

# Red-Shifting the Excitation Energy of Carbonic Acid Clusters Via Nonminimum Structures

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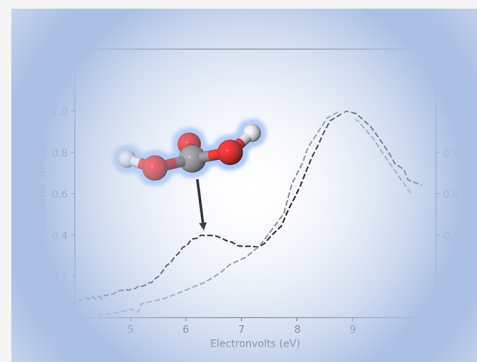


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**ABSTRACT:** Nonminimum carbonic acid clusters provide excitation energies and oscillator strengths in line with observed ice-phase UV absorptions better than traditional optimized minima. This equation-of-motion coupled cluster quantum chemical analysis on carbonic acid monomers and dimers shows that shifts to the dihedral angle for the internal heavy atoms in the monomer produce UV electronic excitations close to 200 nm with oscillator strengths that would produce observable features. This  $\tau(\text{OCOO})$  dihedral is actually a relatively floppy motion unlike what is often expected for  $\text{sp}^2$  carbons and can be distorted by  $30^\circ$  away from equilibrium for an energy cost of only 11 kcal/mol. As this dihedral decreases, the excitation energies decrease, as do the oscillator strengths but only to a point. Hence, the lower-energy distortions of  $\tau(\text{OCOO})$  are sufficient to produce structures that exhibit excitation energies and oscillator strengths that would red-shift observed spectra of carbonic acid ices away from the highest UV absorption feature at 139 nm. Such data imply that colder temperatures (20 K) in the experimental treatment of carbonic acid ices are freezing these structures out after annealing, whereas the warmer temperature experiments (80 K) are not.



## INTRODUCTION

The four central bonds of carbon are easily satiated by bonds with oxygen in the form of aldehydes and alcohols. However, while both formaldehyde and formic acid are exceptionally stable molecules and building blocks of organic chemistry, the diol form (carbonic acid,  $\text{CO}_3\text{H}_2$ ), is notoriously unstable and has required modern analysis for characterization.<sup>1,2</sup> Case in point, the proper phase of the solid form of carbonic acid has only recently been clearly established.<sup>3,4</sup> Hence, the seemingly straightforward form of carbonic acid that fulfills all of the expectations for p-block and organic chemistry has remained either elusive or unclear, even recently. A similar and simpler diol, methanediol, has only been clearly observed within the past year in the gas phase, enhanced by theoretical confirmation.<sup>5–7</sup> As such and besides a few successes, the modern experimental production of carbonic acid under physical conditions similar to those found in nature has been stymied by its high reactivity and proclivity to remain as its painfully stable substituents: water and  $\text{CO}_2$ .

In ice experiments similar to those utilized to produce methanediol,<sup>5</sup> amorphous ice-phase techniques<sup>8</sup> have been able to produce a UV spectrum for solid carbonic acid in what is believed to be an almost exclusively amorphous phase.<sup>9</sup> While the motivation for such an experiment ostensibly is to produce ices that reflect astrophysical conditions, such as the

outer solar system or the interstellar medium, characterization of such ice under simulated conditions should be readily handled by UV analysis. Unfortunately, the UV spectrum for the amorphous carbonic acid ice differs somewhat between two experimental approaches employed.<sup>9</sup> Deposition of  $\text{CO}_2/\text{H}_2\text{O}$  ices at 20 K, annealed to either 200 or 225 K and then returned to 20 K, produces a clear peak at 139 nm. This feature is attributable to an  $n \rightarrow \pi^*$  excitation present in all of the examined forms of carbonic acid. This includes isolated molecules, a ribbon cluster arrangement in line with the  $\beta$  solid polymorph, and the amorphous phase.<sup>9,10</sup> However, the second experimental approach<sup>9</sup> deposits  $\text{CO}_2/\text{H}_2\text{O}$  ices at 80 K, anneals the ice to either 200 or 225 K, and returns it to 80 K. This approach produces the 139 nm peak, but it also exhibits a second feature at 200 nm. While this second peak is known to correspond to carbonic acid,<sup>11</sup> the exact molecular form or clustering arrangement of what causes this carbonic acid peak remains unknown.

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Previous theoretical work<sup>10,12</sup> indicates that the second peak likely correlates to a nonminimum orientation of carbonic acid units relative to one another. This excitation corresponds to an  $n \rightarrow \sigma^*$  excitation that produces a zero oscillator strength by symmetry for the  $C_{2v}$  and  $C_{2h}$  symmetries of the isolated carbonic acid molecules and the ribbon isomers. Hence, excitations in the 200 nm range are present for all forms of carbonic acid, but the oscillator strength and intensities in turn are necessarily zero by symmetry. While these computations also indicate that all forms of carbonic acid exhibit features that produce transitions in the 139 nm range, for the 200 nm features to be observed, the symmetry likely must be broken.

Even though a previously unknown helical arrangement of carbonic acid clusters provides some red-shifted excitation energies, they still fall short of the 200 nm range<sup>10</sup> defined here to be from 5.5 to 7.0 eV. Furthermore, a new protocol has been developed in order to assess the electronic spectra of truly amorphous clusters producing strong correlation with benchmark experiments for amorphous solid water, ammonia, and  $\text{CO}_2$ .<sup>13</sup> However, treatment of amorphous carbonic acid utilizing this approach only produces the strong feature in the region of 139 nm (8.92 eV) with no notable features predicted in the range of 200 nm (again, 5.5–7.0 eV).<sup>12</sup> The amorphous and helical clusters actually exhibit nonzero oscillator strengths for some transitions between 5.5 and 7.0 eV wavelengths, but the oscillator strengths are typically 3 orders of magnitude or more smaller than those for the 139 nm range excitations.

On the other hand, a nonminimum, perpendicular arrangement of carbonic acid dimers in a tetramer cluster has recently been shown to exhibit  $n \rightarrow \sigma^*$  excitations in the 5.5 to 7.0 eV range with oscillator strengths that are on the order of 20% the value of those for the  $n \rightarrow \pi^*$  excitations closer to 8.9 eV.<sup>10</sup> As such, the original, higher-temperature experiments in ref 9 may be freezing out these nonminimum structures that allow for the longer-wavelength oscillator strengths to grow to observable values.

Granted, a single computation of a single arrangement in a single cluster is hardly grounds for confirmation. Hence, more characterization of how these lower-energy  $n \rightarrow \sigma^*$  electronic excitations behave in carbonic acid is needed. Is the symmetry breaking attainable in moving the hydrogen atoms, or is the growth in the oscillator strength maximized by the placement of molecules in a cluster? Is it a combination of both? The present work is an attempt to address these questions in order to provide deeper insights into the nature of carbonic acid. These fundamental explorations of symmetry breaking in carbonic acid monomers and dimers will generate a more firm understanding of how carbonic acid clusters behave in the UV and likely how such inferences can be extrapolated to related systems. The goal is to inform laboratory study and astrophysical implications of prebiotic ices.

## COMPUTATIONAL METHODS

The nonminimum structures are explored via scans of various dihedral angles. In order to begin, the base monomer and dimer geometries are taken from ref 10. For those structures that require new optimizations (such as nonminimum dimers), second-order Møller–Plesset perturbation theory (MP2) with the aug-cc-pVDZ basis set is used.<sup>14–16</sup> Once the reference geometry is selected, the dihedral angles ( $\theta$ ) as defined for each explored system are displaced by  $3.0^\circ$ , creating constrained scans. From each of these  $\theta$  displacements, equation-of-

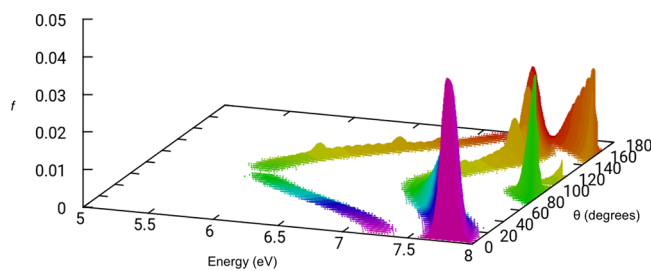
motion coupled cluster theory at the singles and doubles levels (EOM-CCSD) with an aug-cc-pVTZ basis set is used to compute the vertical electronically excited states with transition energies of less than 8.0 eV.<sup>17–19</sup> Recent work has also shown that the reference geometry has little effect on the excitation energy, implying that the starting geometry will have no qualitative and meaningful quantitative effects on the implications of this work.<sup>20</sup> All quantum-chemical computations made use of the MOLPRO 2020.1 program.<sup>21,22</sup>

The UV spectral features in question can be modeled only as convolved spectra since several computed excitations add together to create the experimentally correlative features.<sup>10,12</sup> The spectra for each displacement of each scan are broadened with a 0.2 eV full width at half-maximum with Gaussian functions. These are then stacked together and given a rainbow color code across the scan in order to show how the spectra change as a function of  $\theta$ .

## RESULTS AND DISCUSSION

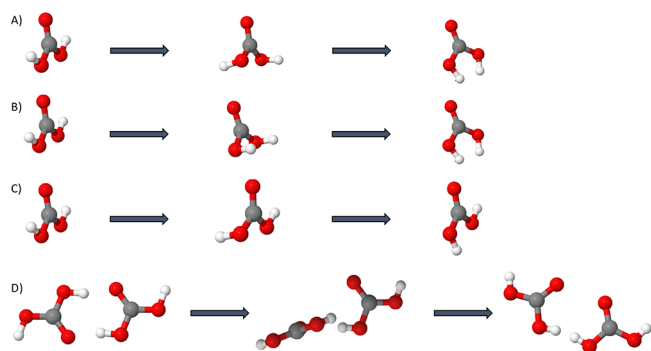
### Hydrogen Atom Displacements in the Monomers.

Figure 1 reports the excitation energies and oscillator strengths



**Figure 1.** Conrotatory ( $C_2$ ) scan of the hydrogen atoms in the carbonic acid monomer. The states reported (from left to right) are  $2^1A$ ,  $1^1B$ , and  $2^1B$ .

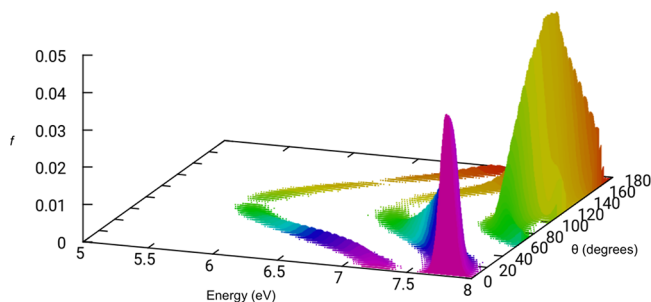
(f) for the conrotatory scan of the hydrogen atom dihedral pair in the carbonic acid monomer over  $\theta$  values from  $0^\circ$  to  $180^\circ$ . This scan is represented in Figure 2A and effectively analyzes the  $C_2$  structures between the *syn*–*syn* and the 0.49 eV higher-energy  $anti$ – $anti$   $C_{2v}$  minima. At first glance, the lowest-energy excited state ( $2^1A$ ) drops down into the spectral range desired to help explain the spectrum observed in ref 9. This  $n \rightarrow \pi^*$  excitation has a zero oscillator strength by symmetry at



**Figure 2.** Visual depictions for the (A) conrotatory ( $C_2$ ) scan of the hydrogen atoms in the carbonic acid monomer, (B) disrotatory ( $C_s$ ) scan of the hydrogen atoms in the carbonic acid monomer, (C) single hydrogen ( $C_1$ ) scan of a single hydrogen in the carbonic acid monomer, and (D) scan ( $C_2$ ) of the carbonic acid dimer.

either of the  $C_{2v}$  minima, where it would be an  $^1A_2$  state. While breaking the symmetry produces a nonzero excitation, the oscillator strength never strays above 0.001 for all  $\theta$  values. The numerical values for the excitation energies and oscillator strengths for each displacement  $\theta$  are given in the Supporting Information. As a result, this excitation, while in the 5.5–7.0 eV range as required of the 200 nm feature from ref 9, will still have little-to-no contribution due to the smaller  $f$  value. The  $1^1B$  ( $n \rightarrow \sigma^*$ ) state higher in energy matches the symmetry of the state observed in the perpendicular tetramer of ref 12 in the sub-7.0 eV range. Unfortunately, this excited state never drops below 7.0 eV in the scan, and the oscillator strength reduces as the excitation moves away from equilibrium.

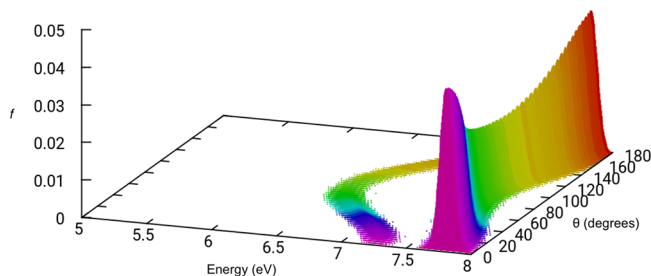
The disrotatory scan of the hydrogen out-of-plane torsions through  $C_s$  geometries in Figure 3 actually behaves in a similar



**Figure 3.** Disrotatory ( $C_s$ ) scan from Figure 2B of the hydrogen atoms in the carbonic acid monomer. The states reported (from left to right) are  $1^1A''$ ,  $2^1A'$ , and  $2^1A''$ .

fashion. An excited ( $1^1A''$ ) state appears in the proper energy range, but the oscillator strength remains small across the scan and even goes to zero for the minimum excitation energy at  $\theta = 90^\circ$ . The next excited state,  $2^1A'$ , behaves like the  $1^1B$  of the conrotatory scan in that its energy never drops below 7.0 eV, but the oscillator strength in this form vanishes at the minimum energy. Hence, this structure is not promising for the correlation to the experimental UV spectrum observed.

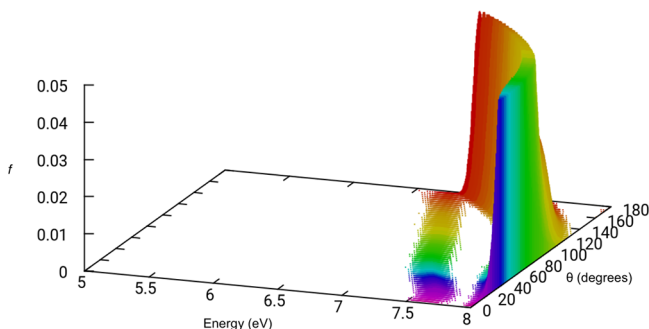
Finally for the monomers, a  $C_1$  scan of just a single out-of-plane hydrogen torsional twist is also considered in Figure 4.



**Figure 4.** Single hydrogen ( $C_1$ ) scan of a single hydrogen (Figure 2C) in the carbonic acid monomer. The states reported (from left to right) are  $2^1A$  and  $3^1A$ .

The energy minimizes below 7.0 at 6.553 eV for the first excited ( $2^1A$ ) state but with an oscillator strength of roughly 0.001. Again, this small oscillator strength does not provide promise for explaining the 200 nm peak from experiment. As a result, one-body properties are unlikely to correlate to the spectrum observed in ref 9, leaving dimer arrangements as the next logical avenue of exploration.

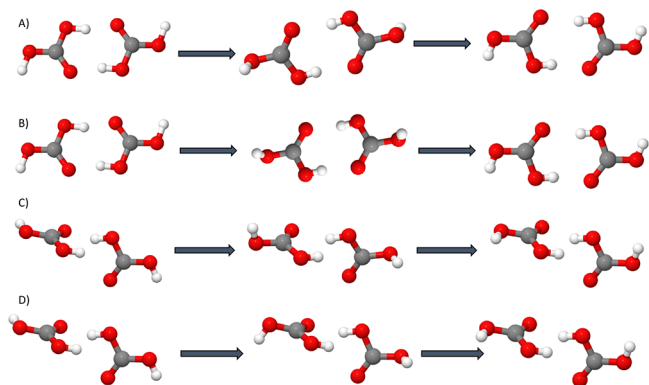
**Dimer Analysis.** The constrained scan of the carbonic acid dimer is depicted in Figure 2D with the transition properties shown in Figure 5. This scan defines  $\theta$  as  $180^\circ$  minus the



**Figure 5.** Scan ( $C_2$ ) of the carbonic acid dimer, as shown in Figure 2D. The states reported (from left to right) are  $2^1A$  and  $1^1B$ .

dihedral angle defined from  $\tau(O=C-C=O)$ , where the  $C=O$  portions are the ketones in each of the two dimers. This scan moves the dimer structure from the optimized form at  $\theta = 0^\circ$  to a highly repulsive  $C_{2v}$  form at  $\theta = 180^\circ$  where the two hydrogen atoms are sterically interfering with one another as shown in the bottom-right of Figure 2D. While the excitations in Figure 5 decrease in energy, the higher oscillator strength  $1^1B$  state transition does not dip into the sub-7.0 eV range until the molecule becomes sterically unfavored.

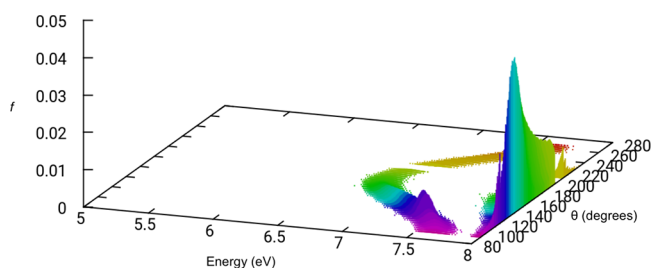
In order to avoid the steric issues present in the twist of the dimer, the external hydrogen atom torsional angles (Figure 6A,B) are scanned in Figures 7 and 8 in a manner similar to the



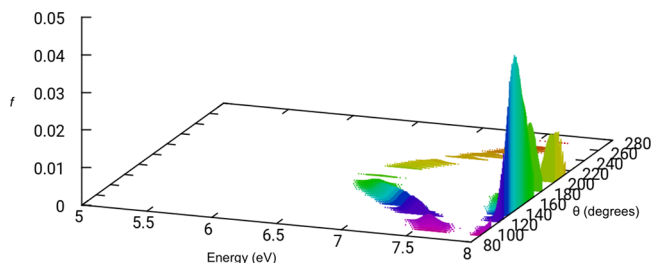
**Figure 6.** Visual depictions for the (A) conrotatory ( $C_2$ ) scan of the external hydrogen atoms in the carbonic acid dimer, (B) disrotatory ( $C_1$ ) scan of the external hydrogen atoms in the carbonic acid dimer, (C) disrotatory scan of the external hydrogen atoms in the  $126^\circ$  carbonic acid dimer, and (D) conrotatory scan of the external hydrogen atoms in the  $126^\circ$  carbonic acid dimer.

monomer in Figures 1 and 3. Only the external hydrogen atoms are displaced since the internal ones are needed to keep the dimer bound together. Separation of the dimer would likely simply recreate the monomer results in the previous section. The  $\theta$  values for the hydrogen torsions are defined here from vectors pointing out-of-plane of each monomer such that, at  $\theta = 90^\circ$ , the hydrogens are in their in-plane equilibrium positions. These are then combined with the two monomers to define  $\theta$ . Hence, at  $\theta = 180^\circ$ , the hydrogen atoms are perpendicular to the molecular planes of their respective monomers as shown in the middle of Figure 6A,B. The two

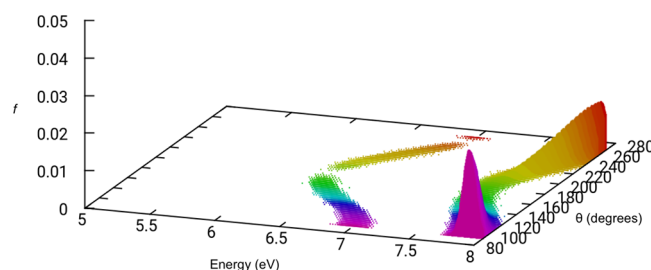




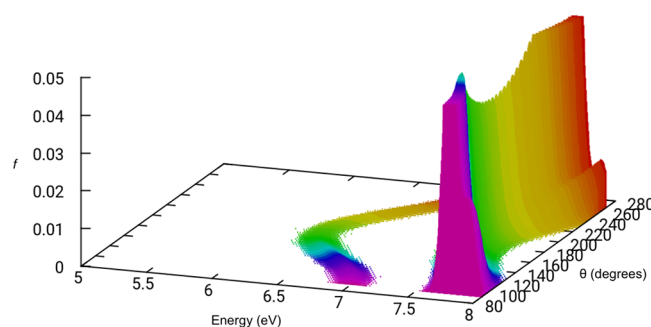
**Figure 7.** Conrotatory ( $C_2$ ) scan of the external hydrogen atoms in the carbonic acid dimer (Figure 6A). The states reported (from left to right) are  $2^1A$  and  $1^1B$ .



**Figure 8.** Disrotatory ( $C_1$ ) scan of the external hydrogen atoms in the carbonic acid dimer (Figure 6B). The states reported (from left to right) are  $2^1A$  and  $3^1A$ .



**Figure 9.** Disrotatory ( $C_1$ ) scan of the external hydrogen atoms in the  $126^\circ$  displaced carbonic acid dimer (Figure 6C). The states reported (from left to right) are  $2^1A$  and  $3^1A$ .



**Figure 10.** Conrotatory ( $C_1$ ) scan of the external hydrogen atoms in the  $126^\circ$  displaced carbonic acid dimer (Figure 6D). The states reported (from left to right) are  $2/3^1A$  and  $4^1A$ .

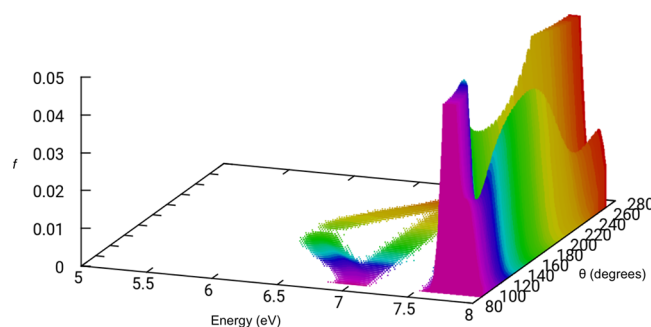
scans are qualitatively the same with one another and exhibit similar properties as the corresponding monomers. They exhibit low oscillator strength first excited states that do not move much below 7.0 eV in contrast with the monomer states, but the higher-energy transitions are showing larger oscillator strengths. However, the energies of these states are still closer to 8.0 eV and are actually higher in energy than the second excited states in the monomer. Consequently, the displacements of the hydrogen atoms alone do not appear to be creating the conditions necessary to produce observable oscillator strengths for transitions at lower UV energies.

The next logical step then is to combine displacements of the dimer torsions themselves with scans of the hydrogen atom torsions. In starting from the displacements for the scan in Figure 5, these structures are then optimized with MP2/aug-cc-pVTZ with the torsion between the two dimers held constant. As mentioned above, the sterics on the hydrogen atoms as  $\theta$  approaches  $180^\circ$  create unfavorable constructions, even if they promote lower-energy transitions. This leads to dissociation of the dimers for larger  $\theta$  values. However, the largest  $\theta$  to remain bound is for  $\tau(\text{O}=\text{C}-\text{C}=\text{O}) = 126^\circ$ , and this structure is 0.81 eV higher than the  $C_{2h}$  minimum at  $\tau(\text{O}=\text{C}-\text{C}=\text{O}) = 0^\circ$ . Hence, this torsion angle between the dimers themselves is utilized, followed by the previously employed disrotatory and conrotatory scans of the external hydrogen atom torsion angles.

These hydrogen scans of the  $\tau(\text{O}=\text{C}-\text{C}=\text{O}) = 126^\circ$  carbonic acid dimer are given in Figures 9 and 10. The disrotatory scan in Figure 9 produces transitions into the  $2^1A$  state that approach 6.5 eV, but once more, the oscillator strengths are very low. This is even true for the higher-energy  $3^1A$  state, which hovers around 7.5 eV. Hence, none of these states fall into the 5.5–7.0 eV range with large enough oscillator strengths needed to help explain the experimental spectrum observed in ref 9.

In contrast, the conrotatory scan in Figure 10 defined in Figure 6D is somewhat more promising. The conrotatory maximum at  $\theta = 180^\circ$  is lower in energy than the structure at  $\theta = 0^\circ$ , since it lies 0.61 eV above the  $C_{2h}$  dimer minimum. The lowest-energy transition into the  $2^1A$  excited state for this scan stretches down below 6.5 to 6.318 eV and has small but notable oscillator strengths on the order of 0.001 in this range as reported in Table S8 in the Supporting Information. However, the  $3^1A$  state is nearly isoenergetic with the  $2^1A$  state and has an oscillator strength of similar magnitude. As a result, these two states convolve together and produce an oscillator strength where the sum is notably greater than the parts.

This convolvment of the two lowest-energy transitions is teased out in Figure 11 where only one H atom is displaced out-of-plane for the  $\tau(\text{O}=\text{C}-\text{C}=\text{O}) = 126^\circ$  carbonic acid dimer. The 2 and 3  $^1A$  states are separated herein due to splittings in the two highest occupied molecular orbitals. The  $3^1A$  state is largely unaffected by the scan since the previously



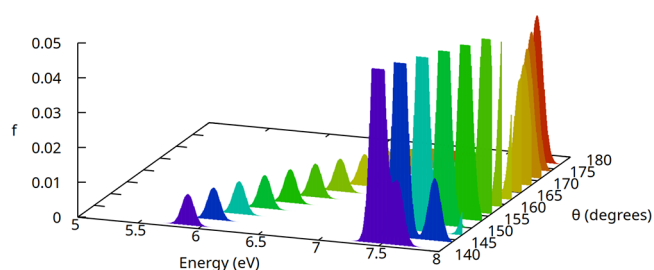
**Figure 11.** Scan ( $C_1$ ) of a single external hydrogen atom in the  $126^\circ$  displaced carbonic acid dimer. The states reported (from left to right) are the  $2-5^1A$  states.

265 paired orbitals in the con- and disrotatory scans are no longer  
 266 so. In this scan, the accepting virtual orbitals split, since they  
 267 are isolated on the monomer within the dimer where the  
 268 hydrogen atom is not displaced. In any case, the separation of  
 269 the states by the pseudosymmetry breaking reduces the peak  
 270 height to just that of the individual parts. While this also drops  
 271 the excitation energy to below 6.5 eV, the intensity of any  
 272 observed peaks would be small. The higher-energy transitions  
 273 have greater oscillator strengths, but they remain above 7.5 eV  
 274 and could not contribute to the 200 nm feature.

275 A major hangup, however, is that, in order to access the 126°  
 276 angle, an additional 100+ kcal/mol of energy (>4.4 eV; Figure  
 277 S2) must be added to create this isomer, plus the energy  
 278 needed to twist the hydrogen dihedrals. Such energy  
 279 requirements would be on the order of the actual excitation  
 280 energy we are attempting to model. While smaller dimer  
 281 dihedrals would be more energetically favorable, the  
 282 combination of Figures 6 and 7 could produce excitation  
 283 energies in the desired range below 6.5 eV, but the oscillator  
 284 strengths would likely still be small. Additionally, the ground  
 285 states would require at least 20 kcal/mol (0.87 eV) to access  
 286 these geometries. Furthermore, the odds of two nonminimum  
 287 phenomena taking place simultaneously casts additional doubt  
 288 on this pathway. As such, this leads to a rethinking of the  
 289 distortions to be explored.

290 **“Butterfly” Dihedral of the Monomer.** In moving  
 291 beyond motions of the hydrogen atoms or even the dimers  
 292 themselves, the internal structure of carbonic acid is not as  
 293 rigid as a central  $sp^2$  carbon would imply. In fact, in a scan of  
 294 the heavy atom, the  $\tau(\text{OCOO})$  dihedral (“butterfly”) angle is  
 295 actually relatively flat. While  $\tau(\text{OCOO}) = 180^\circ$  at the  
 296 minimum geometry, when  $\tau(\text{OCOO}) = 150^\circ$ , the relative  
 297 ground electronic state energy is only 11 kcal/mol (0.48 eV;  
 298 Figure S3) above the minimum. By comparison, this same  
 299 value is reached at  $45^\circ$  in the lower-energy  $C_2$  scan of the  
 300 hydrogen atom dihedral rotations of the monomer (the motion  
 301 in Figure 1; energies in Figure S1) and at  $30^\circ$  for the dihedral  
 302 angle between the two monomers in the dimer (Figure S2).  
 303 Both of these latter two cases are considered floppy motions, in  
 304 stark contrast to the dihedral motion of a typical ketone  
 305 carbon. However, the present ketone carbon is also seemingly  
 306 labile. This relatively floppy motion in carbonic acid almost  
 307 certainly enables the proclivity of carbonic acid to return to  
 308 carbon dioxide and water since the smaller  $\tau(\text{OCOO})$  values  
 309 allow the OH groups to come closer together increasing the  
 310 likelihood of hydrogen transfer producing water. Even so, once  
 311  $\tau(\text{OCOO})$  crosses  $135^\circ$  on approach to  $90^\circ$  (Figure S3) and  
 312 roughly 30 kcal/mol (1.3 eV), the relative energy of the  
 313 ground state increases rapidly, implying that these distortions  
 314 are limited to a range of roughly  $45^\circ$  or less about the  
 315 equilibrium geometry’s planarity.

316 The scan of the excited states for this “butterfly” dihedral  
 317 angle of the carbonic acid monomer is shown in Figure 12.  
 318 The scan is stopped at  $141^\circ$  due to energetic considerations.  
 319 However, beyond  $\tau(\text{OCOO}) = 156^\circ$ , the  $1^1A''$  state drops  
 320 below 6.5 eV with oscillator strengths on the order of  $1 \times 10^{-2}$ ,  
 321 the exact range needed to inform the spectrum in ref 9. The  
 322 distortion to the geometry is enough to bring this  $n \rightarrow \pi^*$   
 323 excitation energy down and the oscillator strength up. As  
 324 shown in Table S10, the value of the oscillator strength drops  
 325 by an order of magnitude over the first  $30^\circ$  of the  $\tau(\text{OCOO})$   
 326 scan, and the excitation energy drops by more than 1.0 eV.  
 327 While the excitation energy for this state and that of most



**Figure 12.** Scan ( $C_s$ ) of the  $\tau(\text{OCOO})$  dihedral (butterfly) angle of the carbonic acid monomer. The states reported (from left to right) are the  $1^1A''$ ,  $2^1A'$ , and  $2^1A''$  states.

328 others continues to drop values even below 5 eV, the higher  
 329 energy of the ground state likely minimizes these structures’  
 330 contribution. Additionally, the oscillator strength remains at  
 331 roughly  $1 \times 10^{-2}$  all the way to  $\tau(\text{OCOO}) = 114^\circ$  when it  
 332 begins to reduce. In any case, this low-energy ground-state  
 333 energy for this surprisingly floppy motion has the excitation  
 334 energy and oscillator strength that would line up with the  
 335 secondary peak shown in ref 9.

## CONCLUSIONS

336 The relatively low potential energy for the distortion of the  
 337 internal  $\tau(\text{OCOO})$  dihedral angle also produces structures  
 338 with  $n \rightarrow \pi^*$  excitation energies below 6.5 eV with notable  
 339 oscillator strengths. Additionally, these floppy, nonminimum  
 340 geometries will be widely varied in terms of their displacements  
 341 causing a spread of excitation energies. This behavior would  
 342 cause a broad feature like that observed in ref 9. The  
 343 optimization of the amorphous clusters in ref 12 may actually  
 344 inhibit access to these nonminima structures, reducing their  
 345 ability to contribute to the spectrum. While such optimizations  
 346 are likely acceptable for most applications, the nature of the  
 347 K annealing in ref 9 and the floppy nature of carbonic acid  
 348 itself appear to provide a more complicated picture that may  
 349 only be explained by the inclusion of nonminima arrangements  
 350 of the carbonic acid molecules in clusters.

351 This present work shows that, for nonminimum, symmetry-  
 352 broken carbonic acid, twisting the hydrogen atom torsional  
 353 angles in the monomers strongly reduces the excitation  
 354 down to nearly 6.0 eV right where the 200 nm feature has been  
 355 previously observed.<sup>9</sup> However, the oscillator strength  
 356 remained small. The same motion in the dimers actually has  
 357 a less red-shifting effect. Scanning over the dihedral space  
 358 between the monomers in the dimer reduces the excitation  
 359 energy but leads to unstable structures. Taking the  
 360 intermonomer  $\tau(\text{O}=\text{C}-\text{C}=\text{O}) = 126^\circ$  angle and then also  
 361 scanning over the external hydrogen atom dihedrals in the  
 362 dimer brings the excitation energy back to less than 6.5 eV.  
 363 Additionally, the conrotatory scan then allows for two  
 364 electronic states to combine at these energies and, therefore,  
 365 increase the intensity of the convolved peak to greater than the  
 366 sum of the parts. However, the energy required to produce  
 367 such structures is nearly the same as the excitation energy itself.  
 368 The butterfly dihedral of the heavy atoms in the monomer,  
 369 however, is a relatively low-energy motion below  $180^\circ$  down to  
 370  $141^\circ$  where the excitation energies and oscillator strength  
 371 magnitudes are the closest match for the  $\sim 200$  nm peak  
 372 observed by Ioppolo and co-workers.<sup>9</sup>

## ■ ASSOCIATED CONTENT

## ■ Supporting Information

The Supporting Information is available free of charge at <https://pubs.acs.org/doi/10.1021/acs.jpca.2c07589>.

The electronically excited state data computed in this work and utilized to produce the figures as well as the scans of the ground relative energies for the hydrogen dihedral of the monomer, the dimer dihedral, and the butterfly dihedral (PDF)

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## Notes

The authors declare no competing financial interest.

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