

3D Interconnected Magnetic Nanowire Networks as Potential Integrated Multistate Memristors

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Cite This: *Nano Lett.* 2022, 22, 10010–10017



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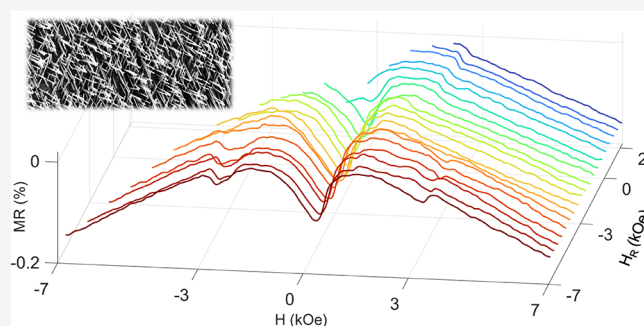
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Supporting Information

ABSTRACT: Interconnected magnetic nanowire (NW) networks offer a promising platform for three-dimensional (3D) information storage and integrated neuromorphic computing. Here we report discrete propagation of magnetic states in interconnected Co nanowire networks driven by magnetic field and current, manifested in distinct magnetoresistance (MR) features. In these networks, when only a few interconnected NWs were measured, multiple MR kinks and local minima were observed, including a significant minimum at a positive field during the descending field sweep. Micromagnetic simulations showed that this unusual feature was due to domain wall (DW) pinning at the NW intersections, which was confirmed by off-axis electron holography imaging. In a complex network with many intersections, sequential switching of nanowire sections separated by interconnects was observed, along with stochastic characteristics. The pinning/depinning of the DWs can be further controlled by the driving current density. These results illustrate the promise of such interconnected networks as integrated multistate memristors.

KEYWORDS: 3D nanomagnetism, nanowire networks, 3D information storage, multistate memristors



Finding a hardware platform compatible with artificial intelligence and neuromorphic architectures is a key challenge of future computing. Three-dimensional (3D) systems are well suited to address this need, as harnessing the complex nature and degrees of freedom associated with their structure can provide enriched functionalities. 3D nanomagnetic devices are particularly promising due to their energy efficiency, nonvolatility, and scalability^{1–9} and can be utilized to implement sophisticated racetrack magnetic memory,^{10–12} logic,^{13,14} and neuromorphic computing.^{15,16} Recent advent of novel nanofabrication techniques^{17–20} has led to rapid progress in complex 3D magnetic nanostructures such as curved or flexible thin films,^{2,4} thickness-modulated nanowires,²¹ magnetic nanospirals,²² or nanohelices,²³ etc. Such assemblies exhibit unique topological features and can accommodate exotic spin textures, with wide-ranging potential applications in spintronics,^{1–5,7,23,24} magnonics,²⁵ and artificial spin ice.²⁶

To be integrated into neuromorphic circuitry, it is crucial to realize a 3D nanomagnetic system hosting many different magnetic states that can be controlled by certain external stimuli. In this regard, only a few experimental options have been explored to date and mostly limited to 2D arrays,^{16,26–31} as it is highly challenging to achieve 3D systems with desired characteristics. We previously identified interconnected magnetic nanowire networks as a promising platform for 3D

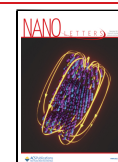
information storage and neuromorphics,¹⁹ where unique magnetization reversal mechanisms through intersection-mediated domain wall pinning and propagation were observed. These results suggest that it might be possible to encode digital information into the magnetic state and propagate it through the interconnected magnetic networks to implement integrated and repeatable multistate memristors in neuromorphic circuits.^{16,32}

To demonstrate this feasibility, here we have employed electrical transport studies together with magnetometry, magnetic imaging, and micromagnetic simulations to probe magnetic characteristics and switching pathways in the complex nanowire networks. We report discrete propagation of magnetic states in interconnected Co nanowire networks through magnetoresistance (MR) measurements under different applied field geometry, strength, and driving current density. As a result, information encoded in the spin texture can propagate in the networks from one section to another.

Received: September 14, 2022

Revised: December 5, 2022

Published: December 8, 2022



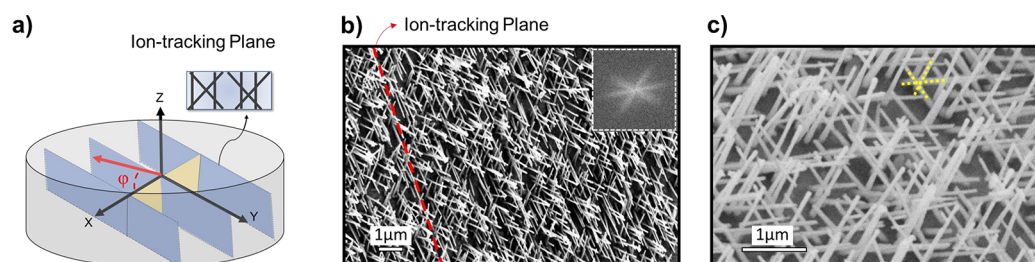


Figure 1. Network geometry. (a) Schematic of the nanowire networks illustrating the geometry. The ion-tracking plane is shown by the blue box, while the nanowires inside are shown by black lines. φ is the angle of the applied field relative to the ion-tracking plane normal. (b) Top view SEM image of the network. The dashed red line shows the ion tracking plane. The inset shows FFT of the SEM image indicating the presence of NWs at three different angles. (c) Zoomed-in view of the network. The yellow lines highlight nanowires at three different angles.

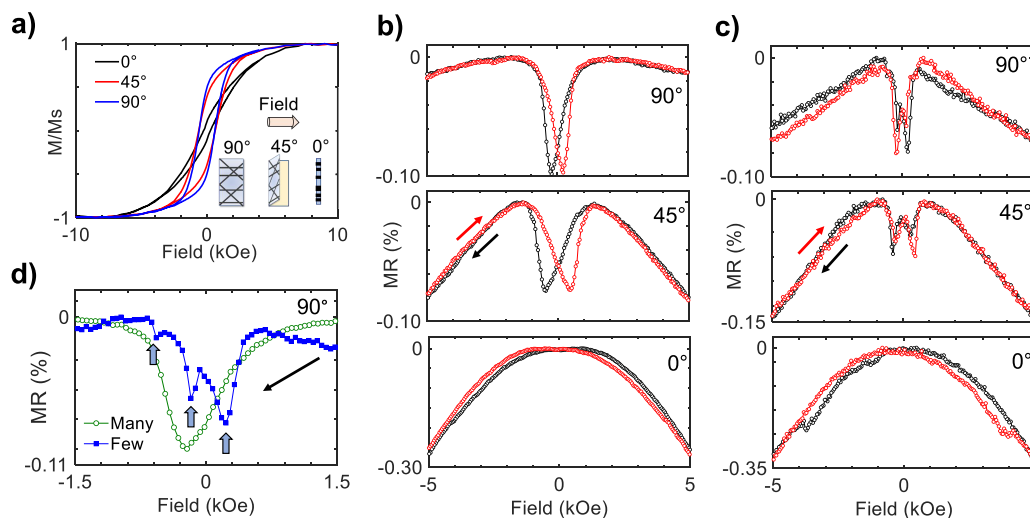


Figure 2. Magnetometry and magnetoresistance measurements of the NW networks. (a) Magnetometry of the network with the field applied at an angle φ relative to the ion-tracking plane normal. (b) MR of a collection of nanowires, $R \sim 3 \Omega$. (c) MR of a few intersecting nanowires, $R \sim 200 \Omega$. (d) Comparison of descending-field sweep of MR in (b) and (c) at $\varphi = 90^\circ$ with many wires (green) and few wires (blue), respectively, showing several pinning and depinning events present in the latter (marked by arrows).

These findings demonstrate the potential for 3D information storage and integrated multistate memristors.

The Co networks were synthesized by ion tracking of $6 \mu\text{m}$ thick polycarbonate membranes at multiple azimuthal angles with equal fluence, followed by electrodeposition of cobalt nanowires, as described earlier.¹⁹ The ion tracking was performed at three angles, normal to the membrane and at 45° colatitude angle, the latter with 0° and 180° azimuthal orientations, respectively. These three tracking directions defined an ion-tracking plane, as illustrated in Figure 1a. For this study, networks of 75 nm diameter Co nanowires (NWs) with 10^9 intersections/ cm^2 were used.¹⁹ Scanning electron microscopy (SEM) imaging revealed that the nanowire networks were quasi-ordered with interconnects mostly lying in the ion-tracking plane (Figure 1a,c), while some nanowires remained isolated. Fast Fourier transform (FFT) of the image indicated the presence of NWs at three different angles (Figure 1a inset). The location of intersection could be anywhere along the length of the wire, and the depth of intersection could vary from just touching to completely going through each other. The nature of intersection (i.e., depth and location) becomes important to account for the MR characteristics discussed later.

Magnetic properties were measured by vibrating sample magnetometry (VSM) at room temperature with external field up to 1.2 T with NWs inside the membrane. The measurements were performed with the field applied at an angle φ

relative to the ion tracking plane normal (Figure 2a). An almost square loop was found when the field was perpendicular to the polycarbonate membrane ($\varphi = 90^\circ$, parallel to the ion-tracking plane yz), indicating a magnetic easy axis. On the other hand, more slanted loops with smaller remanence and coercivity were observed when the field was perpendicular to the ion-tracking plane ($\varphi = 0^\circ$). The effect of individual intersections is not prominent in these magnetometry measurements.

Previously, MR in cylindrical nanowires has been extensively investigated and ordinary, anisotropic, and giant magnetoresistance have been identified in different material systems.^{33–35} MR studies in connected 2D nanowire networks exhibited significant contributions from the vertices where the NW segments meet.^{36,37} In complex 3D magnetic nanostructures, additional unusual angular dependence of MR may emerge, as illustrated recently in nanobridges.⁸

In the present study, MR measurements were performed on over 50 samples of interconnected nanowire networks inside polycarbonate membranes. Details of the measurement procedure are provided in the Supporting Information. The MR behavior in the network originates from the anisotropic magnetoresistance (AMR) of Co. Conventionally, AMR depends on the relative alignment between the magnetization and the current flow:

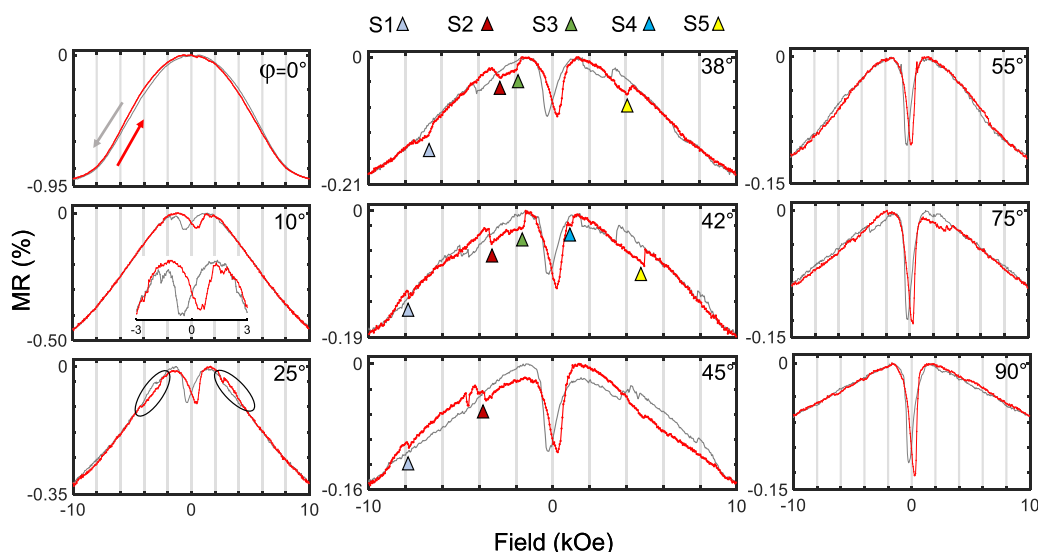


Figure 3. MR behavior in a network with many nanowires and high density of interconnects. MR curves are shown for different applied magnetic field angle φ relative to the ion-tracking plane normal, in red/gray for ascending/descending-field sweep, respectively. The hysteresis at $\varphi = 25^\circ$ is shown by the ovals. The triangles mark the different MR jumps for $\varphi = 38\text{--}45^\circ$ along the ascending field sweep (red).

$$R = R_T + \Delta R \cos^2 \alpha \quad (1)$$

where α is the angle between the magnetization and the current and R_T is the resistance when the magnetization and the current are perpendicular to each other. As the current flows along the long axis of the NW, magnetization parallel (perpendicular) to the current would yield a high (low) resistance.

First, a collection of nanowires was measured, with a resistance of $\sim 3 \Omega$ (Figure 2b). This is roughly equivalent to 10^2 pairs of intersecting NWs in parallel (Supporting Information). The MR was defined as $[R(H) - R_{\max}]/R_{\max}$ (%), where $R(H)$ and $R_{\max}$ represented the resistance in an applied field H and the maximum resistance along a MR curve, respectively. When the field was applied perpendicular to the ion-tracking plane ($\varphi = 0^\circ$), the magnetization gradually rotated from a positively saturated state to an intermediate state with magnetization aligned within the ion-tracking plane and finally to the negative saturation direction during a descending-field sweep. The process was mostly reversible in an ascending-field sweep, leading to a bell-shaped MR curve (Figure 2b, bottom panel). When the field was applied within the ion-tracking plane ($\varphi = 90^\circ$), a sharp resistance minimum was found near the negative coercive field during the descending-field sweep, along with a symmetric minimum near the positive coercive field during the ascending-field sweep (Figure 2b, top panel). For the $\varphi = 45^\circ$ case, a qualitatively similar AMR behavior was observed as that in $\varphi = 90^\circ$. These are typical AMR characteristics, similar to those in nonintersecting, parallel nanowire arrays.³⁸ As a collection of NWs was measured, characteristics of individual interconnected nanowires, even if different, were likely averaged out.

Second, fewer nanowires were connected for MR measurements by selecting regions with fewer overgrown NWs. One such example is presented in Figure 2c. The resistance value of 200Ω corresponded to roughly 70-fold fewer NWs compared to the previous case. Indeed, the effect of intersection became more evident here. In the $\varphi = 0^\circ$ case, a sharp discontinuous MR jump was observed, corresponding to irreversible DW switching/realignment. In the $\varphi = 45^\circ$ and 90° cases, multiple

MR kinks were observed, indicative of domain wall pinning and depinning in the nanowires. This is more clearly illustrated in Figure 2d for $\varphi = 90^\circ$ (blue curve), while the aforementioned low resistance case exhibited one minimum near the coercive field (green curve). Furthermore, for a descending field sweep from positive saturation, a significant MR minimum is found at a positive field, in contrast to the usual case with a minimum in a negative field. This unusual minimum can be attributed to the formation of DWs at the intersection.³⁹ The overall MR behavior can be ascribed to DW formation and pinning at the intersection and subsequent realignment of magnetization in a section of the NW networks via DW depinning. That is, the magnetization reversal mechanism can be characterized as step-by-step switching of separate sections of the NWs demarcated by the intersections. We have also corroborated this by performing 3D micro-magnetic simulations using MuMax3⁴⁰ (Supporting Information). As mentioned earlier, the location of intersections along the nanowire axis and depths of overlap vary in different parts of the networks (Figure 1b,c). Consequently, DW nucleation and depinning fields are also expected to vary among different intersections. Few such cases are illustrated in Figure S3 of the Supporting Information, highlighting the influence of interconnect geometry on magnetization reversal.

So far, MR measurements are presented for two different cases: (i) many nanowires, which exhibit low resistance with one minimum during each field sweep; (ii) few interconnected NWs, which exhibit high resistance with multiple minima. In this section, we present MR measurements for a third sample region with low resistance ($\sim 4 \Omega$) and multiple discrete switching steps, corresponding to many NWs with a high density of interconnects. MR measurements performed at different applied magnetic field angle φ are summarized in Figure 3. For $\varphi = 0^\circ$, a bell-shaped MR curve similar to that shown in Figure 2b was found, corresponding to reversible magnetization switching. When the magnetic field was slightly tilted ($\varphi = 10^\circ$), while the primary MR feature still remained mostly the same at high fields, small MR peaks appeared at low fields, indicative of switching of different NW sections. At $\varphi = 25^\circ$, the ascending and descending MR branches began to

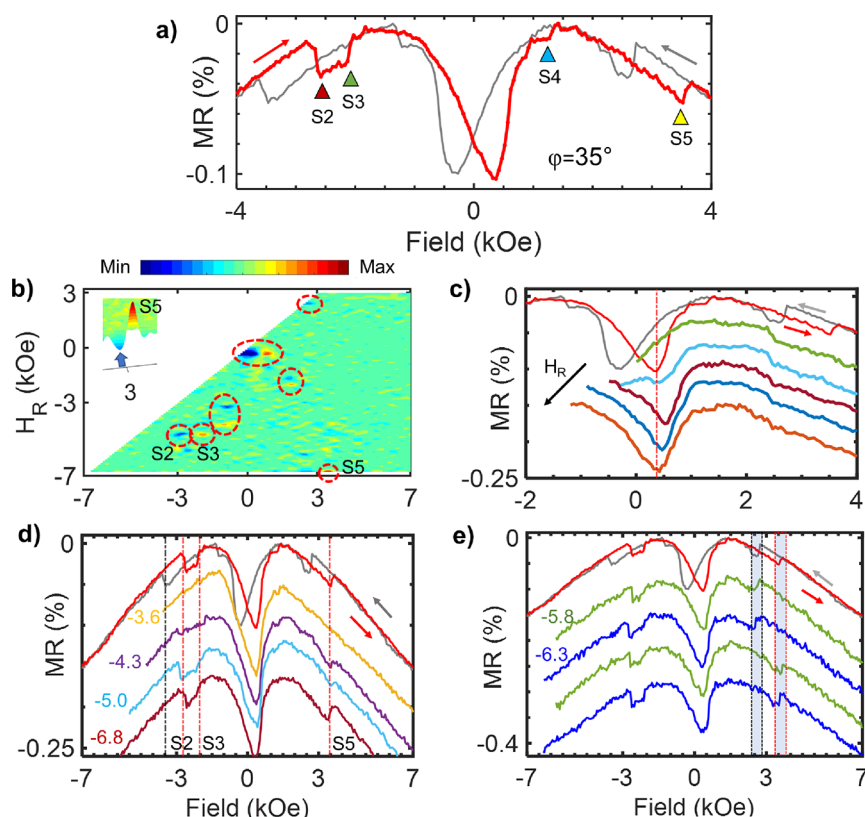


Figure 4. Magnetoresistance FORC of the Co networks measured at $\varphi = 35^\circ$. (a) Full-range MR curve (major loop). Arrows mark the sweep direction, and triangles mark the MR jumps along the ascending-field sweep (red curve). Symmetric MR jumps along the descending-field sweep are not marked (gray curve). (b) FORC distribution plotted in (H, H_R) coordinates. The red ovals highlight irreversible switching events. The inset shows a zoom-in view around a FORC feature S5. Representative MR-FORCs around the switching event (c) at $H = 0.37$ kOe, the largest MR minimum, and (d) around S2, S3, and S5. (e) Stochastic switching behavior at different reversal fields. The green and blue curves correspond to $H_R = -5.8$ kOe and -6.3 kOe, respectively. The switching randomly took place at two different fields highlighted by the shaded area. For (c), (d), and (e) the MR curve is shown on top as a reference.

diverge noticeably, forming discrete and hysteretic MR jumps (highlighted by ovals). As φ was increased further, these jumps became sharper (marked by triangles) and consequently the hysteresis became more pronounced ($\varphi = 38^\circ$ – 45°). Similar sharp MR features were previously observed in 2D artificial spin ice structures, particularly in connected planar nanowire networks, due to collective switching of a group of nanowires governed by the ice rule, i.e., the symmetry of the system.^{37,41,42} In our system, the sharp MR jumps are manifestations of the intersections and could be attributed to switching of a subset of the densely connected network of many nanowires. Different sections switched at different times due to the variation of local energy landscape as the number of intersections, the locations of intersections along the nanowire axis, and the depths of overlap varied across the network. For the same reason, the number of switching steps depended on the relative angle between the NWs and the magnetic field. For example, as many as five discrete jumps were observed for $\varphi = 42^\circ$. The switching steps also evolved in a consistent manner with the magnetic field angle as can be realized by tracking different switching events S1–S5 for $\varphi = 38^\circ$ – 45° (Figure 3 middle column, marked by triangles). Here, with increasing φ , S3 moved progressively toward zero field, while S1, S2, and S5 moved toward larger reversal fields.

Finally, the possibility of controlling DW nucleation and pinning/depinning at the intersection using current pulses was explored in a network with low resistance ($\sim 3 \Omega$) and few

different switching steps. With pulses of appropriate magnitude, the peak position (i.e., DW depinning field) monotonically changed (Figure S4a, $\varphi = 35^\circ$). A similar trend was observed when the tilting angle was changed to $\varphi = 90^\circ$ albeit with a different slope of DW depinning field vs applied current (Figure S4b). Several phenomena such as current induced spin torque, Oersted field, or Joule heating could contribute to this behavior.^{43–47} This controllable stabilization and propagation of magnetic states enable one to selectively address different subsections of the network by tuning the strength and orientation of magnetic field as well as current pulses.

The abundance of magnetic states that can be stabilized in the network also leads to the possibility of addressing the network by applying different field sequences. To closely investigate the effect of history of prior magnetic state on the reversal behavior, we employed the first-order reversal curve (FORC) technique.^{48–51} Here, the sample location was the same as mentioned in the previous section with a tilting angle $\varphi = 35^\circ$. The major loop is shown in Figure 4a. MR-FORCs were measured by the following procedures.^{36,52} After positive saturation the applied field was reduced to a given reversal field H_R . From this reversal field (i.e., a point on the descending branch of the major loop), the resistance was then measured as the applied field H was swept back toward positive saturation, thereby tracing out a single MR-FORC. This process was repeated for a series of decreasing reversal fields, creating a

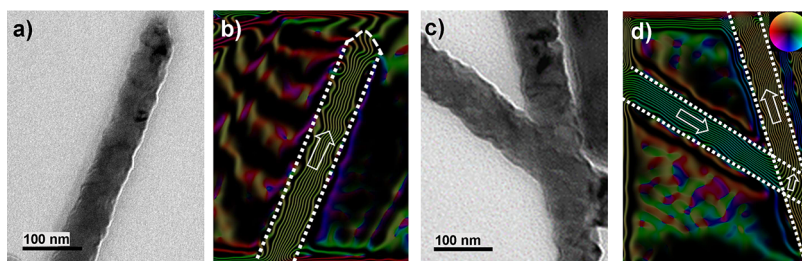


Figure 5. Off-axis electron holography imaging. (a) Amplitude and (b) magnetic contour of an isolated nanowire. (c) Amplitude and (d) magnetic contour of two interconnected nanowires. The color wheel represents the in-plane direction of the magnetic induction. At remanence, a uniformly magnetized state was observed in the isolated nanowire while a multidomain state with a domain wall at the intersection was stabilized in the interconnected nanowires. The arrows point to the general direction of the magnetization in the nanowires.

family of FORCs. An animation of the full FORC family is provided in the [Supporting Information](#). The FORC distribution was then defined as a mixed second-order derivative of the measured MR:

$$\text{FORC distribution} = -\frac{1}{2} \frac{\partial^2 \text{MR}(H, H_R)}{\partial H \partial H_R} \quad (2)$$

Hence, only the irreversible switching events are mapped out in the FORC distribution,^{48,51} as can be seen by the highlighted FORC features in [Figure 4b](#).

For the primary FORC feature centered at ($H \sim 0.55$ kOe, $H_R \sim -0.40$ kOe), highlighted by the horizontal red oval in [Figure 4b](#), the corresponding individual FORCs are illustrated in [Figure 4c](#), with -1.2 kOe $< H_R < 0$, spanning over the largest MR minimum of the major loop centered around $H = 0.37$ kOe. The MR-FORC slope decreases (increases) to the left (right) of $H = 0.37$ kOe at successively more negative H_R values, leading to a negative–positive pair of FORC features.^{48,51}

Besides this primary minimum, four discrete MR jumps were also present in the $\varphi = 35^\circ$ case, marked as S2–S5 in [Figure 4a](#) along the ascending-field sweep (red curve). These discrete MR jumps can be further analyzed by correlating the FORC features with individual FORCs. For example, as shown in [Figure 4d](#), switching events S2 and S3 only took place when the reversal field $H_R < -3.5$ kOe, marked by the black line in [Figure 4d](#), which itself corresponds to a switching event S5 along the descending branch. That is, only when a portion of the networks switched (corresponding to S5 along the descending-field branch, gray curve) would subsequent switching events occur (corresponding to S2 and S3 along the ascending-field branch, red curve). *This trend clearly illustrates the hysteretic nature of the switching steps and their dependence on the prior magnetic state.* The corresponding negative and positive FORC features are marked as S2 and S3 in [Figure 4b](#). Similarly, a number of other switching events, highlighted by unlabeled, dashed rings in [Figure 4b](#), can be correlated to the magnetic state of the network initialized during the FORC measurement procedure to a particular H_R starting from saturation. Therefore, *reversal of a part of the network allows access to new magnetization reversal pathways and consequently determines the final magnetic state at any given field.* Thus, the network can be conditioned to host different magnetic states by varying the sequence of applied magnetic field. These MR-FORC characteristics are reminiscent of the return point and complementary point memory effects induced by disorders in certain magnetic systems, where the microscopic magnetic configurations are correlated with prior magnetic field history

or retaining certain microscopic “memory”.^{53,54} In the present system, the network structure plays the same role as disorders in anchoring the energy landscape during magnetization reversal to guide the system to a particular magnetic state.

A particularly noteworthy negative FORC feature was found in the vicinity of S5 in the FORC distribution ([Figure 4b](#) inset). The total FORC distribution was calculated by averaging five individual FORCs measured at each reversal field ([Supporting Information](#)). These individual FORCs were examined to find the origin of this feature. We note that most of the MR jumps were reproducible, as they occurred in a definitive fashion after a certain applied magnetic field sequence. However, in the range -6.8 kOe $< H_R < -5.5$ kOe, for the same reversal field H_R , irreversible switching steps appeared at different applied fields H . Examples for two different reversal fields are presented in [Figure 4e](#). Here, the green curves correspond to $H_R = -5.8$ kOe. Although the reversal field is the same, one FORC contains a switching step at $H = 2.5$ kOe while the other at $H = 3.5$ kOe. These regions are respectively shaded by black and red boxes to highlight the MR jumps. A similar scenario is shown for $H_R = -6.3$ kOe by the blue curves. Therefore, even though the network was initialized by a definitive magnetic field sequence to a specific H_R value, the actual magnetic state for 2.5 kOe $< H < 3.5$ kOe was randomly determined. This could happen if there are multiple switching pathways separated by an energy barrier comparable to the thermal energy $k_B T$.

To visualize the magnetic configurations of the nanowires, especially at the intersections, magnetic imaging was performed using off-axis electron holography. This technique directly measures the phase shift of the electron wave that passes through the specimen. Then the quantitative information about the electrostatic potential and the in-plane component of magnetic induction within and surrounding the specimen can be separated in the total phase shift by a flipping method ([Supporting Information](#)). First, imaging of an isolated wire at remanence was performed. The amplitude and the magnetic contour are shown in [Figure 5a](#) and [Figure 5b](#), respectively. In this case, the induction field lines corresponding to the magnetic isophase contours were found to be parallel to the wire axis. This means a single domain state with magnetization uniformly aligned along the NW long axis was stabilized due to the shape anisotropy of the wire. On the other hand, a multidomain state with a domain wall situated at the intersection was observed at remanence in the interconnected nanowires, pointing to a different direction than the moments along the wires ([Figure 5c,d](#)). This shows the propensity of the DWs to be pinned at the intersection, as shown in the

simulated magnetic configuration where one of the wires switched (Figure S2v). In other words, the intersections are the energy minima for the DWs. It is conceivable that dislodging a DW would require additional energy once it reaches this minimum, which ultimately manifested as discrete jumps in the MR measurements. Hence, the imaging provides further support to our proposed reversal mechanism to explain the MR behavior.

In summary, we report discrete propagation of magnetic states due to DW pinning and depinning in interconnected Co nanowire networks, manifested in distinct MR jumps. This characteristic could be utilized to encode digital information for 3D information storage and integrated neuromorphic computing. Additionally, the pinning/depinning behavior was found to be strongly dependent on the interconnect geometry. These unique fingerprints may be used as challenge response pair (i.e., digital keys) in physically unclonable functions (PUFs), a hardware security primitive based on intrinsic random properties embedded in the physical structure of a device.^{55,56} The MR-FORC measurements emphasized the strong dependence of magnetization reversal on the initial magnetic state or the history. This could be utilized to fashion non-Boolean computing devices such as spintronic memristors and synaptic devices where different resistance states or synaptic weights can be programmed by controllably switching a certain subsection of the networks.^{16,57} Another potential application avenue is reservoir computing, which is a neural network with fixed recurrent weights and thus incurs low training cost.¹⁶ The hysteretic behavior and numerous achievable states could allow the interconnected networks to afford large expressivity, a critical reservoir computing feature. Furthermore, the networks exhibit stochastic behavior which is amenable for performing probabilistic computation.^{16,58} We finally showed that current pulses can be used as an additional handle to control the magnetic states in the networks.

Thus, this study highlights the potential of interconnected nanowire networks to be used as efficient memristors utilizing their capability to stabilize different magnetic configurations, along with controlled and discrete propagation through the networks. Further investigation of this promising system could ultimately lead to 3D magnetic nanostructure-based energy efficient devices capable of realizing a multitude of functionalities.

■ ASSOCIATED CONTENT

SI Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.nanolett.2c03616>.

Materials and methods, micromagnetic simulations of intersection-mediated domain wall propagation, examples of MR measurement on few interconnected nanowires, current-driven domain wall propagation through the networks, and extended MR data in a network with many nanowires and high density of interconnects (PDF).

Animation of the measured MR-FORCs (MP4).

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Author Contributions

D.B. and K.L. conceived the study and coordinated the project. G.Y. proposed the memristor study. E.C.B. prepared the nanowire networks. D.B. carried out the MR and magnetometry measurements, as well as the SEM imaging. Z.C. performed the micromagnetic simulations. C.L., D.B., and X.Z. prepared the isolated NW samples and carried out off-axis holography imaging. D.B., Z.C., C.J.J., G.Y., D.A.G., C.L., X.Z., and K.L. analyzed the results. D.B. and K.L. prepared the first draft of the manuscript. All authors contributed to manuscript revision.

Notes

The authors declare no competing financial interest.

■ ACKNOWLEDGMENTS

This work has been supported in part by the NSF (Grants ECCS-1933527 and ECCS-2151809), by SMART (Grant 2018-NE-2861), one of seven centers of nCORE, a Semiconductor Research Corporation program, sponsored by the National Institute of Standards and Technology (NIST), and by KAUST (Grant OSR-2019-CRG8-4081). We thank Drs. Lisa Debeer-Schmitt, Alexander Grutter, and Julie Borchers for technical assistance with neutron scattering experiments, and Drs. Hajo Frerichs, Lukas Stuehn, and Chris Schwalb for help with magnetic imaging investigations.

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