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An Arecibo Search for Fast Radio Transients from M87

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ABSTRACT

The possible origin of millisecond bursts from the giant elliptical galaxy M87 has been scrutinized since the earliest searches for extragalactic fast radio transients undertaken in the late 1970s. Motivated by rapid technological advancements in recent years, we conducted $\simeq 10$ hours of L-band (1.15–1.75 GHz) observations of the core of M87 with the Arecibo radio telescope in 2019. Adopting a matched filtering approach, we searched our data for single pulses using trial dispersion measures up to 5500 pc cm⁻³ and burst durations between 0.3–123 ms. We find no evidence of astrophysical bursts in our data above a 7σ detection threshold. Our observations thus constrain the burst rate from M87 to ≤ 0.1 bursts hr⁻¹ above 1.4 Jy ms, the most stringent upper limit obtained to date. Our non-detection of radio bursts is consistent with expectations of giant pulse emission from a Crab-like young neutron star population in M87. However, the dense, strongly magnetized interstellar medium surrounding the central $\sim 10^9 M_{\odot}$ supermassive black hole of M87 may potentially harbor magnetars that can emit detectable radio bursts during their flaring states.

Keywords: Magnetars – Neutron stars – Radio pulsars – Radio transient sources.

1. INTRODUCTION

The time-domain radio sky continues to reveal an abundance of astrophysical phenomena, accelerated by advances in instrumentation and computing capacity. Energetic fast radio transients (durations ≤ 1 s) such as fast radio bursts (FRBs: Lorimer et al. 2007; Thornton et al. 2013; Cordes & Chatterjee 2019;

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Petroff et al. 2019; Chatterjee 2021), pulsar giant pulses (GPs: Johnston & Romani 2004) and bright magnetar bursts (Bochenek et al. 2020; CHIME/FRB Collaboration et al. 2020) offer the promise of discovery at extragalactic distances (Mpc–Gpc).

FRBs are millisecond-duration narrowband pulses of coherent radio emission originating outside our Galaxy. To date, over 600 FRB

sources¹ have been discovered, of which at least 24 have been seen to repeat. Precise arcsecond localization (Chatterjee et al. 2017; Bannister et al. 2019; Prochaska et al. 2019; Ravi et al. 2019; Heintz et al. 2020; Law et al. 2020; Macquart et al. 2020; Marcote et al. 2020; Kirsten et al. 2021; Ravi et al. 2021; Fong et al. 2021) of 15 FRBs^2 to their respective host galaxies has revealed that FRB sources can reside in diverse host environments. Furthermore, the discovery of a luminous radio burst from the Galactic magnetar SGR 1935+2149 (Bochenek et al. 2020; CHIME/FRB Collaboration et al. 2020) suggests a plausible magnetar engine for FRB emission. Characterized by a 1.4 GHz fluence of 1.5 MJy ms at the 9 kpc distance (Zhong et al. 2020) of SGR 1935+2149, such a burst would be easily detectable with $\simeq 120$ Jy ms fluence at the \sim Mpc distances to the nearest galaxies. FRB discoveries from the local Universe are hence necessary to bridge the luminosity scale between Galactic magnetars and FRBs. Detections of such bursts will further enable sensitive multi-wavelength follow-up to constrain models of FRB progenitors³ (Platts et al. 2019).

While FRBs are of extragalactic origin, pulsar GPs constitute the most luminous Galactic radio transients at sub-millisecond timescales. First noted in the Crab pulsar PSR J0534+2200 (Staelin & Reifenstein 1968) and studied extensively (Lundgren et al. 1995; Cordes et al. 2004; Karuppusamy et al. 2010, 2012; Mickaliger et al. 2012), GPs are typically identified as short duration (\leq ms), narrow-phase emission comprised of nanosecond-duration shot pulses (Hankins et al. 2003). GPs frequently exhibit powerlaw amplitude statistics (Bhat et al. 2008), un-

³ https://frbtheorycat.org

like general pulsar single pulses (Burke-Spolaor et al. 2012) that often display lognormal energy distributions. Cordes & Wasserman (2016) evaluated the detectability of radio bursts from an extragalactic population of neutron stars that emitted nanosecond shot pulses analogous to the Crab pulsar. They demonstrate that for a fluence of ~ 1 Jy ms, bursts arising from an incoherent superposition of shot pulses can be detected out to distances $\leq \text{few} \times 100 \text{ Mpc}$. The detection distance gets pushed out farther for conditions more extreme than the Crab pulsar. such as in young magnetars. Studying the GP emitter PSR J0540-6919 (B0540-69), Gever et al. (2021) observed band-limited flux knots analogous to that seen in FRBs. However, unlike some repeating FRBs (Hessels et al. 2019; Fonseca et al. 2020), these GPs reveal no distinct sub-pulses that drift downwards in radio frequency with increasing arrival time.

Hosting a M $\simeq 6.5 \times 10^9$ M_{\odot} supermassive black hole (SMBH; Event Horizon Telescope Collaboration et al. 2019), the giant elliptical galaxy M87 within the Virgo cluster has been a popular target in past surveys for pulsed radio emission (Linscott & Erkes 1980; Hankins et al. 1981; McCulloch et al. 1981; Taylor et al. 1981). Akin to the Galactic Center (Dexter & O'Leary 2014), rapid star formation near the SMBH of M87 likely yields a significant magnetar population. Michilli et al. (2018)argue that a young neutron star embedded in a strongly magnetized plasma such as that near a black hole or a supernova remnant may explain FRB 121102 (the first discovered repeating FRB: Spitler et al. 2014; Scholz et al. 2016; Chatterjee et al. 2017) and its large, dynamic rotation measure ($|\text{RM}| \sim 10^5 \text{ rad m}^{-2}$). While the RM of FRB 121102 is unusually large among FRBs with measured RMs (typical $|\text{RM}| \simeq 10-500 \text{ rad } \text{m}^{-2}$, Petroff et al. 2019), it is comparable to that observed for

 $^{^1}$ FRB Newsletter Vol2 Issue 6: https://doi.org/10.7298/b029-fb71

 $^{^{2}}$ https://frbhosts.org

the Galactic Center magnetar PSR J1745–2900 ($|\text{RM}| \simeq 6.6 \times 10^4 \text{ rad m}^{-2}$, Eatough et al. 2013). The dense, magneto-ionic interstellar medium (ISM) at the core of M87 represents a possible host for FRB 121102 and PSR J1745–2900 analogs.

Intending to detect dispersed single pulses, we targeted the core of M87 with the William E. Gordon Arecibo radio telescope. Similar targeted searches for extragalactic radio bursts have previously been attempted in the direction of several galaxies (McLaughlin & Cordes 2003; Bhat et al. 2011; Rubio-Herrera et al. 2013; van Leeuwen et al. 2020), including the nearby galaxies M31 and M33.

Section 2 describes our observing setup. We detail our data analysis methods and results in Section 3. In Section 4, we evaluate the significance of our results in the context of potential neutron star populations in M87. Finally, we conclude and summarize our study in Section 5.

2. OBSERVATIONS

Radio pulsars are steep-spectrum sources $(S_{\nu} \propto \nu^{-1.4\pm1.0}, \text{ Bates et al. 2013}), \text{ emitting}$ greater pulse-averaged flux density (S_{ν}) at lower radio frequencies (ν) . As radio pulses traverse the astrophysical plasma along our lines of sight to their sources, they get dispersed (pulse arrival times $\propto \nu^{-2}$ for cold plasma dispersion) and scattered (pulse broadening time scale, $\tau_{\rm sc} \propto \nu^{-4}$ or $\nu^{-4.4}$ for Kolmogorov scattering). Optimal pulsar detection requires a suitable trade-off between the weakening pulsar emission at high radio frequencies ($\gtrsim 10 \text{ GHz}$), and the growing, deleterious propagation effects at low radio frequencies ($\lesssim 700$ MHz). Largescale pulsar surveys (Manchester et al. 2001; Cordes et al. 2006; Keith et al. 2010; Barr et al. 2013; Keane et al. 2018) have hence, often been performed at 1–2 GHz, i.e., "L-band." In contrast, FRB spectra are band-limited, and show

Figure 1. Our L-band Arecibo beam (white circle) of HPBW $\simeq 3'.3$ overlaid on a Digitized Sky Survey-2-red image centered on M87. The coordinates of our pointing center are $\alpha(J2000) = 12^{h}30^{m}49^{s}.40$ and $\delta(J2000) = +12^{\circ}23'28''.03$.

no preference for a specific observing frequency. Allowing for both FRB- and pulsar-like burst spectra, L-band observations are well placed to enable extragalactic single pulse discovery from the local Universe.

Hunting for outbursts from the SMBH of M87, Linscott & Erkes (1980) detected highly dispersed (dispersion measure, DM $\simeq 1000-5500 \text{ pc cm}^{-3}$) millisecond-duration pulses at radio frequencies of 430, 606, and 1230 MHz. However, no repeat bursts were seen in subsequent follow-up efforts (Hankins et al. 1981; McCulloch et al. 1981; Taylor et al. 1981) between 400–1400 MHz. Attempting to survey the core of M87 with increased sensitivity, we executed 18 hours of L-band search-mode observations with the Arecibo radio telescope. Figure 1 shows our Arecibo L-band beam of HPBW $\simeq 3'.3$, overlaid on an optical map of



Table 1. Log of M87 observations performed with the Arecibo radio telescope. Including overheads, each session lasted 3 hours, with varying on-source times per session. We observed a bright test pulsar for 3 minutes at the start of each session to verify proper operation of telescope electronics.

Session	Start MJD	Test pulsar	Net on-source time	Usable frequency band	$\mathcal{F}_{\min}{}^a$
(number)	(topocentric)		(hours)	(GHz)	(Jy ms)
1	58505.32	J1136+1551	0.60 b	1.15 - 1.50	1.8
2	58506.32	J1136 + 1551	2.50	1.15 - 1.75	1.4
3	58507.31	J1136 + 1551	0.63 b	1.15 - 1.75	1.4
4	58508.31	J1239 + 2453	2.05 b	1.15 - 1.75	1.4
5	58546.21	J1136 + 1551	2.40	1.15 - 1.75	1.4
6	58547.20	J1136 + 1551	2.50	1.15 - 1.75	1.4

 a Minimum detectable fluence computed in accordance with Equation 1 for a flat-spectrum, bandfilling, boxcar-shaped pulse of width 1 ms.

^bProlonged data dropouts occurred during Sessions 1, 3 and 4, restricting us from reaching our target exposure time of $\simeq 2.5$ hours per session.

M87.

Table 1 summarizes our observing program, comprised of 6 sessions lasting 3 hours (overheads included) each. We began each session with a 3-minute scan of a bright test pulsar to verify proper data acquisition system function-To mitigate data loss from intermittent ing. backend malfunctions, we distributed our net on-source time per session across multiple scans of different lengths. All sessions used the singlepixel L-wide receiver with the Puerto Rico Ultimate Pulsar Processing Instrument (PUPPI) backend. The final data products generated by our observations contained 1536 usable spectral channels, each with 390.625 kHz resolution. The sampling time of our data was 64 μ s.

As indicated in Table 1, persistent data dropouts occurred during sessions 1, 3 and 4, preventing us from achieving our desired exposure time of $\simeq 2.5$ hours per session. We discarded these dropout-affected data segments from our subsequent single pulse searches.

We estimate the sensitivity threshold of our observations by considering a flat-spectrum, band-filling, boxcar-shaped pulse of width W. The L-band system temperature at the time of our observations was $T_{\rm sys} \simeq 27$ K. For telescope gain, G = 10 K Jy⁻¹, the corresponding systemequivalent flux density is $S_{\rm sys} = 2.7$ Jy. The galaxy M87 contributes continuum flux density, $S_{\rm M87} \simeq 212.3$ Jy (Perley & Butler 2017) at 1.4 GHz. The radiometer equation then implies a minimum detectable fluence,

$$\mathcal{F}_{\min} = (S/N_{\min}) \left(S_{sys} + S_{M87}\right) \left(\frac{W}{2B}\right)^{1/2}$$
$$\simeq 1.4 \text{ Jy ms} \left(\frac{(S/N)_{\min}}{7}\right) \left(\frac{S_{sys} + S_{M87}}{215 \text{ Jy}}\right) \dots$$
$$\left(\frac{W}{1 \text{ ms}}\right)^{1/2} \left(\frac{B}{600 \text{ MHz}}\right)^{-1/2}. \tag{1}$$

Here, B and $(S/N)_{min}$ denote, respectively, the observing bandwidth, and the minimum signalto-noise ratio required to claim a detection. Table 1 lists \mathcal{F}_{min} thresholds for different observing sessions assuming a W = 1 ms burst detected with $(S/N)_{min} = 7$. Our observations reach down to $\mathcal{F}_{min} \simeq 1.4$ Jy ms, about 6 times deeper than previous targeted searches (Hankins et al. 1981; McCulloch et al. 1981; Taylor et al. 1981) for radio pulses from M87. For comparison, the commensal ALFABURST experiment (Foster et al. 2018) at Arecibo with $B \approx 56$ MHz would have attained $\mathcal{F}_{\min} \simeq 4.6$ Jy ms, i.e., a factor of $\simeq 3$ above our sensitivity limit.

3. METHODS AND RESULTS

Conventional searches for dispersed pulses typically involve matched filtering of dedispersed time series with template filters of various widths. However, the ubiquitous presence of radio frequency interference (RFI) in dynamic spectra (radio frequency-time plane) often complicates such searches. We discuss our RFI excision procedure in Section 3.1. Following RFI masking, we illustrate data integrity through our test pulsar detections in Section 3.2. Since the true DM of a radio burst is unknown prior to discovery, dynamic spectra need to be dedispersed over a range of trial DMs. These dedispersed dynamic spectra, one per trial DM, are then summed over radio frequency to produce dedispersed time series for single pulse searching. Sections 3.3 and 3.4 describe our dedispersion plan and single pulse search methodology respectively.

3.1. RFI Excision

Informed by Arecibo-specific RFI mitigation performed by Lazarus et al. (2015), we used the rfifind module of the pulsar search software PRESTO (Ransom 2011) to operate on 1-second sub-integrations of data. For each 1-second block in every frequency channel, rfifind computes two time-domain statistics, namely the block mean and the block standard deviation. A Fourier-domain statistic, i.e., the maximum of the block power spectrum, is also calculated. Blocks with one or more statistics that deviate significantly from the means of their respective distributions are labeled as RFI. For the time-domain statistics, we adopted a flagging threshold of 5 standard deviations from the distribution mean. The corresponding threshold for the Fourier-domain statistic was 4 standard deviations from the mean.

To mask RFI, the ensuing set of flagged blocks were replaced by median bandpass values of that time range. Time integrations containing over 50% flagged channels were masked completely. Likewise, channels with at least 20% flagged blocks were entirely replaced by zeros. All flagging thresholds chosen in our study were conservative choices based on visual inspection of short data segments and parameter estimates from Lazarus et al. (2015).

To remove broadband baseline fluctuations, we applied a zero-DM filter to subtract the mean over channels from each time slice in the masked, non-dedispersed dynamic spectrum. Eatough et al. (2009) investigated the sensitivity loss from zero-DM filtering for boxcar single pulse detection in the Parkes Multi-beam Pulsar Survey ($\nu = 1.4$ GHz, $B \approx 288$ MHz, Manchester et al. 2001). While DM = 0 pc cm⁻³ signals get completely eliminated, boxcar pulses with widths, $W \leq 9$ ms, can be detected with $\geq 90\%$ sensitivity at DM $\simeq 100$ pc cm⁻³. The detection sensitivity to broader pulses increases further at higher DMs.

Implementing the above RFI excision process, the prominent signals masked out in our data include intermittent, narrow-band RFI between 1.26–1.28 and 1.72–1.73 GHz. In summary, up to 95–100% of our observing bandwidth was usable every session.

3.2. Test Pulsar Verification

As listed in Table 1, our observing program included 3-minute scans of the bright test pulsars J1136+1551 (B1133+16) and J1239+2453 (B1237+25). To detect the periodicity of these pulsars, we first dedispersed our pulsar dynamic



Figure 2. Single pulse detections of test pulsars J1136+1551 (left column) and J1239+2453 (right column) during observing sessions 2 and 4. The top panels depict non-dedispersed dynamic spectra, block-averaged to 512 μ s time resolution and 3 MHz spectral resolution. The bottom panels show dedispersed data products (dynamic spectra and time series) after convolution with their respective S/N-maximizing temporal boxcar filters. The bottom panels also quote the pulse DM and the S/N-maximizing temporal boxcar filter width (W_f) . The short orange dashes at the left edges of all dynamic spectra represent channels flagged by our RFI excision procedure. The red curves in the top panels illustrate ν^{-2} dispersion curves corresponding to the pulsars' DMs.

spectra to their respective known pulsar DMs. Using the **prepfold** routine of **PRESTO**, we then ran a blind folding search for periodic pulsations in these dedispersed data. In doing so, we recovered pulsar rotational periods and average pulse profiles that were consistent with previously published results ⁴ (Manchester et al.

2005).

In addition to periodicity confirmation, we searched our test pulsar data for single pulses. To do so, we dedispersed our pulsar data over trial DMs ranging from 0 pc cm⁻³ to 100 pc cm⁻³, with a DM grid spacing of 0.4 pc cm⁻³. We then block-averaged our dedispersed time series to 512 μ s resolution, and searched these time series for single pulses

 $^{^4}$ http://www.atnf.csiro.au/research/pulsar/psrcat

DM range	DM step size	No. of trial DMs	Downsampling factor	Range of boxcar widths
$(pc cm^{-3})$	$(pc \ cm^{-3})$			(ms)
0.0 - 693.6	0.2	3468	4	0.256 - 7.68
693.6 - 1183.2	0.3	1632	8	0.512 - 15.36
1183.2 - 2203.2	0.5	2040	16	1.024 - 30.72
2203.2 - 4243.2	1.0	2040	32	2.048 - 61.44
4243.2 - 5500.2	3.0	419	64	4.076 - 122.88

Table 2. Dedispersion and single pulse search plan. We used boxcar filters of widths 1, 2, 3, 4, 6, 9, 14, 20, and 30 bins to perform matched filtering for single pulses in dedispersed time series.

using a matched filtering approach. We accomplished our single pulse searches using the single_pulse_search.py module of PRESTO, which convolves an input time series with boxcar filters of various widths. We considered boxcar filter widths of 1, 2, 3, 4, 6, 9, 14, 20, and 30 bins in our burst search analysis.

Let $(S/N)_{mf}$ denote the S/N of a single pulse candidate in the convolution of its dedispersed time series with a boxcar matched filter. Setting $(S/N)_{mf} \ge 10$ as the detection criterion, we successfully detected dispersed pulses in all test pulsar scans. Figure 2 shows single pulse detections of pulsars J1136+1551 and J1239+2453 during observing sessions 2 and 4 respectively. The pulse from J1136+1551 is from only one of the two primary components seen in the average profile, while for J1239+2453, the pulse in the top panel shows emission in several of the five profile components. Matched filtering smears some of this structure in the bottom panel.

3.3. Dedispersion Plan

Looking to find possible repeats of the Linscott & Erkes (1980) bursts, we dedispersed our M87 data out to $\simeq 5500$ pc cm⁻³. Table 2 summarizes our dedispersion plan, which attempts to optimize various contributions to pulse broadening. For a pulse of intrinsic width W, its effective width (Cordes & McLaughlin 2003) in a dedispersed time series is

$$W_{\rm eff} = \left(W^2 + t_{\rm samp}^2 + \tau_{\rm sc}^2 + t_{\Delta\nu}^2 + t_{\rm chan}^2 + t_{\rm BW}^2\right)^{1/2}$$
(2)

Here, t_{samp} is the sample interval, and τ_{sc} is the scatter-broadening time scale. For channel bandwidth $\Delta \nu$, $t_{\Delta \nu} \sim (\Delta \nu)^{-1}$ is the receiver filter response time. At radio frequency ν , the intrachannel dispersive smearing is

$$t_{\rm chan} \simeq 8.3 \ \mu {\rm s} \left(\frac{{\rm DM}_{\rm pc \ cm^{-3}} \ \Delta \nu_{\rm MHz}}{\nu_{\rm GHz}^3} \right).$$
(3)

The use of a finite DM step size (δ DM) for dedispersion introduces a residual broadband dispersive delay given by

$$t_{\rm BW} \simeq 8.3 \ \mu s \left(\frac{\delta D M_{\rm pc \ cm^{-3}} B_{\rm MHz}}{\nu_{\rm GHz}^3} \right), \qquad (4)$$

where B is the observing bandwidth. Since $\tau_{\rm sc}$ cannot be corrected in practice, we neglect it when devising our dedispersion plan. Therefore, the net optimizable contribution to the effective pulse width is

$$t_{\rm tot} = \left(t_{\rm samp}^2 + t_{\rm chan}^2 + t_{\rm BW}^2\right)^{1/2}.$$
 (5)

With increasing DM, $t_{\rm chan}$ grows and dominates $t_{\rm tot}$. To minimize computational cost, we downsampled our dedispersed time series via block-averaging, and increased δ DM at higher



Figure 3. A sample single pulse search output from a 20-minute scan of M87 during session 6. Single pulse candidates with matched filtering S/N, $(S/N)_{mf} \ge 6$, are plotted in this figure. The top left and top middle panels illustrate histograms of $(S/N)_{mf}$ values and candidate DMs respectively. The top right panel plots $(S/N)_{mf}$ against candidate DMs. The bottom panel shows a scatter plot of single pulse candidates in the DM-time plane. Each circular marker represents a single pulse candidate, with the radius of the circle proportional to $(S/N)_{mf}$. The two red crosses mark candidates whose smoothed, dedispersed dynamic spectra are shown in Figure 4.

DMs. Table 2 lists temporal downsampling factors and δ DM values for various trial DM ranges in our study.

Through matched filtering, we incur negligible loss of sensitivity in our burst searches (Keane & Petroff 2015). For RFI-cleaned data, the finite DM grid explored in our study then determines our survey completeness. Specifically, for $\delta \text{DM} \simeq 1 \text{ pc cm}^{-3}$, t_{BW} limits burst detection for $W \lesssim 2 \text{ ms}$. Hence, we chose downsampling factors in Table 2 that provide optimal sensitivity to burst durations in different DM ranges.

3.4. Single Pulse Searching

Following the single pulse search methodology described in Section 3.2, we ran burst search analyses on our M87 data. Again, we operated with boxcar filters of widths 1, 2, 3, 4, 6, 9,



Figure 4. Smoothed, dedispersed dynamic spectra (bottom subplot of each panel) and time series (top subplot of each panel) of RFI signals missed by our RFI excision method (Section 3.1) and marked with red crosses in Figure 2. The red vertical dotted lines in the top subplots represent candidate peak times in their respective dedispersed time series. The top subplots also quote the candidate DMs and the S/N-maximizing temporal boxcar filter widths (W_f) used for smoothing. The reference frequency for dedispersion is the top of the observing band at 1.75 GHz.

14, 20, and 30 bins for matched filtering. Table 2 lists the boxcar filter durations used for DM ranges with distinct downsampling factors. Our boxcar filters span widths, $W_f \simeq 0.3-8$ ms at the lowest DMs to $W_f \simeq 4-123$ ms at the highest trial DMs covered in our study.

Figure 3 shows a sample single pulse search output from a 20-minute scan of M87 during session 6. Real astrophysical bursts are expected to manifest as localized spindles with non-zero central DMs in the DM-time plane. To verify the presence of such signals in our data, we visually inspected dynamic spectra of all promising candidates with matched filtering S/N, $(S/N)_{mf} \geq 7$. Figure 4 illustrates dedispersed dynamic spectra of two such candidates that were examined.

To discern dispersed bursts from RFI in dynamic spectra, Foster et al. (2018) devised a set of metrics based on a prototypical pulse model. However, RFI can manifest with diverse spectro-temporal morphologies and variable signal strengths, thereby rendering the burst S/N, bandwidth, and duration as unreliable classification criteria. We therefore demanded the presence of a continuous ν^{-2} dispersive sweep and natural burst sub-structure (analogous to known FRB and GP discoveries) as litmus tests for astrophysical pulses. We also entertained the notion of DM consistency across possible repeat events with the caveat that DMs may significantly vary between burst sources in different regions of M87. Adopting the above selection criteria, our manual inspection process reveals that all candidates with $(S/N)_{mf} \geq 7$ can be attributed to short duration ($\simeq 100 \text{ ms}$) RFI patches that were missed by our RFI excision procedure.

We set $(S/N)_{min} = 7$ as the detection threshold for our M87 burst searches. Our nondetection of dispersed pulses in 10 hours of in-

Study	Radio frequency	$\mathcal{F}_{\min}{}^a$	$N_{\rm pulses}$	On-source time	$\mathcal{R}(\mathcal{F} \geq \mathcal{F}_{\min})$
	(MHz)	(Jy ms)		$(\min.)$	(bursts hr^{-1})
This work ^b	1400	1.4	0	605	\leq 0.1
This work + $\mathcal{R}(>\mathcal{F}) \propto \mathcal{F}^{-1}$ C	1400	9	0	605	≤ 0.02
Hankins et al. $(1981)^d$	430	105	0	2	\leq 30
	606	138	0	1.1	\leq 55
	1020	120	0	0.4	\leq 150
_	1400	9	0	120	≤ 0.5
McCulloch et al. $(1981)^d$	1400	15	0	60	\leq 1
Taylor et al. $(1981)^d$	606	77	0	6.7	\leq 9
Linscott & Erkes (1980)	430	109	21	1	1260
	606	88	23	1	1380
	1400	42	22	1	1320

Table 3. Comparison of fluence thresholds (\mathcal{F}_{\min}) and burst rates/limits (\mathcal{R}) across surveys for pulsed radio emission from M87.

 a Minimum detectable fluence corresponding to 7σ detection of a 1 ms Boxcar-shaped pulse.

^bWe ignore session 1 due to its marginally higher \mathcal{F}_{\min} compared to other sessions.

 ${}^{C}\mathcal{R}(>\mathcal{F}) \propto \mathcal{F}^{-1}$ scaling applied to facilitate comparison of \mathcal{R} with that obtained by Hankins et al. (1981) in their 1400 MHz observations.

 d Hankins et al. (1981), McCulloch et al. (1981), and Taylor et al. (1981) experimented with multiple instrumental setups at each observing frequency. For a given radio frequency, we quote here \mathcal{F}_{\min} from their most sensitive observation.

tegration time then imposes the upper limit $\mathcal{R} \lesssim 0.1$ bursts hr⁻¹ on the burst rate (\mathcal{R}) from M87 above $\mathcal{F}_{\min} \simeq 1.4$ Jy ms, assuming a fiducial burst width of 1 ms.

4. DISCUSSION

Table 3 summarizes burst rates/limits derived from all known searches for radio pulses from M87. Evidently, our Arecibo observations constitute the deepest single pulse searches of M87 conducted to date. Assuming a cumulative burst fluence distribution, $\mathcal{R}(>\mathcal{F}) \propto \mathcal{F}^{-1}$, similar to that seen for FRB 121102 (Law et al. 2017; Gourdji et al. 2019; Oostrum et al. 2020; Cruces et al. 2021), our observations constrain \mathcal{R} to at least a factor of 25 better than previous surveys of M87. We postulate a likely nonastrophysical origin for the Linscott & Erkes (1980) pulses given their inconsistency with the burst non-detection reported in more sensitive surveys of M87. In the following paragraphs, we explore the significance of our radio burst non-detection in the context of likely neutron star populations in M87.

The Crab pulsar, with a characteristic age of $\tau_c \simeq 1300$ years, is among the best studied GP emitters in our Galaxy. Based on a sample of $\simeq 13,000$ Crab GPs at 1.4 GHz, Karuppusamy et al. (2010) inferred a cumulative burst rate distribution,

$$\mathcal{R}_{\text{Crab}}(>\mathcal{F})\simeq 7 \text{ bursts min}^{-1} \left(\frac{\mathcal{F}}{2 \text{ Jy ms}}\right)^{\alpha},$$
(6)

above $\mathcal{F} \simeq 2$ Jy ms. Empirical values of the power-law index, α , range from ≈ -2.5 to -1.3 depending on the observation epoch and the

observing frequency (Mickaliger et al. 2012). Here, we nominally adopt $\alpha = -2$ for illustration.

Following Cordes & Wasserman (2016), we extend $\mathcal{R}_{Crab}(> \mathcal{F})$ to extragalactic radio pulsars and assess the detectability of Crab-like GPs from M87. Considering millisecond bursts from M87 (distance $\simeq 16.4$ Mpc, Event Horizon Telescope Collaboration et al. 2019), our detection threshold of 1.4 Jy ms corresponds to a limiting fluence of 94 MJy ms at the 2 kpc distance (Trimble 1973) of the Crab pulsar. Equation 6 then implies a negligible rate of $\simeq 2$ bursts Gyr⁻¹ for Crab-like GPs from M87. GP detection from M87 therefore, entails young neutron stars capable of emitting more frequent supergiant pulses than the Crab pulsar.

We estimate the probable number of young pulsars in M87, starting from the Galactic canonical pulsar birth rate, $\beta_{\text{PSR, MW}} =$ 1.4 century⁻¹ (Lorimer et al. 2006). The star formation rate (SFR) in M87 is $\simeq 0.05 M_{\odot} \text{ yr}^{-1}$ (Terrazas et al. 2017), about 38 times smaller than that of the Milky Way (Chomiuk & Povich 2011). Scaling β linearly with SFR, we expect ≤ 1 canonical pulsar in M87 younger than the Crab pulsar. The low SFR of M87 thus renders unlikely the prospect of detecting GPs from canonical pulsars in M87.

Aside from canonical pulsars, alternate potential burst sources include millisecond pulsars (MSPs) prevalent in globular clusters (Ransom 2008), magnetars theorized to power FRBs (Lyubarsky 2014; Beloborodov 2017; Margalit et al. 2019; Metzger et al. 2019), and binary neutron star mergers emitting radio precursors (Sridhar et al. 2021). M87 hosts a rich globular cluster system (Strader et al. 2011), with $\simeq 650$ globular clusters contained inside our Arecibo HPBW $\simeq 3'.3$ (≈ 15.7 kpc). Galactic pulsar

surveys have thus far uncovered $\simeq 120$ millisecond pulsars in 36 globular clusters⁵, equating to a mean discovery rate of $\simeq 3$ MSPs per globular cluster. Extending this rate to M87 using a linear scaling with SFR, we predict at least $\simeq 50$ MSPs to be contained inside our Arecibo beam. However, single pulse detections from such objects are extraordinarily unlikely, requiring exotic systems emitting bursts $\gtrsim~10^8$ times more energetic than GPs from Galactic MSPs. For example, the brightest GP detected from the Galactic MSP B1937+21 (Backer et al. 1982) has fluence, $\mathcal{F} \simeq 200$ Jy μ s (McKee et al. 2019) at 1.4 GHz. Placing this burst source at the distance to M87, we observe a practically undetectable burst fluence, $\mathcal{F} \simeq 10$ nJy ms $\sim 10^{-8} \mathcal{F}_{\min}$. Moreover, our survey parameters together with the lack of baseband data (raw complex voltages) render potential GP detection from MSPs unlikely.

Magnetar births and neutron star mergers (Artale et al. 2020) are generally associated with gas-rich, star-forming regions in the Universe. But, such locations are scarce in a red elliptical galaxy like M87. Motivated by the hitherto nondetection of Galactic Center pulsars and the discovery of a single magnetar (Eatough et al. 2013) at the Galactic Center, Dexter & O'Leary (2014) suggest that strong ISM magnetic fields in the vicinity of a SMBH could boost magnetar production. However, a robust evaluation of burst detectability is difficult due to large uncertainties in intrinsic magnetar energy budgets, lengths of flaring and quiescent periods, and beaming geometries relative to our lines of sight.

5. SUMMARY AND CONCLUSIONS

We executed a set of 1.15–1.75 GHz observations of the core of M87 with the Arecibo

⁵ http://www.naic.edu/~pfreire/GCpsr.html

radio telescope in order to search for millisecond bursts. Our observations lasted a total of 18 hours, of which 10 hours were spent onsource. Using a matched filtering approach, we searched our data for single pulses, at trial DMs up to 5500 pc $\rm cm^{-3}$ with boxcar filter widths between 0.3–123 ms. Adopting a 7σ detection criterion, we report the non-detection of astrophysical bursts in our data, implying a burst rate limit $\mathcal{R} \lesssim 0.1$ bursts hr^{-1} above $\mathcal{F}_{\min} \simeq 1.4$ Jy ms. Invoking $\mathcal{R}(>\mathcal{F}) \propto \mathcal{F}^{-1}$, our observations constrain \mathcal{R} to at least a factor of 25 better than previous single pulse searches of M87. We suggest a non-astrophysical origin for the Linscott & Erkes (1980) burst discoveries based on their non-confirmation in more sensitive subsequent surveys of M87.

We evaluated the significance of our radio burst non-detection in the context of different neutron star populations in M87. Millisecond pulsars are too weak to yield detectable emission at extragalactic distances, and the low star formation rate of M87 renders unlikely the existence of a significant Crab-like, GP-emitting pulsar population. Magnetars may however reside in the dense magneto-ionic medium near the SMBH of M87. Such magnetars may emit sufficiently energetic radio pulses for detection during their active phases. We encourage high sensitivity, multi-epoch observations of M87 to detect possible magnetar radio bursts, if they are favorably beamed towards our line of sight.

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Facility: Arecibo, XSEDE (Towns et al. 2014; Nystrom et al. 2015).

Software: Astropy (Astropy Collaboration et al. 2018), NumPy (van der Walt et al. 2011), Matplotlib (Hunter 2007), PRESTO (Ransom 2011), Python 3 (https://www.python. org), SciPy (Virtanen et al. 2020).

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