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# An enquiry on the origins of $\mathbf{N}$-rich stars in the inner Galaxy based on APOGEE chemical compositions 

Shobhit Kisku, ${ }^{1 \star}$ Ricardo P. Schiavon, ${ }^{1 \star}$ Danny Horta ${ }^{\odot}$, ${ }^{1}$ Andrew Mason, ${ }^{1}$ J. Ted Mackereth ${ }^{\oplus}$, ${ }^{2,3}$ Sten Hasselquist, ${ }^{4} \dagger$ D. A. García-Hernández, ${ }^{5,6}$ Dmitry Bizyaev ${ }^{\circledR}$, ${ }^{7,8}$ Joel R. Brownstein ${ }^{\circledR}, 4$ Richard R. Lane, ${ }^{9,10}$ Dante Minniti, ${ }^{11}$ Kaike Pan ${ }^{7}$ and Alexandre Roman-Lopes ${ }^{12}$<br>${ }^{1}$ Astrophysics Research Institute, Liverpool John Moores University, 146 Brownlow Hill, Liverpool L3 5RF, UK<br>${ }^{2}$ Canadian Institute for Theoretical Astrophysics, University of Toronto, 60 St George Street, Toronto, ON M5S 3H8, Canada<br>${ }^{3}$ Dunlap Institute for Astronomy and Astrophysics, University of Toronto, 50 St George Street, Toronto, ON M5S 3H4, Canada<br>${ }^{4}$ Department of Physics and Astronomy, University of Utah, 115 S. 1400 E., Salt Lake City, UT 84112, USA<br>${ }^{5}$ Instituto de Astrofísica de Canarias (IAC), E-38205 La Laguna, Tenerife, Spain<br>${ }^{6}$ Departamento de Astrofísica, Universidad de La Laguna (ULL), E-38206 La Laguna, Tenerife, Spain<br>${ }^{7}$ Apache Point Observatory and New Mexico State University, PO Box 59, Sunspot, NM 88349-0059, USA<br>${ }^{8}$ Sternberg Astronomical Institute, Moscow State University, Moscow, 119992, Russia<br>${ }^{9}$ Instituto de Astronomía y Ciencias Planetarias de Atacama, Universidad de Atacama, Copayapu 485, Copiapó, Chile<br>${ }^{10}$ Centro de Investigación en Astronomía, Universidad Bernardo O’Higgins, Avenida Viel 1497, Santiago, Chile<br>${ }^{11}$ Instituto de Astrofísica, Pontificia Universidad Católica de Chile, Av. Vicuna Mackenna 4860, Macul 782-0436, Santiago, Chile<br>${ }^{12}$ Departamento de Física, Facultad de Ciencias, Universidad de La Serena, Cisternas 1200, La Serena, Chile

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#### Abstract

Recent evidence based on APOGEE data for stars within a few kpc of the Galactic Centre suggests that dissolved globular clusters (GCs) contribute significantly to the stellar mass budget of the inner halo. In this paper, we enquire into the origins of tracers of GC dissolution, N-rich stars, that are located in the inner 4 kpc of the Milky Way. From an analysis of the chemical compositions of these stars, we establish that about 30 per cent of the N-rich stars previously identified in the inner Galaxy may have an accreted origin. This result is confirmed by an analysis of the kinematic properties of our sample. The specific frequency of N -rich stars is quite large in the accreted population, exceeding that of its in situ counterparts by near an order of magnitude, in disagreement with predictions from numerical simulations. We hope that our numbers provide a useful test to models of GC formation and destruction.


Key words: Galaxy: abundances - Galaxy: bulge - Galaxy: formation - globular clusters: general - Galaxy: kinematics and dynamics.

## 1 INTRODUCTION

One of the main consequences of the current cosmological paradigm, Lambda cold dark matter ( $\Lambda \mathrm{CDM}$ ), is that galaxies grow through the process of hierarchical mass assembly, whereby smaller galaxies are accreted to form larger more massive systems. Such theoretical predictions are in line with the identification of phase-space substructures residing in the Galactic stellar halo, such as GaiaEnceladus/Sausage (GE/S; Belokurov et al. 2018; Haywood et al. 2018; Helmi et al. 2018; Mackereth et al. 2019) and Sequoia (Myeong et al. 2019), as well as halo stellar streams (Helmi et al. 1999; Ibata, Lewis \& Martin 2016; Belokurov et al. 2018) and ongoing accretion, such as the Sagittarius dwarf spheroidal (Sgr dSph; Ibata, Gilmore \& Irwin 1994). The longer dynamical time-scales of less dense regions, such as the outer halo, preserve phase-space information

[^0]and therefore allow the reconstruction of the integrals of motion (IOMs) of these accreted systems. The situation is not as simple in the inner halo due to the shorter dynamical time-scales. Moreover, large extinction towards the inner Galaxy and crowding by more massive metal-rich Galactic components, such as the thick and thin disc, and the bar, make observational access to the inner halo difficult. These difficulties have recently been overcome by the APOGEE survey (Majewski et al. 2017), which obtained detailed chemistry based on near-infrared (NIR) spectroscopy for over $10^{4}$ stars in the inner Galaxy, leading up to the discovery of a large population of N -rich stars within a few kpc of the Galactic Centre, and the recent identification of Heracles (Horta et al. 2021a).

In addition to phase-space substructure, stellar streams, and ongoing accretion events in the Galactic stellar halo, ancient globular clusters (GCs) are also thought to contribute relevantly to the total stellar halo mass budget (Martell et al. 2016; Schiavon et al. 2017; Koch, Grebel \& Martell 2019; Hughes et al. 2020; Reina-Campos et al. 2020; Horta et al. 2021b). Such contribution arises from the dissolution and/or evaporation of GCs, which are disrupted via different processes (e.g. tidal shocks, evaporation, and disruption by
encounters with massive molecular clouds; Gnedin 2001; Elmegreen 2010; Kruijssen et al. 2011), so that stars resulting from GC dissolution can be found in the field of the stellar halo.

Detection of the remnants of GC dissolution in the field is made possible by the presence of stars with chemically peculiar chemical compositions in GCs. These systems have been found to host multiple stellar populations with distinct abundance patterns (for a detailed description, see a review by Bastian \& Lardo 2018). Stars that display the same abundances patterns as the field population are dubbed 'first generation' (FG) stars, whereas those that show enhancements in $\mathrm{He}, \mathrm{N}$, and Na , and show lower O and C are referred to as 'second generation' (SG) stars. Since abundance patterns of FG stars are indistinguishable from those of field populations, stars with abundance patterns typical of SG population are used as tracers of the contribution of dissolved GCs to the stellar mass budget of the Galaxy.

Field stars that display abundance patterns typical of SG GC stars have been identified in the stellar halo by several groups (Martell \& Grebel 2010; Lind et al. 2015; Martell et al. 2016; Koch et al. 2019; Tang et al. 2019, 2020). Using APOGEE DR12 data, Schiavon et al. (2017) identified a large population of N-rich stars in the inner $\sim 2-$ 3 kpc from the Galactic Centre. Based on more recent data releases, these enriched stars have been identified out to large distances up to $\sim 15 \mathrm{kpc}$ by Horta et al. (2021b). The large population of N -rich stars identified by Schiavon et al. (2017) is suggested to contribute a minimum of $19-25$ per cent to the stellar mass in the inner $\sim 2 \mathrm{kpc}$ of the halo. ${ }^{1}$ Looking at the halo stars with $|z|>10 \mathrm{kpc}$, Martell et al. (2016) find the contribution to the stellar mass budget due to GC dissolution to be $\sim 2$ per cent. Such a large spatial variation of the frequency of N -rich stars has been quantified by Horta et al. (2021b). By taking into account the APOGEE selection effects, they measure a ratio of $\sim 17_{-7}^{+10}$ and $\sim 3_{-0.8}^{+1}$ per cent at $R_{\mathrm{GC}} \sim 1.5$ and 15 kpc , respectively.

With the availability of Gaia's high-quality parallaxes and the resulting 6D phase-space information, orbital parameters and IOMs for Milky Way stars can be estimated. Since these properties are essentially invariant in low-density regions of the Milky Way, they can be used to group stars according to orbital properties that are associated with those of the progenitor system. Recent studies concerning the origins of enriched stars in the halo that show similar abundances to those of SG GCs have investigated the likelihood that these enriched stars originate from GCs (Carollo et al. 2013; Savino \& Posti 2019; Hanke et al. 2020; Tang et al. 2020). Savino \& Posti (2019) directly compare the IOMs of 57 CN -strong field stars, observed in SEGUE (Yanny et al. 2009) and SEGUE-2 (Eisenstein et al. 2011) surveys, to those of known Milky Way GCs. They find that $\sim 70$ per cent of their sample of field stars have halo-like orbital properties, with only 20 stars having a likely orbital association with an existing GC. They do, however, claim that the orbital properties of halo stars seem to be compatible with the GC escapee scenario. Similarly, Tang et al. (2020) compare the kinematics of $\sim 100 \mathrm{~N}$-rich stars in LAMOST DR5 (Zhao et al. 2012) to N-normal metal-poor field stars. They conclude that the orbital parameters of N -rich field stars indicate that most of them are inner-halo stars, and that the kinematics of these stars support a possible GC origin. Note that an alternative way to produce these N -rich stars has been proposed by Bekki (2019).

In this paper, we aim to constrain the origin of N -rich stars located in the Galactic bulge, on the basis of their chemo-dynamical properties. Identifying a population of accreted and in situ N -rich

[^1]stars defined chemically, which are also confirmed by kinematics, we find that the ratio of N -rich to N -normal differs substantially between accreted and in situ populations.

This paper is organized as follows: In Section 2, we describe the data and the criteria for our sample. The results are presented and discussed in Section 3, and our conclusions are summarized in Section 4.

## 2 DATA AND SAMPLE

The results in this paper are based on elemental abundances, radial velocities, and stellar parameters from Data Release 16 of the APOGEE-2 survey (Blanton et al. 2017; Majewski et al. 2017; Ahumada et al. 2020) and proper motions from Gaia DR2 (Gaia Collaboration 2016, 2018). We make use of the publicly available code GALPy ${ }^{2}$ (Bovy 2015; Mackereth \& Bovy 2018) to calculate orbital parameters adopting a McMillan (2017) potential. We also use distances from Leung \& Bovy (2019b) that are generated using the ASTRONN PYTHON package (Leung \& Bovy 2019a). The distances are determined using a training set that comprises APOGEE spectra and Gaia DR2 parallax measurements for the purpose of predicting stellar luminosity from spectra. The model is able to simultaneously predict distances and accounts for the parallax offset present in Gaia DR2, producing high-precision, accurate distance estimates for APOGEE stars, which match well with external catalogues and standard candles.

### 2.1 APOGEE DR16

APOGEE-2, one of the four Sloan Digital Sky Survey (SDSS-IV; Blanton et al. 2017; Ahumada et al. 2020) experiments, has obtained NIR, high SNR ( $\mathrm{S} / \mathrm{N}>100$ pixel $^{-1}$ ), and high resolution ( $\mathrm{R} \sim$ 22 500) H -band spectra for more than 450000 Milky Way stars, from which precision radial velocities, stellar parameters, and abundances for up to 26 elements are determined. APOGEE-2 uses two twin NIR spectrographs (Wilson et al. 2019) attached to the $2.5-\mathrm{m}$ telescopes at Apache Point (Gunn et al. 2006), and Las Campanas Observatories (Bowen \& Vaughan 1973). A more in-depth description of the APOGEE survey, target selection, raw data, data reduction, and spectral analysis pipelines can be found in Majewski et al. (2017), Zasowski et al. (2017), Holtzman et al. (2015), Jönsson et al. (2018), Nidever et al. (2015), respectively (see Jönsson et al. 2020 for a complete up-to-date description of the latest APOGEE data released in DR16). The data are first reduced (Nidever et al. 2015; Jönsson et al. 2020) using the APREAD and APSTAR pipelines, respectively. The data are then fed into the APOGEE Stellar Parameters and Chemical Abundance Pipeline (ASPCAP; García Pérez et al. 2016; Jönsson et al. 2020), which uses libraries of synthetic spectra (Zamora et al. 2015; Holtzman et al. 2018; Jönsson et al. 2020) calculated using customized $H$-band line list (Shetrone et al. 2015; Smith et al., in preparation), from which outputs are analysed, calibrated, and tabulated (Holtzman et al. 2018; Jönsson et al. 2020).

### 2.2 Sample selection

We restrict our sample to stars that have ASPCAPFLAG $=0$, SNR $>70$, and distance uncertainty $<20$ per cent (i.e. $d_{\text {err }} / \mathrm{d}<0.2$ ). By performing these cuts, we obtain a reduced sample of APOGEE

[^2]DR16 for which we can obtain reliable chemo-dynamic information. A further cut of $\log g<3$ is also made to remove dwarf stars.

In addition, to ensure our sample is free from any stars residing in existing GCs, we remove from our sample any stars belonging to the GC member list from Horta et al. (2020). Furthermore, this paper focuses on stars in the Galactic bulge, so we make a spatial cut and select only stars with Galactocentric distance $R_{\mathrm{GC}}<4 \mathrm{kpc}$. The effective temperature of these stars is further constrained to the range $3250 \mathrm{~K}<T_{\text {eff }}<4500 \mathrm{~K}$. The lower $T_{\text {eff }}$ limit is adopted to avoid very cool stars whose elemental abundances are affected by important systematic effects. The upper limit aims to eliminate from the sample C and N abundances that are uncertain due the weakness of CN and CO lines in spectra of warm stars with relatively low metallicity ( $[\mathrm{Fe} / \mathrm{H}]<-1$ ). The bulge selection criteria can be summarized as
(i) $\operatorname{ASPCAPFLAG}=0$
(ii) $R_{\mathrm{GC}}<4 \mathrm{kpc}$
(iii) $d_{\text {err }} / \mathrm{d}<0.2$
(iv) $3250 \mathrm{~K}<T_{\text {eff }}<4500 \mathrm{~K}$
(v) $\log g<3$
(vi) $\mathrm{SNR}>70$

To select our sample of N -rich stars, we follow the sigma clipping methodology implemented in Schiavon et al. (2017). By inspecting the bulge stars in the $[\mathrm{N} / \mathrm{Fe}]-[\mathrm{Fe} / \mathrm{H}]$ plane, N -rich stars are defined as those deviating by more than $5.5 \sigma$ from a 4th order polynomial fit to the data in the bulge sample (see Fig. 1). The polynomial is given by

$$
\begin{align*}
{[\mathrm{N} / \mathrm{Fe}]=} & 0.256+0.239[\mathrm{Fe} / \mathrm{H}]-0.072[\mathrm{Fe} / \mathrm{H}]^{2} \\
& -0.304[\mathrm{Fe} / \mathrm{H}]^{3}-0.091[\mathrm{Fe} / \mathrm{H}]^{4} \tag{1}
\end{align*}
$$

We further restrict these N -rich stars to those with $[\mathrm{C} / \mathrm{Fe}]<0.15$, in order to limit our sample to stars that present the typical N-C anticorrelation of SG GC stars. Application of these selection criteria leaves us with a sample of 83 N -rich stars within the bulge sample of 14448 stars.

In this paper, we adopt a more stringent threshold of $5.5 \sigma$ to define N -rich stars than the $4 \sigma$ threshold adopted by Schiavon et al. (2017). In both cases, the threshold decision was informed by the distribution of the selected N -rich stars in the $[\mathrm{N} / \mathrm{Fe}]-[\mathrm{C} / \mathrm{Fe}]$ abundance plane, where N -rich stars display an anticorrelation between those two abundance ratios. The threshold was chosen so as to clean the N -rich sample from contaminants due to abundance errors and statistical fluctuations. That philosophy is aimed at prioritizing N-rich sample purity over completeness. That our threshold is more stringent than that adopted by Schiavon et al. (2017) reflects the fact that our parent sample is considerably larger, requiring a larger threshold to minimize contamination by outliers due to statistical fluctuations.

We also look at the possible contamination to our sample of N rich stars by AGB stars, which can also present an abundance pattern characterized by Nitrogen enrichment and Carbon depletion (Renzini \& Voli 1981; Charbonnel \& Lagarde 2010; Ventura et al. 2013). We identified five N -rich AGB candidates by their position on the $\log g-T_{\text {eff }}$ plane, hand picking those that have low $\log g$, high $T_{\text {eff }}$ and relatively high $[\mathrm{Fe} / \mathrm{H}]$ compared to other stars in their neighbourhood, corresponding to $\sim 6$ per cent of the sample, in agreement with theoretical expectations (Girardi et al. 2010). Due to the difficulty of individually selecting AGBs in our large sample of bulge field stars, we decide to keep the N -rich AGBs in our sample for consistency. We note that the results of this paper are largely unaffected by the presence of these N -rich AGBs.


Figure 1. Distribution of sample stars in $[\mathrm{N} / \mathrm{Fe}]-[\mathrm{Fe} / \mathrm{H}]$ plane. The small grey dots show the bulge population as selected in Section 2.2. The red triangles indicate the N -rich stars, defined as stars that deviate from the fourth-order polynomial fit (black line) by more than $5.5 \sigma$ and have $[\mathrm{C} / \mathrm{Fe}]<0.15$.

## 3 RESULTS

In this section, we discuss how our sample of accreted and in situ populations are selected, employing methods used in Mackereth et al. (2019). We then discuss how these populations differ from each other in orbital space, and show the similarities of the N -rich stars to GC members in chemical space.

### 3.1 Selecting accreted and in situ stars

In order to split our sample into accreted and in situ groups, we study the distribution of stars in the $\alpha-\mathrm{Fe}$ plane. Mackereth et al. (2019) achieved that by examining the distribution of their sample in the $\mathrm{Mg}-\mathrm{Fe}$ plane, whereas Horta et al. (2021a) focused on the distribution in the $[\mathrm{Mg} / \mathrm{Mn}]$ versus $[\mathrm{Al} / \mathrm{Fe}]$ plane. We cannot proceed in the same way, because the abundances of Al and Mg are affected by the multiple populations phenomenon in GCs (e.g. Bastian \& Lardo 2018; Mészáros et al. 2015, 2020), so that the positions of N -rich stars in chemical planes involving those elements cannot be interpreted in the same way as those of normal stars. Therefore, we use Si as the tracer of $\alpha$-element abundances, because this element does not present substantial star-to-star variations in Galactic GCs.

The data in Fig. 2 show that the N -rich star population occupies the same locus in the $\mathrm{Si}-\mathrm{Fe}$ plane as the overall bulge field population. Following Mackereth et al. (2019), we split the sample between accreted and in situ populations. To determine where the dividing line is drawn in the $[\mathrm{Si} / \mathrm{Fe}]$ versus $[\mathrm{Fe} / \mathrm{H}]$ plane, we proceed as follows (1) following Mackereth et al. (2019), we choose a slope that approximately matches the mean slope of the high- and low- $\alpha$ populations, slightly adjusting it to minimize the contamination of the accreted populations by low- $\alpha$ disc stars; (2) we calculate the distance in $[\mathrm{Fe} / \mathrm{H}]$ between the dividing line and the mean value of the low- Mg disc population and adjust the zero-point so that the distance is the same in the $[\mathrm{Si} / \mathrm{Fe}]$ versus $[\mathrm{Fe} / \mathrm{H}]$ plane; (3) we further shift the zero-point by +0.2 dex in $[\mathrm{Fe} / \mathrm{H}]$, to account for the disc metallicity gradient (e.g. Hayden et al. 2015). The resulting linear relation is given by
$[\mathrm{Si} / \mathrm{Fe}]=-0.42([\mathrm{Fe} / \mathrm{H}]+0.016)+0.2$.


Figure 2. Distribution of sample stars in $[\mathrm{Si} / \mathrm{Fe}]-[\mathrm{Fe} / \mathrm{H}]$ plane. The grey points show the distribution of the bulge stars, and the triangles, coloured according to the $[\mathrm{N} / \mathrm{Fe}]$ residuals of the polynomial fit shown in Fig. 1, show the N -rich stars distribution in this plane. The solid black line is the cut made to separate the accreted stars from the in situ stars shown in Mackereth et al. (2019), adjusted to account for the metallicity gradient of disc populations between the outer and inner halo. The cut of $[\mathrm{Fe} / \mathrm{H}]<-0.8$ to remove disc contaminants is shown as the vertical dotted line.

Because this relation may be considered somewhat arbitrary, we estimate how a $\pm 0.1$ dex zero-point variation impacts our results (see discussion in Section 3.3).

We make a further cut in metallicity to the accreted population of $[\mathrm{Fe} / \mathrm{H}]<-0.8$, to minimize contamination from disc stars. This latter cut removes 38 bulge stars from our accreted population, bringing the total number of bulge stars down to 14410 . We henceforth refer to stars below (above) and to the left (right) of the dividing line as 'accreted' (in situ) populations. The resulting accreted and in situ general bulge samples comprise 428 and 13982 stars, respectively, with 25 N -rich stars being located in the accreted locus, and 58 located in the in situ region. Thus, we conclude that roughly $\sim 30$ per cent of the N -rich stars in the inner Galaxy have an accreted origin. We emphasize here that stars in each sub-sample are found across the entire inner Galaxy.

Fig. 3 shows where these sub-samples lie in the $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{N} / \mathrm{Fe}]$ plane. By placing stars in this plane, former GC members can be identified as those that follow a positive correlation between those two abundance ratios. When displaying our sample on this plane, we can see that the accreted and in situ bulge populations occupy slightly different loci. While N and Al abundances of N -rich stars are correlated in both in situ and accreted sub-samples, the correlations in each sub-sample are slightly different. The $[\mathrm{Al} / \mathrm{Fe}]$ ratios of N -normal stars in the accreted sample, save for a handful of outliers, are lower than those in their in situ counterparts, on average by $\sim 0.2$ dex. This result validates our definition of accreted versus in situ populations, since the accreted stars with first-generation-like abundance patterns (i.e. those not affected by multiple population effects) are consistent with a dwarf galaxy origin (e.g. Mackereth et al. 2019; Das, Hawkins \& Jofré 2020; Helmi 2020; Horta et al. 2021a).

We identify a group of Si-rich stars, with $[\mathrm{Si} / \mathrm{Fe}] \gtrsim+0.5$ in the metallicity range $-1.3<[\mathrm{Fe} / \mathrm{H}]<-0.9$. They are similar to those spotted by Masseron et al. (2019) within the MW GCs M92, M15, and M13. Those authors showed that, in the most metal-poor GCs, M92 and M15, Si-rich stars are characterized by very low $[\mathrm{Mg} / \mathrm{Fe}]$, whereas stars in M13 had normal $[\mathrm{Mg} / \mathrm{Fe}]$. The Si-rich stars in our sample have normal $[\mathrm{Mg} / \mathrm{Fe}]$, resembling those Masseron et al.


Figure 3. Distribution of in situ bulge (small grey dots), accreted bulge (black dots), in situ N -rich (blue triangles), and accreted N -rich (red triangles) stars in $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{N} / \mathrm{Fe}]$ plane. The N-rich stars show a correlation between $[\mathrm{N} / \mathrm{Fe}]$ and $[\mathrm{Al} / \mathrm{Fe}]$, which is also observed in SG GC stars. However, the correlations are slightly different between the accreted and in situ populations. The accreted bulge stars are seen to occupy a lower locus in $[\mathrm{Al} / \mathrm{Fe}]$ than the in situ by $\sim 0.2$ dex, which is consistent with a dwarf galaxy origin.
(2019) identified in M13. The origin of these Si-rich stars is unclear. While their presence in the GCs studied by Masseron et al. (2019) suggests a GC dissolution origin, Masseron et al. (2020a) identified Phosphorus-rich stars with inner halo orbits, which also present elevated $[\mathrm{Si} / \mathrm{Fe}]$. The nucleosynthetic origin of these P-rich stars is not explained, although Masseron et al. (2020a) discuss several alternatives. The detailed abundance patterns of these stars, presented by Masseron et al. (2020b) show enhancements in C, O, Mg, Si, and Al. Our Si-rich stars show mild-to-strong enhancements in these elements, though they present normal $[\mathrm{P} / \mathrm{Fe}]$. If one assumes that the latter is due to uncertainties in the APOGEE P abundances, our Si-rich stars could conceivably be associated with the P-rich
phenomenon. Further scrutiny in the form of additional abundance studies is advised. For the purposes of this study, we ascribe a GC origin to these field Si-rich stars and discuss their kinematic properties in Section 3.3. Our conclusions are not affected by this assumption.

### 3.2 Comparison with GCs

To confirm the association of the field N-rich stars with GCs, we overplot our sample of N -rich stars on data for GC members from Horta et al. (2020) in three different chemical planes. We show the correlations of GC stars in $\mathrm{Mg}-\mathrm{Al}, \mathrm{Al}-\mathrm{N}$, and $\mathrm{N}-\mathrm{C}$ space. In each panel, the N -rich stars lie on the same locus as SG GC stars, which supports our assumption that they are, in fact, former GC members. For clarity, the accreted and in situ populations are plotted on different panels of Fig. 4 because they span different metallicity regimes. Abundances of field stars in each set of panels are compared with those of members of GCs whose mean chemical compositions locate them in the accreted and in situ loci of the $\mathrm{Si}-\mathrm{Fe}$ plane. For the comparison with accreted N-rich stars, we select NGC 5904 (258 stars, $\langle[\mathrm{Fe} / \mathrm{H}]\rangle=-1.14,<[\mathrm{Si} / \mathrm{Fe}]\rangle=0.18)$ and NGC 6205 (119 stars, $<[\mathrm{Fe} / \mathrm{H}]>=-1.44,<[\mathrm{Si} / \mathrm{Fe}]>=0.19)$, and for the in situ N -rich stars we select NGC 6553 ( 52 stars, $\langle[\mathrm{Fe} / \mathrm{H}]\rangle=-0.04$, $<[\mathrm{Si} / \mathrm{Fe}]>=0.06$ ) and NGC 104 (333 stars, $\langle[\mathrm{Fe} / \mathrm{H}]\rangle=-0.67$, $<[\mathrm{Si} / \mathrm{Fe}]>=0.21)$.

On the plots in the first row, the anticorrelation between Al and Mg appears to differ substantially between the metal-poor and metalrich sub-samples of GCs. The metal-rich GC sub-sample shows a smaller scatter in both $[\mathrm{Al} / \mathrm{Fe}]$ and $[\mathrm{Mg} / \mathrm{Fe}]$ than those shown by the metal-poor sub-sample. Therefore, while the anticorrelation is easily visible in the metal-poor sample, it is not evident in the metal-rich sample. This is similarly shown in the Al-N plots. Where, though the correlation can be seen in the metal-rich GCs, it is more easily identified in the metal-poor GC sub-sample. For a more detailed discussion, see Mészáros et al. (2015) and Nataf et al. (2019).

In a recent paper, Fernández-Trincado et al. (2019) claim that N -rich stars must have $[\mathrm{Al} / \mathrm{Fe}]>+0.5$ to be considered SG GC members. Application of that criterion would remove large numbers of N -rich stars from our sample. However, we argue that our sample of field N -rich are indeed akin to SG GC members for the following reason: the bottom panels of Fig. 4 show a clear bimodality in the [ $\mathrm{N} / \mathrm{Fe}]-[\mathrm{C} / \mathrm{Fe}]$ plane, with the SG GC stars located and higher [N/Fe] above their FG GC counterparts. The dividing line between the two populations is located roughly at $[\mathrm{N} / \mathrm{Fe}]=+0.5$ for $[\mathrm{C} / \mathrm{Fe}]=-0.5$, and gently decreasing $[\mathrm{N} / \mathrm{Fe}]$ for increasing [ $\mathrm{C} / \mathrm{Fe}]$. This bimodality is also present in both the $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{Mg} / \mathrm{Fe}]$ and $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{N} / \mathrm{Fe}]$, showing that there are SG GC stars with $[\mathrm{Al} / \mathrm{Fe}]<0.5$ all the way to below solar. In fact, application of an $[\mathrm{Al} / \mathrm{Fe}]>+0.5$ cut would remove a large fraction of the SG stars in GCs themselves, particularly in the low metallicity regime (left-hand panels of Fig. 4). It is also well known that, although SG GCs typically present enhancements in N, Al, and Na (Bastian \& Lardo 2018), not all stars in GCs that are enhanced in N are also enhanced in Al. Indeed, as mentioned above, the $\mathrm{Al}-\mathrm{Mg}$ anticorrelation is dependent on metallicity, being substantially weaker in metal-rich GCs (e.g. Mészáros et al. 2015, 2020; Nataf et al. 2019), and mass (Massari et al. 2017).

### 3.3 Kinematic properties

In this sub-section, we check whether our definition of accreted and in situ stars, which is based solely on chemistry, maps into distinct properties in kinematic space. To do this, we make comparisons
between the distributions of our samples in a kinematic diagram, which is used to distinguish components of the Galaxy on the basis of their kinematic signatures (e.g. Venn et al. 2004; Bonaca et al. 2017; Helmi et al. 2018; Koppelman et al. 2019). The $x$-axis of the kinematic diagram is the tangential velocity, $v_{\phi}$, while the $y$-axis is the quadrature sum of the radial and vertical velocities, $\sqrt{v_{R}{ }^{2}+v_{Z}{ }^{2}}$.

The accreted and in situ populations are displayed on the kinematic diagram separately on the upper and lower panels of Fig. 5, respectively. Since the velocities are in Galactocentric coordinates, this places the origin of the coordinate system at the Galactic Centre, therefore the velocity of the Sun is at $v_{\mathrm{LSR}} \sim 220 \mathrm{~km} \mathrm{~s}^{-1}$. In both panels, normal stars are displayed as black/grey dots and N-rich stars as coloured triangles. Visual examination of these plots suggests the following interesting trend: Accreted stars, both normal and N rich, have on average more retrograde orbits $\left(v_{\phi}<0\right)$ than their in situ counterparts, whose orbits are predominantly prograde. This is clearly shown by the difference in the $v_{\phi}$ distribution of the in situ and accreted samples of N -rich stars, with the mean of the latter being $\sim 80 \mathrm{~km} \mathrm{~s}^{-1}$ lower than that of the former.

The above visual impressions must be confirmed by a quantitative statistical evaluation. The Kolmogorov-Smirnov (KS) statistic is a non-parametric test used to assess the similarity between two samples. We use the PYTHON package NDTEST ${ }^{3}$ to make 2D comparisons between the distributions in $v_{\phi}$ and $\sqrt{v_{R}^{2}+v_{Z}^{2}}$ of the following sub-samples, as shown in Table 1: accreted N -rich versus accreted normal, in situ N -rich versus in situ normal, accreted N -rich versus in situ N -rich and, accreted normal versus in situ normal. The KS tests result in a rejection of the null hypothesis, with $p$ value $<0.1$ for all four comparisons. The clear kinematic distinction between the accreted and in situ populations confirms our chemical selection of these groups. We also note the difference between accreted N -rich versus accreted normal sub-samples. This result can be understood by examination of Fig. 6. In that plot, it can be seen that the accreted normal stars show a clump of slightly prograde stars around $E / 10^{5} \sim-2.2 \mathrm{~km}^{2} \mathrm{~s}^{-2}$, without a clear counterpart in the N -rich accreted group. We suspect that this prograde population is likely due to contamination from the disc. In addition, the accreted normal population hosts a number of stars forming a cloud with $E / 10^{5} \gtrsim-1.85 \mathrm{~km}^{2} \mathrm{~s}^{-2}$, where no N -rich stars can be found. That is the locus occupied by stars belonging to the GE/S system, as well as other possible accretion events (Ibata et al. 1994, 2016; Helmi et al. 1999, 2018; Belokurov et al. 2018; Haywood et al. 2018; Mackereth et al. 2019; Horta et al. 2021a). Conversely, most of the N -rich stars occupy the same locus as Heracles identified recently by Horta et al. (2021a), with a couple of stars displaying kinematics suggestive of disc-like orbits.

Interestingly, the KS test rejects the null hypothesis for similarity between the in situ N -rich versus in situ normal sub-samples. We suggest that the difference between these two sub-samples is due to the presence of disc stars within 4 kpc of the Galactic Centre. This is further discussed in Section 3.4.

The stars in the accreted sample have on average lower metallicities than their in situ counterparts. Thus, the differences encountered could be due to the dependence of kinematics on the metallicity of stellar populations. To test that hypothesis, we redo the KS tests to assess the similarity between the accreted and in situ subsamples, this time limiting the comparison to stars with $[\mathrm{Fe} / \mathrm{H}]$ $<-0.8$. The results from this comparison are shown in Table 1 . The difference between the N -rich and normal accreted populations

[^3]

Figure 4. Coloured dots and triangles indicate GC stars (Horta et al. 2020) and N-rich stars (see Section 2.2), respectively, colour coded by their [Fe/H] abundance. The graphs on the left show the accreted N-rich stars plotted on top of stars in NGC 5904 and NGC 6205, and the right graphs show the in situ N-rich stars plotted on top of stars in NGC 6553 and NGC 104, both using the same metallicity colour scale. Each plot shows the mean error bar for the N-rich stars in the bottom right corner. The $1^{\text {st }}$ row shows these stars in the $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{Mg} / \mathrm{Fe}]$ plane to show the $\mathrm{Al}-\mathrm{Mg}$ anticorrelation in GCs. The $2^{\text {nd }}$ row shows the distribution in the $[\mathrm{Al} / \mathrm{Fe}]-[\mathrm{N} / \mathrm{Fe}]$ plane to show the Al-N correlation in GCs. The $3^{\text {rd }}$ row shows the distribution in the $[\mathrm{N} / \mathrm{Fe}]-[\mathrm{C} / \mathrm{Fe}]$ plane to show the $\mathrm{N}-\mathrm{C}$ anticorrelation in GCs. Each plot shows that our sample of N-rich stars lies on the same locus as SG GC members, supporting the idea they have possible GC origin.
remain unchanged since they were already restricted to $[\mathrm{Fe} / \mathrm{H}]<$ -0.8 . We do, however, see a big change in the comparison between the in situ populations, where the $p$-value $=0.294$ tells us that the null hypothesis cannot be rejected. This is due to the removal of
high metallicity disc stars from our sample of in situ normal stars. Regarding the comparison between accreted and in situ populations, for both the N -rich and normal samples, the null hypothesis is rejected even when the comparison is limited to metal-poor sub-samples.


Figure 5. Distribution in $\sqrt{v_{R}^{2}+v_{Z}^{2}}$ versus $v_{\phi}$ of accreted and in situ stars on the top and bottom panel, respectively. Top Panel: Accreted N-rich stars (red triangles) and the accreted bulge stars (black dots). Bottom Panel: in situ N -rich stars (blue triangles) and in situ bulge stars (grey dots). Anything with $v_{\phi}>0$ has a prograde orbit, similar to that of the disc, and anything with $v_{\phi}<0$ has a retrograde orbit. We also show on these plots the mean and standard deviation of the sub-samples for each axis.

In short, accreted and in situ samples are kinematically different populations even when only metal-poor stars are considered.

We checked whether our results are sensitive to the definition of the line separating accreted and in situ populations in Fig. 2. For that purpose, we shifted the zero-point of the relation given by equation (2) by $\pm 0.1$ dex in $[\mathrm{Fe} / \mathrm{H}]$, the results for which are shown in the last two columns of Table 1. When increasing the zero-point by +0.1 dex, our results are unchanged. However, when shifting the relation towards lower $[\mathrm{Fe} / \mathrm{H}]$, the KS tests become consistent with the null hypothesis for two of the sub-sample comparisons: (i) accreted normal versus accreted N-rich stars. This result is due to the removal of a small number of retrograde N -rich stars and the reduction in the contribution of prograde normal stars (which we conjectured in Section 3.3 to be due to disc contamination);
(ii) accreted N -rich versus in situ N -rich stars. This happens because the above-mentioned retrograde N -rich stars that are moved from the accreted to the in situ sub-sample, make the two groups more similar kinematically. Since this exercise leads to a reduction of the size of the N -rich accreted population, we deem these result of little statistical significance. The matter will have to be revisited on the basis of larger samples.

Again, we check the dependence of kinematics on metallicity by limiting the comparison to stars with $[\mathrm{Fe} / \mathrm{H}]<-0.8$, as done above, after shifting the relation by $\pm 0.1$ dex. The results for this are not shown since the only change we find is when comparing in situ N rich and in situ normal sub-samples. In both cases, when moving the zero-point towards higher of lower $[\mathrm{Fe} / \mathrm{H}]$, the null hypothesis cannot be rejected when comparing these two sub-samples. Also in this case, the statistical significance of the results is small due to the reduced sample sizes.

Finally, we examine the kinematic properties of Si-rich stars mentioned in Section 3.1, separately. When comparing their properties to those of N -rich and N-normal, the KS tests only yielded a statistically significant difference with the accreted N -rich, $p$-value $=0.022$. This suggests that this population is likely to result from the dissolution of in situ GCs and in the remainder of this analysis they will be treated as such.

In summary, the results above show that the chemistry-based definition of accreted and in situ sub-samples maps into distinct kinematic properties. Both N -rich and N -normal in situ samples with $R_{\mathrm{GC}}<4 \mathrm{kpc}$ show more disc-like orbits than their accreted counterparts, according to expectations. In Horta et al. (2021a), we showed that there is an important contamination of the chemically defined accreted samples by in situ stars. However, the differences persist even when controlling for the dependence of kinematics on metallicity, which argues in favour of our interpretation of the origin of the accreted N -rich sample.

### 3.4 N -rich stars frequency in accreted and in situ samples

An important clue to the origin of N -rich stars is their frequency, $f_{\mathrm{Nr}}$, defined as the ratio between the number of such stars and the total field population (e.g. Martell et al. 2016; Schiavon et al. 2017; Koch et al. 2019; Horta et al. 2021b). We measured this frequency in both the accreted and in situ sub-samples, and henceforth express it in terms of percentages. In the accreted group, we find $f_{\mathrm{Nr}}=$ $5.84 \pm 1.28$ per cent, whereas for the in situ group, the measured frequency is an order of magnitude lower, $f_{\mathrm{Nr}}=0.41 \pm 0.05$ per cent, $f_{\mathrm{Nr}}=0.60 \pm 0.08$ per cent if only high- $\alpha$ stars are considered. If we account for the Si-rich stars identified in Section 3.1, ascribing them to an in situ GC origin based on their kinematics, the frequency of the in situ group increases to $f_{\mathrm{Nr}}=0.58 \pm 0.06$ per cent, $f_{\mathrm{Nr}}=$ $0.86 \pm 0.10$ per cent if only high- $\alpha$ stars are considered. Thus, consideration of Si-rich stars does not alter our finding of a large difference between accreted and in situ N -rich stars.

This difference cannot be easily understood. According to the prevailing scenario for GC formation and destruction, (Kruijssen 2014, 2015; Pfeffer et al. 2019) Galactic GCs originate from two different channels. The ex situ, or accreted, channel would consist of GCs that were accreted to the Galaxy along with their host galaxies. Those accretion episodes occurred predominantly, though not exclusively, in the early stages of the Milky Way assembly, as suggested by various lines of evidence (e.g. Deason et al. 2014; Mackereth et al. 2018, 2019; Pfeffer et al. 2019; Hughes et al. 2020; Schiavon et al. 2020). Conversely, the in situ population would be comprised of GCs that were formed in the turbulent disc of the

Table 1. $p$-values obtained from performing a 2D KS test between the different sub-samples shown in Fig. 5. First Column: Results for the comparisons between sub-samples as defined in Section 3.1. Second Column: Result for the comparisons between the sub-samples with $[\mathrm{Fe} / \mathrm{H}]<-0.8$. Third and Fourth Column: Result when shifting the zero-point of the dividing line, equation (2), by $\pm 0.1$ dex. Setting a threshold for the $p$-value of 0.1 . So, a $p$-value $<0.1$ results in a rejection of the null hypothesis, whereas a $p$-value $>0.1$ means the null hypothesis cannot be rejected.

| Comparison | Full Sample | $[\mathrm{Fe} / \mathrm{H}]<-0.8$ | Zero-point +0.1 dex | Zero-point -0.1 dex |
| :--- | :---: | :---: | :---: | :---: |
| Accreted N-rich vs. Accreted normal | 0.024 | 0.024 | 0.066 |  |
| In situ N-rich vs. In situ normal | 0.028 | 0.294 | 0.062 |  |
| Accreted normal vs. In situ normal | $<0.001$ | 0.038 | $<0.001$ |  |
| Accreted N-rich vs. In situ N-rich | 0.009 | 0.027 | 0.040 |  |



Figure 6. Accreted N -normal (black dots) shows a population of stars in the same locus as GE/S stars at high energies, while the accreted N -rich stars (red triangles) occupy the low energy region similar to Heracles.

Milky Way at $z \sim 2-3$. According to this scenario, in situ GCs would have been destroyed very efficiently by tidal interaction with giant molecular clouds in the early disc (the so-called cruel cradle effect; see Kruijssen et al. 2012), whereas destruction of accreted GCs via tidal stripping and evaporation was less efficient, having happened on a much longer time-scale. Given these predictions, we would naively expect the frequency of in situ N -rich stars to be higher, not lower than that of the accreted population.

One possible way out of this conundrum is to invoke that the ratio between integrated star formation in the form of GCs over total was lower in the in situ than in the accreted population. This could be achieved, for instance, if the in situ population underwent a longer star formation episode than that leading up to the formation of the accreted population. If in situ star formation was extended further in time, after the cessation of the main episode of GC formation/destruction, a low in situ $f_{\mathrm{Nr}}$ could possibly be accommodated. In such a situation, however, one would expect the metallicity distribution function (MDF) of the in situ normal population to have more power towards higher metallicities than that of the in situ N -rich population.

This qualitative prediction does not seem to be supported by the MDFs of the N-rich and N-normal bulge in situ samples, shown in Fig. 7. For simplicity, we limit our comparison to high- $\alpha$ N-rich and normal field stars, as those are understood to have undergone a coherent chemical evolution path that is independent of the low- $\alpha$ disc population (Mackereth et al. 2018). In that figure, one can see that the MDFs of the high- $\alpha$ N-rich and N-normal in situ samples are not very different. The MDF of the high- $\alpha$ N-rich population peaks at $[\mathrm{Fe} / \mathrm{H}] \sim-0.8$, whereas that of the high- $\alpha \mathrm{N}$-normal population


Figure 7. MDFs for the in situ high- $\alpha$ N-rich stars (top panel) and in situ high- $\alpha$ normal field (bottom panel). The MDFs of the two populations are not very different. The N-rich MDF peaks at a slightly lower $[\mathrm{Fe} / \mathrm{H}]$, but is substantially broader, overlapping the high-metallicity end of the N-normal MDF.
peaks at a slightly higher metallicity, around $[\mathrm{Fe} / \mathrm{H}] \sim-0.5$. That difference in the mode of the two MDFs is slightly offset by the fact that the N -rich population has a broader MDF, with full width at halfmaximum $(F W H M) \sim 0.9$ dex, whereas that of the in situ population has FWHM $\sim 0.6$ dex. Assuming the N-rich MDF reproduces that of the parent GCs, one would thus conclude that the star formation history associated with the N -normal population did not extend in time much further past the period of GC formation and destruction. This result is additionally corroborated by recent evidence for a very fast overall formation of both the high- and low- $\alpha$ stellar populations in the inner Galaxy, which is attested by their predominantly old ages (e.g. Hasselquist et al. 2020).

This result prompts interesting considerations on the origin of the accreted N-rich stars currently inhabiting the inner Galaxy. The frequency of metal-poor N -rich stars as a function of Galactocentric distance has been shown by Horta et al. (2021b) to undergo a steep decrease towards growing $R_{\mathrm{GC}}$ (see also Martell et al. 2016; Koch et al. 2019). At $R_{\mathrm{GC}} \sim 15 \mathrm{kpc}$, Horta et al. (2021b) found $f_{\mathrm{Nr}} \sim$ $3_{-0.8}^{+1}$ per cent, which is considerably lower than the ratio we find for the accreted population. Since the population of N-rich stars in our sample at low metallicity is dominated by accreted stars, this result leads to the conclusion that GC destruction associated with satellite mergers must have been very efficient in the early stages of the Galaxy's formation. Indeed, it has been shown by Pfeffer et al. (2020) that GCs associated with the earliest accretion events ended up in strongly bound orbits, driven by dynamical friction. That is the case for Heralces (Horta et al. 2021a), a $\sim 5 \times 10^{8} \mathrm{M}_{\odot}$ satellite that likely merged with the MW over 10 Gyr ago (see also Kruijssen et al. 2020). Given the coincidence between the positions of our bulge N-rich stars in IOMs space and those of Heracles stars (Fig. 6),
we speculate that the bulge N -rich population is partly made of members of GCs that were originally associated with Heracles, and were mostly destroyed during the accretion event. It is also possible that those accreted N -rich stars were already in the field of Heracles, before they were accreted to the MW; however, there currently is no evidence for the presence of N-rich stars in the fields of dwarf satellites of the MW.

Hughes et al. (2020) used the E-MOSAICS simulations (Pfeffer et al. 2019) to calculate the contribution of destroyed GCs to field populations in the bulges of MW-like galaxies, comparing the predictions with the measurements by Schiavon et al. (2017). They show that, for most of the MW-like galaxies in their simulated volume, the prediction for $f_{\mathrm{Nr}}$ of the metal-poor stellar population is lower than the observations by factors of $\sim 2-30$ (bottom panel of their fig. 4). However, for a few simulated galaxies, the predicted $f_{\mathrm{Nr}}$ are in good agreement with the observations. Like the MW, the disc populations of those galaxies are characterized by a bimodal distribution in the $\alpha-\mathrm{Fe}$ plane, which is a distinctive feature of the MW disc populations (e.g. Hayden et al. 2015; Mackereth et al. 2017). Mackereth et al. (2018) showed that this feature is associated with an atypical accretion history, characterized by intense merging in early times and relative calm since $z \sim 1-1.5$. It is noteworthy, however, that Hughes et al. (2020) predictions for these few MW-like galaxies differ from our measurements with regard to the dependence of $f_{\mathrm{Nr}}$ on position in the $\alpha-\mathrm{Fe}$ plane. The high frequency of ex-GC stars in the field of simulated galaxies is predominantly due to high- $\alpha$ in situ GC formation and destruction, whereas our data show that the high $f_{\mathrm{Nr}}$ in the MW bulge is due to the contribution by the dissolution of low- $\alpha$ accreted GCs. This discrepancy would be alleviated if some of the stars in the accreted region in Fig. 2 were in fact formed in situ (see fig. 2 of Hughes et al. 2020), but it is not clear that accounting for such a contamination would completely eliminate the disagreement.

## 4 SUMMARY

The results presented in this paper make use of elemental abundances from APOGEE DR16 along with data from Gaia DR2 to study the chemical and kinematic properties of 146 N -rich stars located within the inner 4 kpc of the Galaxy. Our conclusions can be summarized as follows:
(i) We find that there are likely accreted and in situ components to the N -rich population within 4 kpc of the Galactic Centre, identified via chemistry by making a cut in $[\alpha / \mathrm{Fe}]-[\mathrm{Fe} / \mathrm{H}]$ space towards low metallicities (as shown in Fig. 2; e.g. Hayes et al. 2018; Mackereth et al. 2019; Das et al. 2020). By making this cut and removing stars without proper motions in Gaia, we select 428 and 13982 bulge stars that lie in the accreted and in situ positions, respectively, with 25 N -rich stars being located in the accreted and 58 located in the in situ locus.
(ii) We show that our sample of N -rich stars occupies the same locus as so-called SG GC stars, supporting the idea that they are the by-products of GC destruction/evaporation.
(iii) We find that there is a significant difference in the kinematic properties of chemically defined accreted and in situ populations. This shows that our chemistry-based distinction of these populations maps into differences in kinematic space. We also find that the accreted bulge field population includes stars that share orbital properties with the GE/S system, although no N-rich stars occupy that locus of orbital parameter space. The absence of N-rich stars
associated with GE/S in the bulge is likely due to their low frequency, combined with the relatively small number of GE/S stars found in the bulge (see Horta et al. 2021a).
(iv) We find that the frequency of N -rich stars differs by an order of magnitude between the accreted ( $f_{\mathrm{Nr}}=5.84 \pm 1.28$ per cent) and in situ ( $f_{\mathrm{Nr}}=0.41 \pm 0.05$ per cent) samples. This result seems to be at odds with numerical simulations that predict a higher frequency of destroyed GCs among high- $\alpha$ in situ populations (Hughes et al. 2020). We speculate that the higher frequency of N -rich stars among accreted populations is due to early merger events, such as Heracles (Horta et al. 2021a), which likely had their GCs destroyed very efficiently during the merger with the MW.
(v) The identification of an accreted population of N -rich stars in the bulge raises the question of whether the GCs from which they originate were destroyed in their host dwarf galaxies or during the merger. If the former hypothesis is correct, we would expect that N-rich stars would be present in the field of current Milky Way satellites. Norris et al. (2017) did not find a $\mathrm{Na}-\mathrm{O}$ anticorrelation, which is typical of GC stars, in Carina dwarf spheroidal field stars. However, their study is based on a sample of 63 stars, which is relatively small. Since the observed frequency of N-rich stars in the halo is $\sim 3$ per cent, one would expect to find $\sim 2 \mathrm{~N}$-rich stars in the sample of Norris et al. (2017). Such low numbers could easily be missed due to stochastic sampling.

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## DATA AVAILABILITY

Most of the data upon which this paper is based are publicly available as part of the 16th data release of the Sloan Digital Sky Survey (SDSS-IV) collaboration. For part of the sample, the data are still proprietary and will be made publicly available as part of the 17th data release. Once the latter data are publicly available, they will be accessible via the usual channels.

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## APPENDIX A: TABLE OF APOGEE IDS FOR N-RICH STARS

Table A1 shows only the publicly available DR16 APOGEE ID's, RA and DEC for the N -rich stars selected in this paper.

Table A1. N-rich stars identified in the inner Galaxy.

| APOGEE_ID | RA | DEC |
| :--- | :--- | :---: |
| 2M16051144-2330557 | 241.297673 | -23.515484 |
| 2M16180906-2442217 | 244.537768 | -24.706036 |
| 2M16304650-2949522 | 247.693763 | -29.831173 |
| 2M16314726-2945273 | 247.946932 | -29.757591 |
| 2M16333703-3028333 | 248.404329 | -30.475943 |
| 2M16335569-1344044 | 248.482062 | -13.734557 |
| 2M17024730-2210387 | 255.697092 | -22.177443 |
| 2M17271907-2718040 | 261.829481 | -27.301126 |
| 2M17281699-3024573 | 262.070794 | -30.415928 |
| 2M17285196-2013080 | 262.2165 | -20.218908 |
| 2M17293012-3006008 | 262.375515 | -30.100246 |
| 2M17293730-2725594 | 262.405434 | -27.433182 |
| 2M17303980-2330234 | 262.665839 | -23.506523 |
| 2M17305251-2651528 | 262.718823 | -26.864672 |
| 2M17305645-3030155 | 262.73523 | -30.504309 |
| 2M17325943-3034281 | 263.247636 | -30.57449 |
| 2M17330999-1034023 | 263.291625 | -10.567309 |
| 2M17333623-2548156 | 263.400967 | -25.804361 |
| 2M17334418-3033313 | 263.434107 | -30.558695 |
| 2M17334704-3034136 | 263.446029 | -30.570456 |
| 2M17335209-3011013 | 263.467059 | -30.183704 |
| 2M17340261-2616237 | 263.51091 | -26.273256 |
| 2M17343807-2557555 | 263.658637 | -25.965429 |
| 2M17350460-2856477 | 263.769185 | -28.946587 |
| 2M17354063-3339547 | 263.919305 | -33.665203 |
| 2M17404143-2714570 | 265.172631 | -27.249172 |
| 2M17494963-2318560 | 267.4568 | -23.315571 |
| 2M17504980-2255083 | 267.70754 | -22.91898 |
| 2M17511127-3406383 | 267.796969 | -34.110645 |
| 2M17523300-3027521 | 268.137518 | -30.464495 |

Table A1 - continued

| APOGEE_ID | RA | DEC |
| :--- | :--- | :---: |
| 2M17534571-2949362 | 268.44047 | -29.826744 |
| 2M17552461-0122088 | 268.852559 | -1.369136 |
| 2M17554454-2123058 | 268.93562 | -21.384953 |
| 2M17555660-3238250 | 268.985848 | -32.640282 |
| 2M17560439-3246181 | 269.01833 | -32.771721 |
| 2M17571419-3328194 | 269.309144 | -33.472073 |
| 2M17573951-2908334 | 269.414629 | -29.142628 |
| 2M17595598-3117393 | 269.983287 | -31.294264 |
| 2M18013879-2924112 | 270.411633 | -29.403118 |
| 2M18014007-2649505 | 270.416966 | -26.830719 |
| 2M18014786-2749080 | 270.449436 | -27.818907 |
| 2M18015592-2749451 | 270.483011 | -27.829222 |
| 2M18033529-2911240 | 270.897062 | -29.19002 |
| 2M18035944-2908195 | 270.997669 | -29.138758 |
| 2M18044803-2752467 | 271.200154 | -27.879654 |
| 2M18050144-3005149 | 271.256017 | -30.087484 |
| 2M18054875-3122407 | 271.453164 | -31.377975 |
| 2M18061308-2522503 | 271.554505 | -25.380655 |
| 2M18062975-2855357 | 271.623993 | -28.926601 |
| 2M18072810-2459356 | 271.867096 | -24.993229 |
| 2M18100924-3733319 | 272.538504 | -37.55888 |
| 2M18101932-0930066 | 272.580527 | -9.50184 |
| 2M18120031-1350169 | 273.001326 | -13.838031 |
| 2M18121957-2926310 | 273.081553 | -29.441954 |
| 2M18315425-2328124 | 277.976045 | -23.470121 |
| 2M18334592-2903253 | 278.441366 | -29.057034 |
| 2M18360807-2314389 | 279.033649 | -23.244165 |
| 2M18364041-3402389 | 279.168375 | -34.044147 |
| 2M18425902-3007370 | 280.74595 | -30.126949 |
| 2M18442352-3029411 | 281.098036 | -30.494764 |
| 2M18475308-2602331 | 281.971167 | -26.042528 |
| 2M18562844-2814085 | 284.118507 | -28.23572 |
| 2M18594405-3651518 | 284.933562 | -36.864391 |
| 2M19175998-2919360 | 289.499952 | -29.326691 |
|  |  |  |
|  |  |  |

This paper has been typeset from a $\mathrm{T}_{\mathrm{E}} \mathrm{X} / \mathrm{E} \mathrm{T}_{\mathrm{E}} \mathrm{X}$ file prepared by the author.


[^0]:    * E-mail: S.S.Kisku@2015.ljmu.ac.uk (SK); R.P.Schiavon@ljmu.ac.uk (RPS)
    $\dagger$ NSF Astronomy and Astrophysics Postdoctoral Fellow.

[^1]:    ${ }^{1}$ To obtain these numbers, Schiavon et al. (2017) applied the Besançon models (Robin et al. 2012, 2014) in order to estimate the contribution of the inner stellar halo to the mass budget of the inner Galaxy.

[^2]:    ${ }^{2}$ http://github.com/jobovy/galpy.

[^3]:    ${ }^{3}$ https://github.com/syrte/ndtest.

