

How Well Does a Solvated Octa-acid Capsule Shield the Embedded Chromophore? A Computational Analysis Based on an Anisotropic Dielectric Continuum Model

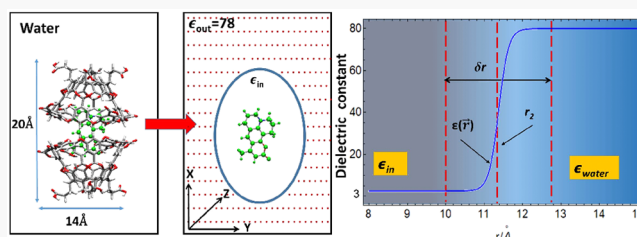
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ABSTRACT: The optical properties of chromophores embedded in a water-solvated dimer of octa-acid that forms a molecular-shaped capsule are investigated. In particular, we address the anisotropic dielectric environment that appears to blue-shift excitation energies compared to the free aqueous chromophores. Recently we reported that using an effective scalar dielectric constant $\epsilon \approx 3$ appears to reproduce the measured spectra of the embedded coumarins, suggesting that the capsule provides a significant, albeit not perfect, screening of the aqueous dielectric environment. Here, we report absorption energies using a theoretical treatment that includes continuum solvation affected by an anisotropic dielectric function reflecting the high-dielectric environment outside of the capsule and the low-dielectric region within. We report time-dependent density functional theory calculations using a range-separated functional with the Poisson boundary conditions that model the anisotropic dielectric environment. Our calculations find that the anisotropic environment due to the water-solvated hydrophobic capsule is equivalent to a homogeneous effective dielectric constant of ≈ 3 . The calculated values also appear to reproduce measured absorption of the embedded coumarin, where we study the effect of the hydrophobic capsule on the excited state.



INTRODUCTION

The most widely used implicit solvation models in quantum chemistry are polarizable continuum models (PCMs),^{1–5} wherein electrostatic interactions between solute and solvent are included by modeling the latter as a continuous dielectric medium characterized by a scalar dielectric constant, ϵ . The PCM maps the three-dimensional Poisson equation that describes the continuum electrostatics problem onto a two-dimensional surface charge problem,⁴ making it a computationally efficient means to describe a *homogeneous* solvation environment. PCMs have recently been combined with range-separated hybrid (RSH) functionals to describe the heterogeneous solvation environment of the special pair in bacteriochlorophylls,^{6,7} in which two semisymmetric branches of pigments are embedded in distinct embedding protein environments, and charge transfer (CT) is understood⁸ to proceed down the branch affected by a larger dielectric constant.⁹

For applications such as these, there have been some attempts to implement PCM-like schemes having different dielectric constants (ϵ_1 , ϵ_2 , ...) for distinct spatial regions.¹⁰ PCMs were extended to study solutes at the surface of the solvent.^{11–13} A more general version of this idea is to solve a generalized Poisson equation for an environment that is represented by a continuously varying dielectric function, $\epsilon(\vec{r})$.^{14–16} This model, the Poisson equation solver (PEqS),

can be used to represent anisotropic solvation environments such as the air/water interface^{14,15} and has recently been extended to include the effect of dissolved electrolytes.¹⁶

In the present work, we use a generalized version of the PEqS to describe electronic excitations of coumarin dyes in an anisotropic solvation environment arising from encapsulation within a supramolecular capsule constituted from a dimer of an octa-acid,^{17,18} which is itself solvated in water. Supramolecular systems are often used to encapsulate nonpolar molecules that function as donors in a charge transfer process, with a water-soluble molecule functioning as the acceptor.^{18–20} The capsule and the investigated three coumarins are illustrated in Figure 1.

There is wide interest to improve our understanding of the photochemical and photophysical properties, spectroscopy, and CT dynamics of guest organic molecules in confined systems.^{21–27} The hydrophobic capsulelike shell formed by the octa-acid dimer shields the embedded chromophores,^{21–27} and our own recent computational study finds that an observed blue-shift in the excitation energy upon encapsulation is well

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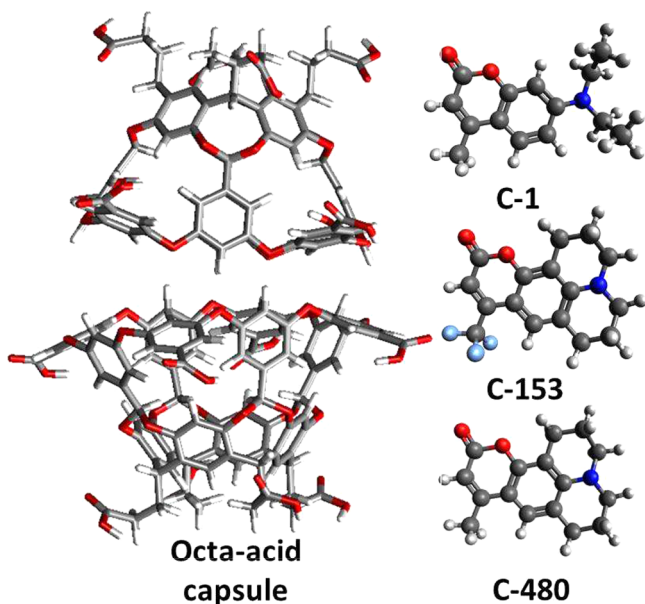


Figure 1. Octa-acid capsule and the guest coumarins: C-1 ($\text{C}_{14}\text{H}_{17}\text{NO}_2$), C-153 ($\text{C}_{16}\text{H}_{14}\text{F}_3\text{NO}_2$), and C-480 ($\text{C}_{16}\text{H}_{17}\text{NO}_2$). The atomic coordinates are provided in the Supporting Information.

described by an effective dielectric constant, $\epsilon_{\text{eff}} \approx 3.0$.²⁸ Operationally, it seems that the capsule environment effectively shields the chromophore from the high-dielectric environment of the aqueous medium, such that the chromophore experiences an effective dielectric constant consistent with expectations for hydrophobic organic matter.

Below we revisit the same system using the PEqS solvation model to examine absorption spectra of guest coumarins C-1, C-153, and C-480 (Figure 1),^{18,19} inside the water-solvated octa-acid capsule.²⁹ The PEqS model affords a more incisive description of the anisotropic solvation environment, in contrast to the PCM approach used in our previous study.²⁸ To the best of our knowledge this is the first calculation of electronic excited states in an anisotropic dielectric environment. We calculate excitation energies for the various coumarins subject to a dielectric constant of ϵ_{in} inside the capsule (whose value we shall explore) and a dielectric constant $\epsilon_{\text{out}} = 78$ outside, which we fix at the value for water. The dielectric function $\epsilon(\vec{r})$ used in the PEqS model smoothly interpolates between these two limits, as described in previous work.¹⁵ Figure 2 provides a schematic representation of our computational model. (Contrast with the isotropic picture that involves an effective dielectric constant represented in the inset.)

■ COMPUTATIONAL PROCEDURE

RSH functionals, also known as long-range corrected (LRC) functionals, have been shown to provide physically meaningful energy levels for frontier molecular orbitals.^{30–33} Combinations of such functionals with PCM have been benchmarked successfully to address condensed-phase systems.^{30,31,34–36} We employ the LRC- ω PBE functional^{37,38} with several PCMs, as described below. The range separation parameter ω is tuned in the gas phase following the J^2 scheme.^{39–42} As determined in our previous work,²⁸ the range separation parameters are 0.020, 0.026, and 0.024 bohr^{−1} for C-1, C-153, and C-480 in $\epsilon = 78$. For geometries optimized using $\epsilon = 3$, the corresponding tuned values of ω are 0.072, 0.069, and 0.069 bohr^{−1}.

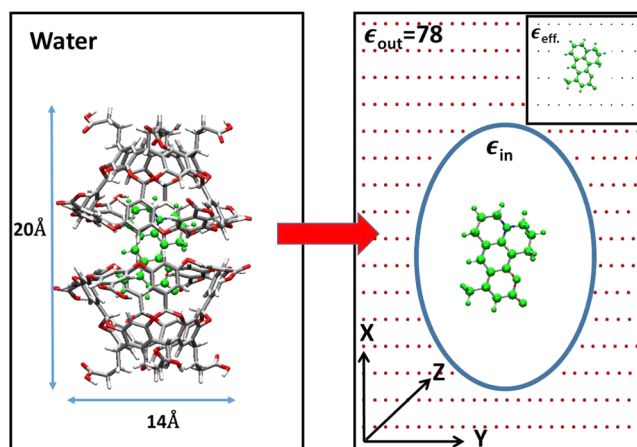


Figure 2. Schematic representation of the dielectric environment for a water-solvated capsule containing a guest coumarin chromophore. Dielectric constants ϵ_{in} and ϵ_{out} are associated with spatial regions inside and outside of the capsule volume, respectively, with the latter ($\epsilon_{\text{out}} = 78$) representing aqueous solvation. The insert represents a simpler picture where an effective dielectric constant, ϵ_{eff} describes screening due to the water-solvated capsule.²⁸

Optimized geometries are also taken from earlier work.²⁸ All calculations were performed using a locally modified version of the Q-Chem program.⁴³

Excited-state energies of the embedded coumarins are computed using time-dependent density functional theory (TDDFT) and the 6-31G(d) basis set unless otherwise noted. The PEqS solvation model¹⁵ is used to polarize the ground-state molecular orbitals and corresponding energy levels, which are subsequently used in the TDDFT framework. In other words, there is no additional excited-state contribution from PEqS, which thus corresponds to a sort of “zeroth-order” solvation approach to TDDFT.⁴⁴ For PCMs, one can go beyond this zeroth-order picture by means of a nonequilibrium formalism that incorporates the solvent’s response to a sudden change in the electron density of the solute, using the excited-state density and the solvent’s optical dielectric constant.^{45–48}

A perturbation theory, state-specific (ptSS) version of the nonequilibrium PCM formalism has recently been developed by Herbert and co-workers.^{44,49,50} The use of perturbation theory avoids certain problems that are normally inherent to state-specific corrections, including convergence difficulties in cases of near degeneracy and lack of orthogonality between the wave functions for different states.⁵¹ One could easily envisage a corresponding PEqS(ptSS) method, but this has not yet been implemented for excitation energies. (A nonequilibrium PEqS approach to vertical ionization has been reported.^{14,15}) The integral equation formalism (IEF) version of PCM is used for these calculations,^{52,53} as implemented in Q-Chem.^{54,55} Solute cavities for IEF-PCM calculations were constructed using the standard procedure of atomic van der Waals (vdW) radii scaled by a factor of 1.2.⁴ We will estimate the magnitude of the nonequilibrium correction using TDDFT/PCM(ptSS) calculations for the free aqueous coumarins based on the IEF-PCM. We compared the ptSS approach to an “equilibrium” (or zeroth-order) solvation method in which ground-state molecular orbitals are polarized using the static dielectric constant and then a conventional TD-DFT calculation is performed using these solvent-polarized orbitals, without the nonequilibrium correction that is included at the IEF-

PCM(ptSS) level. (This “equilibrium” approach to TD-DFT/PCM has elsewhere been called the “PTE” approach.⁵⁰) For brevity, we refer to the IEF-PCM(ptSS) approach, which includes the nonequilibrium corrections, as simply “ptSS”. The optical dielectric constant in the calculations reported below is set to that of water, 1.78.

The PEqS solvation model represents an exact solution (up to discretization errors) to the generalized Poisson equation defined by the dielectric function $\epsilon(\vec{r})$. As such, this method affords an exact solution to the volume polarization problem in reaction-field theory.^{56,57} Volume polarization refers to the fact that the tail of the solute’s density penetrates beyond the cavity that separates the atomistic solute from the continuum solute, and the polarization resulting from this tail of the wave function is described only approximately within the IEF-PCM approach.^{4,58} On the other hand, IEF-PCM can use a sharp dielectric boundary between solute and solvent, whereas for PEqS this boundary must be smoothed,^{14,15} as is also done in classical biomolecular Poisson–Boltzmann electrostatics calculations.⁵⁹

The dielectric function $\epsilon(\vec{r})$ that is used in the PEqS calculations is constructed by interpolating between limiting values $\epsilon_{\text{cav}} = 1$ (in the atomistic region described by quantum chemistry), ϵ_{in} (an intermediate value that provides a continuum description of the environment inside of the capsule), and $\epsilon_{\text{out}} = 78$ (representing aqueous solvation outside of the capsule). This interpolation, which is depicted schematically in Figure 3, occurs along vectors \vec{r} that emanate radially from the nuclei. The two separate interpolations are centered at radial distances indicated by r_1 and r_2 in Figure 3. Up to r_1 is the coumarin cavity, which is described at the atomic level using a dielectric constant $\epsilon = 1$. The boundary at r_1 corresponds to the vdW surface⁶⁰ of the coumarin, at which point the continuum environment turns on, with a dielectric constant ϵ_{in} that is taken to be a parameter of the model, but which has a value representing the hydrophobic capacity of the nonpolar organic capsule. At the surface of the octa-acid capsule (r_2 in Figure 3), the dielectric constant is increased to a value $\epsilon_{\text{out}} = 78$ due to the solvent. We denote this setup as PEqS($\epsilon_{\text{in}};\epsilon_{\text{out}}$). A two-dimensional contour plot of the dielectric function $\epsilon(\vec{r})$ around the coumarin chromophore is provided in Figure S1 of the Supporting Information.

The use of two different surfaces to define $\epsilon(\vec{r})$ is implemented and tested here for the first time, but other details of the PEqS algorithm are the same as the equilibrium solvation approach that is described in ref 15. We use a numerical value $\delta r = 2.75$ Å for the length over which the interpolation of $\epsilon(\vec{r})$ between limiting values takes place; see Figure 3. A $161 \times 161 \times 161$ Cartesian discretization grid is used for the PEqS calculations, extending between ± 20 Å in each dimension for a grid space $\Delta x = 0.25$ Å, consistent with previous convergence tests.¹⁵ Below, the PEqS models are compared to simplified models noted as “PEqS*”. The PEqS* models are obtained by replacing the capsule surface with a single sphere of radius set to 10 Å or as noted. Another (1:78) PEqS* model is achieved by significantly increasing the atomic vdW radii by a factor of 10 or as noted. We also set up (1: ϵ) models by increasing the atomic radii in IEF-PCM and IEF-PCM(ptSS) calculations. We indicate these (1: ϵ) calculations below as “IEF*” and “ptSS*”. In particular, we are using the IEF* and ptSS* (with the significantly larger atomic radii) to compare to PEqS(1:78) and PEqS(1:3). (We emphasize that IEF*/PtSS* and PEqS* establish simplified (1:78) setups for

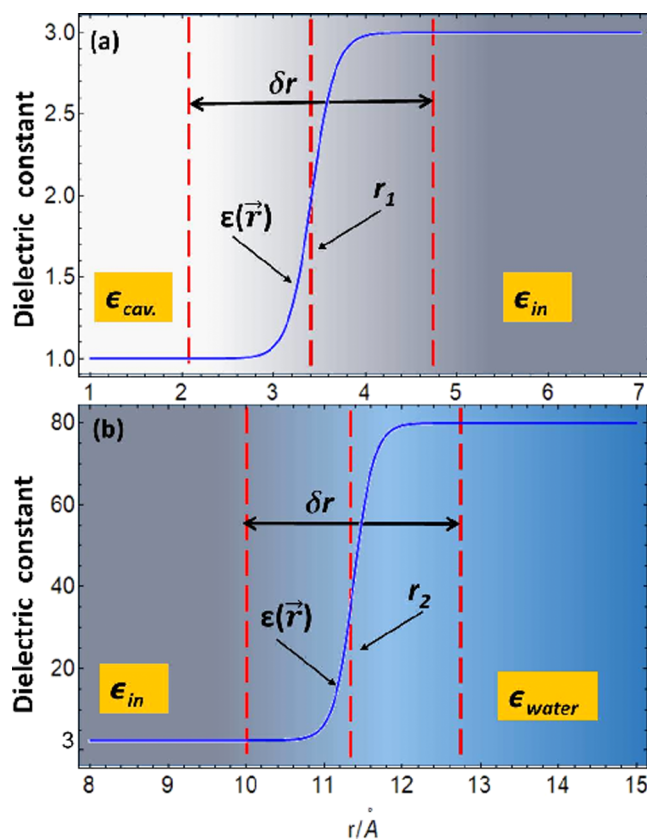


Figure 3. Illustration of the interpolation (between limiting values $\epsilon_{\text{cav}} = 1$, ϵ_{in} , and $\epsilon_{\text{out}} = 78$) that is used to define the dielectric function $\epsilon(\vec{r})$ for PEqS(1:78) calculations. This interpolation takes place along vectors pointing radially outward from the center of a coumarin atom, according to the following procedure. (a) A first interpolation between $\epsilon = 1$ and $\epsilon = \epsilon_{\text{in}}$ (represented here by the value $\epsilon_{\text{in}} = 3$) is centered at the boundary of the vdW surface,⁶⁰ i.e., r_1 represents an atomic vdW radius. (b) A second interpolation to a value $\epsilon = 78$ occurs at a distance r_2 that represents the boundary of the molecular capsule. In both cases, the length of the interpolation is taken to be $\delta r = 2.75$ Å.

representing a coumarin captured within a perfectly screened region by increasing the molecular solute surface. Indeed, the PEqS* results as shown below are in excellent agreement with the PEqS (1:78) values that are based on the actual capsule surface for generating the dielectric interface. The PEqS* values do not appear to depend significantly on the actual factor increasing the atomic radii or the sphere size used in setting up these models.)

RESULTS AND DISCUSSIONS

PCMs describe the solute–solvent electrostatic interactions in terms of a single, scalar dielectric constant (ϵ) for a continuum environment that is assumed to be isotropic. In previous work,²⁸ we described the effects of electrostatic screening by the octa-acid capsule using an effective dielectric constant (ϵ_{eff}) that was obtained by systematically varying ϵ from its gas-phase value ($\epsilon = 1$) to its aqueous value ($\epsilon = 78$), comparing the TDDFT/PCM excitation energies to values measured experimentally for coumarins enclosed in the octa-acid capsule. Experimentally measured shifts in the excitation energies, relative to free coumarins in aqueous solution, are reproduced quite well by an effective dielectric constant $\epsilon_{\text{eff}} = 3$.²⁸ (We

compare calculated vertical excitations to maxima of the measured spectral bands.¹⁹⁾

Before we proceed to consider a more meaningful anisotropic dielectric function, we first consider the free coumarins in aqueous solution using several different solvation models. These are listed in Table 1 for both $\epsilon = 78$ and the

Table 1. TDDFT Excitation Energies (eV) of Free Solvated Coumarins Using Various Isotropic Continuum Solvation Models^a

ϵ	coumarin	expt.	TDDFT		
			IEF-PCM		PEqS
			ptSS	equilibrium	
3	C-1		3.41	3.45	3.48
	C-153		3.06	3.09	3.11
	C-480		3.23	3.26	3.27
78	C-1	3.26 ^b	3.22	3.26	3.28
	C-153	2.88 ^b	2.91	2.93	2.94
	C-480	3.13 ^b	3.11	3.13	3.13

^aSee Supporting Information Table S1 for cc-pVTZ and 6-31+G(d) based energies. Measured values in solvated capsule are discussed in the main text. ^bFor the free coumarin in water.⁶¹

previously determined effective value of $\epsilon = 3$. (cc-pVTZ values listed in Supporting Information Table S1 are within 0.05–0.1 eV lower, and 6-31+G(d) values are at around 0.1 eV lower). We note that the equilibrium versions of IEF-PCM energies are in good agreement with those obtained using PEqS solvation, with differences smaller than 0.03 eV. This comparison indicates that differences related to the treatment of volume polarization, discretization, and the smoothing of the dielectric function at the solute/continuum interface have very small numerical effects. In addition, we note that the nonequilibrium (ptSS) correction to the equilibrium IEF-PCM solvation energy ranges from -0.02 to -0.04 eV.

Next we address the absorption energies of the guest coumarins, using the function $\epsilon(\vec{r})$ in the anisotropic PEqS ($\epsilon_{\text{in}}:\epsilon_{\text{out}}$) calculations as described above; see energies listed in Table 2. We first note that TDDFT/PEqS(1:78) excitation

Table 2. TDDFT Excitation Energies (in eV) Using the Anisotropic (1:78) Solvation Model^a

coumarin	PEqS	PEqS ^b /IEF ^b
C-1	3.43	3.47
C-153	3.08	3.13
C-480	3.26	3.27

^aAdditional values obtained at the 6-31+G(d) basis set and anisotropic (1:3) model are provided in Supporting Information Table S2. Nonequilibrium correction calculated using the ptSS^{*} level is smaller than 0.001 eV in absolute value in all cases. ^bUsing increased atomic radii.

energies are equivalent within 0.05 eV to the simpler PEqS^{*} setup based on increasing vdW atomic radii and additional (1:3) energies included in Supporting Information Table S2, indicating that there is only a weak dependence of the calculated excitation energies on the actual setup of $\epsilon(\vec{r})$ for addressing the dielectric interface due to the molecular capsule. Also important is the observation that the PEqS^{*}(1:78) energies agree with the corresponding IEF^{*} energies to within 0.001 eV, which presents a significantly tighter agreement than

in the isotropic cases described above. (The IEF^{*} values were obtained by increasing the vdW atomic radii by a scale factor of 10.) In addition, we find that the IEF-ptSS^{*} energies bear a negligible nonequilibrium correction that is in all cases smaller in absolute value than 0.001 eV compared to the already small ptSS correction of about 0.02 eV in the isotropic cases. Additional PEqS(1:3) values, demonstrating a similar trend, are listed in Supporting Information Table S2. Also included in Table S2 are (1:78) energies obtained using 6-31+G(d) that are consistently around 0.1 eV smaller than the 6-31G(d) energies, similar to the basis set trend found above for the free solvated coumarins in Table 1.

We also address the effect of the coumarin to move within the capsule cavity, by rotating the molecules about the main axis of the capsule that is of an ellipsoid shape (see illustration in Supporting Information Figure S2). As shown in Supporting Information Table S3, the excitation energies remain within 0.05 eV for the three considered orientations. We note that fully quantifying the flexibility of the coumarins to move within the capsule remains an open question. Similarly the effect of cocapturing solvent molecules within the cavity is another important aspect that should be addressed in future studies.

TDDFT/PEqS(1:78) excitation energies are in good agreement with those obtained using a single, isotropic dielectric constant of $\epsilon_{\text{eff}} = 3$, with differences of less than 0.05 eV as seen in Table 3. (Here, PEqS^{*} values, which are

Table 3. TDDFT Excitation Energies for Encapsulated Coumarins

coumarin	expt. ^a	TDDFT			
		PEqS($\epsilon_{\text{eff}} = 3$) ^c	PEqS ^b (1:78)	PEqS(1:78) ^d	PEqS ^b (3:78)
C-1	3.43	3.48	3.46	3.43	3.30
C-153	2.93	3.11	3.13	3.08	2.96
C-480	3.28	3.27	3.27	3.26	3.14

^aFrom refs 19 and 28. ^bUsing a spherical outer interface. Other choices for the radius can be found in Supporting Information Table S4. ^cUsing a single vdW cavity for the coumarin. ^dUsing ($\epsilon_{\text{in}}:\epsilon_{\text{out}}$) as described in the text.

within 0.02 eV from the PEqS values, were obtained using a sphere to form the outer interface starting at 10 Å. Results with spheres of other radii are included in Supporting Information Table S4.) We therefore find that an anisotropic dielectric environment, where the coumarin is embedded within a perfectly hydrophobic molecular capsule in aqueous solution, corresponds closely to a homogeneous environment of $\epsilon_{\text{eff}} \approx 3$. This is in agreement with the finding of our previous study.²⁸ Furthermore, we find that TDDFT/PEqS(1:78) excitation energies are in good agreement with the measured values for C-1 and C-480, suggesting that the hydrophobic capsule perfectly shields water's solvation effects from the coumarin, which therefore experiences a dielectric environment more consistent with nonpolar organic matter. However, in the case of C-153, the TDDFT/PEqS(1:78) result overestimates experiment by 0.2 eV. As reported before, the excitation energies tend to red-shift as the dielectric constant is increased.²⁸ Indeed we find that an increase of ϵ_{in} lowers the C-153 excitation from 3.08 to 2.99 eV with $\epsilon_{\text{in}} = 2$ and further reduces it to 2.96 eV with $\epsilon_{\text{in}} = 3$.

The different behavior indicated for C-153, where the capsule is not perfectly hydrophobic, may result from the

electronegative fluorine atoms, which the molecular capsule can only partially shield. The collective Mulliken charge of the three fluorine atoms in C-153 is $-0.69e$ while that of the carbon atom in the CF_3 moiety is $+0.71e$. In comparison, Mulliken charge on carbon in the corresponding CH_3 group of C-1 and C-480 is about $-0.6e$. The resulting molecular dipoles are presented in Supporting Information Figure S3. The effect of fluorination in C-153 is to align the dipole along the main molecular axis, whereas for C-1 and C-480 the dipole moment is skewed in relation to the axis of the benzopyrone moiety.

CONCLUSIONS

Excitation energies of coumarins embedded within a molecular capsule formed from an octa-acid dimer are computed using TDDFT with various continuum solvation models, including one based on an anisotropic dielectric function, $\epsilon(\vec{r})$.¹⁵ The molecular capsule forms a hydrophobic shell, within which nonpolar organic chromophores can be inserted, forming one-half of a solvated donor–acceptor pair for photoinduced CT reactions in aqueous solution.^{17–19,62} The PeqS allows to directly study the role of the hydrophobic capsule to screen the solvent dielectric and affect the electronic excitation energies of the captured chromophores. Using the generalized PEqS,¹⁵ we can model the environment around the encapsulated chromophore in terms of an inner, low-dielectric environment along with an outer, high-dielectric environment representing aqueous solvation.

In practice, we find that the anisotropic description is equivalent to an earlier model²⁸ in which the coumarin dye is surrounded by a homogeneous dielectric environment characterized by a single, effective dielectric constant $\epsilon_{\text{eff}} = 3$. Computed excitation energies are in good agreement with those measured experimentally for the aqueous host–guest system. In the case of C-153, the electronegative CF_3 moiety appears to diminish the hydrophobic capacity of the capsule.

ASSOCIATED CONTENT

Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jpcb.0c04032>.

Tables of larger basis set energies, PEqS* and IEF* energies, and upon rotation; figures of $\epsilon(\vec{r})$ with the sphere setup, coumarin dipole orientations, and rotated coumarins (PDF)

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Notes

The authors declare no competing financial interest.

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