



Binary-stripped Stars as Core-collapse Supernovae Progenitors

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Abstract

Most massive stars experience binary interactions in their lifetimes that can alter both the surface and core structure of the stripped star with significant effects on their ultimate fate as core-collapse supernovae. However, core-collapse supernovae simulations to date have focused almost exclusively on the evolution of single stars. We present a systematic simulation study of single and binary-stripped stars with the same initial mass as candidates for core-collapse supernovae (11–21 $M_{\odot}$). Generally, we find that binary-stripped stars core tend to have a smaller compactness parameter, with a more prominent, deeper silicon/oxygen interface, and explode preferentially to the corresponding single stars of the same initial mass. Such a dichotomy of behavior between these two modes of evolution would have important implications for supernovae statistics, including the final neutron star masses, explosion energies, and nucleosynthetic yields. Binary-stripped remnants are also well poised to populate the possible mass gap between the heaviest neutron stars and the lightest black holes. Our work presents an improvement along two fronts, as we self-consistently account for the pre-collapse stellar evolution and the subsequent explosion outcome. Even so, our results emphasize the need for more detailed stellar evolutionary models to capture the sensitive nature of explosion outcome.

Unified Astronomy Thesaurus concepts: Core-collapse supernovae (304); Close binary stars (254)

1. Introduction

Studies on the core-collapse supernovae (CCSNe) explosion mechanism have focused almost exclusively on single-star progenitors (e.g., Burrows 2013; Janka et al. 2016; Roberts et al. 2016; Radice et al. 2017; Burrows et al. 2018, 2019a, 2019b; O’Connor & Couch 2018; Ott et al. 2018; Summa et al. 2018; Vartanyan et al. 2018, 2019b; Glas et al. 2019; Nagakura et al. 2019a, 2019b; Kuroda et al. 2020; Burrows & Vartanyan 2021). However, the vast majority of stars massive enough to reach core collapse are members of multiple systems (e.g., Mason et al. 2009; Almeida et al. 2017). Sana et al. (2012) conclude that the majority of massive stars should interact with a close companion during their lifetime. Binary evolution is commonly required to explain the high intrinsic rate of hydrogen-poor (Type IIb, Ib, Ic) CCSNe (Podsiadlowski et al. 1992; Eldridge et al. 2008; Yoon et al. 2010; Claeys et al. 2011; Li et al. 2011; Zapartas et al. 2017; Shivvers et al. 2019; Sravan et al. 2019) and their ejecta mass distributions peaked at low values of about $2 M_{\odot}$ (e.g., Lyman et al. 2016; Taddia et al. 2018). It is also required to explain the properties of several SN progenitors observed through direct imaging, including the triple-ring structure of SN1987a (e.g., Eldridge et al. 2013, 2017; Utrobin et al. 2021). Moreover, direct imaging provides evidence for surviving companions after CCSNe (e.g., Maund et al. 2004; Fox et al. 2014; Ryder et al. 2018). Binary population synthesis studies have recently shown binary interaction should also affect $\sim 50\%$ of hydrogen-rich (Type II) SNe (e.g., Eldridge et al. 2018; Zapartas et al. 2019, 2021).

Thus, we expect that a large fraction of CCSN progenitors experiences binary interactions, which might change the core

structure (Langer 1989; Woosley et al. 1993; Laplace et al. 2021) and thus “explodability” of stars of a given initial mass. This is buttressed by a growing anthology of observed stripped SNe (Shivvers et al. 2019) with interesting implications for the formation of double compact objects (De et al. 2018; Taddia et al. 2018; Prentice et al. 2019) and rapidly evolving transients (Pursiainen et al. 2018).

CCSN explosion simulations of progenitors computed accounting self-consistently for binary interactions are as-of-yet rare, as are detailed stellar evolution models of binary stars computed to core collapse. The preponderance of studies to date simplify the binary mass exchange (Schneider et al. 2021) or focus on the structure of naked cores (He cores, Woosley 2019; Ertl et al. 2020; and CO cores, Patton & Sukhbold 2020; but see Tauris et al. 2015), and prompt explosion through parameterized or prescriptive means (Woosley 2019; Ertl et al. 2020; Schneider et al. 2021; Zapartas et al. 2021). We emphasize that, as pointed out in Laplace et al. (2021), the final core properties of single and binary-stripped stars differ even when comparing models with similar helium core masses due to the rate and timing of mass loss, which are not easily captured in naked He cores. Furthermore, self-consistent mass loss in binaries may leave some remnant hydrogen, which will further alter the composition and structure of the stripped star in comparison with a naked He core.

The work of Müller et al. (2018, 2019) considered the impact of binary evolution modeling on the explodability of the donor star with 3D explosion simulations, although with several approximations to the neutrino radiation transport and binary evolution modeling. They focused on the explosion of ultra-

stripped stars from Tauris et al. (2015), motivated by the relevance of this channel for gravitational-wave progenitors. The binary evolution models from Tauris et al. (2015) start from initial conditions with a compact object (NS) orbited by a naked He star, i.e., starting the evolution from after the first mass transfer or common envelope phase in a binary. The binary evolution leads to a second mass transfer phase (case BB RLOF, Roche-lobe overflow) which further reduces the mass of the star, making it ultra-stripped. They found that these ultra-stripped stars blow up with weak explosion energies ($E \simeq 10^{50}$ erg) and with prompt explosions resulting in small SN natal kicks.

Our study, using the progenitors developed in Laplace et al. (2021), is complementary to the work of Müller et al. (2018, 2019) and Tauris et al. (2015), since we focus instead on the first RLOF phase and what impact it can have on the explodability of stripped (but not ultra-stripped) CCSN progenitors. The most common kind of binary interaction is mass transfer with a post-main-sequence donor (so-called case B RLOF; de Mink et al. 2008; Klencki et al. 2020), which is predicted to leave only a very thin layer of H-rich material on the donor star at the end of the mass transfer phase at solar metallicity (Götberg et al. 2017; Yoon et al. 2017; Gilkis et al. 2019). At solar metallicity, such a layer is likely removed by stellar winds in the post-mass-transfer, pre-collapse evolution, leaving an exposed He core that will likely be the progenitor of a Ib SN explosion, or, if the helium-rich layers are removed, of a Ic. Therefore, albeit with numerous caveats affecting any stellar evolution simulations, we provide the first self-consistent binary models and supernovae simulations used to explore the impact of the most common binary evolution channel, case B mass transfer, on the explodability of the donor star core with the added advantage of using a more detailed radiation transport scheme to simulate the resulting supernovae.

Here, we report on one of the first comprehensive, self-consistent simulation studies comparing CCSN outcomes for a suite of 11 single-star and binary-stripped progenitors with the same initial mass (Laplace et al. 2021). We note that Ertl et al. (2020) also performed a similar comparison, including comparisons to the single-star models of Sukhbold et al. (2016), but with the qualifications mentioned above (namely, He cores, instead of binary-stripped stars, that are subsequently exploded through a parameterized model). Schneider et al. (2021) perform a binary-stripped to single-star comparison as well, but also simplify the binary mass loss and parameterize the subsequent explosion modeling. Our work allows for the systematic study of the viability of stripped stars as CCSN progenitors and explores the role of massive star evolutionary history on CCSNe outcome (see, e.g., Podsiadlowski et al. 1992; Yoon et al. 2010; Dessart et al. 2011; Tauris et al. 2015; Woosley 2019; Chieffi & Limongi 2020; Ertl et al. 2020; Patton & Sukhbold 2020; Woosley et al. 2021; Schneider et al. 2021; Zapartas et al. 2021). We find preferential explosion of binary-stripped progenitors over single-star progenitors of the same zero-age main sequence (ZAMS) mass. After describing the salient points of our pre-explosion and explosion modeling in Section 2, we first compare a representative pair of models with the same initial mass in Section 3. We find that overall donor stars in binaries are easier to explode, and among pairs of the same initial mass, a lower compactness parameter corresponds to easier explodability, but highlight key exceptions to this general trend and present explosion diagnostics

with observational ramifications. We present our conclusions in Section 4.

2. Methods

2.1. MESA

The stellar evolution models are presented and described in detail in Laplace et al. (2021). The models were computed with the open-source 1D stellar evolution code MESA (version 10398; Paxton et al. 2011, 2013, 2015, 2018, 2019) at solar metallicity ($Z = 0.0142$; Asplund et al. 2009). Until core oxygen depletion (central oxygen mass fraction lower than 10^{-4}), we used a nuclear network comprising 21 isotopes that produces sufficiently accurate reaction rates in the cores of massive stars from core hydrogen burning until the end of core oxygen burning (approx21; Timmes 1999; Timmes et al. 2000; Paxton et al. 2011). Because of the sensitivity of the further evolution to nuclear burning and especially electron captures, we used a 128-isotope network after oxygen depletion (Farmer et al. 2016) and stop our models when the iron-core infall velocity reached 1000 km s^{-1} . Mass loss from the binary-stripped stars was included in the pre-supernova evolution. For stars with effective temperatures of $T_{\text{eff}} > 10^4 \text{ K}$ we used mass-loss rates from Vink et al. (2001) when the surface hydrogen mass fraction $X_{\text{H}} > 0.4$ and the rates from Nugis & Lamers (2000) for the cases with $X_{\text{H}} < 0.4$. For effective temperatures $< 10^4 \text{ K}$, we employ the de Jager et al. (1988) empirical wind mass-loss prescription for stars across the Hertzsprung–Russell diagram. For the binary-stripped stars, the pre-supernova mass is very close to the helium core mass (evaluated at the end of core helium burning), but slightly smaller due to wind mass loss in late phases of the evolution.

Our grid consists of two sets of 11 models with the same initial masses M_1 ranging from 11 to $21 M_{\odot}$. The first set follows the evolution of single stars. For the second set, we considered the most common binary interaction, that is, a stable mass transfer phase after the end of the donor’s main sequence (case B mass transfer; e.g., Kippenhahn & Weigert 1967). We examined binaries with initial periods of 25–35 days and a point-mass secondary of mass $M_2 = 0.8 M_1$, and assumed fully conservative mass transfer. All stellar models and MESA inlists are publicly available upon publication (see Laplace et al. 2021).

2.2. FORNAX

To simulate the collapse, core bounce, and initial shock propagation in the first seconds, we use FORNAX (Skinner et al. 2019). FORNAX is a multidimensional, multigroup radiation hydrodynamics code originally constructed to study core-collapse supernovae. The models referenced herein were evolved in 2D axisymmetry on a spherical grid extending to 20,000 km and resolved with 678 radial cells and 256 angular cells. The angular grid resolution varies smoothly from 0.64° along the equator to 0.94° along the poles. Following Marek et al. (2006) we used a monopole approximation for relativistic gravity and employed the SFHo equation of state (Steiner et al. 2013), which is consistent with all currently known constraints (Tews et al. 2017) on the nuclear equation of state. Our intention in this study is to identify trends in a large set of models, and hence simulating in 2D axisymmetry is favorable. Although 3D simulations still are required, earlier works show similarities in explosion outcome and diagnostics between 2D

and 3D simulations (e.g., Vartanyan et al. 2018; Burrows et al. 2019b; Burrows & Vartanyan 2021), and such a broad suite of 2D simulations as presented here sets the groundwork for more selective 3D simulations in the future.

We solve for radiation transfer using the M1 moment closure scheme for the second and third moments of the radiation fields (Vaytet et al. 2011) and follow three species of neutrinos: electron-type (ν_e), anti-electron-type ($\bar{\nu}_e$), and “ ν_μ ”-type (ν_μ , $\bar{\nu}_\mu$, ν_τ , and $\bar{\nu}_\tau$ neutrino species collectively). We use 12 energy groups spaced logarithmically between 1 and 300 MeV for the electron neutrinos and to 100 MeV for the anti-electron and “ ν_μ ” neutrinos. The M1 solver avoids simplification to the neutrino transport, such as the fast-multigroup transport scheme with the ray-by-ray approximation, which introduces numerical artifacts into explosion outcome.

3. Results

We present a study of 11 pairs of progenitors, for a total of 22 models, corresponding to progenitors, spanning 11–21 $M_\odot$ ZAMS mass and following single and binary-stripped post-main-sequence evolution. We find that all but 4 of the 22 models explode, where we identify explosion as the shock reaching runaway expansion and failed explosion as the shock stalling. Models explode between within 100–800 ms post-bounce. The 13 and 14 $M_\odot$ single-star models fail to explode, as do the 17 and 21 $M_\odot$ binary-stripped progenitors.

We compare here a typical single star with a binary-stripped star with the same ZAMS mass and identify the explosion trends. We then highlight the exceptions below. We plot in Figure 1 the evolution of the 14 $M_\odot$ progenitor pair as a case study of the differences between binary-stripped and single-star evolution. The shock radii and density profiles of all progenitors studied are summarized in the Appendix in Figures 3 and 4, respectively. In the top left panel of Figure 1, we illustrate the chemical composition of the interior 2.5 $M_\odot$, for the binary-stripped/single star pair of the same initial mass. We identify a composition interface—which often corresponds to the location of the silicon/oxygen (Si/O) transition—illustrated by a sharp drop in the density, as one metric of explodability (see also Vartanyan et al. 2018).⁹ The Si/O interface is more pronounced for the binary-stripped progenitor, where the density drops by a factor of ~ 2.5 over an annulus of $\sim 0.005 M_\odot$, than the single-star progenitor, which shows a density drop of only ~ 1.6 at the interface. Additionally, the interface is located deeper in, at $\sim 1.3 M_\odot$, for the binary-stripped star than for the single star at $\sim 1.8 M_\odot$.

We illustrate the shock radii and highlight the time of Si/O interface accretion and corresponding accretion rate in the top right panel of Figure 1. The binary-stripped star has a sharper Si/O interface located deeper within the stellar progenitor than the single-star model (by $\sim 0.5 M_\odot$ for this progenitor mass), and hence the interface is accreted earlier by the expanding shockwave. For the binary-stripped model, the shock intersects the Si/O interface within the first 100 ms. The accretion rate plummets, the ram pressure exterior to the shock drops, and the

shock is revived. For the single-star analog, the Si/O interface is less sharp and located farther out. It is accreted at ~ 500 ms post-bounce, 400 ms after the the binary-stripped model. The drop in accretion rate, and hence ram pressure, is noticeably smaller. The single-star 14 $M_\odot$ progenitor does show a small bump in the shock radii at the time of Si/O accretion and short-timescale variations as turbulence develops, but the accretion of the Si/O interface is insufficient to revive the stalled shock. Note that in both models, the shock radii are very similar until ~ 70 ms post-bounce. Stellar collapse and shock revival proceeds quasi-spherically until this point, when turbulence develops around the shock front (Couch & Ott 2013). The evolution paths diverge in part due to the different compositional interfaces. We find that the binary-stripped models studied here typically have a sharper interface located deeper in the stellar interior and a smaller compactness parameter than their single-star counterparts and, as a result, are more explodable (see Table 1; see also Woosley 2019; Ertl et al. 2020; Schneider et al. 2021).

In the bottom panels of Figure 1, we plot entropy profiles for the chosen 14 $M_\odot$ pair. The single-star shock stalls interior to 100 km roughly 1 s after bounce, whereas it has reached almost 10,000 km for the exploding binary-stripped star. We see typical entropies as high as 30 k_B per nucleon, with the explosion occupying a volume-filling fraction of $\sim 20\%$ at late times. Note the large dipolar asymmetry seen in the exploding model in the bottom right panel. Although we did see similar “wasp’s waist” morphologies of explosion in various 3D simulations (Burrows et al. 2019b; Vartanyan et al. 2019b), 3D simulations seem to be less asymmetric than 2D equivalents.

3.1. Compactness

We find that the compactness parameter provides a viable relative metric of explodability for a given binary/single-star pair of the same ZAMS mass. The compactness parameter characterizes the core structure and is defined as (O’Connor & Ott 2011)

$$\xi_M = \frac{M/M_\odot}{R(M)/1000 \text{ km}}, \quad (1)$$

where the subscript M denotes the mass where the compactness parameter is evaluated. For our purposes, we evaluate at the compactness parameter $\xi_{1.75}$ at $M = 1.75 M_\odot$, encompassing the Si/O interface for many of our models, though the trends between single-star and binary-stripped star $\xi_{1.75}$ remain largely unaffected for $M = 2\text{--}3 M_\odot$ (see also Laplace et al. 2021). However, for the models studied, shock revival is determined prior to accretion of the material exterior to two solar masses, so $\xi_{1.75}$ of the interior profile is more salient to our discussion. Generally, binary-stripped models tend to have a lower $\xi_{1.75}$ than their corresponding single-star progenitors, which correlates with an earlier explosion in our models for a given initial mass (see Woosley 2019; Ertl et al. 2020; Schneider et al. 2021; we note the exceptions below). Additionally, the early accretion of a sharp Si/O density interface promotes explodability (Vartanyan et al. 2018) and corresponds to a smaller $\xi_{1.75}$ (due to the prompt and sharp density drop). The difference in the compactness parameter between binary-stripped and single stars has been explored in detail (Woosley 2019; Chieffi & Limongi 2020; Ertl et al. 2020). The higher carbon mass

⁹ Categorically, this transition has been associated with a silicon/oxygen boundary (see also Timmes et al. 1996; Fryer 1999; Ott et al. 2018). However, we found that the density drop corresponding to a compositional interface, especially if fragmented, could also correspond to iron/silicon or oxygen/neon/magnesium boundaries. We refer to the Si/O interface, and more broadly, the silicon-group and oxygen-group compositional boundary, interchangeably. See Appendix and Figure 4 for more detail.

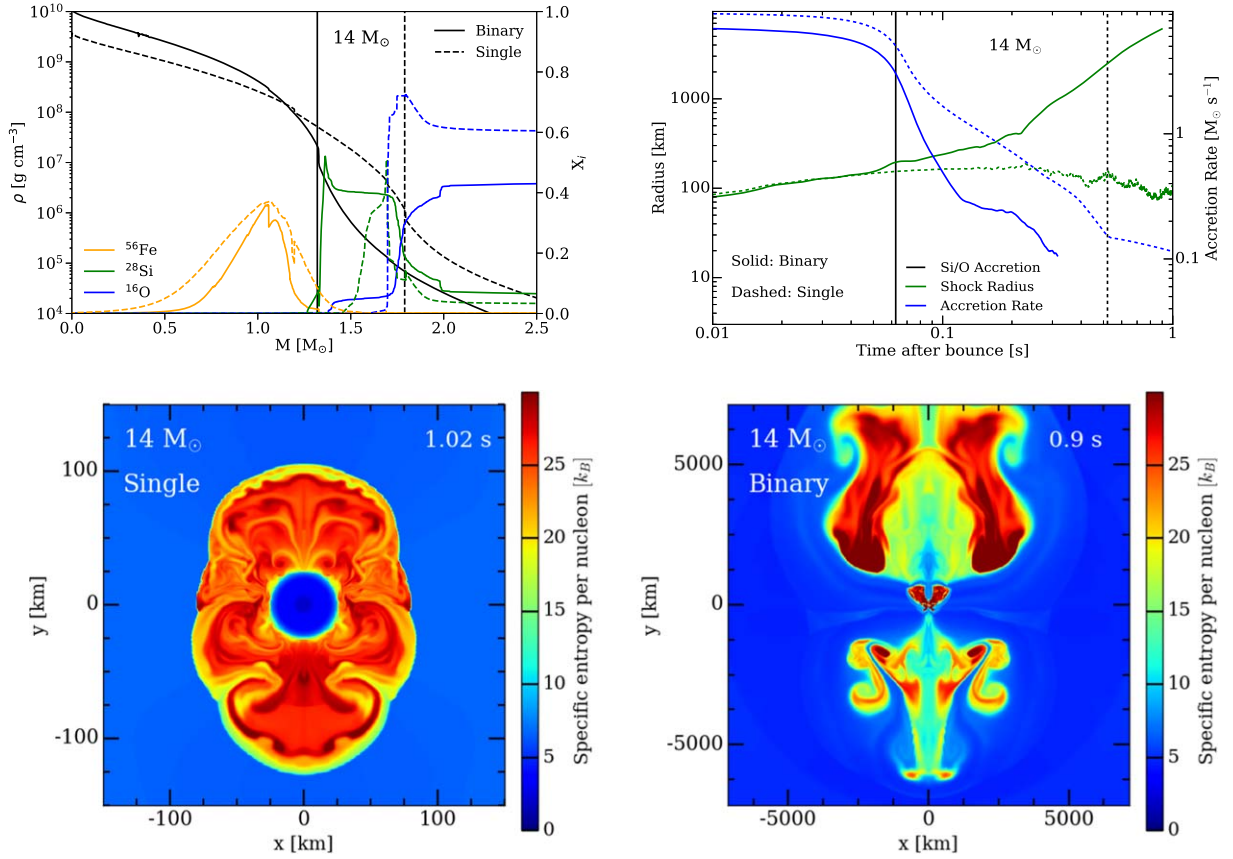


Figure 1. Top left: initial density profiles (black) and the mass fraction of Fe-56 (red), Si-28 (green), and O-16 (blue) distributions in the interior $2.5 M_\odot$ for the binary-stripped (solid) and single (dashed) $14 M_\odot$ model. The vertical solid and dashed lines indicate the compositional interface, respectively. Top right: mean shock radii (km, green) and the accretion rate at 200 km, just exterior to the shock ($M_\odot \text{ s}^{-1}$, right y-axis) for the $14 M_\odot$ progenitor, a typical binary/single pair as a function of time after bounce (s). The vertical lines illustrate when the Si/O interface is accreted onto the expanding shock. For both cases, the accretion of the Si/O interface corresponds to the onset of turbulence in the expanding shock front, illustrated by variations in the mean shock radii. The concurrent accretion rate plummets as a result of the drop in density and pressure outside the interface. The shock begins to expand rapidly for the binary-stripped model, resulting in an explosion. However, the Si/O interface for the single star is farther out and less pronounced, and proving insufficient to revive the already stalled shock. Nevertheless, even the single-star model shows a bump in the shock radii shortly after accretion of the Si/O interface. Bottom: we show the two-dimensional entropy profiles of the $14 M_\odot$ model for the nonexploding single star on the left and the exploding binary-stripped star on the right. Note the vastly different scales plotted.

Table 1
Explosion Properties

Model ($M_\odot$)	Explosion?		Compactness Parameter		Pre-SN Mass ($M_\odot$)		PNS Mass ($M_\odot$) ^a		He Mass ($M_\odot$)		CO Mass ($M_\odot$)	
	Binary	Single	Binary	Single	Binary	Single	Binary	Single	Binary	Single	Binary	Single
11.0	✓✓	✓	0.140	0.215	3.11	9.32	1.47	1.48	3.16	3.78	1.88	2.31
12.1	✓	✓✓	0.246	0.110	3.52	9.73	1.52	1.33	3.93	4.78	2.09	2.81
13.0	✓✓	×	0.213	0.364	3.87	9.97	1.50	1.83	4.29	5.26	2.46	3.19
14.0	✓✓	×	0.200	0.597	4.23	10.1	1.45	1.86	4.53	5.62	2.57	3.60
14.6	✓✓	✓	0.280	0.656	4.48	10.1	1.56	1.86	4.66	5.80	2.99	3.90
15.0	✓✓	✓	0.285	0.478	4.61	10.2	1.53	1.75	5.03	6.32	2.44	4.07
16.0	✓✓	✓	0.274	0.647	4.97	10.1	1.52	1.89	5.36	6.85	3.42	4.47
17.0	×	✓✓	0.552	0.740	5.31	9.88	1.85	1.99	5.66	7.30	3.73	4.97
18.0	✓	✓✓	0.569	0.756	5.61	10.10	1.79	2.01	6.01	7.41	2.49	5.42
20.0	✓✓	✓	0.678	0.723	6.28	11.7	1.92	2.16	6.34	7.57	4.60	5.67
21.0	×	✓✓	0.730	0.363	6.62	10.4	2.16	1.61	6.67	8.19	4.07	6.20

Notes. Table of our 2D simulation results: models with a checkmark explode, and models with an $\times$ do not explode. Models with two checkmarks explode first compared to their single/binary counterpart, if the latter explodes at all. We also show the compactness parameter (at $1.75 M_\odot$), the final PNS mass for the binary-stripped and single-star pair, and the pre-SN mass as well as the He and CO core masses (all in $M_\odot$) at the onset of core collapse.

^a Note that these PNS masses are lower limits—many of the models continue to accrete (and explode) at the end of our simulations.

fraction in binary-stripped stars shifts the transition from convective to radiative central carbon burning to higher masses (Sukhbold & Woosley 2014), above a final He core mass of

$\sim 7.2 M_\odot$ (Woosley 2019). None of our final He core masses exceed this (Table 1; Laplace et al. 2021), but we do see an increase in compactness for the two most massive binary-

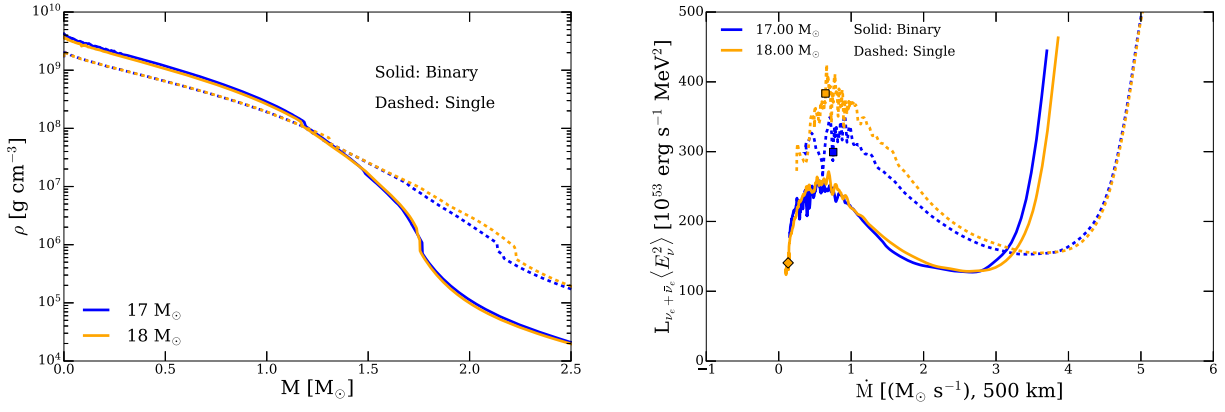


Figure 2. Left: we illustrate the density profiles of the 17 and 18 $M_{\odot}$ progenitors for both the binary-stripped (solid) and single (dashed) stars, which behave as an exception to the general trend with a lower compactness parameter preferentially promoting explosion for a given initial mass. Note that the single stars, with a higher $\xi_{1.75}$, are more explodable, and also how similar the binary-stripped density profiles are for these two models. Right: we show the luminosity-accretion tracks for the 17 $M_{\odot}$ (orange) and 18 $M_{\odot}$ (red) progenitors. We illustrate the neutrino luminosity weighted by the rms neutrino energy (at 500 km and in 10^{53} erg s $^{-1}$, summing over electron neutrinos and antineutrinos) as a function of accretion rate (at 500 km, in $M_{\odot}$ s $^{-1}$). The solid lines indicate the binary-stripped progenitors and the dashed the single-star progenitors. The stars evolve leftward along the illustrated tracks. The colored squares show when the single-star models explode, and the colored diamond when the stripped 18 $M_{\odot}$ model explodes. The stripped 17 $M_{\odot}$ progenitor does not explode. We see that the single stars have a higher rms-energy weighted neutrino luminosity for a given accretion rate than their stripped counterparts. The stripped 18 $M_{\odot}$ progenitor has a slightly higher neutrino luminosity than the stripped 17 $M_{\odot}$ prior to explosion, and the former explodes but not the latter, despite having nearly identical profiles. Near the onset of explosion, the dynamics become turbulent, as evidenced by the variations in the plotted quantities.

stripped stars (Table 1), above $\sim 6.3 M_{\odot}$. Furthermore, we measure the compactness at $1.75 M_{\odot}$, which lies interior to the CO core for all models. Thus, we do not find a straightforward association with the CO core mass and carbon mass fraction with compactness for the majority of our binary-stripped models. Rather, we simply associate the smaller compactness parameter with greater mass loss in the binary-stripped stars and with the presence of a deeper Si/O interface, which results in a deeper density drop.

For all progenitor pairs except the 17 and 18 $M_{\odot}$ models, progenitors with a smaller $\xi_{1.75}$ are more explodable, even where the Si/O interface may be less pronounced. Note that earlier studies have found no correlation between compactness and explodability across progenitor mass (e.g., Summa et al. 2016; Radice et al. 2017; Vartanyan et al. 2018; Burrows et al. 2019a, 2019b; but see Ott et al. 2018), or a scattered correlation with higher compactness but disfavoring very high compactness (Sukhbold & Woosley 2014; Nakamura et al. 2015; Ott et al. 2018; Sukhbold et al. 2018). The compactness parameter does correlate with certain properties of the explosion, with a higher compactness parameter yielding higher neutrino energies and luminosities and a higher accretion rate, as well as a higher binding energy of the stellar envelope, and perhaps can serve to distinguish remnant neutron stars from black holes. However, the interplay between accretion, luminosity, and explosion outcome is nuanced (see our discussion of the critical condition below) and hence a monotonic relation between compactness and explosion outcome is not expected (O’Connor & Ott 2013). Our conclusion is not at odds with this—we emphasize that the correlation of the relative compactness with explodability here only holds for models with the same ZAMS mass, but different (single versus binary-stripped) post-main-sequence evolution. We find no “absolute compactness parameter” that delineates explosion from nonexplosion, and a model with a smaller compactness parameter may fail to explode, while a different ZAMS mass model with a higher compactness parameter may explode. The results are summarized in Table 1, where we show the compactness, explosion

outcome, the final proto-neutron star (PNS) mass, and the final helium core mass for all 11 pairs of models presented here.

3.2. Exceptions

Contrary to the general trend of donor stars in binaries being more easily exploded than single stars of the same initial mass, we find that the 12.1 and 21 $M_{\odot}$, as well as the 17 and 18 $M_{\odot}$ single-star progenitors are more explodable. The former pair can be explained by merger of the Si/O shells, resulting in a steeper Si/O interface, a smaller $\xi_{1.75}$, and hence a progenitor more conducive to explosion. The 12.1 and 21 $M_{\odot}$ single-star progenitors do indeed have a smaller compactness parameter, and are more explodable, than the corresponding binary-stripped models. We find that the shell mergers happen stochastically and are not a hallmark difference of the single versus binary evolution (see Laplace et al. 2021).

For the 17 and 18 $M_{\odot}$ progenitors, we find a contrasting behavior. The single-star progenitors have a higher compactness parameter than their stripped counterparts, with Si/O interfaces farther out. Surprisingly, these models with a higher $\xi_{1.75}$ are more explodable than their stripped counterparts. We explore why the explosion trend is reversed for these models with a discussion of the critical condition for explosion below.

3.3. Luminosity-accretion Tracks and Criticality

We explore the proximity to a critical condition for explosion. The critical curve (Burrows & Goshy 1993; Summa et al. 2016) quantifies the competing but coupled effects of accretion and neutrino luminosity in driving explosion. Accretion provides a ram pressure exterior to the shock that the shock must overcome to produce an explosion, while simultaneously providing an accretion-powered luminosity that contributes to neutrino heating of the stalled shock. In Figure 2, we illustrate luminosity-accretion rate tracks for the enigmatic 17 and 18 $M_{\odot}$ models. The two single-star progenitors have a higher luminosity for a given accretion rate than the binary-stripped counterparts. The single-star progenitors for these two models have a shallower density profile that provides a higher

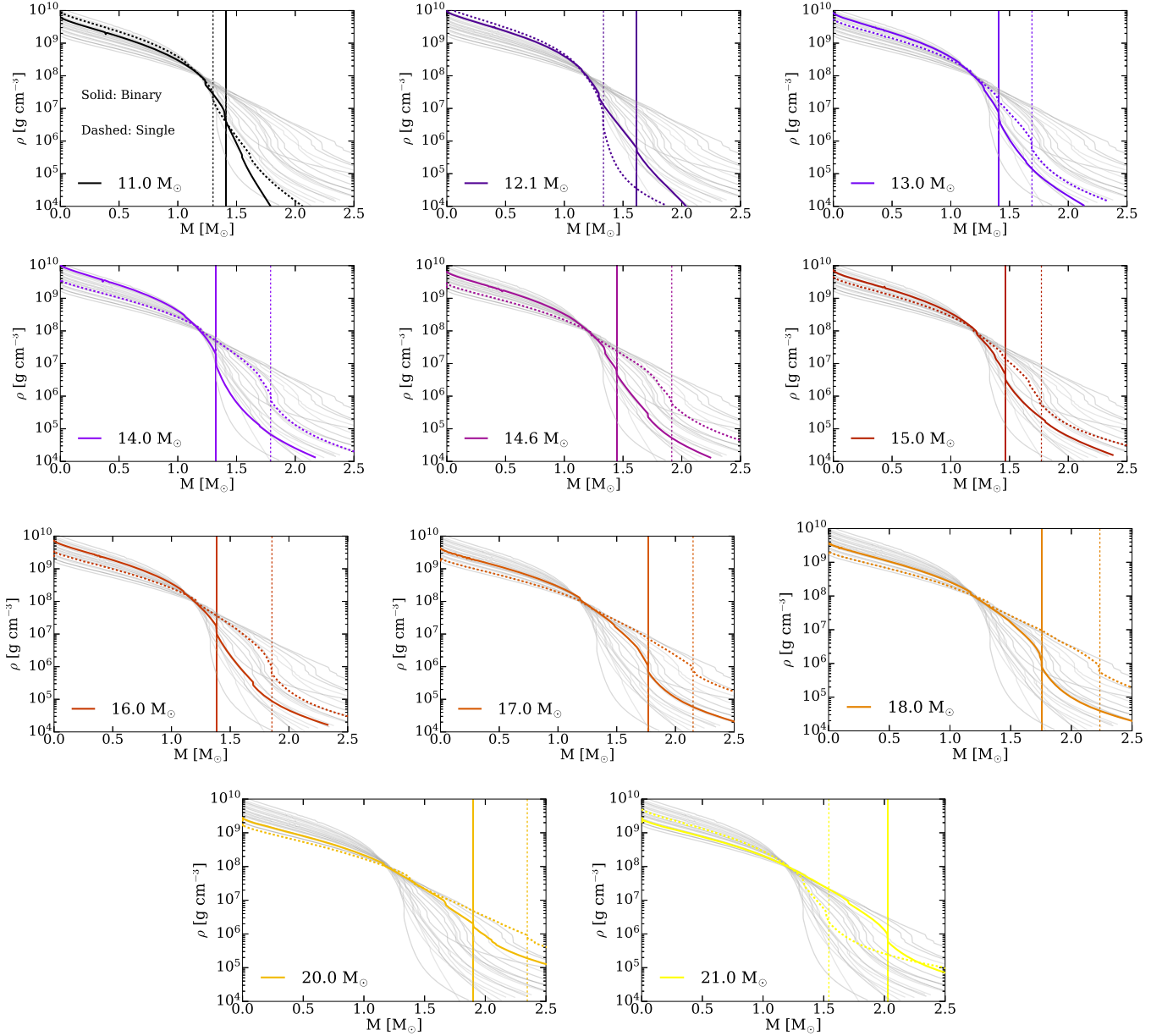


Figure 4. Density profiles for each of the 11 pairs of progenitors studied here. Dashed lines indicate single-star progenitors and solid lines indicate binary-stripped. We overplot as vertical lines where the relevant density drops, indicative of a sharp Si/O interface, occur. Note that several models have multiple sharp interfaces—however, the interior Fe/Si interface is often irrelevant to explosion because it is accreted onto the PNS during core collapse and lies interior to the post-bounce shock. In other cases where the relevant interface may be fragmented, we highlight the interface whose accretion occurs on timescales relevant to shock revival. Note the presence and strength of an interface is further complicated by limitations of mixing-length theory, particularly when nuclear burning occurs on similar timescales to convective turnover.

3.4. Explosion Diagnostics

Explosability, and explosion timing, provides a diagnostic of the explosion properties, including remnant masses, nucleosynthetic yields, and energetics. For instance, early work (Burrows & Vartanyan 2021) suggests that perhaps stars that explode later may do so more energetically. In this study, this is further buttressed by the fact that the less-explodable single stars also have a heavier mantle to sustain higher accretion energies.

Here, we find a distribution of baryonic PNS masses spanning $1.3\text{--}2.2 M_{\odot}$ (see Table 1) at the end of our simulations, higher than the values found in Ertl et al. (2020) for similar helium core masses. Just after core bounce, the PNS

masses are close to the Chandrasekhar mass of $1.3 M_{\odot}$, and the divergence of behavior afterward is a function of the accretion density profile. The heavier progenitors accrete almost as much as 1 solar mass within the first second of core bounce. In many of our models, the PNS masses are still growing. Categorically, the binary-stripped stars, with a smaller compactness parameter, yield PNS masses a few tenths of a solar mass smaller than their single-star pairs of the same initial mass. The exceptions, as expected, are the 12.1 and $21 M_{\odot}$ progenitors, for which the single-star progenitors have a smaller compactness parameter and yield a smaller PNS mass. Surprisingly, both the 17 and $18 M_{\odot}$ binary-stripped progenitors produce less massive PNS, despite being less explodable than their single-

star counterparts, suggesting that progenitor density profile and compactness may be additionally critical to determining PNS mass than simply the explosion time alone.

The 18 and 20 $M_{\odot}$ stripped-star progenitors both yield PNS masses over 2 $M_{\odot}$, and both successfully explode as well, providing simulation insight into the upper mass limits of neutron stars. After explosion within the first second, multiple solar masses of material remain in the stellar envelope to be ultimately accreted and, in smaller part, blown out as a wind. The possible existence of a mass gap (Bailyn et al. 1998; Özel et al. 2010; Farr et al. 2011) between the most massive neutron stars (e.g., Cromartie et al. 2020) and the least massive black holes (e.g., Abbott et al. 2020) lying between ~ 2.5 and 5 $M_{\odot}$ could be populated by fallback accretion onto the PNS remnants of stripped stars in binaries (Fryer et al. 2012; Ertl et al. 2020; Woosley et al. 2020; Schneider et al. 2021). Late-time simulations of CCSNe that encompass mass fallback are lacking, as is our understanding of the details of fallback accretion. However, we can approximate fallback by assuming the morphology of the shock (e.g., bottom right panel of Figure 1) is sustained, and we can estimate a volume-filling fraction of the expanding shock. At 5000 km, this is $\sim 20\%$, suggesting that more than half of the envelope will accrete at later times. Indeed, we only require sustained accretion of less than half the helium core mass of binary-stripped stars (see Table 1), or around 1–2 solar masses, to populate this mass gap. We emphasize again that this is just a cursory estimate, and detailed, long-term 3D simulations are necessary.

The successfully exploding models present a typical diagnostic explosion energy of ~ 0.2 Bethe (1 Bethe $\equiv 10^{51}$ erg) within the first second. The more massive single 17 and 18 $M_{\odot}$ progenitors have energies upward of 0.4 Bethe, and both the single and binary-stripped 20 $M_{\odot}$ progenitors have diagnostic energies of more than 0.5 Bethe. However, correcting for the gravitational binding energy of the material exterior to our grid, we find that all of our models are still gravitationally bound, albeit tenuously. This is to be expected for a short simulation, spanning less than 1 s post-bounce. Furthermore, many of the models show significant early energy growth rates (consistent with Burrows et al. 2019b; Burrows & Vartanyan 2021), suggesting that longer simulations are necessary to see the final explosion energies for many of these models, as well as the remnant PNS masses, nucleosynthetic yields, and possible remnant kick velocities.

Additionally, although some single-star models (such as the 18 and 20 $M_{\odot}$ models) have higher diagnostic explosion energies, all binary-stripped models have more weakly bound and less massive envelopes. Thus, correcting for the gravitational overburden of the envelope, all of our exploding binary-stripped models have higher net explosion energies than the corresponding single stars, at least within the first second of simulation. However, our preliminary results seem to suggest that single stars have faster energy growth rates than their binary-stripped pairs, which we attribute to a larger accreting mass. This is at odds with Schneider et al. (2021), who find a higher accreting mass and higher energies in their binary-stripped models using a parametric supernova code. Resolution of this necessitates longer simulations in self-consistent 3D. In addition, we find that single stars tend to have higher gravitational-wave energies, potentially due to more massive envelopes ultimately yielding greater turbulent energy

impinging on the PNS (Radice et al. 2019; Vartanyan et al. 2019a; Vartanyan & Burrows 2020).

Though the helium core mass correlates with the core compactness, compactness itself does not provide a global metric for explosion outcome. Rather, we find that core compactness serves as a relative metric for explodability for progenitors of the same ZAMS mass but different evolutionary channels. Insofar as the helium core mass correlates with the compactness, which we find is a useful relative metric for explodability of binary-stripped and single-star pairs, we find a weak and scattered correlation with more massive helium cores exploding later and with higher PNS masses. However, the helium core extends too far in mass to significantly affect the early nature of shock revival, whereas the interior density profile is critical to a successful explosion.

4. Conclusions

In this study, we presented a comparison of binary-stripped stars with single-star counterparts of the same initial mass. Compared to current literature, our work provides an improvement along two avenues—we follow a self-consistent evolution of both the pre-collapse progenitors, including binary interactions as our initial condition and the subsequent explosion outcome. We illustrate that binary-stripped progenitors typically have a smaller compactness parameter and tend to be more explodable (see also Woosley 2019; Ertl et al. 2020; Schneider et al. 2021) than single stars with the same initial mass. The latter remains to be confirmed—our detailed simulations post-bounce and stellar evolution pre-bounce are hostage to uncertainties in the understanding of stellar theory, including the development of convection (Renzini 1987; Renzo et al. 2020), nuclear burning reactions (Farmer et al. 2016), winds (Renzo et al. 2017), overshooting (Davis et al. 2019), and details of the role of neutrino microphysics. However, these initial results are promising to resolve possible discrepancy between the stellar mass function and the rate of supernovae, as well as populate the possible neutron star–black hole mass gap. The higher explodability of binary-stripped stars may also help explain the large fraction of stripped-envelope supernovae. We expect the nucleosynthesis of single and binary-stripped stars to be different (R. Farmer et al. 2021, in preparation) due to the systematic differences in composition at the onset of core collapse (Laplace et al. 2021). If binary-stripped stars are more explodable, then these differences in nucleosynthesis are even more important.

Stars of similar initial masses can have very different density profiles (e.g., Sukhbold & Woosley 2014; Sukhbold et al. 2018) and hence different explosion outcomes. Here, we have seen stars of different masses, e.g., the 17 and 18 $M_{\odot}$ models, with very similar density profiles but qualitatively different explosion outcomes (explosion versus no explosion). We find only a weak, scattered dependence on explosion outcome with the helium core mass.

Earlier work on binary progenitors of CCSNe have either evolved only until the formation of a carbon–oxygen core, or evolved an isolated carbon–oxygen core until collapse (Patton & Sukhbold 2020). Additionally, these studies have either artificially inducing explosion through parameterized heating (Woosley 2019; Ertl et al. 2020; Schneider et al. 2021), or have used prescriptive formulae to predict explosion outcome, introducing uncertainty in both the progenitor profile and its final fate. Here we present a self-consistent study of explosion

outcome of stripped models with their single-star counterparts. We find that the progenitor density profile is critical to explosion outcome. The sensitivity of the explosion to details necessitates a thorough study of the physical uncertainties in the progenitor models—the initial conditions for core-collapse simulations—before we can confidently claim resolution of the core-collapse problem. Recent results would indicate we have reached a tipping point where uncertainties in the stellar evolution models dwarf uncertainties in the neutrino-heated explosion of core-collapse supernovae.

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Appendix

In the main text, we highlighted the $14 M_{\odot}$ progenitor as a case study of binary-stripped versus single-star profile and explosion outcome, and discussed the various exceptions. Here, we illustrate the progenitor profile and explosion outcome of all models. In Figure 3, we plot the shock radii as a function of time for all the models studied here. Only four models show no explosion, with all the other models evincing explosion within the first second post-bounce. Shock revival often corresponds to the presence of a sharp compositional interface located sufficiently deep within the star.

In Figure 4, we plot the density profiles for each of 11 pairs of single and binary-stripped models studied here. We highlight the location of the Si/O or equivalent density interface for each model as a vertical line. To identify the location of the relevant compositional interface, we look for a sharp density drop of a factor of several around $1.5\text{--}2 M_{\odot}$, at a density of a few million g cm^{-3} . We then correlate these with the composition (e.g., top left panel of Figure 1) to isolate which compositional boundary the interface corresponds to. When there are several “fragmented” interfaces in close proximity, we then check that the accretion of the chosen interface coincides with shock revival, or in the case of a failed explosion, a bump in the shock radii. We find that models with sharper interfaces, which may result from the merger of multiple shells, are preferentially explodable.

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