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# Colloidal transport and deposition through dense vegetation

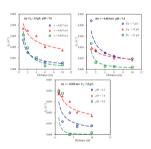
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#### HIGHLIGHTS

- Colloid deposition rate decreased with travel distance following an approximate power law under various flow conditions.
- Gravity contributed to the decrease, but could not explain its magnitude.
- Mechanisms driving decreased deposition rate coefficient in granular media may also apply to submerged vegetation.

#### GRAPHICAL ABSTRACT



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## $A\ B\ S\ T\ R\ A\ C\ T$

The effectiveness of submerged synthetic aquatic vegetation on removal of colloids from flowing water was investigated to explore retention of particulate nonpoint source pollutants in aquatic systems. In colloid transport experiments, the deposition rate coefficient of colloids in dense vegetation is often taken as spatially constant. This assumption was tested by experiments and modeling aimed at quantifying changes in colloid retention with travel distance in submerged synthetic aquatic vegetation. Experiments were performed in a 10-m long, 0.6-m wide flume with a 5-cm water depth under different fluid velocities, initial colloid concentrations, and solution pH values. A model accounting for advection, dispersion and first-order kinetic deposition described the experimental data. The colloid deposition rate coefficient showed a power-law decrease with travel distance, and reached a steady state value before the end of the flume. Measured changes in colloid properties with transport distance ( $\zeta$  potential and size) could not explain the observed decrease. While gravity was shown to contribute to the decrease, its impact was too weak to explain the decreasing power law trend, suggesting that processes operating in granular media to produce similar outcomes may also apply to submerged vegetation.

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#### 1. Introduction

Removal of colloidal particles (e.g.,  $0.1-10~\mu m$ ) by dense vegetation is critical to non-point source (NPS) pollution control. Bio-colloids like bacteria, viruses and protozoa (Hickey and Doran, 2004; Magette et al., 1989) are potential contaminants, whereas non-biological colloids such as clays or microplastics (Barry et al., 2013; Jin et al., 2019) can influence the fate of chemical pollutants such as radionuclides (Koelsch et al., 2006; Tomer et al., 2003), pesticides (Wang and Wang, 2008) and heavy metals (Bin et al., 2011), due to their high specific surface area.

Colloid capture by vegetation is an important mechanism for removing colloids from surface water (Palmer et al., 2004), more so if the vegetation is dense (Davies et al., 2004; Olilo et al., 2016; Palmer et al., 2004; Wu et al., 2014; Yu et al., 2012). Whereas extensive literature exists regarding colloid removal in saturated porous media (Bradford et al., 2003, 2013; Chen et al., 2015; Gao et al., 2004; Molnar et al., 2015; Phenrat et al., 2010; Saiers and Ryan, 2005; Wang et al., 2016), relatively sparse information exists for removal in submerged vegetation. In both porous media (Kretzschmar et al., 1997; Molnar et al., 2015; Jin et al., 2018) and submerged vegetation (Wu et al., 2012; Yu et al., 2012, 2019), colloid removal mechanisms are often assessed using classic filtration theory, a key parameter of which is the deposition rate coefficient,  $k_d$ .

In saturated porous media,  $k_d$  can under some conditions be spatially constant (Albarran et al., 2014; Chen et al., 2015; Li et al., 2004; Syngouna and Chrysikopoulos, 2013), although both laboratory and field experiments demonstrate that  $k_d$  can decrease (or otherwise vary) with distance from the source (Molnar et al., 2015; Schijven and Simunek, 2002; Tufenkji et al., 2003; Wang et al., 2014). This spatial variability is attributed to colloid size and surface charge variations (Chatterjee et al., 2011; Foppen et al., 2007; Molnar et al., 2015; Tong and Johnson, 2007). For example, an increased negative  $\zeta$  (zeta) potential (repulsion) of mobile colloids with increased transport distance was observed in a laboratory glass bead column experiment (Tufenkji and Elimelech, 2005). Alternatively, Tong and Johnson (2007) reasoned that colloids with lower  $\zeta$  potential can undergo increased secondary energy minimum retention, producing faster- and slower-attaching subpopulations. Colloid size variation also produces variations in  $k_d$  among the colloid population and therefore with transport distance, for example because of the preferential removal of larger individual colloids (Chatterjee et al., 2011) leading to decreasing  $k_d$  with increased transport distance. Spatial variations of  $k_d$  are commonly observed even in the absence of variations in colloid size or surface properties, leading to the hypothesis that such behavior results from fundamental processes operating during transport in porous media. Johnson (2020) proposed that  $k_d$  changes with transport distance due to the existence of a fast-attaching colloid population that is not replenished due to incomplete pore-scale mixing. As the fast-attaching subpopulation is progressively depleted with increased transport distance, the subpopulation of non-fast-attaching colloids proportionally increases, in which case the overall  $k_d$  correspondingly decreases.

Evidence for a similar conclusion for colloidal transport through dense vegetation is not available. This work considers flow through dense vegetation, which can be considered as a large-porosity porous medium. However, compared with laminar flow in granular media, the flow hydrodynamics in dense vegetation are more complex since the fluid velocity is much larger than in granular media. Because of the large porosity and higher flow velocity, Reynolds numbers for flow through vegetation will generally far exceed those for porous media, which will impact on deposition of transported colloids. It is this situation that this paper considers, in particular how  $k_d$  changes with transport distance.

A distance of at least 10 m of dense vegetation is recommended for removal of colloidal contaminants (Reichenberger et al., 2007; Syversen and Bechamann, 2004). In contrast, studies colloid removal by vegetation typically involve small-scale experiments on the order of several centimeters (Wu et al., 2011, 2012, 2014, Yu et al., 2012, 2013), for

which  $k_d$  is constant. Upscaling from small experiments is thus feasible only if  $k_d$  is spatially constant. Therefore, it is of practical significance to investigate whether the  $k_d$  for colloid removal by vegetation is spatially constant over relevant transport distances. Consequently, the objectives of this study are as follows: (1) to determine the empirical relationship between the deposition rate  $k_d$  and travel distance in submerged aquatic vegetation, and (2) to explore the dominant mechanism(s) that governs this empirical relationship as elucidated by varying physical and chemical conditions.

#### 2. Material and methods

#### 2.1. Materials

Powdered kaolinite (Tianjin Fuchen Chemical Reagents Factory, China) was thoroughly mixed in deionized water at three concentrations by adding 40, 80 or 120 g to 2 L of tap water (4 mM ionic strength). Mixing was achieved by vigorous shaking with an ultrasonic bath for 30 min, after which the mixtures were left to stand for 7 h. The colloids remaining in suspension were then siphoned into a flask for use in the experiments. The colloid concentration was determined with an ultraviolet spectrophotometer at a wavelength of 350 nm. The colloid size range was 900–1200 nm (mode ~1100 nm) measured by light scattering (Malvern Zetasizer Nano ZS90). Potassium nitrate at a concentration of 307 ppm was used in the experiment as a conservative tracer. Plastic turf grass (in blocks of 0.4-m length and 0.6-m width, grass height of 8 cm) was selected as the experimental vegetation (Fig. 1). The vegetation density was 1029 (uniformly positioned) stems/m<sup>2</sup>. The colloid and vegetation ζ potentials were determined using a Malvern Zetasizer Nano ZS90. For the vegetation  $\zeta$  potential, three plastic turf grasses were soaked in deionized water and then sonicated for 3 h. Then, the  $\zeta$  potential of the particles leaving the plastic surface by sonication represents the vegetation  $\zeta$  potential (ZetaPlus instrument, Brookhaven Instrument Co., Holtsville, NY).

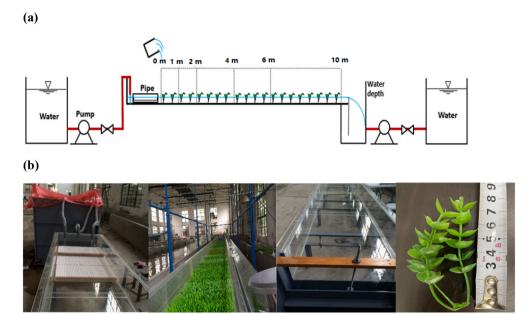
#### 2.2. Colloid transport experiments

The colloid transport experiments were conducted in a 12 m  $\times$  0.6 m  $\times$  0.2 m open flume that contained a layer of plastic turf grass (Fig. 1). A pump was used to produce a specified constant-rate inflow. A rectifying tube was used to stabilize inflow in the first 1 m of the flume, while a plastic board located at the end of the flume controlled the water depth. The experiments had a flow depth of 5 cm (i.e., less than the grass height of 8 cm). The colloid and tracer were injected as a pulse at the flume's inlet

Inflow with colloid-free water was first applied to the flume for about 30 min from a 3-m³ tank, allowing the flume system to reach a steady flow condition. One liter of colloid and potassium nitrate mixture was then injected into the flume inlet as a pulse injection (0 m in Fig. 1a). Surface water samples were collected at 1, 2, 4, 6 and 10 m from the injection point at different sampling intervals (from 10 to 120 s), with three samples collected across each longitudinal distance for 11 min. An ultraviolet spectrophotometer was used to determine nitrate and colloid concentrations in the samples at wavelengths of 220 and 350 nm, respectively. Triplicate samples at each distance were averaged. In addition, the  $\zeta$  potential and the average size of the colloids were measured with a Malvern Zetasizer Nano ZS90. For each condition (see next section), the transport experiment was repeated three times.

#### 2.3. Experimental conditions

The experimental conditions were designed to examine the effects of fluid velocity, initial colloid concentration and pH on retention of colloids in dense vegetation. The fluid velocity was controlled by a pump (Fig. 1a), while the pH (measured) in the  $3\text{-m}^3$  tank was adjusted using a NaOH/HCl mixture. The experimental conditions are listed in Table 1.



**Fig. 1.** Laboratory experiment: (a) schematic of the experimental setup, including the flow system, colloid addition location (0 m), and sampling locations at 1, 2, 4, 6 and 10 m downstream. (b) From left to right the panels show: rectifying tube system used to stabilize the inflow in the first 1 m of the flume; dense, plastic turf grass in the flume; water-depth controller board at the end of the flume; close up image of leaf and stem layer of the vegetation.

**Table 1** Experimental conditions and power law fit of the deposition rate coefficient  $k_t$  as a function of travel distance x for different cases.

ID	Flow rate (m/s)	Depth (cm)	Initial colloid concentration (g/L)	pН	Ionic strength (mmol/L)	Power law fit for $k_d$ (/s)	$\mathbb{R}^2$	<i>p</i> -value
I.1	0.017	5	13	7.6	4	$0.002x^{-0.682}$	0.967	0.002
I.2	0.025	5	13	7.6	4	$0.004x^{-0.352}$	0.827	0.021
I.3	0.029	5	13	7.6	4	$0.003x^{-1.036}$	0.858	0.015
II.1	0.025	5	7	7.6	4	$0.007x^{-0.598}$	0.830	0.020
II.2	0.025	5	13	7.6	4	$0.004x^{-0.353}$	0.827	0.021
II.3	0.025	5	21	7.6	4	$0.003x^{-1.049}$	0.863	0.014
III.1	0.025	5	13	6.2	4	$0.003x^{-0.617}$	0.563	0.089
III.2	0.025	5	13	7.6	4	$0.004x^{-0.352}$	0.827	0.021
III.3	0.025	5	13	9.6	4	<b>/</b> §	/	/

 $<sup>\</sup>S$  The relationship between  $k_d$  and travel distance x did not follow a power law, indicated b.

# 2.4. Transport model

The transport of colloids in submerged dense vegetation was described using the advection-dispersion equation with deposition kinetics (Kretzschmar et al., 1997):

$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2} - v \frac{\partial C}{\partial x} - k_d C \tag{1}$$

where C is the liquid phase concentration [M/L<sup>3</sup>], t is time [T], D is the diffusion/dispersion coefficient [L<sup>2</sup>/T], x is distance [L], v is the average flow velocity in the dense vegetation [L/T] and  $k_d$  [/T] is the first-order colloid deposition rate coefficient.

STANMOD (https://www.ars.usda.gov/pacific-west-area/riverside-ca/agricultural-water-efficiency-and-salinity-research-unit/docs/mod el/stanmod-model/, last accessed 20 July 2021), was used to solve Eq. (1) numerically for zero initial concentrations, a pulse-input inflow, and zero-concentration-gradient boundary condition at the outflow. In the model, the average fluid velocity  $\nu$  was determined using the arrival time of the tracer breakthrough peak concentration at each section. The model was first applied to simulate the transport of the tracer to determine D, which was then used to simulate the transport of colloids to determine  $k_d$  under different conditions.

# 2.5. Colloid filtration and DLVO theory

In colloid filtration theory, the collector efficiency ( $\eta$ ) is the ratio of the number of colloids that contact the collector (vegetation) to the number of colloids introduced to the collector. The collector efficiency was upscaled to  $k_d$  following Johnson and Hilpert (2013):

$$k_d = -\ln(1-\eta)\frac{N_c}{L}v\tag{2}$$

where (Nelson and Ginn, 2011):

$$\frac{N_c}{I} = \frac{(1-\theta)^{1/3}}{2d} \tag{3}$$

where  $d_c$  is the grain diameter and  $\theta$  is the volumetric water content, equivalent to porosity under saturated conditions. Also,  $\nu$  is the pore fluid velocity,  $\eta$  is collector efficiency,  $N_c$  is a series of collectors and L is the total length of those collectors, assuming each collector has the same n value

This parameter  $\eta$  includes gravitational, diffusion, and interception components of  $\eta$  ( $\eta_G$ ,  $\eta_D$ , and  $\eta_I$ , respectively). They are determined by mechanistic trajectory simulations performed using Traj-Hap module of Parti-Suite (https://wpjohnsongroup.utah.edu/trajectoryCodes, last

accessed 21 July 2021) according to colloid filtration theory. The Traj-Hap module of Parti-Suite simulates particle trajectories and surface interactions and is suitable for investigating mechanistic nano-to microparticle transport since it is based on pore-scale Lagrangian trajectory simulations with hydrodynamic retardation correction and torquebalance analysis (Johnson, 2020). To reduce computational intensity, particle trajectory simulations were initiated only within the so-called limiting radius, which is the radius from the axis of flow beyond which colloids will not intercept the grain surface. The colloid population that would have entered the collector beyond the limiting radius was not simulated, but was accounted for in calculation of the collector efficiency ( $\eta$ ). An important factor in the Traj-Hap module is the limiting colloid injection radius (denoted  $R_{lim}$  in Parti-Suite). In Parti-Suite's computation of particle trajectories,  $R_{lim}$  controls the capture distance beyond which a given particle will not be intercepted by a surface. If used in simulations was confirmed to be sufficiently large to ensure those colloids that would exist outside the limiting radius, but colloids that are inside the radius correspond to the collector (not simulated) and would not attach (Fig. SI7). The porosity of the water column with submerged vegetation was determined by fluid displacement measurements to be 0.96, from which the radius of the Happel sphere-in-cell collector ( $R_{lim}$ ) was determined as 0.5 mm. Although the vegetation and colloids were both negatively charged, we simulated colloids as

positively charged (favorable condition), i.e., the charge of colloid and collector have opposite signs in order to evaluate the impact of physical mass transfer processes (interception, diffusion, and settling).

The extended Derjaguin-Landau-Verwey-Overbeek (xDLVO) theory (Derjaguin and Landau, 1993; Verwey, 1947) was used to determine colloid-collector interaction forces: van der Waals (Nir and Anderson, 1977; Gregory 1981), electric double layer (Lin and Wiesner, 2012) and Lewis acid-base (Wood and Rehmann, 2014). Extended DLVO interactions were calculated using the xDLVO module of Parti-Suite. In this paper, the Hamaker constant is  $4.28 \times 10^{-20}$  J, and the acid-based energy was set to  $-2.7 \times 10^{-10}$  J/m² (Yu et al., 2020).

#### 3. Results

#### 3.1. Experimental and simulated colloid and nitrate breakthrough curves

The observed and simulated breakthrough-elution concentration histories (BTCs) of nitrate and kaolinite with an average velocity of 0.029 m/s, initial concentration of 21 g/L, pH of 6.2 and ionic strength (IS) of 0.1 mmol/L are shown in Fig. 2 (other observed and simulated BTCs are in the Supporting Information, SI). All BTCs for nitrate and kaolinite are reasonably symmetrical although some tailing is evident. The curves show the expected broadening and lowering of the peak

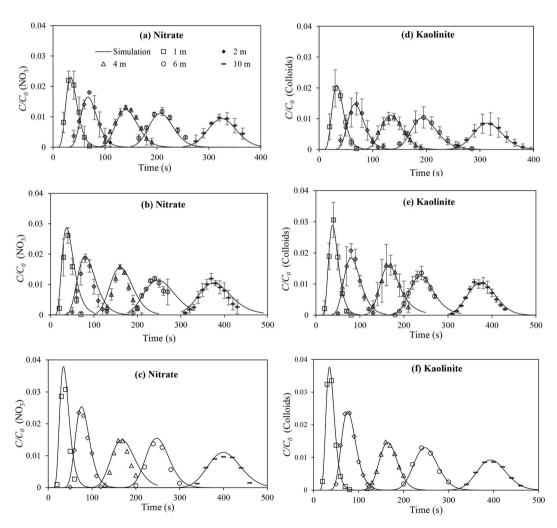


Fig. 2. Observed values (symbols) and simulated fits (lines) for the BTCs of nitrate (left column, a, b, C) and kaolinite (right column, d, e, f) at various distances (varying velocity, pH and initial concentration). IS = 4 mM for all cases. Top row (a, d): highest velocity (0.029 m/s), intermediate pH (7.6) and intermediate initial concentration (13 g/L). Middle row (b, e): intermediate velocity (0.025 m/s), intermediate pH (7.6) and highest initial concentration (21 g/L). Bottom row (c, f): intermediate velocity (0.025 m/s), lowest pH (6.2) and intermediate initial concentration (13 g/L). Error bars show ranges ( $\pm 1$  standard deviation) from three replicate experiments. No replicates in (c) and (f).

concentration with increased travel distance, due to dispersion and deposition. Simulations using STANMOD described the transport of nitrate and kaolinite well with a single dispersion coefficient ( $R^2 > 0.9$  for all fits) along with a spatially decreasing deposition rate coefficient ( $k_d$ ), as discussed below.

#### 3.2. Colloid deposition rate coefficient decreased with transport distance

The fitted  $k_d$  for kaolinite decreased nonlinearly (power law) with travel distance for all experiments (Fig. 3, Table 1), a result that is consistent with colloid transport in granular media under conditions where colloid-surface repulsion is significant (Tong and Johnson, 2007; Chatterjee et al., 2010; Johnson, 2020).

For all conditions of varied velocity, initial concentration, and pH,  $k_d$  decreased with transport distance in the submerged vegetation (Fig. 3). The impact of fluid velocity on  $k_d$  was non-monotonic, with the highest initial  $k_d$  value being associated with the intermediate velocity (0.025 m/s) (Fig. 3a). The initial value of  $k_d$  decreased modestly as the initial concentration increased (Fig. 3b), indicating that a limited number of attachment sites may exist. Blocking (attached colloids preventing further colloid attachment) is a possible mechanism for this behavior. However, no blocking term was required to describe the BTCs (Eq. (1)), indicating that attachment sites were not exhausted, and the change in  $k_d$  with change in initial concentration is modest (i.e., factor of two); therefore, we do not emphasize this trend herein. The initial (upstream) value of  $k_d$  was equivalent among the three pH values, whereas the decrease with transport distance was least for the intermediate pH (pH = 7.62) (Fig. 3c), although the reason for this outcome is not clear.

#### 3.3. Colloid $\zeta$ potential and size distribution with travel distance

The influence of transport distance on parameters critical to kaolinite deposition ( $\zeta$  potential and colloid size) were examined to determine whether their potential spatial variation explains the observed decrease in  $k_d$  with transport distance. The  $\zeta$  potential of recovered colloids became more negative (from approximately -11 to -18 mV) across the length of the flume for the highest pH (9.55) (Fig. 4a). However, for the two lower pH conditions, the  $\zeta$  potential became less negative (from approximately -16 to -11 mV) across the length of the flume. The increased negative  $\zeta$  potential for the higher pH potentially contribute to the observed decrease of  $k_d$  with increased transport distance. However, as the colloid radius increased from 1.26 to 1.43 µm, the second minimum energy barrier to deposition decreased (Fig. S18). The fact that all pH conditions showed a similar power law decrease in  $k_d$  with transport distance demonstrates that changes in the kaolinite  $\zeta$  potential during transport cannot explain the observed decreases in  $k_d$ .

Colloid size increased modestly (20%) with transport distance under the highest pH condition (9.6), whereas colloid size increased negligibly with transport distance for the two lower pH conditions (Fig. 4b). The factor two-to-three increase in colloid size at the highest pH is unexplained. The impact of colloid size on  $k_d$  under favorable conditions was examined using Parti-Suite, which demonstrated a modest increase (approximately 10%) with colloid size increase from 2500 to 3000 nm across the flume distance. Therefore, the modest increase in colloid size with transport distance cannot explain the observed  $k_d$  decrease.

The combined impacts of colloid  $\zeta$  potential and size changes with distance on the calculated barrier to deposition either showed no trend

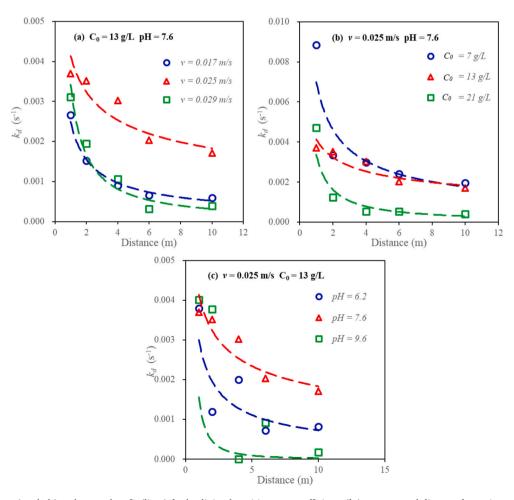


Fig. 3. Observed values (symbols) and power law-fit (lines) for kaolinite deposition rate coefficients ( $k_d$ ) versus travel distance for various average velocities (a), initial kaolin concentrations (b) and pH values (c). For all experiments IS = 4 mM.

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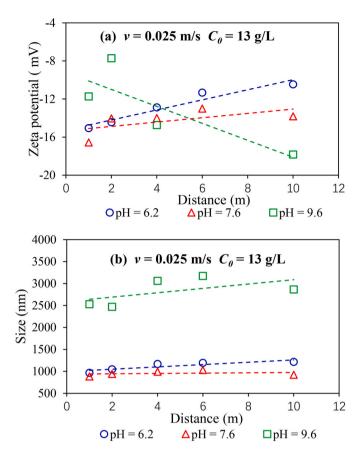


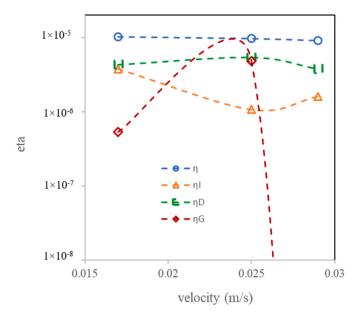
Fig. 4.  $\zeta$  potential (a) and average diameter (b) of colloids versus transport distance for different pH values. For all experiments IS = 4 mM. Points are values from experiments and dashed lines are linear regressions.

(pH 9.6), or the barrier decreased with increased transport distance for the two remaining pH conditions (Fig. SI9), further demonstrating that these parameters cannot explain the consistently observed  $k_d$  decrease with increased transport distance.

# 4. Discussion

#### 4.1. Velocity impact on colloid deposition

The non-monotonic impact of fluid velocity on  $k_d$  was examined using the Traj-Hap module of Parti-Suite under favorable conditions. A grain radius of 0.5 mm produced simulated values of  $\eta$  and  $k_d$  of the same order of magnitude as those that were experimentally observed (Table SI5). The gravitational, diffusion, and interception-only components of  $\eta$  ( $\eta_G$ ,  $\eta_D$ , and  $\eta_I$ , respectively) were determined by setting to zero diffusion, gravity, or both forces in the mechanistic trajectory (Parti-Suite) simulations. The simulations indicated that as the fluid velocity increased from 0.017 to 0.029 m/s,  $\eta_G$  increased then decreased dramatically, and  $\eta_I$  did so modestly (Fig. 5), likely contributing to the experimentally-observed modest nonmonotonic trend of the initial  $k_d$ values as a function of velocity (Fig. 3a). In contrast, the decrease in  $k_d$ with increased velocity observed in another vegetation experiment (Purich, 2006) was tentatively attributed to flow vortices. While Reynolds numbers in the flume experiments (approximately 100–200) were in the range of laminar flow, the possibility of impact from vortices cannot be ruled out. However, no measurements are available to address this question.



**Fig. 5.**  $\eta$ ,  $\eta_{I_1}$   $\eta_{D_1}$  and  $\eta_{G}$  as a function of fluid velocity, as determined from mechanistic trajectory simulations with parameters provided in Table S6.

# 4.2. Causes of the observed decrease in $k_d$ with increased transport distance

The  $\zeta$  potential and colloid size cannot explain the observed decrease in  $k_d$  with increased transport distance. However, due to the high surface area of the leaf layer relative to the stem layer, we expect the  $k_d$  values to be far lower for stems relative to leaves by some factor that we denote f. Because of gravity the number of colloids in the stem layer would increase with transport distance, thus the  $k_d$  would decrease with transport distance. We explored the possibility that gravity impacted  $k_d$  as a function of transport distance by moving colloids from the vegetation leaf layer (top half of water column) to the stem layer (bottom half of water column) (Fig. 1).

The mass change in the water column is equal to the product of the overall filtration rate coefficient ( $k_{d,overall}$ ), the overall water column concentration ( $C_{overall}$ ), and the overall water column volume ( $V_{overall}$ ):

$$k_{d,overall}C_{overall}V_{overall} = k_{d,leaf}C_{leaf}V_{leaf} + k_{d,stem}C_{stem}V_{stem}$$

where the contributions to mass change from the leaf and stem layers are equal to the products of their respective filtration rate coefficients ( $k_{d,leaf}$  and  $k_{d,stem}$ ), concentrations ( $C_{leaf}$  and  $C_{stem}$ ) and volumes ( $V_{leaf}$  and  $V_{stem}$ ). Rearranging:

$$k_{d,overall} = \frac{k_{d,leaf} C_{leaf} V_{leaf} + k_{d,stem} C_{stem} V_{stem}}{C_{uv} V_{uv}}$$

Denoting  $T = V_{stem}/V_{leaf}$  and  $f = k_{d,stem}/k_{d,leaf}$  and substituting gives:

$$k_{d,overall} = \frac{\left(C_{leaf} + TfC_{stem}\right)k_{d,leaf}}{(1+T)C_{overall}}$$

Mass balance dictates that the overall water column concentration  $(C_{overall})$  comprises contributions from the leaf  $(C_{leaf})$  and stem  $(C_{stem})$  layers:

$$C_{overall} = \frac{C_{leaf} V_{leaf} + C_{stem} V_{stem}}{V_{leaf} + V_{stem}}$$

Substituting  $V_{stem} = T V_{leaf}$  and cancelling  $V_{leaf}$  gives

$$C_{overall} = \frac{C_{leaf} + T C_{stem}}{1 + T}$$

Substituting the expression for  $C_{overall}$  into the expression for  $k_{d,overall}$ 

and cancelling terms:

$$k_{d,overall} = \frac{\left(C_{leaf} + TfC_{stem}\right)k_{d,leaf}}{C_{leaf} + T C_{stem}}$$

In the flume,  $C_{leaf}$  and  $C_{stem}$  will change with advection, dispersion and settling:

$$\frac{\partial C_{leaf}}{\partial t} = -k_{grav}C_{leaf} - v\frac{\partial C_{leaf}}{\partial x} + D\frac{\partial^2 C_{leaf}}{\partial x^2}$$

$$\frac{\partial C_{stem}}{\partial t} = +k_{grav}C_{leaf} - v\frac{\partial C_{stem}}{\partial x} + D\frac{\partial C_{stem}^2}{\partial x^2}$$

where velocity ( $\nu$ ), dispersion (D), and the settling rate coefficient ( $k_{grav}$ ) are for the sake of parsimony considered equivalent in the leaf and stem layers. At steady state, the above temporal derivates are zero. Furthermore, since  $Dk_{grav}/v^2 \ll 1$  for our experiments (Table SI1-4), the dispersive flux has negligible impact on the breakthrough concentration in which case the equations simplify to:

$$v\frac{dC_{leaf}}{dx} = -k_{grav}C_{leaf}$$

$$v\frac{dC_{stem}}{dx} = +k_{grav}C_{leaf}$$

Separating and integrating yields for  $C_{leaf}$ , and denoting  $\lambda = k_{grav}/v$ :

$$\frac{C_{leaf}}{C_0} = \exp(-\lambda L)$$

where L is a location of interest. Separating and integrating after substituting the expression for  $C_{leaf}$  yields for  $C_{stem}$ :

$$\frac{C_{stem}}{C_0} = 1 + L \frac{\lambda}{T} \exp(\lambda L)$$

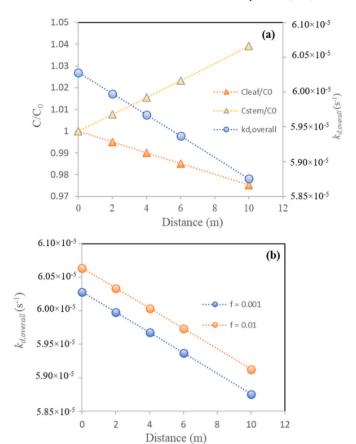
Substituting the expressions for  $C_{leaf}$  and  $C_{stem}$  into the expression for  $k_{d.overall}$  yields:

$$k_{d,overall} = k_{d,leaf} \frac{\exp(-\lambda L) + Tf \left[1 + L\frac{\lambda}{T} \exp(\lambda L)\right]}{\exp(-\lambda L) + T \left[1 + L\frac{\lambda}{T} \exp(\lambda L)\right]}$$

In the equation immediately above, the first terms in the numerator and denominator (with negative exponents) decrease with increasing distance (L), whereas the second terms in the numerator and denominator (with positive exponents) increase with distance. The denominator increases faster than the numerator as L increases (since f < 1), such that  $k_{d,overall}$  decreases with increasing transport distance due to the influence of gravity ( $k_{grav}$ ) in  $\lambda$ . For  $\lambda L \gg 1$ ,  $k_{d,overall} \rightarrow k_{d,stem}$ , as expected (all the colloids eventually sink from the top layer to the bottom layer under the influence of gravity).

The value of  $k_{d,overall}$  was calculated for our experimental system at the medium velocity (0.025 m/s), where  $k_{grav}$  (6.54  $\times$  10<sup>-5</sup>/s) was upscaled from  $\eta_G$  using Eqs. (2) and (3). Prior to upscaling,  $\eta_G$  (4.84  $\times$  10<sup>-6</sup>) was doubled to reflect the fact that colloid injection occurred on both the upper and lower sides of the collector in Traj-Hap, whereas colloids were introduced only above the flume bottom in the experiments.

As noted just above, the calculations confirm that  $C_{leaf}$  decreases and  $C_{stem}$  increases across the 10-m transport distance due to the influence of gravity (Fig. 6a). As a result, the value of  $k_{d,overall}$  will decrease with increased transport distance (Fig. 6b) towards  $k_{d,stem}$ . The magnitude will decrease with decreasing f (Fig. 6b), but the rate of decrease with increased transport distance is equivalent regardless of f (Fig. 6b). Whereas the calculated decrease in  $k_{d,overall}$  due to gravity with increased transport distance qualitatively agrees with the experimentally-observed trend, the magnitude (2.5%) of the decrease is too small to



**Fig. 6.** (a) Calculated colloid concentration in the leaf and stem layers (left axis) and  $k_{d,overall}$  (right axis) as a function of travel distance for  $k_{d,stem}/k_{d,leaf} = f = 0.001$ . (b) Variation of  $k_{d,overall}$  with distance as a function of f.

explain the observed  $k_{d,overall}$  decrease according to a power law.

Since measured parameters and gravity cannot explain the observed  $k_d$  decrease with increased transport distance, it is possible that the mechanism for this decrease is similar to that found for porous media. For example, Messina et al. (2016) suggested that the removal of colloids through direct interception was greater in the forepart of a series of spherical collectors relative to subsequent collectors. However, the simulated modest decrease could not match experimentally-observed power law decrease. Johnson (2020) demonstrated that larger decreases could be simulated under the assumption that subpopulations of fast- and slow-attaching colloids are produced via incomplete pore-scale mixing during transport in granular media. Whether the mechanism is more akin to those proposed for granular media, or to those proposed for vortices (Purich, 2006) or turbulent flow (Nepf, 2012) remains to be determined.

# 5. Conclusions

In this paper, the retention and transport of colloids in submerged synthetic vegetation were studied using indoor large-scale flume experiments under various conditions. The colloid deposition rate coefficient,  $k_d$ , was maximal at the intermediate velocity, and it was shown through mechanistic trajectory simulations that the gravity and interception components of the collector efficiency were also maximal at the intermediate velocity, likely contributing to the experimentally-observed trend. The value of  $k_d$  decreased following an approximate power law behavior with increasing transport distance. While calculations based on mechanistic trajectory simulations demonstrated that gravity contributed to this outcome, the impact of gravity was insufficient to explain the experimental trend, suggesting that mechanisms

governing such trends in granular media could also apply to submerged vegetation.

The practical implications of the findings include the fact that colloid removal by vegetation can be a non-monotonic function of fluid velocity, such that decreased removal along with increased erosion under higher fluid velocity conditions can undermine the filtration function of submerged vegetation. Furthermore, the value of  $k_d$  determined at small scales potentially greatly over-predicts the magnitude of  $k_d$  (and removal) operating at larger scales, i.e., the rate of removal cannot be extrapolated linearly as a function of distance.

#### Credit author statement

Congrong Yu: Conceptualization, Methodology, Software, Writing-Reviewing and Editing. Peiyi Duan: Experiment conducting, Data collecting, Writing-Original draft preparation. D. A. Barry: Supervision, Writing- Reviewing and Editing. William P. Johnson: modeling and in interpreting the experimental results. Li Chen and Zhongbo Yu: Visualization, Investigation. Yufeng Sun and Ying Li: Experiment conducting, Validation.

#### Declaration of competing interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

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## Appendix A. Supplementary data

Supplementary data to this article can be found online at https://doi.org/10.1016/j.chemosphere.2021.132197.

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