

Incidence of afterglow plateaus in gamma-ray bursts associated with binary neutron star mergers

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ABSTRACT

One of the most surprising gamma-ray burst (GRB) features discovered with the *Swift* X-ray telescope (XRT) is a plateau phase in the early X-ray afterglow light curves. These plateaus are observed in the majority of long GRBs, while their incidence in short GRBs (SGRBs) is still uncertain due to their fainter X-ray afterglow luminosity with respect to long GRBs. An accurate estimate of the fraction of SGRBs with plateaus is of utmost relevance given the implications that the plateau may have for our understanding of the jet structure and possibly of the nature of the binary neutron star (BNS) merger remnant. This work presents the results of an extensive data analysis of the largest and most up-to-date sample of SGRBs observed with the XRT, and for which the redshift has been measured. We find a plateau incidence of 18–37% in SGRBs, which is a significantly lower fraction than that measured in long GRBs (>50%). Although still debated, the plateau phase could be explained as energy injection from the spin-down power of a newly born magnetized neutron star (NS; magnetar). We show that this scenario can nicely reproduce the observed short GRB (SGRBs) plateaus, while at the same time providing a natural explanation for the different plateau fractions between short and long GRBs. In particular, our findings may imply that only a minority of BNS mergers generating SGRBs leave behind a sufficiently stable or long-lived NS to form a plateau. From the probability distribution of the BNS remnant mass, a fraction 18–37% of short GRB plateaus implies a maximum NS mass in the range $\sim 2.3\text{--}2.35\,M_{\odot}$.

Key words. equation of state – gamma-ray burst: general – stars: magnetars

1. Introduction

Gamma-ray bursts (GRBs) have been a great astrophysical mystery since their discovery in the late 1960s. By the end of the 1990s, their cosmological origin was assessed with the discovery of the afterglow component (e.g. Costa et al. 1997) and the identification of their host galaxies (Metzger et al. 1997). A new breakthrough came with the launch of the Neil Gehrels Swift Observatory (*Swift* hereafter, Gehrels et al. 2004) in November 2004, which allowed the first observations of the early phases (a few minutes after the burst) of the afterglow emission, leading to the discovery of unexpected features that are thought to encode crucial information on the jet structure and possibly on the nature of the remnant compact object.

More specifically, the early observations of the *Swift*/X-ray telescope (XRT) revealed, in most cases, an initial steep flux decay, likely marking the switching off of the prompt emission, followed by a shallow phase (the so-called plateau), which then transitions to a characteristic power-law flux decay (Zhang et al. 2006). While the latter is in agreement with the afterglow theory of synchrotron emission by electrons energised in a relativistic shock (Sari et al. 1998), the plateau could not be explained in the same framework, requiring additional physics.

After almost two decades of *Swift*/XRT GRB observations, we now know that plateaus occur in the majority of long GRBs, which are those associated with the collapse of massive stars. Short GRBs (SGRBs) associated with binary neutron star (BNS) mergers (and possibly neutron star-black hole mergers), proved harder to study due to their fainter afterglow luminosity with respect to long GRBs: to date, the frequency of plateaus in SGRB afterglows is uncertain (Rowlinson et al. 2013). A precise estimate of plateau incidence in SGRBs is of utmost relevance due to its potential impact on our understanding of their jet morphology and conceivably of the nature of the BNS merger remnant. Indeed, it has been suggested that plateaus could originate from geometrical effects in structured jets¹ (e.g. Oganessian et al. 2020; Beniamini et al. 2022). In this case, the plateau incidence in short and long GRBs is expected to be comparable, since geometrical effects are of a similar nature in both types. An alternative interpretation invokes the formation of a neutron star (NS) remnant injecting energy into the forward shock (Usov 1992; Dai & Lu 1998a,b; Gao & Fan 2006; Metzger et al. 2011; Dall’Osso et al. 2011; Ronchini et al. 2023). A fascinating consequence of this scenario is that the incidence of SGRB plateaus

¹ See also Dereli-Bégué et al. (2022) for an alternative interpretation (for a small sample of long GRBs) based on a low bulk Lorentz factor and a low-density wind medium.

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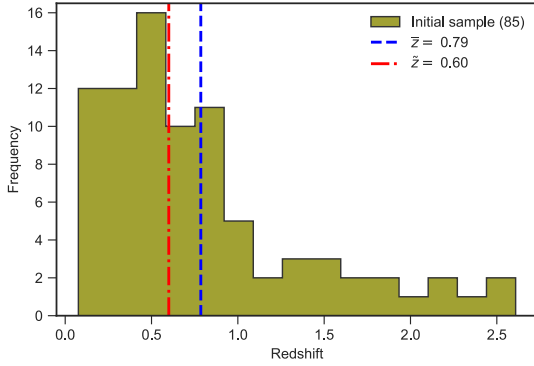


Fig. 1. Redshift distribution of our sample of 85 SGRBs, spanning the range $z = [0.0763\text{--}2.609]$, with average $\bar{z} = 0.79$ and median $\hat{z} = 0.60$.

potentially reflects the fraction of BNS systems that form a NS remnant after the merger. The latter, in turn, can provide information on the maximum mass of a stable NS (see e.g. Sarin et al. 2019, 2020).

This work is divided into two parts: first, we examine the X-ray afterglow light curve morphology of the most complete sample of SGRBs at known redshift to date, adopting a completely agnostic approach and aiming to confidently identify or rule out the presence of a plateau in each analysed SGRB. We then place our results in a more physical context, assuming that the plateaus are produced by magnetar remnants.

The sample of SGRBs is presented in Sect. 2 and the data analysis in Sect. 3, while the interpretation within the magnetar framework is elaborated in Sect. 4. Some astrophysical implications are derived in Sect. 5, with discussion and conclusions following in Sects. 6 and 7, respectively.

2. The sample

The sample analysed in this work is composed of 85 SGRBs and includes all the SGRBs at known redshift detected by *Swift* from May 2005 to the end of December 2021 (about 60% of the total *Swift* SGRB population; Fong et al. 2022). The sample was built based on past works (Rossi et al. 2020; Fong et al. 2022; O’Connor et al. 2022), where potential contamination from SGRBs associated with collapsars (e.g. GRB 200826, Rossi et al. 2022) and long GRBs associated with BNSs was taken into account. The list of SGRBs we obtained using observations with the X-ray telescope XRT on board *Swift* represents the most up to date and complete sample of SGRBs at known redshift presently available. Figure 1 shows the redshift distribution of the sample, spanning the redshift range $z = [0.0763\text{--}2.609]$, with a median of $\langle z \rangle = 0.60$ and an average of $\bar{z} = 0.79$.

3. Data analysis

For each SGRB in the sample, the XRT 0.3–10 keV unabsorbed afterglow flux light curve was retrieved from the publicly available *Swift* XRT Repository on the UK *Swift* Science Data Center website (Evans et al. 2007, 2009). For visualisation purposes only, we also considered the *Swift* Burst Alert Telescope (BAT), with 15–150 keV unabsorbed flux, to obtain a more detailed and complete light curve from the prompt to the afterglow emission. We then analysed each XRT light curve as explained below.

3.1. Sample classification

To ensure that the temporal resolution of the light curves is high enough to identify potential plateau features, we established a threshold for the signal-to-noise ratio of $S/N_{\text{th}} = 10$ and excluded all SGRBs with XRT data below this threshold. We find that 25 bursts out of 85 have a $S/N < S/N_{\text{th}}$ and thus conclude that the available statistics for these GRBs were inadequate for a precise analysis of the light curve morphology. We refer to these GRBs as ‘S/N-rejected’.

In one case, GRB 150101B², despite the $S/N > S/N_{\text{th}}$, the XRT follow-up started too late (>1 day) to allow any identification of a plateau in its early afterglow. Consequently, we did not include it in the subsequent analysis.

In 19 bursts with $S/N > S/N_{\text{th}}$, we find that the bulk emission is confined within the first few hundred seconds from the burst onset and its properties are better compatible with the so-called extended emission (EE) phase³ rather than the afterglow. The EE is a prolonged prompt emission with softer properties with respect to the hard spike that characterises typical SGRBs, and it lasts a few hundred seconds (Norris & Bonnell 2006; Norris et al. 2010). Only a fraction of SGRBs show an EE component, the origin of which is still debated and possibly connected with fallback accretion onto the central remnant (e.g. Rosswog 2007; Kisaka & Ioka 2015; Musolino et al. 2024a). To identify these 19 GRBs with EE features, we used the following general criteria:

1. The bulk of XRT data lie between ~ 100 and ~ 500 seconds from the trigger time.
2. A pronounced temporal variability in the photon index Γ is present, typically showing a softening trend.
3. A rapid flux decay marks the EE phase end, with $F(t) \propto t^{-\alpha}$ and typical $\alpha > 2$ (sometimes $\gg 2$)⁴.

In the 19 events identified with EE, the afterglow component is not detected or is too faint to allow any morphological study of the light curve. For these reasons, we also discarded this subsample from our analysis and labelled it ‘EE-rejected’. The remaining 40 SGRBs (47% of the initial sample) have enough statistics and sufficiently early temporal coverage in their X-ray afterglow light curves to allow us to identify plateaus if present. We label these events ‘LC fit’ and we use this subsample to infer the fraction of SGRBs with evidence of a plateau in their afterglow light curve, as explained below. The sample classification explained above is represented in a pie chart in Fig. 2.

3.2. Afterglow light curve morphology

The analysis of the LC fit sample of 40 SGRBs was performed by comparing the light curves with both a simple power-law and a broken power-law model.

The simple power-law is written in the form:

$$F_{\text{pl}}(t) = F_{\text{pl, norm}} \left(\frac{t}{t_{\text{norm}}} \right)^{-\alpha}, \quad (1)$$

where t_{norm} is an arbitrary normalisation time, $F_{\text{pl, norm}}$ is the normalisation constant (namely the value of the flux at t_{norm}), and α is the power-law temporal decay index.

² This burst was triggered with Fermi/Gamma-ray Burst Monitor (Cummings et al., GCN 17267) and later on was found in the *Swift*/BAT data during ground-based analysis (Cummings et al. GCN 17268).

³ This component can also be referred to as internal plateau.

⁴ In analogy with the steep decay phase observed in long GRBs (e.g. Nousek et al. 2006), and interpreted as the tail of the prompt emission (Zhang et al. 2006).

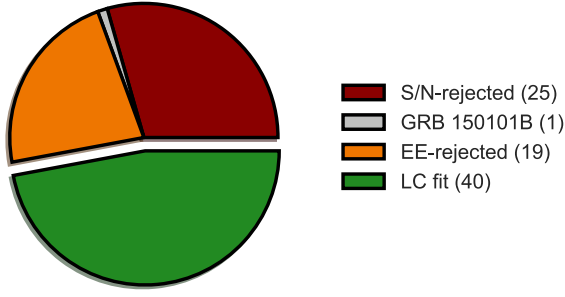


Fig. 2. Pie chart showing the results of our preliminary classification of the 85 SGRBs included in the initial sample. Three subsamples were excluded as they were not suitable for the light curve analysis: S/N-rejected (25, in brown), EE-rejected (19, in orange), and GRB 150101B (in grey). The remaining 40 cases, defined as the LC fit sample (in green), are those deemed suitable for further analysis.

The smoothed broken power-law function (as presented in Li et al. 2012; Tang et al. 2019) is an empirical way to model a plateau phase, and takes the form

$$F_{\text{bpl}}(t) = \frac{F_{\text{break}}}{2^{-1/\omega}} \left[\left(\frac{t}{t_{\text{break}}} \right)^{\alpha_1 \omega} + \left(\frac{t}{t_{\text{break}}} \right)^{\alpha_2 \omega} \right]^{-1/\omega}, \quad (2)$$

where α_1 is the power-law index during the shallow phase (plateau), α_2 is the power-law index during the following decay phase, t_{break} is the power-law break time (observed end time of the plateau phase), F_{break} is the flux at t_{break} , and ω is a smoothness parameter to control the sharpness of the transition between the plateau phase and the decay phase (high values correspond to sharp breaks) and is fixed to $\omega = 3$ (e.g. Li et al. 2012; Yi et al. 2016; Tang et al. 2019).

The reduced χ^2 obtained from the fit performed with these two models were compared using an F -test to determine whether or not adding a temporal break to the simple power-law model leads to a statistically significant improvement. We used the threshold adopted in Evans et al. (2009), which means that we consider the cases that return an associated p -value of below the 4σ threshold (corresponding to 6.2×10^{-5}) as significant.

The results of the fit and of the F -test are reported in Table A.1. Two examples of a power-law and a broken power-law fit are presented in the upper and lower panels of Fig. 3, respectively. All the light curve fits are available on the GitHub repository dedicated to this work⁵. The analysis allowed us to identify 15 cases out of 40 (37.5%) for which the break is found to be statistically significant: these define the ‘BPL’ subsample. Conversely, for the other 25 cases (62.5%), the power-law model is sufficient to describe the full flux time evolution: these bursts are thus identified as the ‘PL’ subsample.

Two of the cases included in the PL subsample, GRB 050724 and GRB 131004A, show strong flaring activity in the afterglow, the origin of which is still uncertain and could be produced by either a black hole (BH) remnant (Perna et al. 2006; Proga & Zhang 2006; Dall’Osso et al. 2017) or a NS remnant (Dai 2004; Dai et al. 2006), or could be independent of the progenitor (Giannios 2006). We discarded the flaring component in our analysis and prove that the behaviour of the remaining flux is well represented by a power-law.

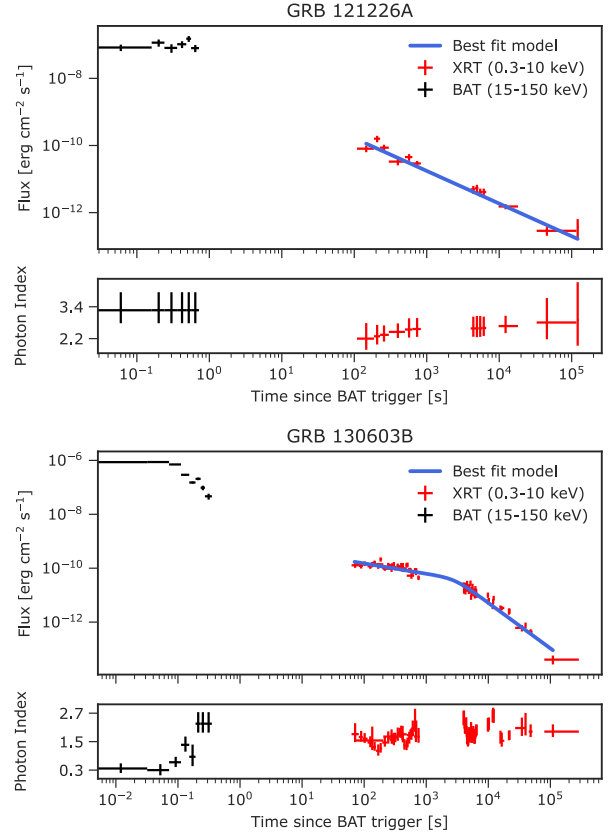


Fig. 3. *Swift* XRT (red) and BAT (black) light curves of two representative GRBs from the LC fit sample. *Upper panel:* Example of a SGRB for which the fit with the simple power-law model (blue line) accurately reproduces the light curve behaviour. *Lower panel:* Example of a SGRB for which the broken power-law model (blue line) provides a more statistically significant fit.

3.3. Incidence of plateaus in SGRBs

To identify the shallow phase of the BPL subsample with a plateau, we looked for the peculiar properties that characterise observed GRB plateaus, namely: (1) an anomalously shallow power-law decay index α_1 for the expected cooling regime of an afterglow at the observed epoch (typically >0.5 hours after the burst onset); and (2) no spectral variation around t_{break} .

Specifically, we checked if α_1 is below the shallowest value predicted in a slow-cooling regime within the standard synchrotron scenario (e.g. Sari et al. 1998). By assuming a constant circumburst medium, $\alpha_1 = 3(1 - p)/4 \sim 0.75$ for an electron energy power-law index $p \sim 2$. This shallow decay is followed by a steepening accompanied by a softening of the spectrum. Indeed, in the slow-cooling regime, the shallowest light curve power-law decay lasts until the electron cooling frequency ν_c drops below the observed band (0.3–10 keV in our case) and the synchrotron radiation spectral index increases from $(p - 1)/2$ to $p/2$. Therefore, we also verified that no significant spectral softening is present at the end of the plateau⁶.

⁶ In some specific conditions, for instance under the presence of a wind environment, values of α_1 below 0.75 can be reached. However, the following steepening should be always accompanied by a softening behaviour.

⁵ <https://github.com/gugliluc/SGRB-thesis>

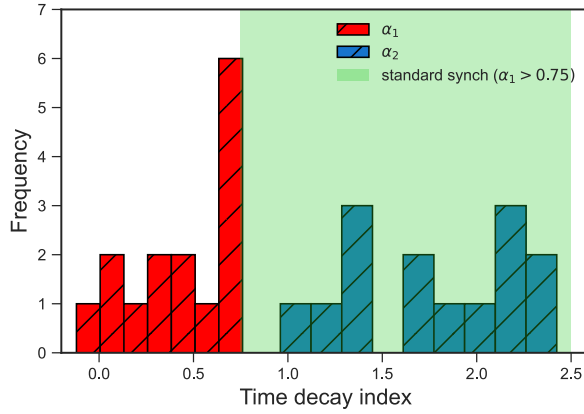


Fig. 4. Power-law decay indices before (α_1 , in red) and after the break (α_2 , in blue) for the BPL subsample (see Sect. 3.2). The green shaded area highlights the region that can be explained with the standard afterglow model (assuming the slow-cooling regime and a constant circumburst medium; e.g. Sari et al. 1998), that is $0.75 < \alpha_1 < 2.5$. All the values we find for α_1 cannot be explained with this model, suggesting the need for an alternative interpretation (see Sect. 3.3 for further details).

For all of the 15 SGRBs belonging to the BPL subsample, we find that the values of the decay index of the first power-law segment are $\alpha_1 \leq 0.75$ (see Table A.1). This can be even more clearly seen in Fig. 4, where the values of the indices before and after the break are represented in red and blue, respectively. The green shaded area indicates the values of α_1 that can be explained within the standard synchrotron scenario. Additionally, we searched for spectral variability at the end of the plateau by extracting two spectra, one integrated during the plateau and another one during the post-plateau phase. By assuming a power-law spectral model, we find that the photon indexes are always compatible in the two phases. Despite the admittedly large uncertainties on the photon indexes, we conclude that there is no evidence of spectral variation for any of the events belonging to the BPL subsample.

These results imply that the standard synchrotron model fails to reproduce the shallow phase and an alternative physical interpretation is required. The whole BPL subsample (15 events) could thus be classified as the ‘plateau’ subsample, representing a fraction of SGRBs with evidence of an afterglow plateau of 37.5%. If we assume that a plateau is absent not only in the 25 SGRBs forming the PL subsample but also in the 44 SGRBs excluded because of the low statistics in the afterglow component (25 S/N-rejected plus 19 EE-rejected), a lower limit to this fraction can then be obtained. If this is the case, the total sample increases from 40 to 84, resulting in a plateau fraction of 15/84 (17.8%). On the other hand, an upper limit can be given in the unlikely though not impossible scenario where a plateau is present in all of the 44 faint SGRB afterglows. In this case the plateau non-detection should be due to an intrinsic faintness and not to distance effect, as the S/N-rejected subsample belongs to the most nearby SGRBs, with 23 of the 25 events below $z = 1$, while 13 of the 19 EE-rejected events are found below $z = 1$. In this scenario, the plateau fraction of SGRBs would account for the vast majority (70%). However, an intrinsic faintness of the afterglow plateau is not only in contrast with the hypothesis whereby an energy injection mechanism is powering the early afterglow (independently of the origin of the energy injection) but is also disfavoured by past studies of the X-ray plateaus in long and SGRBs showing that the intrinsic plateau luminosity is well above the *Swift*/XRT instrument detection limit (see e.g.

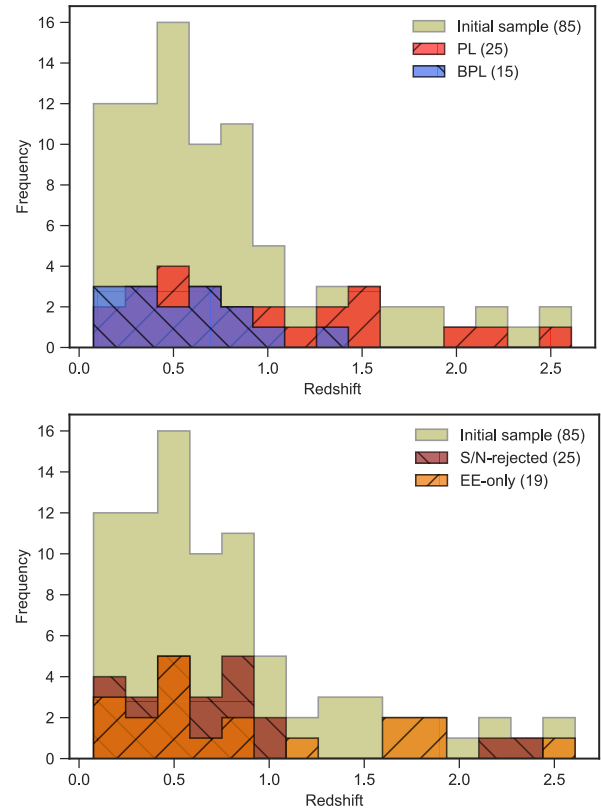


Fig. 5. Redshift distribution of the analyzed SGRBs (light green), compared to the distribution of identified subsamples. *Upper panel:* SGRBs with an X-ray afterglow light curve compatible with a broken power-law (blue) and a power-law (red) morphology. *Lower panel:* SGRBs not considered in our morphological analysis, which are the S/N-rejected (in brown) and the EE-rejected (in orange) subsamples.

Tang et al. 2019, Fig. 6). We thus consider this scenario highly improbable, and the further considerations as to the energetics of GRBs with and without evidence of a plateau presented in the following section corroborate this conclusion.

In conclusion, we estimate the incidence of SGRB plateaus (f_{pl} hereafter) to be within the range of 17.8% to 37.5%, and in all instances, it remains below the value observed for long GRBs ($>50\%$).

3.4. Testing for bias against distant SGRBs

The upper panel of Fig. 5 shows the redshift distributions of the SGRBs with a plateau, compared to SGRBs without a plateau and to all the events analyzed in this work. SGRBs with a plateau are slightly skewed towards low redshifts, with no event with a plateau found above $z \sim 1.5$, while several SGRBs with afterglow light curves compatible with simple power-law decay (i.e. no plateau) range up to $z = 2.5$. To investigate any possible bias related to distance, we checked whether or not SGRBs with a plateau are also less energetic and therefore missed at high redshifts because they are too faint. To this aim, we collected the equivalent isotropic energy released during the burst, E_{iso} , for each SGRB of our sample for which this parameter was available in the literature (see Table B.1 for the complete list). When available, we took E_{iso} from the Konus-Wind (K-W)

GRB catalogue (Tsvetkova et al. 2017, 2021), as the large spectral coverage of K-W allows us to reliably measure this parameter. We then compared the obtained E_{iso} distribution with that of the SGRBs belonging to the plateau subsample (Fig. B.1). A visual inspection of the two distributions suggests that the SGRBs with plateaus have an E_{iso} distribution compatible with that of the total sample.

At the same time, by considering the rejected subsample (i.e. S/N-rejected and EE-rejected subsamples), which are characterised by very poor statistics in the X-ray afterglow, we find no evidence for a distribution skewed towards high redshifts (lower panel of Fig. 5), suggesting the presence of an intrinsically faint afterglow. As mentioned in the previous section, the presence of a faint plateau in these afterglows would be in contrast with the energy injection hypothesis –regardless of the origin of the energy injection– and with past studies showing plateau luminosity for long and SGRBs well above the *Swift*/XRT detection threshold. The above considerations suggest that the results obtained in the previous sections are robust and strongly disfavour the presence of a plateau in the majority of SGRBs.

4. Compatibility with the magnetar model

The results presented in the previous section do not rely on any particular assumption regarding the origin of the plateau. Here, we analyse those results in the context of the magnetar model –that is assuming that the plateau is due to energy injection in the forward shock via magnetic dipole radiation from a millisecond-spinning magnetar formed in the BNS merger that produced the SGRB (see Sect. 1). We fit the plateau model presented in Dall’Osso et al. (2011) and Stratta et al. (2018b) to afterglow light curves to estimate the spin period and dipole magnetic field of putative magnetars⁷. Details of the model and of the fitting procedure are reported in Appendix C.

4.1. Magnetar model fitting

For the 15 SGRBs with evidence of an afterglow plateau, we calculated the 0.1–30 keV rest-frame emission as an approximation to the afterglow bolometric luminosity⁸, the determination of which would require more detailed knowledge of the intrinsic spectrum above 100 keV (rest-frame):

$$L(t) = 4\pi D_L^2(z) \times F_X(E_1, E_2, t) \times K_{[0.1-30 \text{ keV}]} \times (1 - \cos \theta_j), \quad (3)$$

where F_X is the observed X-ray flux in the 0.3–10 keV band, K is the cosmological correction, $f_b = (1 - \cos \theta_j)$ is the jet beaming factor, and the observed time t_{obs} was converted to rest-frame time $t = t_{\text{obs}}/(1 + z)$.

Measured jet half-opening angles were taken from the literature, where available (see Table 1). In cases with no θ_j measurement, we adopted the values presented in Zhu et al. (2023), based on the three-parameter correlation between $t_{\text{jet},z} - E_{p,z} - E_{\text{iso}}$, where $t_{\text{jet},z}$ and $E_{p,z}$ are, respectively, the jet-break time and the peak energy in the source rest frame. In three cases, no estimate was provided even in Zhu et al. (2023): for these cases, we assumed a fiducial value of $\theta_j = 5^\circ$ which is compatible with recent estimates for the majority of SGRBs (e.g. Rouco Escorial et al. 2023).

The light curves of some bursts showed evidence of a steep decay phase before the plateau, as expected from the ‘canonical

Table 1. Jet half-opening-angle values for the 15 SGRBs whose X-ray afterglow is compatible with the presence of a plateau (the plateau subsample).

GRB	θ_j	$\delta\theta_{j+}$	$\delta\theta_{j-}$	Reference
051221A	6	2.1	1.9	1
060614	12.61	0.11	0.11	2
061201	3.44	0.06	0.06	2
070714B ^p	8.59	0.92	0.69	2
090510 ^p	2.29	0.11	0.11	2
110402A	15.02	1.13	3.68	3
130603B	6.3	1.7	5.1	1
140903A	4	5	1.6	1
150424A	4.3	2.1	1.5	4
151229A	–	–	–	–
161001A	–	–	–	–
170728B	3.5	1.1	0.8	4
180618A	–	–	–	–
210323A ^p	2.86	0.23	0.23	2
211211A	6.86	0.12	0.12	2

Notes. (1) Aksulu et al. (2022); (2) Zhu et al. (2023); (3) Zhang et al. (2015); (4) Rouco Escorial et al. (2023).

afterglow light curve’ behaviour (Zhang et al. 2006). To model this feature, we added an early power-law decay, with a free decay index, which allows us to better constrain the magnetar best-fit parameters from the plateau. In Fig. 6, an example of a rest-frame light curve is presented, with the red line representing the magnetar model fit. In Table 2 the best-fit values for the magnetar magnetic field, B , and spin period, P , are reported for the 13 bursts (out of 15) that gave good fits. All the magnetar model fits are available on the GitHub repository dedicated to this work⁹.

For GRB 180618A, it was not possible to constrain the values of B and P due to the very short duration of its plateau, which is significantly shorter than any of the others (Table A.1). This event was not classified as an EE because its post-plateau decay index is consistent with being $\lesssim 2$, and therefore does not fulfill our third criterion for EEs. However, along with its proximity to the prompt phase, it also shows evidence for a spectral softening –followed by a moderate hardening– between 300 and 600 s, thus satisfying the other two criteria for selecting EEs. We propose that this short plateau may be best understood as an $\sim 10^2$ s EE, which was followed at $t > 10^3$ s by a standard afterglow with no plateau, thus explaining the failure of the magnetar model fit.

In GRB 061201, on the other hand, the extremely large magnetic field $B > 5.6 \times 10^{16}$ G is close to the theoretical maximum, that is, the virial limit (e.g. Reisenegger 2009; Akgün et al. 2013), and is therefore physically implausible. Moreover, the very long spin period of $P > 38$ ms also implies an exceedingly slow rotation for a NS formed in a BNS merger. Also in this case, the magnetar model does not appear to provide a viable explanation, despite the formally acceptable fit. In conclusion, both GRB 180618A and GRB 061201 were rejected and included in the ‘failed magnetar’ subsample.

4.2. Considerations related to the ‘rejected’ subsamples

To further extend our analysis, we reconsidered the EE-rejected subsample in light of the magnetar model. In these GRBs, which

⁷ <https://github.com/gistratta/magnetar>

⁸ This is strictly true when the photon index during the plateau and post-plateau is < 2 , as verified in our sample, and provided that the cooling break is below a few times 30 keV.

⁹ <https://github.com/gugliluc/SGRB-thesis>

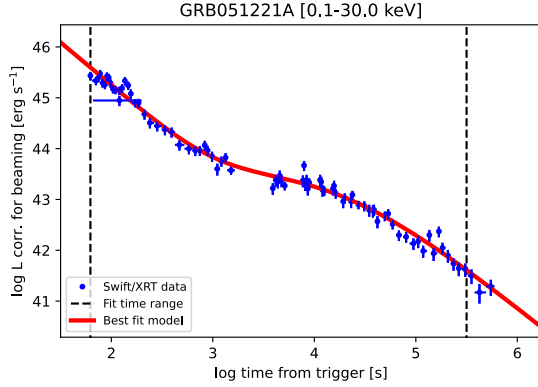


Fig. 6. Example of X-ray afterglow 0.1–30 keV rest-frame light curve (in blue) compared with the magnetar model (in red; see Sect. 4.1).

were rejected despite the high S/N of the XRT data, the spectral and temporal properties of the light curve are consistent with EE only, with no afterglow. We thus aimed to determine an upper limit to the luminosity of a possibly undetected afterglow plateau. By comparing with expectations of the magnetar model, we were able to rule out the presence of a magnetar central engine in a number of these GRBs.

Our analysis relied on the following two general assumptions, which allow us to set a conservative minimum luminosity for a magnetar plateau, $L_{p,\min}$:

- Driven by observations of plateaus in short and long GRBs, we took $\sim 10^5$ s as an estimate of the maximum plateau duration.
- We adopted a very conservative upper limit of 30 ms for the spin period of a stable NS formed in a BNS merger, which corresponds to a rotational energy of $\sim 3 \times 10^{49}$ erg.

Based on these assumptions, the minimum luminosity of a magnetar plateau is

$$L_p(t) \geq L_{p,\text{th}} \sim 3 \times 10^{44} \text{ erg s}^{-1}, \quad (4)$$

which is simply based on the magnetic dipole formula, relating the plateau luminosity and duration to the initial spin energy of the NS (e.g. Dall’Osso & Stella 2022 and references therein). By computing the luminosity corresponding to the last detection at the end of the EE for each burst as $L_{p,\min}$, all the EE-rejected GRBs with $L_{p,\min} < L_{p,\text{th}}$ were classified as inconsistent with the presence of a magnetar plateau¹⁰. We call this the $L_{p,\min}$ -criterion. We note that a similar minimum luminosity can also be derived in an alternative scenario where plateaus are the results of an off-axis viewing angle towards a structured jet (Beniamini et al. 2020; Fig. 2).

The second criterion is based on the scenario in which a newly born magnetar generates the GRB prompt emission during an early accretion phase (see Dall’Osso et al. 2023). A minimum accretion luminosity is achieved during the prompt phase, at which the magnetar enters the propeller regime and the luminosity starts a steady and steep decline. In this framework, the ratio κ is defined between the intrinsic (i.e. corrected for the jet beaming factor) minimum luminosity in the prompt and the initial spin-down luminosity of the magnetar, that is the isotropic-equivalent luminosity of the plateau. Interestingly, κ is set

¹⁰ Since we assume an isotropically emitting magnetar, we calculated the isotropic-equivalent luminosities from the data to compare with $L_{p,\text{th}}$.

primarily by the magnetar spin period and the NS mass and radius (see Eq. (5) in Dall’Osso et al. 2023); therefore, it cannot be arbitrarily large. In particular, for an assumed maximum spin period of 30 ms, one obtains $\kappa \lesssim 30$. To estimate the beamed-corrected minimum prompt luminosity for the 19 GRBs in the EE-rejected subsample, we adopted a common value $f_b \sim 0.01$ of the beaming factor (see Appendix D). All cases in which $\kappa > 30$ are thus inconsistent with the presence of a magnetar plateau. We label this as the κ -criterion.

Combining these two criteria, we were able to rule out the presence of a magnetar plateau in 9 out of 19 bursts. The remaining 10 were renamed ‘EE-rejected (inconclusive)’.

4.3. Magnetar fraction

By including the 13 good ‘magnetar’ candidates (see Sect. 4.1) with respect to the initial sample of 85 bursts, the associated magnetar fraction is $f_{\text{mag}}^{\min} = 0.152$. In contrast, barring all cases for which no conclusion could be drawn on the presence of a plateau (i.e. the 25 S/N-rejected subsample, GRB 150101B, and the 10 EE-rejected (inconclusive) GRBs), the magnetar fraction is computed over a total of 49 bursts, leading to $f_{\text{mag}}^{\max} = 0.265$. We conclude that the fraction of SGRBs that are fully consistent with a magnetar central engine is in the range of 15.2% to 26.5%.

5. Astrophysical implications

5.1. Outcomes of BNS mergers

Three main outcomes are expected for BNS merger remnants (e.g. Faber & Rasio 2012; Baiotti & Rezzolla 2017; Piro et al. 2017; Margalit & Metzger 2017; Rezzolla et al. 2018; Bernuzzi 2020). If the masses of the two NSs are low enough, a stable NS remnant can form with a mass lower than the Tolman–Oppenheimer–Volkoff mass (M_{TOV}), the maximum NS stable mass of non-rotating configurations (Oppenheimer & Volkoff 1939). A fast rotation of the remnant, which may be inherited from the angular momentum of the binary, can delay the NS collapse into a BH for an extended time¹¹ (supra-massive NS), even if its mass is larger than M_{TOV} yet below the maximum $M_{\text{max}} \approx 1.2 M_{\text{TOV}}$ (e.g. Baumgarte et al. 2000; Breu & Rezzolla 2016; Margalit et al. 2022; Musolino et al. 2024b). Above M_{max} , prompt collapse to a BH is generally expected¹². Thus, the fate of the remnant is strongly dependent on its mass and on M_{TOV} ; this latter in turn depends on the NS equation of state (EoS).

Independently of the NS EoS, a key assumption for the considerations that follow is that, if a stable (or supra-massive) NS is formed, it should have a very strong magnetic field. Indeed, for a wide range of EoS and initial magnetic fields of the merging NSs, general relativistic magnetohydrodynamic (MHD) simulations by a variety of groups have robustly demonstrated that, due to a combination of magnetic winding from differential rotation, and hydrodynamic and MHD instabilities, the magnetic field is amplified to magnetar levels (Giacomazzo et al. 2011, 2015; Giacomazzo & Perna 2013; Kiuchi et al. 2015; Cioffi et al. 2017, 2019; Kiuchi et al. 2018, 2024; Palenzuela et al. 2022; Aguilera-Miret et al. 2023). Therefore, we can confidently assume in our analysis that, for those NS-NS mergers that leave behind a stable or long-lived NS,

¹¹ Typically \sim tens-to-hundreds of seconds (e.g. Lasky et al. 2014; Dall’Osso et al. 2015), until spindown losses, such as GW emission or magnetic dipole radiation, significantly reduce the rotation.

¹² Hyper-massive NSs may form, which are briefly (\lesssim hundreds of milliseconds) sustained by short-lived differential rotation.

Table 2. Best-fit values of the magnetar magnetic field strength B and initial spin period P for the 13 out of 15 cases for which the magnetar model fit of the luminosity light curve is successful.

GRB name	Input		Output				
	z	θ_j (deg)	B (10^{14} G)	P (ms)	$\tau_{\text{sd}} \approx 680 \left(\frac{P_{\text{ms}}}{B_{15}}\right)^2$ (ks)	χ^2	ν
051221A	0.5464	6.0	(29 ± 2)	(12.8 ± 0.3)	13.3 ± 2.1	125	77
060614	0.125	12.6	(37 ± 3)	(24 ± 1)	34 ± 9	1749	465
070714B	0.923	8.6	(132 ± 40)	(11 ± 2)	0.5 ± 0.3	284	79
090510	0.903	2.3	(82 ± 7)	(4.5 ± 0.2)	0.20 ± 0.04	80	63
110402A	0.854	15.0	(96 ± 37)	(14 ± 1)	1.4 ± 1.1	42.0	16
130603B	0.3568	6.3	(110 ± 2)	(13.2 ± 0.2)	0.98 ± 0.04	137	70
140903A	0.3529	4.0	(32 ± 4)	(8 ± 0.3)	4.5 ± 1.2	56	36
150424A	0.3	4.3	(36 ± 4)	(16 ± 1)	13 ± 3	243	115
151229A	0.63	5.0	(67 ± 9)	(4.3 ± 0.9)	0.3 ± 0.1	142	56
161001A	0.67	5.0	(47 ± 6)	(4.2 ± 0.2)	0.5 ± 0.1	88	54
170728B	1.272	3.5	(20 ± 1)	(1.50 ± 0.03)	0.39 ± 0.04	232	193
210323A	0.733	2.9	(51 ± 11)	(8.7 ± 0.6)	2.0 ± 0.9	62	18
211211A	0.0763	6.9	(286 ± 26)	(27 ± 1)	0.6 ± 0.1	779	265

Notes. Besides the redshift z and the jet half-opening angle θ_j of each SGRB, the table also shows the spin-down timescale τ_{sd} implied by B and P (see e.g. [Dall’Osso & Stella 2022](#)), as well as the fit χ^2 and degrees of freedom ν .

this remnant NS will have the magnetic field typical of a magnetar.

Another important assumption that is key to the considerations that follow is the ability of a NS-NS merger to lead to an ultrarelativistic jet (as observed for GRB170817; e.g. [Mooley et al. 2018](#); [Lazzati et al. 2018](#); [Ioka & Nakamura 2018](#); [Alexander et al. 2018](#)), independently of the type of merger remnant. Recent MHD simulations by [Bamber et al. \(2024\)](#) with low-mass NSs have indeed shown that jet-like structures, satisfying their criteria for an incipient jet, were observed also for the supra-massive NS remnants. However, the question of whether a relativistic jet could be launched and break out from the ejecta could not be fully answered and needs to wait for MHD simulations to extend to much larger scales. With this caveat in mind, the following results are built on the assumption that a SGRB can be produced also by a stable or supra-massive, highly magnetised NS remnant.

In this scenario, the fraction of SGRBs with evidence of plateaus is directly linked to the fraction of BNSs that form a stable NS remnant or a supra-massive NS that does not collapse to a BH at least for the duration of the observed plateau. Within this framework, we can thus set constraints on the remnant mass as the critical value M_{crit} at which its cumulative distribution returns the same plateau fraction value, as detailed in the following section.

5.2. Estimating M_{crit}

We first computed the probability distribution of the merger remnant mass starting from the distribution of the mass of the two components. Simulations of massive star explosions indicate a bimodal NS mass distribution ([Zhang et al. 2008](#)). In the present work, the gravitational masses of the two binary components, $M_{g,1}$ and $M_{g,2}$, were drawn from the preferred double-peaked Gaussian distribution for NSs found in binary systems in our Galaxy, with means $\mu_1 = 1.34 M_{\odot}$ and $\mu_2 = 1.8 M_{\odot}$, and standard deviations $\sigma_1 = 0.07 M_{\odot}$ and $\sigma_2 = 0.21 M_{\odot}$ ([Alsing et al. 2018](#); [Farr & Chatziioannou 2020](#); [Rocha et al. 2023](#)).

The baryonic mass of the remnants was calculated using the quasi-EOS-independent relation between the gravitational (M_g) and baryonic (M_b) mass of NSs ([Lattimer 2021](#)):

$$M_b = M_g + (0.062 \pm 0.0016) M_g^2 + (0.018 \pm 0.0065) M_g^3. \quad (5)$$

In addition to the masses of the two components, we further accounted for the mass ejected during the merger (M_{ej}): given the large uncertainties on this quantity as derived by different numerical simulations, we assumed a ‘fiducial’ value of $M_{\text{ej}} = 0.05 M_{\odot}$ in all mergers, motivated by the ejecta mass in GW 170817 (e.g. [Coughlin et al. 2018](#)).

The baryonic mass distribution of the remnants is given by

$$M_{b,\text{rem}} = M_{b,1} + M_{b,2} - M_{\text{ej}}, \quad (6)$$

which is then converted into gravitational mass M_g according to Eq. (5). We finally compute the critical mass (M_{crit}) at which the remnant mass cumulative distribution function returns a value equal to the magnetar fraction, f_{mag} . The left panel of Fig. 7 presents our results when adopting a ‘fiducial’ value of $M_{\text{ej}} = 0.05 M_{\odot}$, and for $f_{\text{mag}} = 0.15$ – 0.26 , which define the yellow-shaded confidence region in the plot. From the latter, we obtain $M_{\text{crit}} \sim (2.34$ – $2.39) M_{\odot}$. The right panel of Fig. 7 illustrates how this range depends on M_{ej} : we conclude that, for any plausible value of the ejecta mass, we have $2.31 < M_{\text{crit}}/M_{\odot} < 2.41$. Finally, we also tried a different distribution for NS masses in the form of a single Gaussian with mean $\mu = 1.34 M_{\odot}$ and $\sigma = 0.06 M_{\odot}$ ([Özel & Freire 2016](#)): in this case, the allowed interval for M_{crit} is reduced by $0.1 M_{\odot}$ (i.e. $2.2 \lesssim M_{\text{crit}}/M_{\odot} \lesssim 2.3$) for the same M_{ej} values.

If all the plateaus in our sample were produced by stable NSs, then M_{crit} would be equal to M_{TOV} , while the former would be larger than the latter if some plateaus were associated with supra-massive NSs that later collapsed to BHs. Thus, the condition $M_{\text{TOV}} \leq M_{\text{crit}} < M_{\text{max}} \approx 1.2 M_{\text{TOV}}$ holds in general, as for masses above M_{max} a merger remnant promptly collapses to a BH.

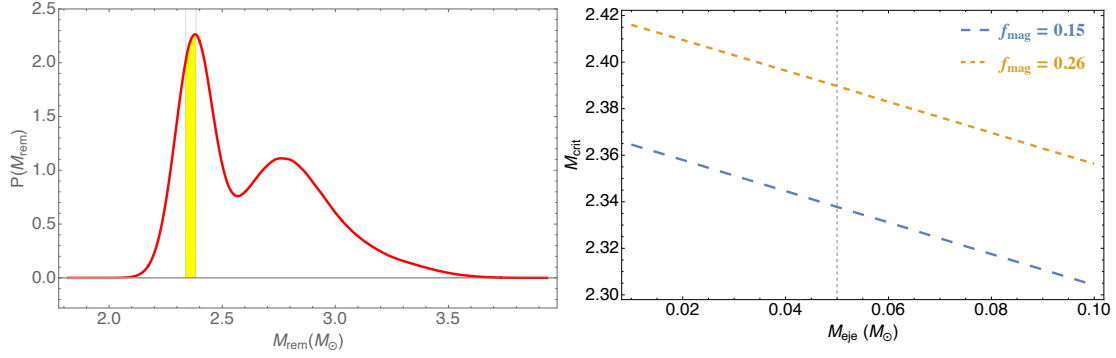


Fig. 7. The mass probability distribution of merger remnants (*left panel*) and the range of M_{crit} as a function of the adopted value for the ejecta mass, M_{ej} (*right panel*). The mass distribution of merger remnants is obtained by assuming (i) a double-peaked Gaussian mass distribution for binary NS components, with one peak at $\mu_1 = 1.34 M_{\odot}$ ($\sigma_1 = 0.07 M_{\odot}$) and one at $\mu_2 = 1.8 M_{\odot}$ ($\sigma_2 = 0.21 M_{\odot}$), (ii) a quasi-EOS-independent relation between gravitational and baryonic mass (Eq. (5)), and (iii) a fiducial ejecta mass of $\sim 0.05 M_{\odot}$. The yellow-shaded area indicates the M_{rem} range for which the cumulative distribution function yields a probability of ~ 0.15 – 0.26 (i.e. our f_{mag} range). It defines our estimated range for M_{crit} , that is the maximum mass of NS remnants that remain stable or do not collapse into a BH for at least a time long enough to power plateaus lasting >200 s, such as those found in our sample.

6. Discussion

6.1. Origin of the plateau

In the above analysis, we adopt an empirical approach to quantify the incidence of observed plateaus (f_{pl}) in SGRBs with no assumptions as to their origin, obtaining $0.18 < f_{\text{pl}} < 0.37$. An important implication of this result is that any theoretical interpretation of afterglow plateaus should not only account for this observed f_{pl} in SGRBs, but should also explain why it appears to be inconsistent with (significantly lower than) the f_{pl} of long GRBs (e.g. Tang et al. 2019).

In the ‘structured jet model’ (e.g. Beniamini et al. 2020), the different values of f_{pl} in short and long GRBs impose the existence of two significantly different jet structures, with highly constrained parameters within each class (see also O’Connor et al. 2024). While possible, this may also be in tension with the results of numerical simulations, which show significant variations in jet structure even within a single GRB class (e.g. Lazzati & Perna 2019; Aksulu et al. 2022; Urrutia et al. 2021; García-García et al. 2024). On the other hand, the ‘magnetar model’ provides a more straightforward interpretation of our results. The magnetar population associated with core-collapse supernovae, which represents $\sim 10\%$ of the NS population (Gaensler et al. 2005) or possibly even more (Beniamini et al. 2019), can in principle account for a sizeable fraction of plateaus observed in long GRBs. Conversely, as noted above only a small fraction of BNS mergers will produce a magnetar remnant, and therefore a plateau.

We note that, in principle, a fraction f' of SGRBs may originate from NS-BH mergers, from which only a BH remnant could form. In this case, the fraction of SGRBs that is associated with NS remnants decreases by a factor $(1 - f')$, and the true f_{pl} , as well as M_{crit} , should be increased by $1/(1 - f')$. However, since the fraction of SGRBs from NS-BH mergers is still uncertain, and is thought to be much smaller than that from BNSs (e.g. Foucart 2012), we expect our estimate of the critical mass to remain largely unaffected.

6.2. Constraining M_{TOV}

Our main conclusion is that 13 SGRBs in our sample show evidence of a plateau that can be well modelled as due to energy

injection from a magnetar central engine. This corresponds to a magnetar fraction of ~ 15 – 26% , depending on the cut on the total sample, as discussed in Sects. 3.3 and 4.2. The latter provides a realistic estimate of f_{mag} , as we have ruled out selection biases that might cause plateaus to be over-represented in the 46 discarded afterglows. Adopting a fiducial value of $M_{\text{ej}} = 0.05 M_{\odot}$ for the ejecta mass, this range of f_{mag} constrains the critical mass, $M_{\text{crit}} \approx (2.34$ – $2.39) M_{\odot}$, up to which NS remnants can survive long enough to power the observed plateaus. Moreover, to check the dependence of our result on M_{ej} , we allowed the latter to vary in the range $(0$ – $0.1) M_{\odot}$, determining a corresponding range of $2.31 < M_{\text{crit}}/M_{\odot} < 2.41$, as depicted in the right panel of Fig. 7.

The number of indefinitely stable NSs in our plateau sample depends on M_{TOV} ; the lower this latter value is, the larger the fraction of supra-massive NSs, and the faster their collapse due to the increasing importance of rotational support in holding these NSs from collapsing into BHs. As a consequence, the relatively long duration ($>$ a few ks) of most plateaus in our sample and the relatively slow NS spins (see Table 2) point to a significant fraction of NSs being indefinitely stable¹³. Using the probability distribution of remnant masses (left panel of Fig. 7), we calculated the number of stable or long-lived (supra-massive) NSs expected in our sample as a function of M_{TOV} , and report our results in Fig. 8.

Additionally, a lower limit to M_{TOV} can be placed by assuming that the fastest-rotating magnetar in our sample (GRB 170728B) was also the one with the closest M to M_{crit} . With a nominal initial spin period of ~ 1.5 ms (Table 2), this NS may have collapsed at a spin period of $P_{\text{coll}} \gtrsim 2.1$ ms (beyond the end of the plateau): adopting this spin at collapse, along with numerical approximations for the critical mass as a function of angular momentum, and for other relevant quantities of relativistic rotating NSs (Breu & Rezzolla 2016; Musolino et al. 2024b), we estimate a lower limit to M_{TOV} of $\gtrsim 2.35(2.3) M_{\odot}$ for $f_{\text{mag}} = 0.26(0.15)$, and a spin parameter of $a_{\text{crit}} = J/M_{\text{crit}}^2 \approx 0.25$, roughly 35% of the Keplerian limit. It is interesting to note that, for this M_{TOV} , Fig. 8 indicates that 8–9 stable NSs should be expected, out of the 13 in our sample. Indeed, at least 8 GRBs with relatively slowly rotating magnetars (spin period >5 ms)

¹³ Or so marginally above M_{TOV} that they effectively track its value to a good accuracy (e.g. Dall’Osso et al. 2015 and references therein).

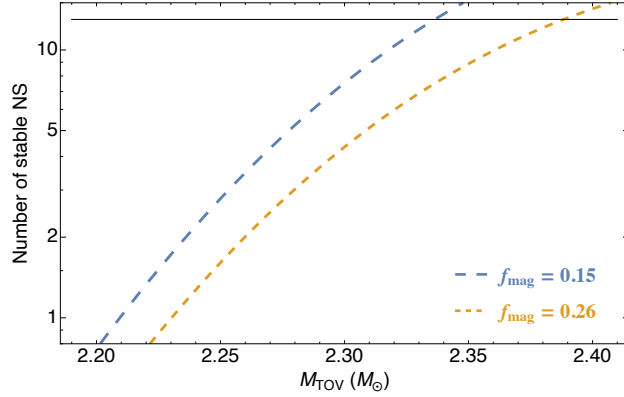


Fig. 8. Number of stable or long-lived NSs in our sample as a function of M_{TOV} . The two dashed curves correspond to the minimum and maximum fractions found in this work. The upper, horizontal black curve indicates the total of 13 NSs.

and long plateaus ($> a$ few ks) can be identified in Table 2, likely indicating stable NSs with negligible centrifugal support.

6.3. Comparing with previous results

Several authors have exploited the rich observations of GW 170817 and GRB 170817A to place significant constraints on M_{TOV} based on the lack of signatures of the presence of a long-lived remnant in that merger (e.g. Margalit & Metzger 2017; Bauswein et al. 2017; Rezzolla et al. 2018). Broadband data are indeed consistent with, and indicative of, the formation of a hypermassive NS, which collapsed to a BH within less than a second after the merger (e.g. Shibata & Hotokezaka 2019).

Under the assumption that the remnant was formed with nearly maximal rotation, inherited from the orbital angular momentum of the progenitor binary, the inevitable implication of its early collapse is that its mass was very close to $M_{\text{max}} \approx 1.2 M_{\text{TOV}}$. Given the accurate mass measurements for both the binary components and the ejecta mass, values of $M_{\text{TOV}} < 2.2 M_{\odot}$ were thus derived.

Our result, on the other hand, points to a different scenario, in which $M_{\text{TOV}} \gtrsim 2.3 M_{\odot}$ and merger remnants can form with significantly sub-Keplerian rotation, as indicated by the inferred spin periods of our fits. Thanks to the large M_{TOV} , remnants with masses of $\lesssim 2.4 M_{\odot}$ can be sustained against collapse even with a modest centrifugal support for a time long enough to power plateaus that last $> ks$. This is consistent with the conclusions of Margalit et al. (2022) that merger remnants may form with slow rotation, and that most of the angular momentum is deposited in the surrounding torus, from which it is progressively accreted. If the initial mass of the slowly rotating remnant is large enough, a small amount of accreted mass may lead to collapse before achieving a significant spin-up. Within this framework, Margalit et al. (2022) concluded that the broadband data from GRB 170817A are consistent with $M_{\text{TOV}} \sim (2.3-2.5) M_{\odot}$ if, at collapse, the merger remnant was rotating at 0–0.5 times the Keplerian rate.

7. Summary and conclusions

In this study, we analysed the most comprehensive sample of SGRBs with known redshifts observed by the *Swift* X-ray telescope to date, intending to establish the fraction of events dis-

playing a plateau phase in their X-ray afterglows. Among the 85 events in our sample, only 40 allowed for morphological analysis of the light curve and for a spectral evolution study (Sect. 3.1). We find 15 afterglows that show evidence of a plateau (Sect. 3.3); this is roughly one-third of the total ($f_{\text{pl}} \sim 0.18-0.37$) and significantly less than the fraction observed in long GRBs ($> 50\%$; e.g. Tang et al. 2019). This difference represents a first important constraint for plateau models.

By fitting the 15 plateau light curves with a model of energy injection from a spinning down magnetar, we find very good fits in 13 cases; further analysis of the two outliers suggests the misclassification of an extended prompt phase (GRB 180618A), or a different origin for the plateau feature (GRB 061201). The 13 acceptable fits define our ‘true’ magnetar sample. Moreover, for 9 additional GRBs showing an extended emission (EE) in their prompt phase with faint or no afterglow, we rule out the presence of a plateau. Indeed, for these 9 events, we note that the large luminosity drops at the end of the EE (Sect. 4.2) is in general inconsistent with known correlations between prompt and plateau luminosities (e.g. Dainotti et al. 2016; Beniamini et al. 2020; Dall’Osso et al. 2023). As a consequence, the number of SGRBs for which we are able to infer the presence or absence of a plateau rises to 49, implying a magnetar fraction of $f_{\text{mag}} \sim 0.15-0.26$ in our sample (either referring to the total of 85 events or to the subsample of 49 valid GRBs; Sect. 4.3).

Under the assumption that all (or at least the vast majority of) SGRBs originate from BNS mergers, we used f_{mag} to infer the maximum mass (M_{crit}) of magnetars powering the observed plateaus. Adopting a double-peaked Gaussian for the mass distribution of NSs in binaries, we derive $M_{\text{crit}} \approx (2.31-2.41) M_{\odot}$ (varying the ejecta mass from $0.1 M_{\odot}$ to 0, see Fig. 7), where in general $M_{\text{TOV}} \leq M_{\text{crit}} < M_{\text{max}} \approx 1.2 M_{\text{TOV}}$ (Sect. 5.2). If all magnetars born in BNS mergers were long-lived, then $M_{\text{crit}} \approx M_{\text{TOV}}$. If, on the other hand, all such magnetars were supra-massive objects sustained against collapse by fast rotation then $M_{\text{crit}} \lesssim M_{\text{max}}$, and hence $M_{\text{TOV}} \gtrsim (1.93-2) M_{\odot}$. In Fig. 8 we illustrate the relation between the number of stable or long-lived magnetars and the implied M_{TOV} .

Our fits suggest that most plateau-powering magnetars are born with relatively slow rotation ($P > 5$ ms) and can survive for relatively long times ($> ks$); thus, we conclude that, in most cases, a long-lived or indefinitely stable NS was formed, and the computed value of M_{crit} is thus expected to be close to, yet slightly above, M_{TOV} . Taking a further step, we placed a lower limit on $M_{\text{TOV}} \gtrsim 2.35(2.3) M_{\odot}$ for $f_{\text{mag}} = 0.26(0.15)$ by making the reasonable assumption that the fastest-rotating magnetar in our sample is also the one closest to M_{crit} , and that it collapsed to a BH within a few hundred seconds of its birth (Sect. 6.2). These conclusions align with the latest findings by Fan et al. (2024) and with the scenario recently proposed by Margalit et al. (2022) regarding the formation and early evolution of BNS merger remnants. They are, at the same time, in tension with previous estimates of M_{TOV} derived from observations of GW 170817/GRB 170817A, and based on the assumption that the BNS remnant was formed with near-maximal rotation (Sect. 6.3).

Looking ahead, future observations of SGRBs, such as those expected with the ESA space mission project THESEUS (e.g. Amati et al. 2018; Stratta et al. 2018a), in synergy with the third-generation gravitational wave interferometers, such as the Einstein Telescope (e.g. Punturo et al. 2010), hold promise for providing direct evidence of the magnetar hypothesis for afterglow plateaus via detection of the faint, transient modulated gravitational wave signal expected shortly after the formation of a NS remnant (e.g. Dall’Osso & Stella 2022 and references therein).

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Appendix A: Results of the light curve fit

Table A.1 lists the redshifts and best-fit parameters of the simple power-law (PL, 25 cases)/broken power-law (BPL, 15 cases) models for the 40 bursts in our LC fit sample, described in Sect. 3.1.

Table A.1. Best-fit parameters of the simple (PL) and broken power-law (BPL) models for all the 40 SGRBs light curves in the LC fit sample (see Sect. 3.1).

GRB name	z	t_0 (s)	α_1	α_2	t_{break} ($\times 10^3$ s)	$F_{\text{pl, norm/break}}$ ($\times 10^{-12}$ erg cm $^{-2}$ s $^{-1}$)	χ^2	ν	p -value
050724(F)	0.254	370	0.93 ± 0.06	-	-	(1.63 ± 0.19)	23.9	10	1.0
061006	0.461	168	0.78 ± 0.05	-	-	(1.45 ± 0.13)	13.3	9	1.0
070724A	0.457	385	1.16 ± 0.10	-	-	(1.3 ± 0.3)	21.8	4	8.58×10^{-2}
070809	0.2187	126	0.50 ± 0.06	-	-	(1.7 ± 0.2)	43.0	14	1.14×10^{-3}
090426	2.609	120	0.95 ± 0.03	-	-	(2.85 ± 0.19)	40.9	25	7.57×10^{-3}
111117A	2.211	200	1.22 ± 0.07	-	-	$(5.4 \pm 0.6) \times 10^{-1}$	4.8	5	7.99×10^{-1}
120804A	1.05	150	1.08 ± 0.03	-	-	$(1.26 \pm 0.07) \times 10$	55.1	30	1.0
121226A	1.37	146	0.97 ± 0.05	-	-	(5.0 ± 0.5)	21.5	11	1.36×10^{-1}
131004A(F)	0.717	105	1.00 ± 0.06	-	-	(4.9 ± 0.7)	25.5	8	1.60×10^{-1}
140129B	0.43	400	1.29 ± 0.09	-	-	(5.9 ± 0.8)	24.0	15	1.52×10^{-2}
140930B	1.465	214	1.75 ± 0.10	-	-	(1.4 ± 0.2)	61.7	23	1.0
150423A	1.394	100	0.91 ± 0.06	-	-	(1.11 ± 0.13)	4.5	6	6.47×10^{-2}
150831A	1.18	200	1.07 ± 0.08	-	-	(0.71 ± 0.10)	2.2	4	1.0
160303A	1.01	600	0.68 ± 0.10	-	-	(0.76 ± 0.13)	15.2	5	2.90×10^{-1}
160525B	0.64	99	1.35 ± 0.10	-	-	(0.67 ± 0.14)	27.4	11	1.0
160821B	0.1619	300	1.33 ± 0.13	-	-	(2.0 ± 0.6)	16.2	3	7.94×10^{-1}
170728A	1.493	250	0.98 ± 0.07	-	-	(3.6 ± 0.4)	5.9	4	4.76×10^{-1}
180418A	1.56	3170	0.84 ± 0.04	-	-	(2.2 ± 0.15)	17.8	16	1.0
180727A	1.95	100	1.20 ± 0.09	-	-	(0.9 ± 0.2)	6.1	3	1.0
180805B	0.6612	479	1.16 ± 0.11	-	-	(1.3 ± 0.2)	16.3	8	1.0
191019A	0.248	3545	1.13 ± 0.13	-	-	(1.22 ± 0.13)	9.1	6	8.19×10^{-2}
200411A	0.82	400	0.84 ± 0.08	-	-	(2.0 ± 0.2)	18.7	9	1.0
200522A	0.5536	450	0.64 ± 0.08	-	-	(1.3 ± 0.2)	6.6	3	7.40×10^{-1}
210726A	0.37	500	0.56 ± 0.02	-	-	(1.41 ± 0.08)	2.5	7	9.90×10^{-1}
211023B	0.862	750	0.78 ± 0.06	-	-	(1.48 ± 0.15)	8.9	6	1.0
051221A	0.5464	314	0.65 ± 0.03	1.44 ± 0.08	6.16×10	$(5.5 \pm 0.4) \times 10^{-1}$	96.6	60	1.26×10^{-8}
060614	0.125	4000	0.06 ± 0.03	1.81 ± 0.03	4.45×10	(5.8 ± 0.2)	172.9	149	1.11×10^{-16}
061201	0.111	80	0.65 ± 0.06	2.12 ± 0.10	3.00	$(3.9 \pm 0.5) \times 10$	29.3	24	2.50×10^{-9}
070714B	0.923	300	0.65 ± 0.12	2.11 ± 0.10	2.13	$(1.8 \pm 0.2) \times 10$	44.8	25	2.43×10^{-6}
090510	0.903	100	0.66 ± 0.03	2.28 ± 0.06	1.67	$(7.6 \pm 0.4) \times 10$	93.4	99	1.11×10^{-16}
110402A	0.854	593	0.48 ± 0.06	2.25 ± 0.15	8.43	(2.0 ± 0.2)	13.7	15	6.11×10^{-6}
130603B	0.3568	70	0.38 ± 0.03	1.69 ± 0.06	2.90	$(3.3 \pm 0.2) \times 10$	128.8	69	1.11×10^{-16}
140903A	0.3529	200	0.15 ± 0.03	1.25 ± 0.05	9.65	(9.7 ± 0.5)	28.2	34	8.55×10^{-15}
150424A	0.3	453	0.76 ± 0.02	2.4 ± 0.3	2.03×10^2	$(3.9 \pm 0.3) \times 10^{-1}$	23.3	32	1.24×10^{-6}
151229A	0.63	90	0.26 ± 0.19	0.96 ± 0.04	3.47×10^{-1}	$(2.8 \pm 0.9) \times 10^2$	73.1	70	9.51×10^{-7}
161001A	0.67	207	0.75 ± 0.05	1.37 ± 0.05	3.53	$(4.9 \pm 0.4) \times 10$	57.3	45	1.45×10^{-5}
170728B	1.272	400	0.53 ± 0.03	1.34 ± 0.02	2.53	$(2.1 \pm 0.1) \times 10^2$	213.6	193	1.11×10^{-16}
180618A	0.52	80	0.11 ± 0.40	1.77 ± 0.04	1.27×10^{-1}	(1.8 ± 0.2)	130.4	97	2.98×10^{-11}
210323A	0.733	800	0.50 ± 0.06	3.4 ± 0.3	1.32×10	(4.2 ± 0.4)	10.4	10	1.22×10^{-5}
211211A	0.0763	3400	-0.12 ± 0.18	2.07 ± 0.08	7.97	$(5.5 \pm 0.6) \times 10$	72.9	47	2.39×10^{-10}

Notes. The first 25 bursts are the ones for which a power-law model was enough to describe the light curve behaviour (PL subsample). The last 15 bursts are the BPL subsample, for which the addition of a break resulted statistically significant (see Sec. 3.2). The (F) marks the cases for which a flaring component was discarded to allow a better fit of the afterglow.

Appendix B: SGRB sample burst energetics

Table B.1 quotes the isotropic equivalent energy E_{iso} for 42/85 SGRBs in the initial sample for which this value is publicly available in the literature. Depending on the reference, the range of energies chosen to compute E_{iso} is not the same. Bold entries are the 15 SGRBs included in the "plateau" subsample. In Fig. B.1, these values are presented graphically, with particular emphasis on the cases where a plateau was identified, which are highlighted in azure.

Table B.1. Values of E_{iso} for 42 SGRBs of the initial sample which are publicly available in the literature.

GRB name	E_{iso} (10^{52} erg)	Reference
050724	0.024	1
051221A	0.31	2
060313	2.9	3
060614	0.27	2
060801	0.478	2
061006	0.21	2
061201	0.017	2
070714B	0.64	2
070724A	0.03	3
070809	0.09	3
071227	0.059	2
080905A	0.02	3
081226A	0.09	3
090426	0.24	1
090510	5.71	2
091109B	0.18	3
100117A	0.22	3
100206A	0.051	2
101219A	0.651	2
110112A	0.03	3
110402A	1.52	4
111117A	0.55	3
120804A	0.657	2
121226A	0.37	3
130603B	0.196	2
130912A	0.16	3
131004A	0.138	1
140129B	0.07	3
140516A	0.02	3
140622A	0.07	3
140903A	0.08	3
140930B	0.40	3
150101B	0.004	3
150424A	0.434	2
151229A	0.12	5
160410A	9.3	2
161001A	0.30	5
170728B	0.40	5
180618A	0.39	5
210323A	0.43	5
211211A	1.24	5
191019A	0.1	6

Notes. Bold entries are the bursts belonging to the "plateau" subsample.

References. (1) Tsvetkova et al. (2021); (2) Tsvetkova et al. (2017); (3) Fong et al. (2015); (4) Minaev & Pozanenko (2019); (5) Zhu et al. (2023); (6) Lazzati et al. (2023).

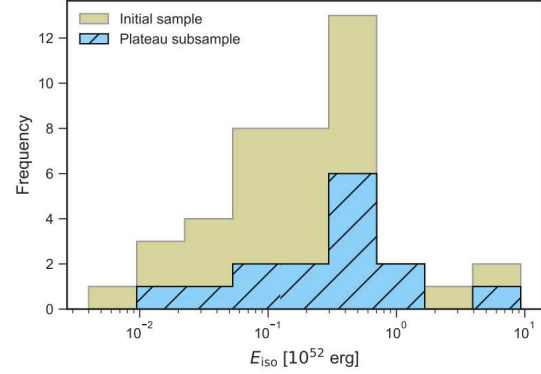


Fig. B.1. Isotropic equivalent energy distribution (E_{iso}) of the SGRBs in the plateau subsample compared with that of the whole sample (see Sect. 3.4 and Table B.1).

Appendix C: Assumptions in the magnetar model

In the magnetar model formalism by [Dall’Osso et al. \(2011\)](#), the radiative efficiency $k' = 4\epsilon_e(d \ln t / d \ln T)$ (see Eq. 7) encodes our ignorance of the microphysics and of the surrounding environment (i.e. wind or constant interstellar matter). In this work, k' is generically kept < 1 , where ϵ_e is the fraction of the total energy released in the merger that is transferred to the radiating electrons, while the factor $(d \ln t / d \ln T)$ encloses the hydrodynamical evolution of the shock: the condition on k' implies $\epsilon_e < 0.5$. The extension of the formalism that includes resistive effects in the magnetosphere ([Stratta et al. 2018b](#)), introduces a new parameter α that governs the spin-down luminosity. In this work, we fixed α at 0. Ultimately, the total moment of inertia of the magnetar is taken as the approximation in [Lattimer & Prakash \(2007\)](#). We adopted the standard values for the NS mass ($M_{\text{NS}} = 1.4 M_\odot$) and radius ($R_{\text{NS}} = 12 \text{ km}$).

Appendix D: Minimum prompt luminosity and κ -criterion

The κ -criterion was applied to the EE-rejected SGRBs building upon the work of [Dall’Osso et al. \(2023\)](#), to infer the presence or absence of a plateau feature. Here, κ is defined as the ratio between the intrinsic minimum luminosity in the prompt $L_{\gamma, \text{min}}$ and the isotropic equivalent luminosity of the plateau L_{sd} (see Sect. 4.2):

$$\kappa = L_{\gamma, \text{min}} / L_{\text{sd}} \approx 1.2 \times 10^5 \epsilon P^{5/3} (R_6 M_{1.4}^{2/3})^{-1}, \quad (\text{D.1})$$

with ϵ the radiative efficiency (typically ~ 0.1) of the prompt emission, P the NS spin period in seconds, $R_6 = R_{\text{NS}} / (10^6 \text{ cm})$, $M_{1.4} = M_{\text{NS}} / (1.4 M_\odot)$. For given NS mass and radius, κ is a function of the NS spin period alone; thus values of $\kappa > 30$ are considered unphysical. To derive $L_{\gamma, \text{min}}$ and L_{sd} , we analysed the rest-frame luminosity light curves of all the 19 SGRBs in the EE-rejected sample. $L_{\gamma, \text{min}}$ was determined by identifying the luminosity of the final data point of the prompt emission phase preceding the steep decay, as described by criterion (3) in Sect. 3.1, and then dividing it by the jet beaming factor to obtain the intrinsic luminosity. We assumed an average beaming factor of $f_b = 0.01$, which is reasonable for SGRBs and corresponds to a $\theta_j \sim 8 \text{ deg}$. For L_{sd} , we assumed it coincides with the minimum detected light curve luminosity $L_{p, \text{min}}$, since $L_{p, \text{min}} \geq L_{\text{sd}}$ by definition. This approach allowed us to calculate κ for each burst in the EE-rejected subsample and we concluded that in 9 of these cases, the presence of a magnetar could be confidently ruled out.