Body-size and food-web interactions mediate species range shifts under warming

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Abstract

Species ranges are shifting in response to climate change, but most predictions disregard food-web interactions and, in particular, if and how such interactions change through time. Predator-prey interactions could speed up species range shifts through enemy release or create lags through biotic resistance. Here, we developed a spatially explicit model of interacting species, each with a thermal niche and embedded in a size-structured food-web across a temperature gradient that was then exposed to warming. We also created counterfactual single species models to contrast and highlight the effect of trophic interactions on range shifts. We found that dynamic trophic interactions hampered species range shifts across 450 simulated food webs with up to 200 species each over 200 years of warming. All species experiencing dynamic trophic interactions shifted more slowly than single-species models would predict. In addition, the trailing edges of larger-bodied species ranges shifted especially slowly because of ecological subsidies from small shifting prey. Trophic interactions also reduced the numbers of locally novel species, novel interactions, and productive species, thus maintaining historical community compositions for longer. Current forecasts ignoring dynamic food-web interactions and allometry may overestimate species' tendency to track climate change.

28 Keywords

Range shift, marine food web, climate change, metabolic theory, body size, extinction debt

Introduction

Species ranges are shifting in response to climate change and variability [1–3]. These spatial shifts in species ranges are having an impact on ecosystem functions [4,5] and the provision of ecosystem services with subsequent impacts on local economies [6]. Most efforts to project how and why species ranges are shifting have focused on the direct impacts of climate change on individual species [7–9]. These "one at a time" species projections reveal substantial potential for reoganized and novel community compositions [10,11]. However, food-web interactions among species can also affect the rate and direction of species range shifts [12–14]. A key lesson so far is that competition can keep species from shifting with warming [12], a prediction recently corroborated experimentally [15]. However, much less is known about how the combination of trophic interactions and warming simultaneously affect geographic shifts in species ranges, despite their anticipated importance [16]. To date, most spatially explicit studies of species range shifts have not accounted for changes in trophic interations in a warming world [17–19].

Several food-webs characteristics are likely to be important for species range shift under warming. Empirical evidence suggests that many food-webs are strongly organized by body size

as well as by temperature, particularly those in marine environments [20,21]. Body size and temperature both mediate organismal metabolic rates and trophic interactions [22]. In these communities, mortality imposed by predators [23] and competition for prey may prevent novel species from invading, processes that fall under the term biotic resistance [24–26]. Alternatively, small prey that escape traditional predators—either because predators are specialists or are the first to decline [27]—may accelerate prey leading edge shifts more than larger predators, which has been termed enemy or predator release [28]. Large-scale comparative studies show ambiguous patterns regarding size or trophic differences in species range-shifts, potentially because hypotheses have been vague and challenging to test [29,2]. Developing clear expectations for the influence of food-web interactions on species range shifts will help with the specification of more precise and testable hypotheses.

Here, we have developed a dynamic and spatially explicit food-web model that is based on allometric and metabolic relationships. We use this model to develop new theory and insight into how trophic interactions, and their re-organization through time and space, affect species range shifts under warming. Multi-species food webs (not just food chains [30]) of multiple trophic levels can emerge in this model from dispersal and the differences among species in body sizes and thermal preferences (see [10]). To complement this model, we also created a set of single-species counterfactual models to clarify expectations in the absence of dynamic trophic interactions. Our results reveal that trophic interactions slow down the rate of species range shifts, suggesting that most studies of future range shifts overestimate how well species will track changing climates.

Methods

To explore the influence of species interactions on species range shifts, we developed a discrete-time and discrete-space food-web model (Eq. 1). This food-web model was initialized with a basal resource with body size 10^{-2} g and N=200 heterotroph species distributed across 21 spatial patches x. Temperature across patches at time t=0 spanned 4 to 24 °C (1 °C per patch) to roughly represent a transect from pole to equator (Figure 1A). Each patch was a square with sides measuring 471 km. Each species was assigned a body size s_i (log₁₀-uniformly random between 10^0 and 10^6 g) and optimal temperature for searching prey $T_{i,opt}$ (uniformly random between 0 and 34 °C). Heterotrophs from species i in patch x of biomass B_{ix} consumed the basal resource (which is described in more detail below) and other species with efficiency λ and at rate f_{iix} that depended on relative predator (i) – prey (j) body sizes [31] while also experiencing a body-size- and temperature-dependent metabolic cost D_{ix} [32] and while dispersing to each adjacent patch at a rate κ day⁻¹ (or fraction of biomass dispersed per day). The cross-patch dispersal rate κ was related to the diffusion coefficient m (Table 1:T3), which was varied at the same levels across all species for the simulation experiments (Table 2). Empirical observation support no or even negative relationships between body size and dispersal or correlates of dispersal [33,34], including no correlation between offspring size and pelagic larval duration [35]. Even though swim speed increases with size [36], it remains unclear how linear speed translates into dispersal because species have different tendencies to return home. Nevertheless, we also relaxed the assumption of size-independent dispersal in a sensitivity test (see Eq. A2 in Supplementary Appendix A). For the main results, we used κ values of 0, 4.5x10⁻¹², 4. 5x10⁻⁹, 4.5×10^{-6} , 4.5×10^{-5} , and 4.5×10^{-4} day⁻¹. Dispersal rates above these generated unrealistic results. For simplicity, we labelled dispersal rates in figures only by magnitudes (omitting the 4.5 multiplier). κ was set to zero at both ends of the patch array.

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94 Eq. 1

$$\frac{\Delta B_{ix}}{\Delta t} = \frac{B_{ix}(t+1) - B_{ix}(t)}{\Delta t} = \sum_{j=0, j \neq i}^{N} \left[\frac{consumption}{\lambda B_{ix} f_{ijx}(B_{jx})} - \frac{predation}{B_{jx} f_{jix}(B_{ix})} \right] - \frac{metabolism}{D_{ix} B_{ix}} - \frac{emigration}{2\kappa B_{ix}}$$
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$$+ \sum_{y=x\pm 1}^{immigration} \kappa B_{iy} \left[gm^{-3} day^{-1} \right]$$
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The basal resource grew chemostatically without temperature dependence (Table 1:T1) and an initial biomass equal to the maximum biomass of 5 gm⁻³, which is around the upper bound of global mesozooplankton estimates (after wet weight conversion) [37]. It may be reasonable to assume that basal growth and maximum biomass are relatively temperature independent compared to individual heterotrophs (fish), since organisms of around 10⁻² g in size have similar biomass across latitude [37]. We do not address complexity at or below the basal level; instead we aim for a stable representation of this food web component. Heterotroph species consumed according to a Type III functional response (f_{iix}) (Table 1:T2) with search rate v_{ijx} and handling time τ_{ix} [38] (Table 1:T6 and T7). We chose a Type III because of its stabilizing properties that generate realistic food web complexity and species richness [39]. The search rate v_{iix} of predator i on prey j was a skew normal function of temperature T_x (Table 1:T15) such that consumers could not feed if they were far from their optimal temperature. Production of a species was defined as consumption minus predation across all patches, which equaled the rate of biomass loss to predation (see Eq. A3 in Supplementary Appendix A). Table 1 contains the detailed equations and Table 2 provides definitions, values, and references for parameters corresponding to a typical ectotherm marine food-web. A detailed explanation of the equations in Table 1 is provided in the Supplementary Appendix A. In summary, metabolic cost rises with size and temperature, handling time decreases with predator size and temperature, and search rate decreases with predator size and is maximized at preferred prey size and temperature (Figure 1A).

The model was run forward at daily timesteps for 1600 to 2400 years (varied randomly to avoid phase effects of any potential cycles) with stationary temperatures. This "spin-up" phase was used so that population dynamics settled into a quasi-equilbrium, similarly to how Earth System Models are initialized [40]. The daily timesteps are comparable to other large marine ecosystem models [41], which not only accounts for the short generation time of smaller organisms, but also describes feeding and metabolism dynamics. After this spin-up period, which was observed to maintain stable biomass trajectories across a reasonably high species diversity of three trophic levels, gradual warming was imposed as a 3 °C warming over 200 years at all patches (Figure 1B&C). The warming scenario was in line with current ocean warming projections [42]. We replicated these simulations 40 times with independent log-uniformly random initial biomass for each species and patch between 2.2x10⁻¹⁵ and 2.2x10⁻¹⁰ gm⁻³.

During the simulations, we recorded shifts in the centroid of each species' range (a species' average location weighted by biomass), leading range edge (2.5th quantile of biomass starting from the coldest patch), trailing range edge (97.5th quantile biomass), and range size (patches from leading to trailing edge). Given the spatial gradient in temperatures, isotherms shifted three patches towards the cold region, so a 100% range shift corresponded to a three-patch shift. We also recorded the percentage of the local species and species pairs that were novel or that were extirpated after warming, with presence meaning a local biomass above the floating-point error (2.2x10⁻¹⁶ gm⁻³ in Matlab). The percentage of novel species pairs was 100

times the global number of species pairs that were found together in any patch after but not before warming, divided by the sum of coexisting pairs after warming. The percentage of extirpated species pairs was 100 times the global number of species pairs that were found together in any patch before warming but lost after warming, divided by the sum of coexisting pairs before warming. For size-specific analyses, we divided the results into small species (10² to 10³ g body-weight) and large species (10⁵ to 10⁶ g body-weight). Species with leading edges in the coldest three patches before warming were omitted from the analyses to avoid edge effects, since these species would run out of room to track a 3 °C warming.

For comparison, we fit counterfactual single-species models to species biomass outcomes during the no-warming spin-up period in the food-web models, except that dynamic trophic interactions were removed (Eq. 2). These models capture the single-species equivalent of dynamics in food webs, which can then be used to project what is expected if only species characteristics and not food web interactions respond dynamically to warming. Each species experienced metabolic costs and relative intrinsic growth just as specified in the food-web models. However, temporally constant maximum (intrinsic) growth rates (r_i) and self-competition (a_i) rates were specified instead of dynamic consumption and predation terms, consistent with a single species model:

Eq. 2
$$\frac{\Delta \tilde{B}_{ix}}{\Delta t} = \tilde{B}_{ix} (r_i \omega_{ix} - D_{ix} - a_i \tilde{B}_{ix}) \quad [gm^{-3} day^{-1}]$$

Biomass was labelled with tilde to distinguish the counterfactual projections from the food web outcomes. We included a skew normal function ω_{ix} of temperature T_x (Table 1:T15) so that realized growth rate declined to zero if species were far from their optimal temperature. To estimate the two parameters r_i and a_i that best matched the species in the food-web models, we needed to match long-run production in addition to biomass (two equations to solve for two parameters). We defined production \tilde{P}_{ix} in the model as growth minus metabolic cost and a portion (1/c) of intraspecific competition. We partitioned intraspecific competition this way because, by definition, competition can come from either suppressed birth and growth or increased mortality, the latter being interpreted here as production through a loss effect attributed to conspecifics.

Eq. 3
$$\tilde{P}_{ix} = \tilde{B}_{ix} \left(r_i \omega_{ix} - D_{ix} - \frac{a_i}{c} \tilde{B}_{ix} \right) \qquad [gm^{-3} day^{-1}]$$

In this formulation, c controls whether competition results in production due to increased mortality ($c=\infty$), no production due to suppressed birth (c=1, which also implies no net production in Eq. 3), or somewhere in between. For each species i from the food-web simulations, we recorded the average biomass and average production (consumption minus metabolism) from the transient no-warming period of the food-web simulation. We then fit the model's equilibrium biomass (from solving Eq. 2) and production (Eq. 3) against these modeled data after fixing c for all species. We repeated this across a range of c to find the value that produced the closest match between the aggregate community biomass and production and the food-web's total biomass and production (minimum sum of squares divided by each variable's magnitude) (Table S1). This phenomenological single-species model resembles what a scientist might do with historical data if trying to project single species shifts during the warming period. This model can also be understood as a counterfactual to the food-web model, one with similar species biomasses and productions but with dynamic trophic interactions taken out (Figure S2).

The sensitivity of the single-species projections to parameterization was tested using two alternative values of c that underestimated and overestimated production (Table S1), which should respectively understimate and overestimate intrinsic growth rate, a key parameter that could influence shifting rates.

We explored the sensitivity of our food-web results by also using alternative values for the reference predator-prey mass ratio α_R , the activation energy E_a , the fraction of time hunting F_h , the consumption efficiency λ (see Table 2), and the size dependence of dispersal rate κ . These alternative values included, respectively, the lower end of α_R [31], the E_a corresponding to all organisms rather than ectotherms only [32], half of the original F_h [43], half of the original λ [44], and a κ that increased with size based on swim speed [36] (Supplementary Appendix A). We also explored randomly defining P_N =10 to 50% of all prey as inedible independently for each predator, which increased specialization and the potential for enemy release of prey (Table 2). Higher specialization led to food web collapse. Finally, we conducted fine-resolution sensitivity analyses on α_R , E_a , and κ (Table 2). For each alternative parameter value, 10 replicates were run at the mean dispersal rate of 10^{-12} day⁻¹. In sum, 21x10 food webs were simulated for sensitivity tests, bring the total simulations including those in the main analysis to 450 food webs.

Results

Under warming, the food-web model revealed aggregate biomass shifting toward the colder regions, as expected (Figure 1B & D). Snapshots of food web structure (mapped by the two traits of body size and optimal search temperature) over space and time revealed that some part of the original local communities (blue in Figure 1H) shifted together (shown as red in Figure 1E), while other species shifted less or even stayed in their original patches to rewire incoming communities (overlapping blue and red species in Figure 1E). There is also evidence of enemy release, as one species moved from low biomass in its original patch (sp.1 in Figure 1H) to high biomass (Figure 1F&G). Even though larger predators of sp. 1 were present in its new thermally optimal patch (Figure 1E), they were saturated by the availability of other prey that were at a more optimal size for foraging.

Range sizes before warming averaged from 1.4 to 5.2 patches as dispersal rate increased from 0 to 10⁻⁴ (with larger increase for larger species, Figure S1), corresponding to distances of 1000 to 4000 km that are typical for marine species [45]. On average, species' centroids, leading edges, and trailing edges tracked thermal shifts more closely at higher dispersal rates (Figure 2A, C, D, solid blue curves). Species range sizes, on the other hand, on average contracted for slow dispersal rates and expanded for rapid dispersal rates (Fig. 2B, solid blue curve).

Across body sizes, all species exhibited similar leading edge shifts (Figure 2C solid curves), but centroids and trailing edges shifted much more for small (10² to 10³ g body-weight) than large (10⁵ to 10⁶ g body-weight) sized species (Figure 2A, D solid cyan vs. red curves). These differences in trailing edge dynamics for large and small species meant that ranges among small species contracted at slow dispersal rates, while large species ranges expanded at all but zero dispersal rates.

In the food-web model, locally novel species and novel species pairs (pairs that coexist in any patch) were more common at intermediate dispersal rates (Figure 2E, F solid blue curves). In contrast, the highest percentage of species experienced local extirpation and the highest percentage of historical species-pairs were lost at low dispersal rates (Figure 2G, H solid blue curves). Large species were more likely to begin coexisting with novel species than were small species (Figure 2F solid cyan vs. red curves), consistent with the lag in trailing edge range shifts

among large species. Small species were more likely to be locally extirpated than were large species, also consistent with lags in large species' trailing edges (Figure 2G solid cyan vs. red curves). Similarly, historical pairs of coexisting small species were more likely to be lost than pairs of large species at low dispersal rates (Figure 2H solid cyan vs. red curves).

The single-species counterfactual models suggested that, in the absence of dynamic predator-prey interactions, all species would closely match the thermal shift even at the lowest non-zero dispersal rate (Figure 2A, C, D dashed curves). In addition, single-species models only predicted substantial range contractions for a zero dispersal rate (Figure 2B dashed curves). Compared to the food-web model, single-species models over-predicted the distance that species shifted (Figure 2E, G, H) and under-predicted changes in range size (Figure 2F). Single species models also over-predicted the percentage of locally novel species and of novel species pairs as compared to the full food-web dynamics (Figure 2E, G). Finally, single-species models failed to resolve the large differences among body sizes in distance shifted, unlike for the food-web models in which larger species tended to shift their trailing edge less and expand range size more (Figure 2). The lack of body-size differences in range shifts appeared even though the single-species model assumed that intrinsic growth rate r_i was a decreasing function of size across all simulations (Eq. 2), consistent with metabolic theory that was also embedded in the food-web model.

Community aggregate statistics showed differences in overall stock, flow, and diversity metrics between food-web and single-species projections under warming. Community biomass and production increased in the food-web model after warming at dispersal rates higher than 10⁻¹ ¹² dav⁻¹ (Figure S3A & B). In contrast, the single species model projected on average little to no changes to biomass and production after warming, along with large differences in production changes across replicates. However, these food-web changes were accompanied by a greater number of species that became unproductive (production<0) after warming, whereas the singlespecies model showed no increase in unproductive species at all non-zero dispersal rates (Figure S3C). Since production is consumption minus metabolic cost, and all other terms (not counting migration since production here is computed globally) contributed negatively to net growth in Eq. 1, any existing unproductive species were on extinction trajectories – although they may have had non-extinction equilibria, especially if temperatures stabilized again during the protracted transient periods [46]. In any case, the modeled food-webs had a longer transient approach to equilibrium than single species projections. Community composition was also impacted by food webs, which showed a decline in mean body size not predicted by singlespecies projections (Figure S3D). In term of biodiversity metrics, both food-web and singlespecies projections agreed only a few global extinctions would occur at non-zero dispersal rates (Figure S3E). Average alpha diversity, or local richness, showed an increase at intermediate dispersal rates and a decrease otherwise (Figure S3F).

Metrics of trophic level in conjunction with diversity suggest that the model generated qualitatively realistic food webs. At all non-zero dispersal rates, local richness was much higher than mean and maximum trophic levels of 2.6 and 3 with 1 being the basal level, which remained similar before and after warming (Figure S3G&H). This result meant that multiple species shared similar trophic levels and formed food webs rather than food chains. With no dispersal, simple food webs of about 5 species spanning two heterotrophic levels still emerged initially, but after warming they approached food chains (two species). These results gave confidence that our model effectively captured known features of natural food webs.

The single-species shift projections were insensitive to alternative values of the parameter c that controlled production (see Table S1; results indistinguishible from Figure 1). Sensitivity analyses that changed the portion of potential prey being inedible P_N for each species (i.e., more specialists when $P_N > 0$), the activation energy E_a , the reference predator-prey mass ratio α_R , the fraction of time hunting F_h , the consumption efficiency λ (Table 2), and size-dependent dispersal rate κ (Supplementary Appendix A) affected the magnitude of shifts and assemblage changes, but they had little to no impact on the ordering of the changes by body size or food-web vs. single-species models (Figure S4-S8). The notable exceptions were in leading edge shifts, for which low activation energy, low or high predator-prey mass ratios, and high levels of inedible prey reversed the trends from being slightly lower to slightly higher for smaller species relative to larger species (Figures S5C, S6C, S7C). In term of magnitude of shifts, the results were most sensitive to activation energy, with values lower than expected for marine ecosystems creating species shifts that were quite similar to single-species projections (Figure S4F). The sensitivity tests suggested that food-web interactions generally impede species range shifts under warming, and more so for large predatory species, across plausible assumptions about food-web structure and dispersal rates.

Discussion

We developed a spatially explicit food-web model and a set of single-species counterfactual models to explore the role of species interactions in either facilitating or hindering species range shifts in a warming world. The results of the food-web model revealed that dynamic trophic interactions overall hamper species' abilities to shift their spatial distributions in response to warming temperatures at both leading and trailing range edges. In addition, trophic interactions created differences among species of different trophic levels, with larger-bodied top predators persisting longer than smaller prey in historical habitats. These delayed extirpations created a lag in the trailing edge shift and an overall range expansion for these large species. In contrast, smaller bodied species experienced a contraction in their spatial distributions. Diversity, range size, trophic level outcomes, and snapshots of species relationships all resembled qualitative features of real food webs. These results highlight the importance of accounting for both spatial dispersal and trophic interactions when considering the impact of climate change on species ranges and assemblages.

Dynamic trophic interactions slowed species' range shifts compared to expectations from single-species models. This result complements previous theoretical studies showing that competition can limit range shifts [23,12] and suggests that biotic resistance processes [25,26] are likely to be stronger than enemy release effects on range shifts [28]. We found this pattern even when a high portion of potential prey were inedible, a scenario that allowed for more opportunities to escape enemies. High levels of inedible prey did lead to greater leading edge shifts among smaller as compared to larger species, as expected from enemy release, but this did not alter the overall shift lags imposed by food webs. Our results also complement models suggesting that competition among predators for prey will slow down range shifts [47]. In nature, it is difficult to isolate food-web effects, but one approach is to compare communities in protected area with those not in such areas, with protection generally preserving stronger predation processes. In temperate reef communities protected from fishing, for example, high-trophic-level species are more abundant than in unprotected communities [25]. Despite warming water, these protected communities had fewer biodiversity changes and fewer colonizations by

novel species, as compared to unprotected communities [25]. The example appears to support the theoretical prediction that natural food-web interactions would slow range shifts.

Smaller species shifted more than larger species in terms of centroids and trailing edges, resulting in range contraction across a wide range of dispersal rates that contrasted with range expansion for larger species. This difference could occur because smaller species have higher metabolic rates, faster generation times, and therefore faster extirpation from patches that are no longer suitable due to warming. However, our counterfactual single-species model that also incorporated higher metabolic rate in smaller species did not show a large difference in shift patterns across size, suggesting that a size-metabolism explanation is not sufficient.

Instead, food-web interactions are a stronger explanation for the lag among larger bodied species. Smaller species preyed to a greater extent upon a basal resource that was not temperature sensitive. Consequently, the primary limit on small heterotrophs' growth was their own temperature-sensitive search rate. In nature, small marine organisms that heterotrophs depend on may indeed be relatively temperature insensitive due to high species diversity [48] and genetic diversity [49] that assist in adaptation to changing conditions. However, nutrient and ecosystem dynamics also modulate small organisms in nature, which we did not examine in our model [50]. In contrast, larger species near their trailing range edge were subsidized by novel prey that expanded into new habitat (despite also facing the same temperature-dependent feeding limitations that smaller species experienced). The increase that we observed in community biomass and production in food-webs after warming likely reflects the same process. Since large species had no production (they were not consumed), the increase in community production can be attributed to smaller species. This influx of smaller species as prey at the trailing edges of large species would have helped prevent predator extirpation. This phenomenon may be further amplified if prey defense evolution is also considered, since prey are likely to be naïve to novel predators [51].

The ecological subsidy from colonizing species that benefits top predators would not appear in closed food-webs without the possibility of colonization. Closed food webs generally suggest that top predators are the most vulnerable to changing climate [27]. The persistence of large predators in their historically occupied patches, in turn, imposed a top-down control that slowed the rate of colonization by small prey relative to models without food-web interactions. This effect is consistent with previous findings that predators have larger effects near species range edges [52]. These predicted differences among species also align with empirical studies that find faster shifts in species centroids among small species [2,53].

Although warming led to novel local assemblages (coexisting species-pairs) in both the trophic and single-species models, the presence of dynamic trophic interactions led to fewer ecologically novel species assemblages. This finding is contrary to effects from competitive interactions, which predicted more novel assemblages [12]. Changes in local and global richness were generally small and similar between food web and single-species projections. The extinction pattern differs from previous theoretical works, which found extinction to be exacerbated by competitive species interactions [54]. These results highlight important differences in the ecological consequences of competitive versus trophic interactions for range shifts and future communities.

Even though lags in range shifts persisted over 200 years of warming in our simulations, the increase in non-productive species among warming food-webs suggested that some species, particularly large species, may eventually have experienced more rapid extirpation at their trailing edges. Compared to the single-species model, the food-web model suggested longer

transient dynamics [46] and extinction debt [55], making non-equilibrium phenomena more important than in hypothetical non-trophic communities.

We modelled food webs across a size range that corresponds to heterotrophic, size-structured food webs characteristic of marine fish communities, which have been a common focus in ecological modelling [56]. However, size and temperature depedent metabolic theory can be extended to smaller sizes, including the basal planktonic class [57]. Future research incorporating a larger size range in food web models would introduce both computational and theoretical challenges because of different generation times and error propagation from low to high trophic levels. However, proper inclusion of smaller organisms would also clarify the role of bottom-up contributions to geographic shifts [58]. While we saw that size dependence of dispersal across species did not appreciably affect range shift patterns, differences across life stages may mediate trophic interactions, which can be addressed through individual based or age-structured modelling. Moving forward, range shift projections will be more informative when human action [59] and genetic evolution [54] are coupled with ecological dynamics.

Our results show that projecting species range shifts based on single-species distribution models [9] will likely overestimate any given species' tendency to keep track with climate change. Thus, dynamic trophic interactions and body size are important factors for ecological projections under changing environments.

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Data, code and materials

393 All Matlab codes are available on GitHub/Zenodo at doi.org/10.5281/zenodo.6374072 [60].

Competing interests

396 The authors declare no competing interests.

Authors' contributions

- 399 Conceptualization JW and MP; Formal analysis ET; Methodology ET, JW, and MP;
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Figures

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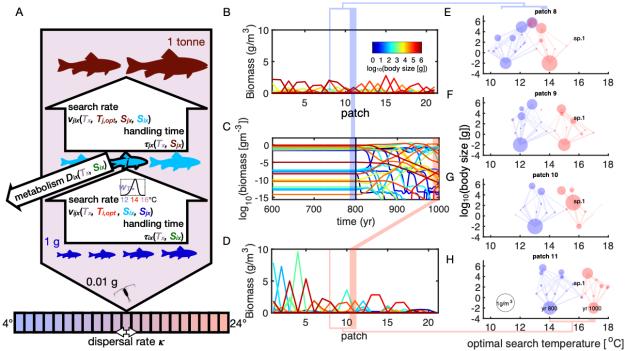


Figure 1. Spatial food-web model. A. The heterotrophic consumer *i* feeds on other heterotrophs of smaller sizes and, for some consumers, on the basal resource (0.01 g). The rate of biomass flow from one species (i) to another (i) is determined by search rate (v_{iix}) and handling time (τ_{ix}) , which are functions of local temperature T_x , species-specific optimal search temperature $T_{i,opt}$ (see example curve), and predator and prey body sizes (s_i, s_i) . Metabolic cost (D_{ix}) is dependent on temperature and body size. The food-web is spatially coupled across 21 patches with an initial temperature gradient of 4 to 24 °C. **B.** A snapshot of individual species biomass distributions across patches before warming (dispersal rate $\kappa = 4.5 \times 10^{-9} \, \text{day}^{-1}$). C. Time series of species biomass at patch 11, which is at 14 °C until year 800 (vertical black line) and warms to 17 °C by year 1000. **D.** A snapshot of individual species biomass distributions across patches after warming, E-H. Food webs in four patches (patches 8 to 11) from colder to warmer temperatures along the gradient. Within-patch species are plotted by optimal search temperature (x) and body size (v) traits, with circle area representing biomass (see legend in H) and lines representing consumptions above 10⁻⁵ gm⁻³day⁻¹ (line width scaled to log of consumption). Species before warming are shown in blue, and species after warming are shown in red. The blue species in H are expected to shift and become the red species in E if they keep up with the thermal shift. Overlapping blue and red species with identical centers within patch are those that remain in the original patch after warming. One species (sp.1) is labelled for reference across patches and temperature change.

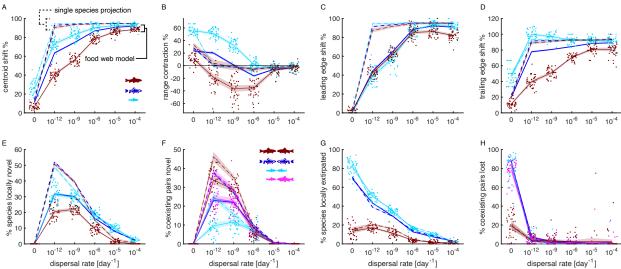


Figure 2. Range shifts and assemblage changes. Solid lines indicate averages across 40 replicates from the food-web model after warming, while dashed lines indicate corresponding counterfactual single-species projections. Shades are 95% confidence bounds assuming normal error. Dots show individual simulations and are jittered on the x-axis to improve readability. Red indicates species of size 10^5 to 10^6 g, cyan indicates species of size 10^2 to 10^3 g, and blue indicates all sizes. For coexisting pairs, magenta indicates pairs that contain one small (10^2 to 10^3 g) and one large (10^5 to 10^6 g) species. **A.** Centroid shift measured as the percentage of the distance that isotherms shifted. **B.** Range contraction. **C.** Leading-edge range-shift measured relative to isotherm shifts. **D.** Trailing-edge range-shift measured relative to isotherm shifts. **E.** Percentage of species locally novel, with 100% corresponding to all species after warming being absent in each patch initially. **F.** Percentage of coexisting pairs novel, with 100% corresponding to all species pairs after warming being unpaired initially. **G.** Percentage of species locally extirpated, with 100% corresponding to all species initially in each patch being absent after warming. **H.** Percentage of coexisting pairs lost, with 100% corresponding to all initial species pairs being absent after warming.

614 Tables

- Table 1. Food-web model equations. Bold symbols are parameters that we vary in this study.
- See Table 2 for additional definitions. References for each equation are shown in the first
- column. Indices i, j, and k refer to species identity, and x refers to patch location. The
- 618 Supplementary Appendix A provides further explanations to the model specifications and
- 619 choices.

Definition	Equation	Units
(T1) change in basal resource [61]	$\frac{\Delta B_{0x}}{\Delta t} = F(B_{0max} - B_{0x}) - \sum_{j=1}^{N} B_{jx} f_{j0x}(B_{0x})$	gm ⁻³ day ⁻¹
(T2) functional response [38]	$f_{ijx}(B_{jx}) = \frac{v_{ijx}B_{jx}^2}{1 + \tau_{ix}\sum_{k \neq i}^{N} v_{ikx}B_{kx}^2}$	day ⁻¹
(T3) dispersal rate to adjacent patches	$ \kappa = \frac{\mathbf{m}}{A} $	day ⁻¹
(T4) active metabolic cost [32,36]	$D_{ix} = C_{W \to d^{-1}, i} \exp\left(\alpha_D + \beta_D \ln(s_i) - \frac{E_a}{k(T_x + 273)} + c_{\gamma i}\right)$	day ⁻¹
(T5) conversion from watts to day	$C_{W\to d^{-1},i} = \frac{C_{d\to s}}{E_c s_i}$	sJ ⁻¹ day ⁻¹
(T6) search rate of species i for species j [12]	$v_{ijx} = \phi_{ij} v_{i,max} \omega_{ix} / B_r$	$\mathrm{m}^6\mathrm{day}^{-1}\mathrm{g}^{-2}$
(T7) handling time (species <i>i</i>) [62]	$\tau_{ix} = \frac{\lambda}{\bar{P}_{ixmax} + D_{ix}}$	day
(T8) metabolic cost factor from swimming [36]	$c_{\gamma i} = R_{es} \gamma_i$	
(T9) maximum search rate at reference prey density [36]	$v_{i,max} = \frac{F_h \pi l_i^2 \gamma_i}{s_i}$	m ³ day ⁻¹ g ⁻¹
(T10) feeding kernel [63]	$\phi_{ij} = \frac{\exp\left(\frac{-\left(\log_{10} s_i - \log_{10} s_j - M_i\right)^2}{2\sigma^2}\right)}{\sqrt{2\pi}\sigma}$	
(T11) maximum production rate [62]	$\bar{P}_{ix,max} = \frac{1000 \cdot 10^{\alpha_P}}{365s_i} \left(\frac{s_i}{1000}\right)^{\beta_P} \exp\left(\frac{-E_a}{k(T_x + 273)}\right)$	day ⁻¹
(T12) swim speed [36]	$\gamma_i = \frac{1.0 \cdot C_{d \to s} s_i^{\beta \gamma}}{100}$	m day ⁻¹
(T13) body length [64]	$l_i = \frac{\left(\frac{S_i}{\alpha_l}\right)^{\frac{1}{\beta_l}}}{100}$	m
(T14) log ₁₀ mean predator-prey mass ratio [31]	$M_i = \alpha_R + \beta_R \log_{10} s_i$	
(T15) Skew normal function [12]	$\omega_{ix} = \theta \exp\left(-\frac{\left(T_x - T_{i,opt} - T_{oset}\right)^2}{2w_T^2}\right) \left(1\right)$	
	$+\operatorname{erf}\left(\xi \frac{T_x - T_{i,opt} - T_{oset}}{\sqrt{2}w_T}\right)\right)$	

Table 2. Parameter definitions. Bold symbols are parameters that we vary in our analyses. Values in parentheses are the alternative parameter values, with † to indicate the value used in Figure S4 (other alternative values are shown in Figures S5-S7). See Supplementary Appendix A.

Apatch area [m²] $471,429^2$ ap body size to metabolic rate power-law constant $18,47$ [32] ap body length-mass power-law constant 0.012 [64] ap body size to biomass production power-law constant 10.85 [62] ap body size to predator-prey mass ratio power-law constant 2.66 (2.08*, 2.37, 2.95, 3.24) [31] β_D body size to metabolic rate scaling exponent 0.71 [32] β_D body size-swim speed scaling exponent 0.73 [36] β_I body length-mass scaling exponent 0.761 [62] β_B body size to biomass production scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.761 [62] β_B body size-predator-prey mass ratio scaling exponent 0.69^4 [31] β_B preference prey biomass [g m³]1 β_B preference prey biomass [g m³]1<	Symbol	Definition	Value
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w_T search performance standard deviation [°C] 0.884 [66] θ search rate scaling factor so that skew normal function is 0.622 1 at $T_{i,opt}$	T_{oset}	1	0.435
1 at $T_{i,opt}$	w_T		0.884 [66]
	θ		0.622
	ξ	thermal performance skew	-2.7 [12]