



Search for the chiral magnetic effect in Au+Au collisions at $\sqrt{s_{NN}} = 27$ GeV with the STAR forward event plane detectors

STAR Collaboration

B.E. Aboona^{ba}, J. Adam^o, L. Adamczyk^b, J.R. Adams^{al}, I. Aggarwal^{an}, M.M. Aggarwal^{an}, Z. Ahammed^{bg}, D.M. Anderson^{ba}, E.C. Aschenauer^f, J. Atchison^a, V. Bairathi^{ay}, W. Baker^k, J.G. Ball Cap^u, K. Barish^k, R. Bellwied^u, P. Bhagat^{ab}, A. Bhasin^{ab}, S. Bhatta^{ax}, J. Bielcik^o, J. Bielcikova^{ak}, J.D. Brandenburg^{al}, X.Z. Cai^{av}, H. Caines^{bj}, M. Calderón de la Barca Sánchezⁱ, D. Cebraⁱ, J. Ceska^o, I. Chakaberia^{ae}, P. Chaloupka^o, B.K. Chan^j, Z. Chang^z, D. Chen^k, J. Chen^{au}, J.H. Chen^s, Z. Chen^{au}, J. Cheng^{bc}, Y. Cheng^j, S. Choudhury^s, W. Christie^f, X. Chu^f, H.J. Crawford^h, M. Csanád^q, G. Dale-Gau^m, A. Das^o, M. Daugherty^a, I.M. Deppner^t, A. Dhamija^{an}, L. Di Carlo^{bi}, L. Didenko^f, P. Dixit^w, X. Dong^{ae}, J.L. Drachenberg^a, E. Duckworth^{ac}, J.C. Dunlop^f, J. Engelage^h, G. Eppley^{ap}, S. Esumi^{bd}, O. Evdokimov^m, A. Ewigleben^{af}, O. Eyser^f, R. Fatemi^{ad}, S. Fazio^g, C.J. Feng^{aj}, Y. Feng^{ao}, E. Finch^{aw}, Y. Fisyak^f, F.A. Flor^{bj}, C. Fu^l, C.A. Gagliardi^{ba}, T. Galatyuk^p, F. Geurts^{ap}, N. Ghimire^{az}, A. Gibson^{bf}, K. Gopal^x, X. Gou^{au}, D. Grosnick^{bf}, A. Gupta^{ab}, W. Guryn^f, A. Hamed^d, Y. Han^{ap}, S. Harabasz^p, M.D. Harastyⁱ, J.W. Harris^{bj}, H. Harrison^{ad}, W. He^s, X.H. He^{aa}, Y. He^{au}, N. Herrmann^t, L. Holub^o, C. Hu^{aa}, Q. Hu^{aa}, Y. Hu^{s,f,ae,*}, H. Huang^{aj}, H.Z. Huang^j, S.L. Huang^{ax}, T. Huang^m, X. Huang^{bc}, Y. Huang^{bc}, Y. Huang^l, T.J. Humanic^{al}, D. Isenhower^a, M. Isshiki^{bd}, W.W. Jacobs^z, A. Jalotra^{ab}, C. Jena^x, A. Jentsch^f, Y. Ji^{ae}, J. Jia^{f,ax}, C. Jin^{ap}, X. Ju^{as}, E.G. Judd^h, S. Kabana^{ay}, M.L. Kabir^k, S. Kagamaster^{af}, D. Kalinkin^{ad}, K. Kang^{bc}, D. Kapukchyan^k, K. Kauder^f, H.W. Ke^f, D. Keane^{ac}, M. Kelsey^{bi}, Y.V. Khyzhniak^{al}, D.P. Kikoła^{bh}, B. Kimelmanⁱ, D. Kincses^q, I. Kisel^r, A. Kiselev^f, A.G. Knospe^{af}, H.S. Ko^{ae}, L.K. Kosarzewski^o, L. Kramarik^o, L. Kumar^{an}, S. Kumar^{aa}, R. Kunnawalkam Elayavalli^{bj}, R. Lacey^{ax}, J.M. Landgraf^f, J. Lauret^f, A. Lebedev^f, J.H. Lee^f, Y.H. Leung^t, N. Lewis^f, C. Li^{au}, C. Li^{as}, W. Li^{ap}, X. Li^{as}, Y. Li^{as}, Y. Li^{bc}, Z. Li^{as}, X. Liang^k, Y. Liang^{ac}, R. Licenik^{ak,o}, T. Lin^{au}, M.A. Lisa^{al}, C. Liu^{aa}, F. Liu^l, H. Liu^z, H. Liu^l, L. Liu^l, T. Liu^{bj}, X. Liu^{al}, Y. Liu^{ba}, Z. Liu^l, T. Ljubicic^f, W.J. Llope^{bi}, O. Lomicky^o, R.S. Longacre^f, E. Loyd^k, T. Lu^{aa}, N.S. Lukow^{az}, X.F. Luo^l, L. Ma^s, R. Ma^f, Y.G. Ma^s, N. Magdy^{ax}, D. Mallick^{ai}, S. Margetis^{ac}, C. Markert^{bb}, H.S. Matis^{ae}, J.A. Mazer^{aq}, G. McNamara^{bi}, K. Mi^l, S. Mioduszewski^{ba}, B. Mohanty^{ai}, I. Mooney^{bj}, A. Mukherjee^q, M.I. Nagy^q, A.S. Nain^{an}, J.D. Nam^{az}, Md. Nasim^w, D. Neff^j, J.M. Nelson^h, D.B. Nemes^{bj}, M. Nie^{au}, T. Niida^{bd}, R. Nishitani^{bd}, T. Nonaka^{bd}, A.S. Nunes^f, G. Odyneic^{ae}, A. Ogawa^f, S. Oh^{ae}, K. Okubo^{bd}, B.S. Page^f, R. Pak^f, J. Pan^{ba}, A. Pandav^{ai}, A.K. Pandey^{aa}, T. Pani^{aq}, A. Paul^k, B. Pawlik^{am}, D. Pawlowska^{bh}, C. Perkins^h, J. Pluta^{bh}, B.R. Pokhrel^{az}, M. Posik^{az}, T. Protzman^{af}, V. Prozorova^o, N.K. Pruthi^{an}, M. Przybycien^b, J. Putschke^{bi}, Z. Qin^{bc}, H. Qiu^{aa}, A. Quintero^{az}, C. Racz^k, S.K. Radhakrishnan^{ac}, N. Raha^{bi}, R.L. Ray^{bb}, R. Reed^{af}, H.G. Ritter^{ae}, C.W. Robertson^{ao}, M. Robotkova^{ak,o}, M.A. Rosales Aguilar^{ad}, D. Roy^{aq},

* Corresponding author.

E-mail address: star-publication@bnl.gov (Y. Hu).

P. Roy Chowdhury^{bh}, L. Ruan^f, A.K. Sahoo^w, N.R. Sahoo^{au}, H. Sako^{bd}, S. Salur^{aq}, S. Sato^{bd}, W.B. Schmidke^f, N. Schmitz^{ag}, F.-J. Seck^p, J. Segerⁿ, R. Seto^k, P. Seyboth^{ag}, N. Shah^y, P.V. Shanmuganathan^f, M. Shao^{as}, T. Shao^s, M. Sharma^{ab}, N. Sharma^w, R. Sharma^x, S.R. Sharma^x, A.I. Sheikh^{ac}, D.Y. Shen^s, K. Shen^{as}, S.S. Shi^l, Y. Shi^{au}, Q.Y. Shou^s, F. Si^{as}, J. Singh^{an}, S. Singha^{aa}, P. Sinha^x, M.J. Skoby^{e,ao}, N. Smirnov^{bj}, Y. Söhngen^t, Y. Song^{bj}, B. Srivastava^{ao}, T.D.S. Stanislaus^{bf}, M. Stefaniak^{al}, D.J. Stewart^{bi}, B. Stringfellow^{ao}, Y. Su^{as}, A.A.P. Suaide^{ar}, M. Sumbera^{ak}, C. Sun^{ax}, X. Sun^{aa}, Y. Sun^{as}, Y. Sun^v, B. Surrow^{az}, Z.W. Swegerⁱ, P. Szymanski^{bh}, A. Tamis^{bj}, A.H. Tang^f, Z. Tang^{as}, T. Tarnowsky^{ah}, J.H. Thomas^{ae}, A.R. Timmins^u, D. Tlustyⁿ, T. Todoroki^{bd}, C.A. Tomkiel^{af}, S. Trentalange^j, R.E. Tribble^{ba}, P. Tribedy^f, T. Truhlar^o, B.A. Trzeciak^o, O.D. Tsai^{j,f}, C.Y. Tsang^{ac,f}, Z. Tu^f, T. Ullrich^f, D.G. Underwood^{c,bf}, I. Upsal^{ap}, G. Van Buren^f, J. Vanek^f, I. Vassiliev^r, V. Verkest^{bi}, F. Videbæk^f, S.A. Voloshin^{bi}, F. Wang^{ao}, G. Wang^j, J.S. Wang^v, X. Wang^{au}, Y. Wang^{as}, Y. Wang^l, Y. Wang^{bc}, Z. Wang^{au}, J.C. Webb^f, P.C. Weidenkaff^t, G.D. Westfall^{ah}, D. Wielanek^{bh}, H. Wieman^{ae}, G. Wilks^m, S.W. Wissink^z, R. Witt^{be}, J. Wu^l, J. Wu^{aa}, X. Wu^j, Y. Wu^k, B. Xi^{av}, Z.G. Xiao^{bc}, W. Xie^{ao}, H. Xu^v, N. Xu^{ae}, Q.H. Xu^{au}, Y. Xu^{au}, Y. Xu^l, Z. Xu^f, Z. Xu^j, G. Yan^{au}, Z. Yan^{ax}, C. Yang^{au}, Q. Yang^{au}, S. Yang^{at}, Y. Yang^{aj}, Z. Ye^{ap}, Z. Ye^m, L. Yi^{au}, K. Yip^f, Y. Yu^{au}, H. Zbroszczyk^{bh}, W. Zha^{as}, C. Zhang^{ax}, D. Zhang^l, J. Zhang^{au}, S. Zhang^{as}, X. Zhang^{aa}, Y. Zhang^{aa}, Y. Zhang^{as}, Y. Zhang^l, Z.J. Zhang^{aj}, Z. Zhang^f, Z. Zhang^m, F. Zhao^{aa}, J. Zhao^s, M. Zhao^f, C. Zhou^s, J. Zhou^{as}, S. Zhou^l, Y. Zhou^l, X. Zhu^{bc}, M. Zurek^c, M. Zyzak^r

^a Abilene Christian University, Abilene, TX 79699

^b AGH University of Science and Technology, FPACS, Cracow 30-059, Poland

^c Argonne National Laboratory, Argonne, IL 60439

^d American University of Cairo, New Cairo 11835, New Cairo, Egypt

^e Ball State University, Muncie, IN, 47306

^f Brookhaven National Laboratory, Upton, NY 11973

^g University of Calabria & INFN-Cosenza, Rende 87036, Italy

^h University of California, Berkeley, CA 94720

ⁱ University of California, Davis, CA 95616

^j University of California, Los Angeles, CA 90095

^k University of California, Riverside, CA 92521

^l Central China Normal University, Wuhan, Hubei 430079

^m University of Illinois at Chicago, Chicago, IL 60607

ⁿ Creighton University, Omaha, NE 68178

^o Czech Technical University in Prague, FNSPE, Prague 115 19, Czech Republic

^p Technische Universität Darmstadt, Darmstadt 64289, Germany

^q ELTE Eötvös Loránd University, Budapest, H-1117

^r Frankfurt Institute for Advanced Studies FIAS, Frankfurt 60438, Germany

^s Fudan University, Shanghai, 200433

^t University of Heidelberg, Heidelberg 69120, Germany

^u University of Houston, Houston, TX 77204

^v Huzhou University, Huzhou, Zhejiang 313000

^w Indian Institute of Science Education and Research (IISER), Berhampur 760010, India

^x Indian Institute of Science Education and Research (IISER) Tirupati, Tirupati 517507, India

^y Indian Institute of Technology, Patna, Bihar 801106, India

^z Indiana University, Bloomington, IN 47408

^{aa} Institute of Modern Physics, Chinese Academy of Sciences, Lanzhou, Gansu 730000

^{ab} University of Jammu, Jammu 180001, India

^{ac} Kent State University, Kent, OH 44242

^{ad} University of Kentucky, Lexington, KY 40506-0055

^{ae} Lawrence Berkeley National Laboratory, Berkeley, CA 94720

^{af} Lehigh University, Bethlehem, PA 18015

^{ag} Max-Planck-Institut für Physik, Munich 80805, Germany

^{ah} Michigan State University, East Lansing, MI 48824

^{ai} National Institute of Science Education and Research, HBNI, Jatni 752050, India

^{aj} National Cheng Kung University, Tainan 70101

^{ak} Nuclear Physics Institute of the CAS, Rez 250 68, Czech Republic

^{al} The Ohio State University, Columbus, OH 43210

^{am} Institute of Nuclear Physics PAN, Cracow 31-342, Poland

^{an} Panjab University, Chandigarh 160014, India

^{ao} Purdue University, West Lafayette, IN 47907

^{ap} Rice University, Houston, TX 77251

^{aq} Rutgers University, Piscataway, NJ 08854

^{ar} Universidade de São Paulo, São Paulo, 05314-970, Brazil

^{as} University of Science and Technology of China, Hefei, Anhui 230026

^{at} South China Normal University, Guangzhou, Guangdong 510631

^{au} Shandong University, Qingdao, Shandong 266237

^{av} Shanghai Institute of Applied Physics, Chinese Academy of Sciences, Shanghai 201800

^{aw} Southern Connecticut State University, New Haven, CT 06515

^{ax} State University of New York, Stony Brook, NY 11794^{ay} Instituto de Alta Investigación, Universidad de Tarapacá, Arica 1000000, Chile^{az} Temple University, Philadelphia, PA 19122^{ba} Texas A&M University, College Station, TX 77843^{bb} University of Texas, Austin, TX 78712^{bc} Tsinghua University, Beijing 100084^{bd} University of Tsukuba, Tsukuba, Ibaraki 305-8571, Japan^{be} United States Naval Academy, Annapolis, MD 21402^{bf} Valparaiso University, Valparaiso, IN 46383^{bg} Variable Energy Cyclotron Centre, Kolkata 700064, India^{bh} Warsaw University of Technology, Warsaw 00-661, Poland^{bi} Wayne State University, Detroit, MI 48201^{bj} Yale University, New Haven, CT 06520

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ABSTRACT

A decisive experimental test of the Chiral Magnetic Effect (CME) is considered one of the major scientific goals at the Relativistic Heavy-Ion Collider (RHIC) towards understanding the nontrivial topological fluctuations of the Quantum Chromodynamics vacuum. In heavy-ion collisions, the CME is expected to result in a charge separation phenomenon across the reaction plane, whose strength could be strongly energy dependent. The previous CME searches have been focused on top RHIC energy collisions. In this Letter, we present a low energy search for the CME in Au+Au collisions at $\sqrt{s_{NN}} = 27$ GeV. We measure elliptic flow scaled charge-dependent correlators relative to the event planes that are defined at both mid-rapidity $|\eta| < 1.0$ and at forward rapidity $2.1 < |\eta| < 5.1$. We compare the results based on the directed flow plane (Ψ_1) at forward rapidity and the elliptic flow plane (Ψ_2) at both central and forward rapidity. The CME scenario is expected to result in a larger correlation relative to Ψ_1 than to Ψ_2 , while a flow driven background scenario would lead to a consistent result for both event planes. In 10–50% centrality, results using three different event planes are found to be consistent within experimental uncertainties, suggesting a flow driven background scenario dominating the measurement. We obtain an upper limit on the deviation from a flow driven background scenario at the 95% confidence level. This work opens up a possible road map towards future CME search with the high statistics data from the RHIC Beam Energy Scan Phase-II.

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1. Introduction

Relativistic heavy-ion collisions are the ideal testing ground for the theory of strong interaction and its symmetries. The hot and dense medium produced in these collisions has been conjectured to be accompanied by an axial charge asymmetry, where the parity (P) and charge-parity (CP) are violated locally, leading to a difference in number of right-handed and left-handed quarks [1–5]. Such an imbalance can result in a separation of electric charge in the direction of the extremely strong (10^{14} T) magnetic field (B), produced by the protons in the colliding heavy-ions [4,6]. This phenomenon is known as the Chiral Magnetic Effect (CME). Observations consistent with the CME have been reported in condensed matter systems [7]. However, their verification in relativistic collision-produced medium is still pending.

In heavy-ion collisions, the CME is expected to cause a charge separation across the reaction plane determined by the impact parameter and the beam direction. This is because the reaction plane is correlated to the direction of the magnetic field. Therefore, the CME will lead to preferential emission of positively and negatively charged particles into opposite sides of the reaction plane [8,9]. Finding conclusive experimental evidence for this phenomenon has become one of the major scientific goals of the heavy-ion physics program at the Relativistic heavy-ion Collider (RHIC) [10–17] during the past decade. Possible signals for this effect have also been extensively studied at the Large Hadron Collider (LHC) [18–20]. However, measurements sensitive to CME are also sensitive to background correlations [21–23] and the two sources are very difficult to separate. Therefore, recent experimental measurements have focused on disentangling the signal and background [24–28], providing upper limits on the observability of

the CME [19,20] or providing data-driven baselines for background estimates [17,18,29].

The measurements at the LHC have provided upper limits on the observability of the CME in 2.76 TeV and 5.02 TeV Pb+Pb collisions [19,20]. Two recent measurements from STAR (Solenoidal Tracker at RHIC) have provided upper limits on the CME fraction in Au+Au collisions at $\sqrt{s_{NN}} = 200$ GeV. The first one used the pair invariant mass dependence of the CME sensitive charge separation observable $\Delta\gamma$ and found an upper limit of CME signal to be 15% of the inclusive result at the 95% confidence level (CL) [29]. The second one exploited the difference of the CME sensitive observables and elliptic flow as the main background source with respect to the spectator neutron plane and participant plane. Such analysis found a hint of positive signal in mid-central events with $1-3\sigma$ significance [30]. Among extensive experimental efforts in disentangling signal and background, the most controlled and precise measurement has been done in collisions of isobars $^{96}\text{Ru}+^{96}\text{Ru}$ and $^{96}\text{Zr}+^{96}\text{Zr}$ at the top RHIC energy [31]. Under the standards of a blind analysis with a set of predefined criteria, no evidence consistent with a signal for the CME was found in isobar collisions.¹

An outstanding question is the behavior at lower collision energy. The change of collision energy affects the prerequisites for the CME such as the magnetic field lifetime, the domain size of axial charge imbalance, and the presence of a medium where quarks and gluons are deconfined and the chiral symmetry of Quantum Chromodynamics (QCD) is restored [33–37]. Furthermore, the

¹ Two- and three-particle non-flow contribution to the CME measurement by spectator and participant planes were studied in Ref. [32] as well as to incorporate the multiplicity difference between the two isobars that can modify the baseline for a CME scenario.

background contributions to the CME are also expected to change with the collision energy. Despite the theoretical progress, a quantitative prediction for the collision energy dependence of the CME signal remains challenging [38,39]. Therefore, a dedicated effort on the CME search at collision energies below $\sqrt{s_{NN}} = 200$ GeV is very desirable and timely. The first low energy CME search from STAR under the Beam Energy Scan program Phase-I (BES-I) was reported in Ref. [15]. An important observation was that by lowering collision energies the charge separation decreases and eventually disappears at $\sqrt{s_{NN}} = 7.7$ GeV. Such an observation might be driven by the disappearance of either signal or background sources of charge separation. Further investigation of CME driven charge separation at lower energies has been limited by statistics of BES-I data and poor resolution of event plane determination at lower energies. Several previous flow measurements from STAR indicate that a partonic phase, necessary for the CME phenomenon, may be created in Au+Au collisions above $\sqrt{s_{NN}} > 10$ GeV [40,41]. This gives us the necessary impetus for CME search above $\sqrt{s_{NN}} > 10$ GeV with improved detector capabilities.

In this letter, we present an analysis of a high statistics data sample of Au+Au collisions at $\sqrt{s_{NN}} = 27$ GeV collisions taken by the STAR detector in the year of 2018 with the newly installed highly-segmented Event Plane Detectors (EPDs) [42]. The EPD is one of the major upgrades added to the STAR detector for the Beam Energy Scan phase II (BES-II) program. It covers the pseudorapidity window of $2.1 < |\eta| < 5.1$ symmetrically around the mid-rapidity and significantly improves the event plane resolution at forward rapidity. We would like to note that EPDs increase the resolution of the reconstructed first order event plane by a factor two compared to the previously used Beam Beam Counter (BBCs) that had much coarser granularity [42]. We measure elliptic flow scaled charge dependent correlations relative to event planes using the EPDs and the Time Projection Chamber (TPC) [43] at mid-rapidity $|\eta| < 1.0$. Then we compare the results using the directed flow plane (Ψ_1) at forward rapidity and the elliptic flow planes (Ψ_2) at both central and forward rapidity. The Ψ_1 plane determined by the EPDs is dominated by the large directed flow of protons and has stronger correlation to the magnetic field direction than Ψ_2 plane does. As a result, the CME scenario is expected to yield in a larger charge separation across Ψ_1 than that of Ψ_2 , while a flow driven background scenario would lead to a consistent result for both the event planes. We search for evidence of the CME driven charge separation and provide an upper limit on deviations from a flow driven background scenario.

We have organized this paper as follows. In Sec. 2, we introduce the detectors and data sample followed by the analysis techniques in Sec. 3. We discuss the systematic uncertainty sources in Sec. 4. We present the results in Sec. 5 and a summary in Sec. 6.

2. Detectors and data sample

STAR was the only operational detector at RHIC during the collection of Au+Au 27 GeV data in the year of 2018. The main subsystems of STAR used for this analysis are the TPC, Time-of-Flight (ToF) detector [44], Vertex Position Detectors (VPDs) [45], and the EPDs. Charged particles are detected within the range of $|\eta| < 1$, over full 2π azimuthal coverage and transverse momentum (p_T) larger than 0.2 GeV/c using the STAR TPC situated inside a 0.5 T solenoidal magnetic field. For this p_T range we estimate the tracking efficiency of the TPC to range from 77% to 86% using embedding simulations based on the GEANT [46]. The TPC is used to reconstruct the position of the primary vertices of collisions along the beam direction (V_z) and along the radial direction transverse to the beam axis (V_r). For the current analysis we restrict the positions of primary vertices within $|V_z| < 40$ cm and $V_r < 2$ cm. To reduce the contamination from secondary charged

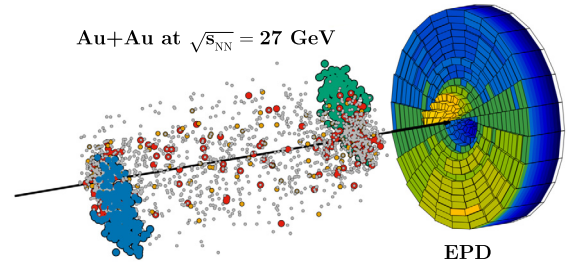


Fig. 1. Cartoon to demonstrate the EPD detector acceptance and response to directed flow from both spectator protons and participant particles. The left shows the sum of ten simulated UrQMD [48] events with identical event planes and the right (on a different scale) represents the response of the EPDs to real data (yellow representing more counts, blue representing fewer) with approximately matching event plane. Beam rapidity for these 27 GeV events is $Y_{\text{beam}} = 3.4$ which falls within the acceptance of the EPD ($2.1 < |\eta| < 5.1$). Forward spectator protons are represented by the green color in the UrQMD cartoon and by the matching detector hits near the center of the EPD (yellow peak-like structure). Produced particles, colored grey (pions), yellow (kaons) and red (protons) in the UrQMD cartoon, are responsible for the peak near the outer edge of the EPD opposite to the inner peak in azimuthal angle. At this energy, the inner EPD sectors detect beam fragments, stopped and spectator protons which have the opposite sign of directed flow compared to the forward produced particles that are detected by the outer EPD sectors.

particles, we only select tracks with a distance of closest approach (DCA) to the primary vertex of less than 3 cm. We also require at least fifteen ionization points in the TPC for selecting good tracks. STAR collected minimum-bias events by requiring the coincidence of signals from the Zero Degree Calorimeters (ZDCs) [47], on either side of the interaction region, at the rate of 0.5–2 kHz. Among these minimum bias events we identified approximately 0.023% out-of-time pile-up of two events that we remove by studying the correlation between the number of TPC tracks and the number of tracks matched with a hit in the ToF detector. We also require good events have at least one TPC track matched to the ToF. After these event cuts, approximately 300 million minimum bias events become available for our analysis.

The EPD system used for event plane measurements consists of two wheels located ± 3.75 m away from the center of the TPC, covering approximately $2.1 < |\eta| < 5.1$ in pseudorapidity and 2π in azimuth. Each wheel consists of 12 “supersectors”, each of which consists of 31 plastic scintillator tiles. Each tile is connected to a silicon photomultiplier (SiPM) via optical fiber. Charged particles emitted in the forward and backward directions produce a signal distribution in the EPD tiles with identifiable peaks corresponding to 1, 2, 3, ... minimally ionizing particles (MIPs). A threshold value of 0.3 MIP is used as a default parameter for hit identification. We use the MIP weighted hit distribution to reconstruct the event planes in our analysis. Details of the EPDs can be found in Ref. [42].

In 27 GeV Au+Au collisions, a unique capability can be achieved with this detector as illustrated in Fig. 1. In this figure we show the positions of different particles from ten simulated UrQMD [48] events with identical event planes. In addition, we also show the response of the EPDs to incident particles from many events using real data with approximately matching event plane. The rapidity of beam remnants and other breakup products from the colliding beam ($Y_{\text{beam}} = 3.4$) falls in the acceptance of the EPDs ($2.1 < |\eta| < 5.1$). Therefore, the EPDs can measure the directed flow (v_1) at forward rapidity due to the beam fragments and stopped protons. Interestingly, the directed flow changes sign between the inner half ($|\eta| > Y_{\text{beam}}$) and outer half ($|\eta| < Y_{\text{beam}}$) of the EPDs. Observation of large forward directed flow at $|\eta| > Y_{\text{beam}}$ and sign change at Y_{beam} were made from PHOBOS measurements [49]. The EPDs were built to measure the Ψ_1 plane corresponding to such a large

forward directed flow that is expected to be a proxy for the reaction plane, particularly for $|\eta| > Y_{\text{beam}}$.²

The benefit of using the EPDs for CME search is that we expect the forward $\Psi_1(|\eta| > Y_{\text{beam}})$ plane to be more correlated to the magnetic field than the elliptic flow plane determined by particles from mid and forward rapidities. This is supported by our UrQMD simulations [48]: 1) $\Psi_1(|\eta| > Y_{\text{beam}})$ is dominated by charged hadrons, most of which (70%) are protons that are fragments and spectators and not produced in collisions, and 2) we find that the correlation of B-field with $\Psi_1(|\eta| > Y_{\text{beam}})$ is $18.9 \pm 1.2\%$ and $11.1 \pm 2.0\%$ stronger compared to the same with Ψ_2 from TPC ($\Psi_2(|\eta| < 1)$) and EPD ($\Psi_2(|\eta| < Y_{\text{beam}})$), respectively when the strength is estimated by the quantity $\gamma_B(\Psi_n) = \langle \cos(2\Psi_B - 2\Psi_n) \rangle$.³

3. Analysis techniques

The primary CME sensitive charge separation observable,⁴ the γ -correlator, is defined as:

$$\gamma(\phi^\alpha, \phi^\beta) = \langle \cos(\phi^\alpha + \phi^\beta - 2\Psi_{\text{RP}}) \rangle, \quad (1)$$

where ϕ^α and ϕ^β denote the azimuthal angles (ϕ) of charge particles, and Ψ_{RP} is the reaction plane angle [8]. The charge separation is quantified by the difference between the γ -correlators measured for the opposite-sign (OS) and the same-sign (SS) particles defined as,

$$\Delta\gamma = \gamma_{\text{OS}} - \gamma_{\text{SS}}. \quad (2)$$

In addition, we introduce the scaled charge separation correlator:

$$\Delta\gamma/v_2, \text{ where } v_2 = \langle \cos(2\phi - 2\Psi_{\text{RP}}) \rangle. \quad (3)$$

The normalized quantity $\Delta\gamma/v_2$ is better to account for the trivial scaling expected from a flow driven background due to resonance decay and local charge conservation [8,21]. As a proxy for the Ψ_{RP} , we use the first order event plane, $\Psi_1, Y_{\text{beam}} < |\eta| < 5.1$, from the directed flow of forward protons. We compare such measurements with the charge separation across: 1) the second-order plane driven by elliptic flow of the forward participants, i.e., using $\Psi_{\text{RP}} = \Psi_2, 2.1 < |\eta| < Y_{\text{beam}}$, and 2) the second-order plane of produced particles at mid-rapidity, i.e., with $\Psi_{\text{RP}} = \Psi_2, |\eta| < 1$. If the background is entirely due to flowing neutral clusters and is the only source of charge-dependent correlations, the $\Delta\gamma/v_2$ ratios with respect to different event planes ($\Psi_A, \Psi_B, \Psi_C \dots$) are expected to be the same [8,21,23,53–55], i.e.,

$$\Delta\gamma/v_2(\Psi_A) = \Delta\gamma/v_2(\Psi_B) = \Delta\gamma/v_2(\Psi_C) \dots \quad (4)$$

For our measurements, in the case of a flow driven background scenario, one expects:

$$\begin{aligned} \Delta\gamma/v_2(\Psi_1, Y_{\text{beam}} < |\eta| < 5.1) \\ = \Delta\gamma/v_2(\Psi_2, 2.1 < |\eta| < Y_{\text{beam}}) = \Delta\gamma/v_2(\Psi_2, |\eta| < 1). \end{aligned} \quad (5)$$

² Note that $\Psi_1(|\eta| > Y_{\text{beam}})$ measured from the EPDs is not the plane of only spectators and should not be confused and compared to the commonly used spectator neutron planes measured using the ZDC [50,51].

³ We estimate the magnitude B and the direction (Ψ_B) of the B-field at the central point of the participant zone defined by the average weighted positions of the participants for that event. We then estimate various harmonic event planes such as $\Psi_2(|\eta| < 1)$, $\Psi_2(|\eta| < Y_{\text{beam}})$ and $\Psi_1(|\eta| > Y_{\text{beam}})$ similar to what has been used in the data analysis, using the final state particles produced in the same UrQMD event.

⁴ Along with the conventional γ -correlator the novel R-variable and the signed balance functions have been proposed as alternative observables for CME search. Recently, members of the STAR collaboration have also performed model calculations to demonstrate the sensitivity of different CME observables [52]. We do not explore such observable in this study and only stick to the studies of γ -correlator.

The aim of our study is to test any deviation from the flow driven background scenario (Eq. (5)) in Au+Au collisions at $\sqrt{s_{\text{NN}}} = 27$ GeV. It has been argued that an observation of $\Delta\gamma/v_2(\Psi_1) > \Delta\gamma/v_2(\Psi_2)$ cannot be caused by flow driven background [53,54]. This is because background from flowing resonances is largest along Ψ_2 [53]. However, if $\Delta\gamma/v_2(\Psi_1)$ is significantly larger than $\Delta\gamma/v_2(\Psi_2)$, the observation would indicate larger magnetic field driven charge separation across Ψ_1 than that of Ψ_2 . Such an observation will have an implication for the CME scenario since the CME signal is expected to be correlated with the magnetic field direction. It is important to note that Eq. (5) is expected to be robust against event plane de-correlations or flow fluctuations, since they affect both numerator and denominator in the same way (see Ref. [54]). In addition, the effect of non-flow may cause deviations from Eq. (5) as discussed in Ref. [32] which studied the effect using AMPT [56] and HIJING [57] simulations. At the top RHIC energy, non-flow contamination to the CME-like signal due to sources such as fragmentation and momentum-conservation from dijets, is found to be $-5 \pm 3\%$ to $4 \pm 5\%$, depending on the choice of the event planes. However, in the context of our analysis at lower energy, production of dijets is expected to be smaller and so non-flow effects are expected to be smaller at forward rapidity.

As a first step, we use the combination of the TPC with the inner EPDs ($|\eta| > Y_{\text{beam}}$) to measure the charge separation across the Ψ_1 using the γ -correlator expressed in the scalar product method [58] as:

$$\begin{aligned} \gamma(\Psi_1) &= \gamma_{1,1,1,1}^{\alpha,\beta}(\eta_\alpha, \eta_\beta)(\Psi_1, Y_{\text{beam}} < |\eta| < 5.1) \\ &= \langle \cos(\phi_\alpha(\eta_\alpha) + \phi_\beta(\eta_\beta) \\ &\quad - \Psi_1, Y_{\text{beam}} < |\eta| < 5.1 - \Psi_1, -Y_{\text{beam}} > |\eta| > -5.1) \rangle \\ &\equiv \frac{\langle Q_{1,\text{TPC}}^\alpha Q_{1,\text{TPC}}^\beta Q_{1,\text{EPDE}}^* Q_{1,\text{EPDW}}^* \rangle}{\langle Q_{1,\text{EPDE}} Q_{1,\text{EPDW}}^* \rangle}. \end{aligned} \quad (6)$$

Where the subscripts “1,1,1,1” denote first order harmonics associated with the azimuthal angle of particles ϕ_α, ϕ_β from TPC ($|\eta| < 1$), the event planes Ψ_1 from the inner EPD east and west, respectively. Here, we use the algebra based on Q -vectors [59],

defined as $Q_n = \sum_{i=1}^M w_i e^{in\phi} / \sum_{i=1}^M w_i$. The weight factor w_i accounts for the imperfection in the detector acceptance in bins of $\eta - \phi$, p_T (track-curvature), V_z , and centrality. M refers to the number of particles in the analysis. When the particles “ α ” and “ β ” are of same-sign and share the same acceptance $|\eta| < 1$, the Q -vector estimations require special treatment as follows. We estimate

$$Q_{1,\text{TPC}}^\alpha Q_{1,\text{TPC}}^\beta = \frac{\left(\sum_i w_i e^{i\phi_i} \right)^2 - \sum_i w_i^2 e^{i2\phi_i}}{\left(\sum_i w_i \right)^2 - \sum_i w_i^2}, \quad (7)$$

where $Q_{n,\text{TPC}}^\alpha(\eta_\alpha)$ and $Q_{n,\text{TPC}}^\beta(\eta_\beta)$ denote charge dependent Q -vectors of particles at pseudorapidities η_α and η_β within $|\eta| < 1$ and for $0.2 \leq p_T \leq 3.0$ GeV/c using the TPC. Similarly, $Q_{n,\text{EPDE}/\text{W}}$ refers to the Q -vectors obtained from the hits in the EPDs which require slightly different treatment. For the EPDs we use the number of MIPs corresponding to hits produced by particles as weights, and assume that they pass through the center of the tile. Since the sign of the directed flow changes inside the EPD acceptance, we need to weight the first order Q -vectors with a parameterization of the directed flow (sign-and-magnitude) as a function of pseudorapidity, approximated as $v_1(\Psi_1, \eta) = a_1\eta + a_3\eta^3$. Here a_1 and a_3 , obtained by fitting data, are the linear and cubic parameters that

capture the rapidity-odd nature of v_1 . We also estimate the elliptic anisotropy of the particles at mid-rapidity with respect to the Ψ_1 plane from the EPDs using the scalar product method as follows:

$$\begin{aligned} v_{2,1,1}(\Psi_1) &= \langle \cos(2\phi - \Psi_{1,Y_{\text{beam}} < \eta < 5.1} - \Psi_{1,-5.1 < \eta < -Y_{\text{beam}}}) \rangle \\ &\equiv \frac{\langle Q_{2,\text{TPC}} Q_{1,\text{EPDE}}^* Q_{1,\text{EPDW}}^* \rangle}{\langle Q_{1,\text{EPDE}} Q_{1,\text{EPDE}}^* \rangle}. \end{aligned} \quad (8)$$

Here the notation “2,1,1” denotes the use of second order harmonic in front of the azimuthal angle of particle ϕ from mid-rapidity and first order harmonics associated with the Ψ_1 planes from the east and west EPDs.

As a second step, we follow a similar approach to measure charge separation with respect to the Ψ_2 of the produced particles dominated by forward participants:

$$\begin{aligned} \gamma(\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}) &= \gamma_{1,1,2}^{\alpha,\beta}(\eta_\alpha, \eta_\beta)(\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}) \\ &= \langle \cos(\phi_\alpha(\eta_\alpha) + \phi_\beta(\eta_\beta) - 2\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}) \rangle \\ &\equiv \frac{\langle Q_{1,\text{TPC}}^\alpha Q_{1,\text{TPC}}^\beta Q_{2,\text{EPDE}}^* + Q_{1,\text{TPC}}^\alpha Q_{1,\text{TPC}}^\beta Q_{2,\text{EPDW}}^* \rangle}{2\sqrt{\langle Q_{2,\text{EPDE}} Q_{2,\text{EPDW}}^* \rangle}}. \end{aligned} \quad (9)$$

Here the subscripts “1,1,2” denote first order harmonics of the azimuthal angles of the particles “ α ”, “ β ” and second order harmonic associated with the event plane Ψ_2 from the outer EPD. We estimate the corresponding elliptic anisotropy coefficient relative to the Ψ_2 using the scalar product method as:

$$\begin{aligned} v_2(\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}) &= \langle \cos(2\phi - 2\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}) \rangle \\ &\equiv \frac{\langle Q_{2,\text{TPC}} Q_{2,\text{EPDE}}^* + Q_{2,\text{TPC}} Q_{2,\text{EPDW}}^* \rangle}{2\sqrt{\langle Q_{2,\text{EPDE}} Q_{2,\text{EPDW}}^* \rangle}}. \end{aligned} \quad (10)$$

As a third step, we perform another measurement using charge separation across the elliptic flow plane of produced particles at mid-rapidity $|\eta| < 1$ in the following way:

$$\begin{aligned} \gamma(\Psi_{2,|\eta| < 1}) &= \gamma_{1,1,2}^{\alpha,\beta}(\eta_\alpha, \eta_\beta)(\Psi_{2,|\eta| < 1}) \\ &= \frac{\langle \cos(\phi_\alpha(\eta_\alpha) + \phi_\beta(\eta_\beta) - 2\phi_c) \rangle}{v_{2,c}\{2\}} \\ &\equiv \langle \cos(\phi_\alpha(\eta_\alpha) + \phi_\beta(\eta_\beta) - 2\Psi_{2,|\eta| < 1}) \rangle. \end{aligned} \quad (11)$$

Similar to previously used convention, here the subscripts “1,1,2” associated with the notation of γ refer to the order of harmonics in front of the azimuthal angles ϕ of three distinctly different particles “ α ”, “ β ”, and “ c ”, all measured by the TPC. We use the charge-inclusive reference particle “ c ” to construct the elliptic flow plane Ψ_2 at mid-rapidity. The quantity $v_{2,c}\{2\}$ (written as $v_2\{2\}$ in the following) refers to the elliptic flow coefficient of the reference particle ‘ c ’ that we estimate using two-particle correlations:

$$v_2\{2\}^2(|\eta| < 1) = \langle \cos(2\phi_1(\eta_1) - 2\phi_2(\eta_2)) \rangle. \quad (12)$$

In this $v_2\{2\}^2$ measurement from the TPC, we require $\Delta\eta_{1,2} = |\eta_1 - \eta_2| > 0.05$ to remove track merging and electron pairs from photon conversions. For $v_2\{2\}^2(\Delta\eta_{1,2})$ measurements we also remove short-range components due to femtoscopic correlations using the approach described in Ref. [60].

We perform measurements of γ in $\Delta\eta = \eta_\alpha - \eta_\beta$ slices and require $\Delta\eta > 0.05$ before integrating over $\Delta\eta$ to correct for the

two-track merging effects which is most dominant in central collisions. The main challenge, when all three particles “ α ”, “ β ” and “ c ” are taken from the TPC, is that no $\Delta\eta$ cut is applied between “ α ”, “ β ” and “ c ” to reduce short-range non-flow correlations. This can be circumvented using a sub-event method by restricting, for example, “ c ” from $-1 < \eta < -0.2$ and “ α ”, “ β ” from $0.2 < \eta < 1$. However, restricting the acceptance of “ α ”, “ β ” results in larger statistical uncertainty that is particularly problematic at 27 GeV due to the lower number of produced particles compared with higher collision energies. We therefore avoid using the sub-events method. This difficulty highlights the advantage of using event planes from the EPDs at low energy which helps suppress short-range correlations while using the full TPC acceptance for α and β to get the highest statistical significance.

In our measurements, we determine centrality using the probability distributions of uncorrected TPC tracks within $|\eta| < 0.5$. We use a two-component Monte Carlo Glauber model fit to determine the values of average number of participating nucleons N_{part} in nine centrality intervals (0-5%, 5-10%, 10-20%, ..., 70-80%). Scaling the correlation observables by the number of participants N_{part} as written in Eq. 4 compensates for the natural dilution of correlations ($\Delta\gamma \sim 1/N_{\text{part}}$) due to an increasing number of superposition of independent sources while going from peripheral to central events [61].

4. Statistical and systematic uncertainties

We use standard error propagation method for statistical uncertainty estimations in our analysis. However, for ratio observables such as $\Delta\gamma/v_2$ we examine the contribution from covariance terms. For this, we use an analytical approach as well as a Monte Carlo approach that is equivalent to the statistical Bootstrap method [62], originally developed for the STAR isobar blind analysis [31]. Analytical estimates indicate that the statistical uncertainty in the quantity $\Delta\gamma/v_2$ is dominated by the numerator (a factor of 50 larger than the co-variance term) and the co-variance terms can be ignored [31]. Monte Carlo approach also leads to a consistent conclusion. The statistical uncertainties for all the results presented in this letter are obtained using the method of error propagation. Our study of the ratio of $\Delta\gamma/v_2$ with respect to Ψ_1 and Ψ_2 planes shows that the analytical method of error propagation ignoring co-variance overestimates the statistical uncertainty by 5% using two different Monte Carlo methods in 10 – 50% centrality (see supplementary material).

The systematic uncertainties in our measurements include contributions from different choices of track and event selection conditions. We use the Barlow method to remove the effects of statistical fluctuations in the systematic error estimation [63]. For details of the Barlow method, see Ref. [31]. The relative uncertainty number quoted for each case for the purpose of the following discussion are estimated for the final observable of interest that is the double-ratio of $(\Delta\gamma/v_2)$ with respect to Ψ_1 and Ψ_2 planes within 10-20%, 20-30%, 30-40%, and 40-50% centrality bins. A variation of the minimum number of ionization points in the TPC from 15 to 20 leads to a relative systematic uncertainty up to 7%. We find that a variation of the global DCA of the track to the primary vertex from < 3 cm to < 2 cm leads to a contribution up to 1%. Systematic errors arise due to trigger bias and changes in beam luminosity. This we estimate by separately analyzing low, middle and high luminosity data sets and find a contribution up to 0.2%. The uncertainty associated with the determination of EPD Ψ_1 is obtained by varying the acceptance from the default cut of $3.4 (Y_{\text{beam}}) < \eta < 5.1$ to $4.0 < \eta < 5.1$, which leads to a contribution up to 2%. The variation from $3.4 (Y_{\text{beam}}) < \eta < 5.1$ to full EPD acceptance $2.1 < \eta < 5.1$ leads to a contribution up to 0.5% for the systematics associated with the Ψ_1 plane estimation.

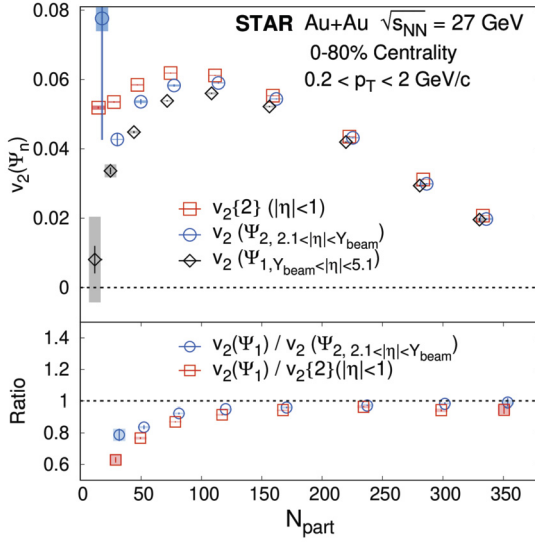


Fig. 2. Elliptic anisotropy coefficient v_2 using TPC tracks and EPD hits. The upper panel shows elliptic flow relative to different event planes. The lower panel shows the v_2 ratio using the directed flow plane compared with the forward and mid rapidity elliptic flow planes. The lines indicate the statistical uncertainties and the shadowed boxes indicate the systematic uncertainties. The centrality bins are shifted horizontally for clarity.

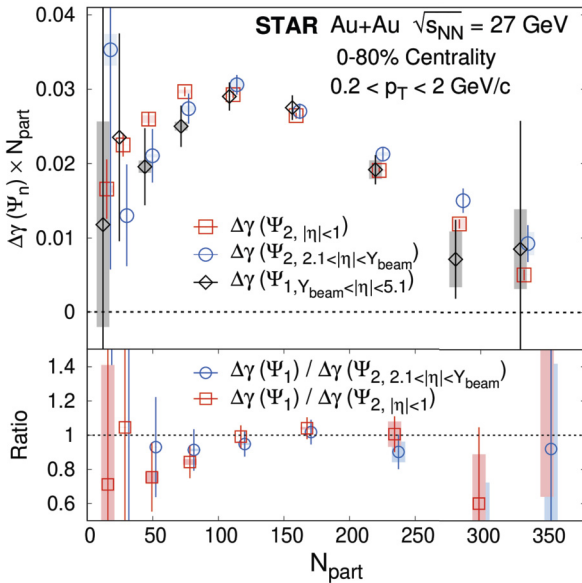


Fig. 3. Charge separation across different event planes measured by the difference between opposite (OS) and same sign (SS) γ -correlators. The upper panel shows the $\Delta\gamma = \gamma(\text{OS}) - \gamma(\text{SS})$ across different event planes. The $\Delta\gamma$ points are scaled with N_{part} to account for dilution due to super-position of independent sources and also to improve the visibility. The lower panel shows the ratios of $\Delta\gamma$ across the directed flow plane to the same across the elliptic flow planes. The lines indicate the statistical uncertainty, the shadowed boxes indicate the systematic uncertainty. Points are shifted horizontally for clarity.

Similarly, we vary the acceptance for determining the Ψ_2 plane from the default cut of $2.1 < \eta < 3.4$ (Y_{beam}) to $2.1 < \eta < 3.0$ and $2.1 < \eta < 5.1$ (full EPD) leading to systematic uncertainties of 2% and 0.5%, respectively. We add different systematic uncertainty sources in quadrature and obtain the total systematic uncertainty is not bigger than 7%.

Similar to previous STAR analyses of three-particle correlations [30,31,64,65], we investigate the effects of the following cut variations: 1) the acceptance of tracks from the default value of $|\eta| < 1.0$ to $|\eta| < 0.8$, 2) variation of the V_z cut from the default

value of $|V_z| < 40$ cm to $0 < V_z < 40$ cm and, 3) variation of the maximum allowed V_r from 2 cm to 1 cm. In all such cases, we find zero systematic uncertainty following the Barlow criteria. In addition, we study the effect of p_T dependent tracking efficiency by using it as a weight (w_i) for the Q -vectors from the TPC. We observe no statistically significant difference in our final observables with and without efficiency weights. For the results shown in this letter we do not include p_T dependent tracking efficiency as weights. We studied the stability of the results by changing the threshold on the number of MIPs for EPD hits in the Q -vector estimation. After changing the value of MIP threshold from 0.3 to 1, we do not see any statistically significant change in our results.

5. Results

In Fig. 2, we show the elliptic flow coefficients $v_{2,1,1}(\Psi_{1,|\eta| > Y_{\text{beam}}})$, $v_2(\Psi_{2,|\eta| < Y_{\text{beam}}})$, and $v_2(\Psi_{2,|\eta| < 1})$ defined in Eq. (10)–(12) as a function of N_{part} in the upper panel, and the ratios of $v_2(\Psi_1)/v_2(\Psi_2)$ in the lower panel. The difference in the magnitudes of v_2 from mid-rapidity to forward rapidity can be attributed to changes in the non-flow contribution, flow fluctuations, and event plane de-correlation. It is challenging to disentangle these three effects as was discussed in previous STAR publications such as Ref. [66,67]. The lower panel of Fig. 2 indicates a drop of 20–40% in v_2 along the Ψ_1 plane in comparison to the same from the Ψ_2 plane for peripheral events.

In Fig. 3, we show the charge-dependent γ correlator, $\Delta\gamma = \gamma_{\text{OS}} - \gamma_{\text{SS}}$, measured relative to $\Psi_{2,|\eta| < 1}$ plane, $\Psi_{2,2.1 < |\eta| < Y_{\text{beam}}}$ plane, and $\Psi_{1,Y_{\text{beam}} < |\eta| < 5.1}$ as a function of N_{part} . In mid-central events the magnitudes of $\Delta\gamma$ for different planes are consistent with each other. In central and peripheral events, results for the Ψ_1 plane hint at a weaker charge separation although differences are smaller than the statistical uncertainties. This is also evident from the ratio plot shown in the lower panel. It is difficult to make any conclusion related to the magnetic field driven charge separation from $\Delta\gamma$ ratio, as a flow-driven background is the dominant contribution to the $\Delta\gamma$ correlator.

Therefore, in Fig. 4, upper panel, we present the centrality dependence of the quantity

$$R(\Psi_n) = \frac{\Delta\gamma(\Psi_n)}{v_2(\Psi_n)} \times N_{\text{part}}, \quad (13)$$

measured relative to the Ψ_1 and Ψ_2 planes from forward and mid-rapidity. Compared to the $\Delta\gamma$ measurements shown in Fig. 3, we observe a much weaker centrality dependence after scaling $\Delta\gamma$ with v_2 .

Finally, to quantify the difference between the charge separation across Ψ_1 plane relative to that of Ψ_2 , we take a ratio between $R(\Psi_1)$ and $R(\Psi_2)$. As mentioned in Eq. (5), $R(\Psi_1)/R(\Psi_2)$ is expected to be unity in the case of flow driven background scenario. For magnetic field driven correlations, we expect this ratio to be above unity. The values of $R(\Psi_1)/R(\Psi_2)$ are shown on the lower panel of Fig. 4. We fit this quantity over a centrality range of 10–50% using a constant function by properly incorporating the statistical and systematic uncertainties.

To quantitatively estimate the deviation from a flow driven background, we define a quantity $\mathcal{D}$ as follows,

$$\mathcal{D} = R(\Psi_1)/R(\Psi_2) - 1, \quad (14)$$

where observation of a significant nonzero value of $\mathcal{D}$ implies the presence of the magnetic field driven correlations.⁵ We find the

⁵ According to previous studies [53,54] one can obtain a relation like:

$$\mathcal{D} = \frac{(\Delta\gamma/v_2)_{\Psi_1}}{(\Delta\gamma/v_2)_{\Psi_2}} - 1 = f_{\text{CME}}(\Psi_2) \left(\frac{\gamma_B(\Psi_1)}{\gamma_B(\Psi_2)} \frac{v_2(\Psi_2)}{v_2(\Psi_1)} - 1 \right). \quad (15)$$

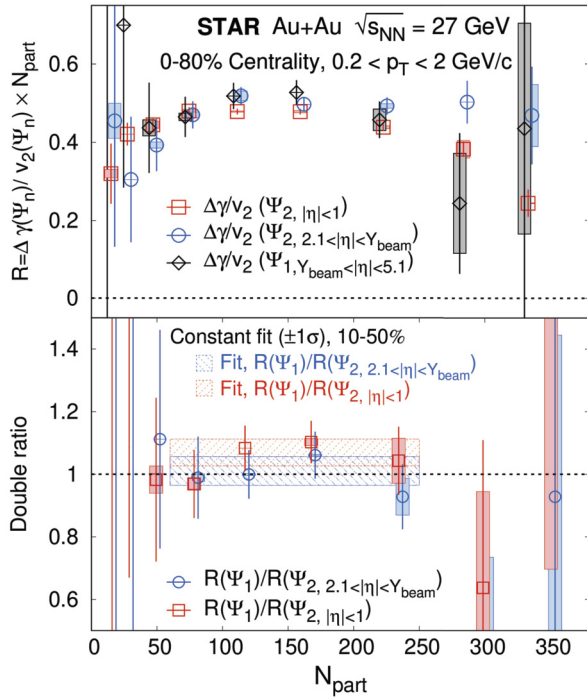


Fig. 4. (Upper panel) The quantity R obtained by estimating the charge separation measured by the difference between opposite-sign and same-sign γ correlator ($\Delta\gamma$) and then scaling by v_2 times N_{part} . The measurements are shown for all three different event planes. (Lower panel) The ratio of the quantity R shown on upper panel between Ψ_1 plane and Ψ_2 plane. The error bars indicate the statistical uncertainty, the shadowed bars indicate the systematic uncertainty. The results of the fit including 1σ fitting uncertainties are shown by bands with dashed border for 10–50% centrality in lower panel. Points are shifted horizontally for clarity.

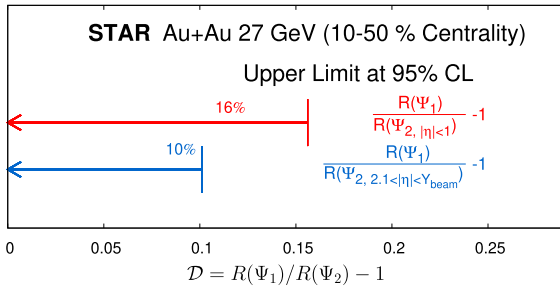


Fig. 5. The upper limit at the 95% CL calculated for the deviation quantity D in 10-50% centrality.

quantity D to be 0.011 ± 0.046 and 0.069 ± 0.043 when $R(\Psi_2)$ is estimated from $\Psi_{2, 2.1 < |\eta| < Y_{\text{beam}}}$ and $\Psi_{2, |\eta| < 1}$, respectively. The results are consistent with zero within total uncertainty. In order to quantify the possible deviation from zero, we derive an upper limit at the 95% CL on D using the Feldman-Cousin approach⁶ discussed in Ref. [68]. In centrality 10-50%, we find the upper limits of D to be 10% and 16% using Ψ_2 at forward and mid-rapidity, re-

spectively. Here the numbers are rounded into integers. We show these estimates in Fig. 5.

6. Summary

In this letter, we present measurements of charge separation with respect to reaction plane using Au+Au $\sqrt{s_{\text{NN}}} = 27$ GeV collisions. At this collision energy, the STAR forward EPDs can measure the event plane associated with a large directed flow from beam fragments with high resolution. This directed flow plane (Ψ_1) is expected to be more correlated with the direction of magnetic field than the elliptic flow planes (Ψ_2) of produced particles as shown in UrQMD simulations. Therefore, we measured the charge separation scaled by ellipticity $R(\Psi_n)$ across the Ψ_1 determined at forward rapidity and compare it with the corresponding measurements using Ψ_2 reconstructed out of produced particles at both forward and mid-rapidity. Within our measurement uncertainties we find the ratio $R(\Psi_1)/R(\Psi_2)$ to be consistent with unity, which agrees with the expectations from a flow driven background scenario. For further quantification, we derive an upper limit at the 95% confidence level on the quantity $D = R(\Psi_1)/R(\Psi_2) - 1$ for possible deviation from a flow driven background scenario. In 10-50% centrality we find the upper limits of D to be 10% and 16% using Ψ_2 at forward and mid-rapidity, respectively. In this analysis we argued that the information of the directed flow near the beam rapidity using EPDs and the elliptic flow at mid-rapidity allows us to control the flow driven CME background in 27 GeV Au+Au collisions and explore effects beyond background. Due to the acceptance of the EPDs ($2.1 < \eta < 5.1$), the same can be done for several data sets ($\sqrt{s_{\text{NN}}} = 9.2, 11.5, 13.7, 14.5, 17.3, 19.6$ GeV) collected by the STAR under RHIC Beam Energy Scan Phase II program. The use of forward event planes in this work not only pioneers a high-precision CME search from the RHIC Beam Energy Scan Phase II program, but also opens up opportunities to search for other magnetic field driven effects at RHIC.

Declaration of competing interest

The authors declare that they have no known competing financial interests or personal relationships that could have appeared to influence the work reported in this paper.

Data availability

Data will be made available on request.

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In the flow-driven background scenario, one expects $f_{\text{CME}} = 0$, therefore D is expected to be zero. However, in the presence of CME one expects $D > 0$. This is because the elliptic flow is maximum w.r.to Ψ_2 plane. So, we always have $v_2(\Psi_2)/v_2(\Psi_1) > 1$ (measurement). Also, since Ψ_1 is determined by the directed flow of forward protons (which also generate B-field), it has a larger correlation with the B-field direction than the Ψ_2 plane. Therefore, $\gamma_B(\Psi_1)/\gamma_B(\Psi_2) > 1$ (UrQMD simulation). In the presence of CME one has $f_{\text{CME}} > 0$ so $D > 0$.

⁶ The upper limit of a quantity with measured mean x_0 and standard deviation σ at 95% confidence is: $x_0 + (1.96 + n(x_0)) \times \sigma$. The quantity $n(x_0)$ can be obtained from table.10 of Ref [68].

Wissenschaft, Forschung und Technologie (BMBF), Helmholtz Association, Ministry of Education, Culture, Sports, Science and Technology (MEXT) and Japan Society for the Promotion of Science (JSPS).

Appendix A. Supplementary material

Supplementary material related to this article can be found online at <https://doi.org/10.1016/j.physletb.2023.137779>.

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