transition (from M1 to R) of the microbeam is also confirmed by the disappearance of  $A_g$  modes of  $VO_2$  in Raman spectra (Supplementary Fig. 18e). Across the phase transition, along both in-plane and out-of-plane radial-axis directions of the microbeam (that is, the axes perpendicular to  $(0\bar{1}1)$  and (011) of M1-phase VO<sub>2</sub> (ref. 44), respectively), there exist sudden elongations of the VO<sub>2</sub> lattice (that is, 0.3% along both directions illustrated in Supplementary Fig. 1e-g). These elongations in the microbeam could stretch the MoS, sheet right on top, which could further lead to increased tensile strains and thus larger strain gradients at the edge of the microbeam. Indeed, we have observed the enhanced tensile strains (Fig. 3b) and strain gradients (Fig. 3c) in the MoS, sheet after the phase transition of the microbeam at 65 °C compared with 50 °C. At 75°C (compared with 65°C), the observed reduction of the tensile strains and the corresponding strain gradients (slightly reduced) in the MoS<sub>2</sub> sheet at the surface and edge of the microbeam, respectively, can be attributed to the same substrate clamping effect observed from 25 to 50 °C.

Figure 3d shows short-circuit photocurrent maps at 25-75 °C measured at the same region as Fig. 3a-c for each temperature. For all temperatures, we find that photocurrent peaks and strain-gradient peaks in the MoS<sub>2</sub> sheet appear at same locations. Figure 3e shows extracted current profiles along grey lines perpendicularly crossing the VO<sub>2</sub> microbeam at 65 °C in Fig. 3d. By comparing current profiles at different temperatures in Fig. 3f extracted from Fig. 3d, we can see that at 65 and 75 °C around the 1 µm position, the photocurrents are substantially higher than those at 25 and 50 °C (absolute values). Parameters such as contact resistance, carrier mobility or charge diffusion length or carrier lifetime<sup>45</sup> may lead to different photocurrents at different temperatures. In this study, we can receive the net contribution of temperature on the photocurrent by investigating the regions that do not have substantial strain gradient. In these regions, the lack of strain gradient rules out the contribution of photocurrent from FPV effect so we can focus on the net contribution of temperature-dependent contact resistance, carrier mobility and other factors. In the region with small strain gradients (along profile Y in light grey in Supplementary Fig. 19a,b), we

find that the photocurrent is reduced (absolute value) at increased temperature. This observation indicates that the reduced contact resistance is not significant enough to counter the possible reduction of light-current conversion efficiency due to the possible suppression of carrier mobility or diffusion length or carrier lifetime. In the large strain-gradient region, the temperature-dependent short-circuit photocurrent shows an enhancement (absolute value) at or above 65°C rather than reduction in the light grey region along profile Y. These observations show that the net contribution of increasing temperature on the light-current conversion efficiency as a result of temperature-dependent contact resistance change, temperature-dependent mobility change and so on, is negative rather than positive. These observations confirm the role of strain-gradient engineering by the phase transition of the microbeam on the FPV effect of the MoS<sub>2</sub> sheet. Similar FPV effect engineering has been also achieved in other devices (for example, Supplementary Figs. 20a-d and 21a-d for device nos. 2 and 3, respectively).

By extracting strain gradients in the white dashed rectangles in Fig. 3c (away from the contact region to eliminate the influence of FLG/MoS2 contact) and the corresponding short-circuit photocurrents in Fig. 3d, the short-circuit current density  $j_{sc}$  values versus strain gradients  $\eta$  at 25-75 °C are plotted in Fig. 3g. Here, the cross-sectional area of the MoS2 sheet at the interface of FLG and MoS<sub>2</sub> is chosen as the contact area for device no. 1, which is computed to be  $3.2 \times 10^{-10}$  cm<sup>2</sup>. Clearly, both maximum values of  $\eta$  and  $j_{\rm sc}$  at 65 °C and 75 °C are much higher than those at 50 °C. It is also noticed that the relationship between  $j_{\rm sc}$  and  $\eta$  is non-linear. The demonstration of enhancement of strain gradient and photocurrent across the phase transition temperature suggests the effectiveness of structural phase transition on tuning FPV effect. Since voltage can drive phase transition of VO2, it is possible to design devices in future in which the FPV effect is tuned electrically, which would open a new window in controlling light-matter interactions.

# **BPV** coefficient

To quantify the observed phenomena in terms of the BPV effect in our strain-gradient-engineered MoS<sub>2</sub> sheets, we evaluate the Glass coefficient G and BPV coefficient  $\beta$  on the basis of the measured photocurrents. According to equations (1) and (2), the absorption coefficient of MoS<sub>2</sub> (2.74×10<sup>5</sup> cm<sup>-1</sup> at 532 nm, ref. <sup>46</sup>), the effective  $G_{\rm eff}$  and  $\beta_{\rm eff}$  of the MoS<sub>2</sub> sheet in device no. 1 are calculated for 25–75 °C (right vertical axes of Fig. 3g). Here, we calculate effective values of the linear BPV tensor  $\beta_{ilm}^L$  due to the irregular geometry of the device (inset of Fig. 2a). The maximum  $G_{\rm eff}$  and  $\beta_{\rm eff}$  are greatly enhanced by the phase transition of VO<sub>2</sub> (above 65 °C, up to  $4.36\pm0.31\times10^{-7}$  cm V<sup>-1</sup> and  $0.12\pm0.01$  V<sup>-1</sup> at 75 °C, respectively), as shown in Supplementary Fig. 22.

Finally, we compare the BPV effect in the strain-gradient-engineered  $MoS_2$  sheet with that in other non-centrosymmetric materials with values of Glass coefficient G and BPV coefficient G as two metric parameters. Our results (orange circles highlighted by light orange shadows at 405, 532 and 635 nm obtained from device nos. 2, 1 and 3, respectively) are plotted alongside G and G of other materials in Supplementary Figs. 23 and Fig. 4a, respectively. By taking the absorption coefficient into account, G in the strain-gradient-engineered G sheet is orders of magnitude larger than most reported values of other materials in the visible range (except for BFCO<sup>11</sup> and WS<sub>2</sub> nanotubes<sup>16</sup>).

Meanwhile, short-circuit current density  $j_{sc}$  values for reported materials are plotted against the illumination power density in Fig. 4b. The performance of the PV effect does not only depend on material properties, but also relies on other parameters, for example thickness<sup>9,47</sup>, buffer layer<sup>48</sup>, tip enhancement<sup>8,10</sup>, Schottky barrier<sup>49</sup>, domain wall<sup>50</sup> and device geometry<sup>51</sup>. Figure 4b presents the reported  $j_{sc}$  for both lateral (solid lines and solid symbols) and vertical (half-filled symbols) devices. Among these lateral devices,

in terms of  $j_{sc}$ , our MoS<sub>2</sub> sheet is comparable with WS<sub>2</sub> nanotubes<sup>16</sup> and is orders of magnitude larger than other materials. Typically, in a lateral device, if the spacing between electrodes is much longer than the charge diffusion length, its  $j_{sc}$  would be much lower than a vertical device with the thickness of the active layer closer to the charge diffusion length<sup>51</sup>. Therefore, the performance of the strain-gradient-engineered MoS<sub>2</sub> sheet could be further enhanced by using the vertical device configuration.

# Conclusion

In summary, with a unique strain-gradient engineering approach, we have discovered the FPV effect in a centrosymmetric 2D material MoS<sub>2</sub>. With the temperature-induced structural phase transition of the VO<sub>2</sub> microbeam in the hybrid system, the MoS<sub>2</sub> sheet could carry giant strain gradients of up to  $10^6\,\mathrm{m}^{-1}$ . Compared to most non-centrosymmetric insulators and semiconductors, our strain-gradient-engineered MoS<sub>2</sub> sheet carries orders of magnitude higher Glass and BPV coefficients, probably due to the accessibility of giant strain gradient and the intrinsic superior optoelectronic property in MoS<sub>2</sub>. Our discovery of the FPV effect in the 2D material enriches the basic understanding of the FPV effect and may enable new concepts and materials for potential PV applications.

#### Online content

Any methods, additional references, Nature Research reporting summaries, source data, extended data, supplementary information, acknowledgements, peer review information; details of author contributions and competing interests; and statements of data and code availability are available at https://doi.org/10.1038/s41565-021-00919-y.

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#### Methods

**Device fabrication.** Maskless lithography (Intelligent Micro Patterning model SF-100 Lightning Plus, positive photoresist S1813) was used to draw patterns on a SiO $_2$  (roughly 300 or 1,000 nm)/Si(100) substrate with a channel distance of 20  $\mu m$ . Then, Ti (3 nm)/Au (20 nm) layers were deposited by the e-beam evaporation, onto the photoresist-patterned substrate. The Ti/Au-patterned substrate was developed after a lift-off process.

 $\rm VO_2$  microbeams were grown by chemical vapour deposition on r-plane sapphire substrate (MTI Corporation).  $\rm V_2O_5$  powder (99%, Sigma-Aldrich) was used as precursor. Before deposition, oxygen/argon (20%/80%) was flowed into the chamber to maintain the pressure at 1 torr. During deposition, the temperature of the precursor was kept at 950 °C.  $\rm VO_2$  microbeams were formed on the substrate at about 5 cm away from the precursor. With a polydimethylsiloxane (PDMS) stamp being pressed on the as-grown sample and then released quickly, a few  $\rm VO_2$  microbeams were attached to the stamp surface.  $\rm MoS_2$  bulk crystals (2H phase, HQ Graphene Inc.) were put onto scotch tape and exfoliated several times. Then they were pressed on a PDMS stamp. After the scotch tape was slowly removed, some ultrathin  $\rm MoS_2$  sheets were transferred onto the PDMS stamp. FLG was prepared as electrical contacts in the same way as MoS\_.

PDMS stamps with VO $_2$  microbeams, MoS $_2$  sheets or FLG were loaded onto a three-axis micro manipulator. Then they were aligned to metal patterns under an optical microscope. Using the three-axis micro manipulator, we gently attached the samples (VO $_2$  microbeams, MoS $_2$  sheets or FLG) onto the desired positions and then carefully released the PDMS stamp. After that, the sheets were left on the substrate. In this way, we fabricated a device consisting of a MoS $_2$  sheet on a VO $_2$  microbeam with two FLGs as contacts. We did not use monolayer MoS $_2$  for the flexoelectricity study because the piezoelectricity in monolayer MoS $_2$  could contribute photocurrent that would complicate the analysis. Bilayer MoS $_2$  is an ideal candidate (centrosymmetric) to explore its flexoelectricity and FPV effect. However, stacking a bilayer MoS $_2$  on a VO $_2$  microbeam (thicknesses of roughly 100–200 nm in our devices) without crack formation has been found to be technically challenging. Thus, in the present study, we use a MoS $_2$  sheet with a thickness of roughly 10–100 nm to achieve the device fabrication on a VO $_2$  microbeam

Characterizations. The morphology of the device was characterized by a Nikon Eclipse Ti-S inverted optical microscope. A multi-mode tapping mode atomic force microscope was used to measure the thickness of the MoS $_2$  sheet, VO $_2$  microbeam and FLGs with a tapping mode. Vibration modes of the MoS $_2$  sheet, VO $_2$  microbeam, FLGs and substrate were obtained from Raman spectra collected by using a WTTec Alpha 300 confocal Raman microscope with an excitation source of a CW 532-nm laser. We use a  $\times 100$  objective lens for Raman measurements. A mapping mode with a step of 200 nm is used to map vibration modes of the MoS $_2$  sheet. Combining the confocal Raman microscope and a source meter (Keithley 2401), we built a SPCM machine to map the photocurrents in the device. Both Raman and photocurrent mappings are performed simultaneously. To avoid the laser heating that often results in the broadening and shifting of the Raman peaks and the possibility of damaging the sample, the laser power is adjusted to be as

small as possible within the signal detection limit. Here, we use a laser power of about  $8.6\text{--}1,000\,\mu\text{W}$  for both Raman and photocurrent mappings. With these laser powers, the photothermoelectric-effect-induced current in the MoS $_2$  sheet could be neglected in the present study. For the light polarization dependence characterization, a 405-nm pulsed laser (type LDH-P-C-405, PicoQuant) (powers of  $3.8\,\text{nW}\text{--}48.4\,\mu\text{W}$  are used), a 635-nm laser diode (LDM635, Thorlabs) with a filter (power of  $108\,\text{nW}$ ) and an optical path including polarizer, quarter wave plate (WPQ10M-405 and AQWP10M-580, Thorlabs), dichroic or beam splitter and objective lens (x50) are used. A hand-held optical power/energy meter (Model 842-PE) is used to measure the laser power.

#### Data availability

The data of this study are available from the corresponding author upon reasonable request.

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#### **Author contributions**

J.J. and J.S. conceived the idea and designed the experiments (device structure, temperature-dependent and photon-polarization-dependent measurements). J.J. built the 2D materials transfer system and assembled the SPCM setup. J.J. prepared samples and fabricated the devices. Y.W. assisted with the growth of VO<sub>2</sub>. J.J. performed Raman mappings, photocurrent mappings and light polarization dependence measurements. Z.C. and Y.H. assisted photocurrent measurements and calibrations. Y.X. and L.Z. performed atomic force microscopy measurements. J.J. processed the data. J.J. and J.S. analysed and interpreted the results. J.J. wrote the paper. All the authors were involved in the discussion for data analysis. G.-C.W. and J.S. revised the manuscript. J.S. supervised the project.

# Competing interests

The authors declare no competing interests.

#### Additional information

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